1 Agriculture: The efficiency of land use

- Share of agriculture in employment is close to 50% for the world as a whole (50% in China, 57% in India).
- Is land used efficiently?

1.0.1 Farm size and productivity: observed relationship

- Farm size productivity differences: see table.
- Profit-Wealth ration and weather variability (monsoon outset is a measure of the risk faced by the farmer): see figure

- The Profit-Wealth ratio is always greater for small farmers
- Small farmers' profits are hurt much more by uncertainty than large farmers'

1.0.2 Why is this surprising?

- Arguments for increasing returns (the opposite relationship)
 - Technology with fixed costs (tractors, etc..)
 - Larger farmers have better access to capital
 - Larger farmers have better access to politically allocated inputs (evidence from Africa in a book by Bates "Market and states in tropical Africa").
 - The best farmer will have more land...
- Mitigating factors:
 - Rental markets in farm machinery
 - Technological change in not very rapid. Saviness not that important.

1.0.3 What could be going on: Arguments for decreasing returns

- Agency problems: large farms are cultivated by hired labor, which has fewer incentive to work hard. Small farms are owner cultivated.
 Redistributing land will create more owner cultivated land which will be more productive.
 - But why cannot the owner of the land not give the right incentive to the farmers?

1.0.4 Different potential explanations for the observed inverse productivity relationship:

- Differences in land quality
- Differences in farmer characteristics
- Incentive Problems

Problem with the observed relationship: all of this could be going on... How can we separate these different effects.

1.0.5 Evidence: Study by Biswanger and Rosenzweig

- Using ICRISAT data: very detailed panel (repeated observation for every household) data from India.
- Some individuals cultivate both an owner-operated plot and a rented plot.
- Biswanger and Rosenzweig compare the inputs they apply on their own plot and the rented plots, and the overall productivity of both plots.

$$\Pi_{ij} = \alpha + \beta R_{ij} + \eta_i + \upsilon_{ij},$$

• where Π_{ij} is farmer's *i* outcome (profit, investment) on plot *j*, and R_{ij} indicate whether the plot is rented. η_i is the unoberved (but fixed)

characteristics of the farmers (risk aversion, quality, etc...). We think that η_i and R_{ij} may be correlated, but, for a minute, not v_{ij} and R_{ij} . What can we do?

 Control for the individual fixed effect to compare plots within individual's. So for example, for all the farmers that cultivate two plots of land, we can run the regression:

$$\Pi_{i2} - \Pi_{i1} = \beta (R_{i2} - R_{i1}) + v_{i2} - v_{i1},$$

• The individual fixed effect is gone!

Biswanger and Rosenzweig find a strong negative β . What does this suggest? What could be the remaining problem?

1.0.6 More evidence: Shaban (1987)

- Uses the same data, but controls in addition for plot quality.
- He finds that individual work 40% more on their own land (controlling for land size) and that the productivity is 15% to 30% higher on own land than on rented land (with or without controling for land quality).
- On balance, the evidence suggests that the inefficiency comes from incentive problems.

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3. First best maximizes:
$$e - ce^2/2 \rightarrow e = 1/c$$

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- → What are possible contracts?

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→ Case 3: Only P binds: $m + w \ge 1/2c$. e = 1/c.

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- → Irrelevance of contractual form (Cheung)

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