

LPG: Local search for Planning Graphs

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Outline



- Temporal Action Graph
- Walksat: Stochastic Local Search
- Better Neighbor
- Relaxed Plan

- A. Gerevini, A. Saetti, I. Serina “Planning through Stochastic Local Search and Temporal Action Graphs”, to appear in *Journal of Artificial Intelligence Research (JAIR)*.

Overview



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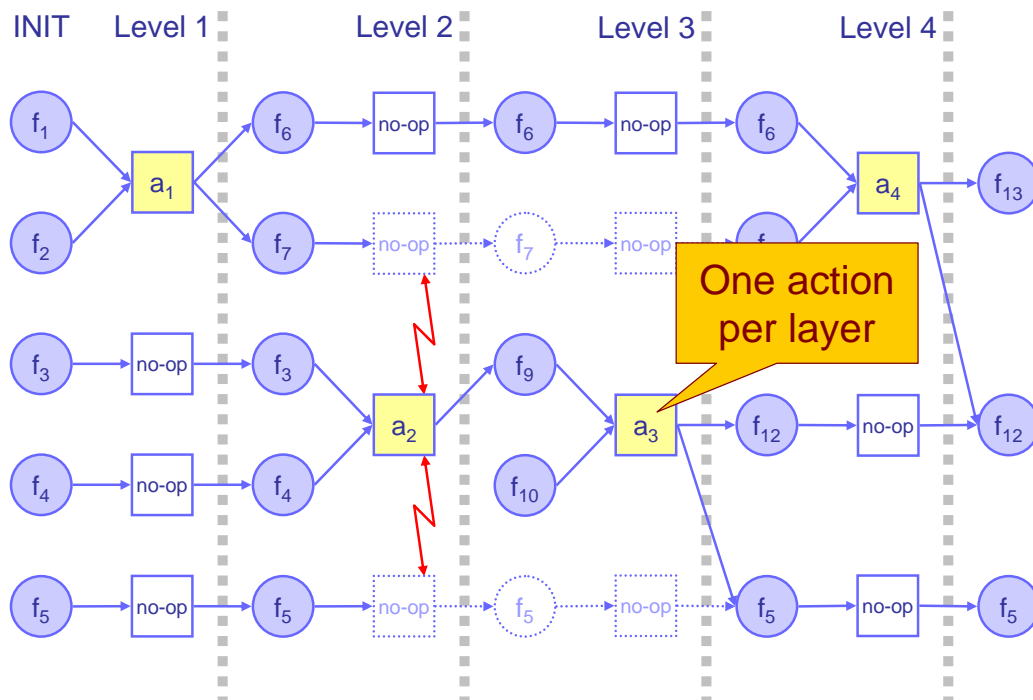
- Uses Strips-like operator but adds time and metric resources to the planning description: Planning Domain Definition Language (PDDL) 2.1
- Features:
 - Uses Temporal Action graphs (TA-graphs): Similar to a plan graph, but adds temporal representation
 - Uses stochastic local search: Similar to Walksat
 - Uses relaxed plan for heuristic to guide the search: similar to FF
- LPG outperformed all general purpose planners in the time and metric resource domains (3rd IPC)

3

Linear Action Graph (LA-graph)

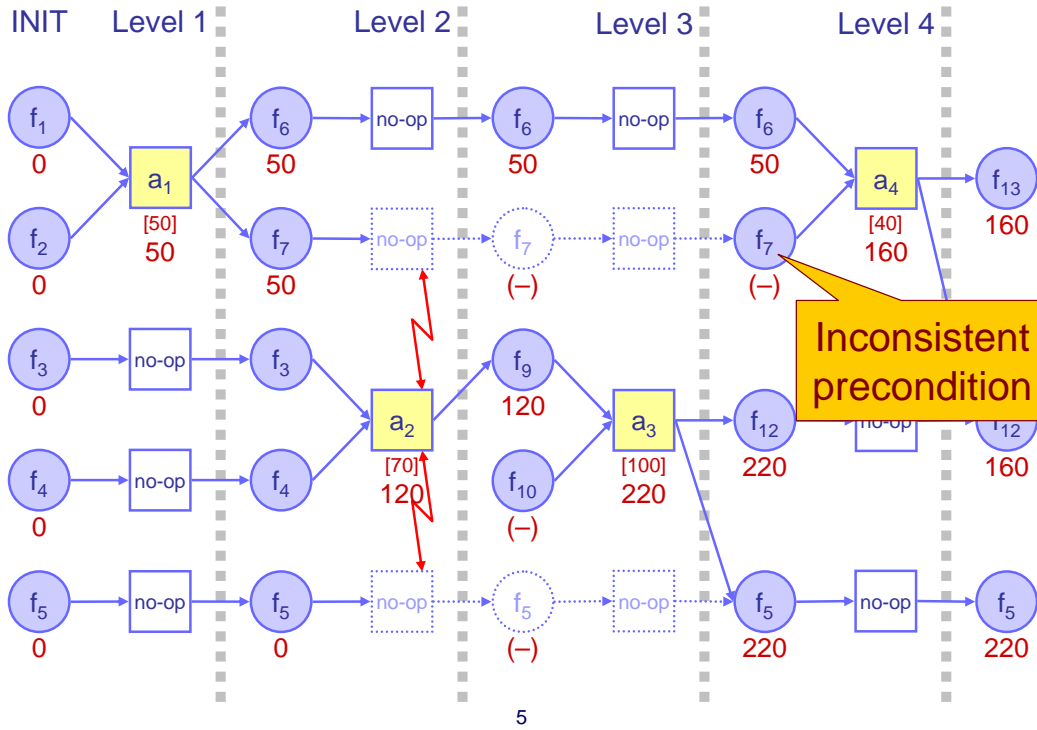


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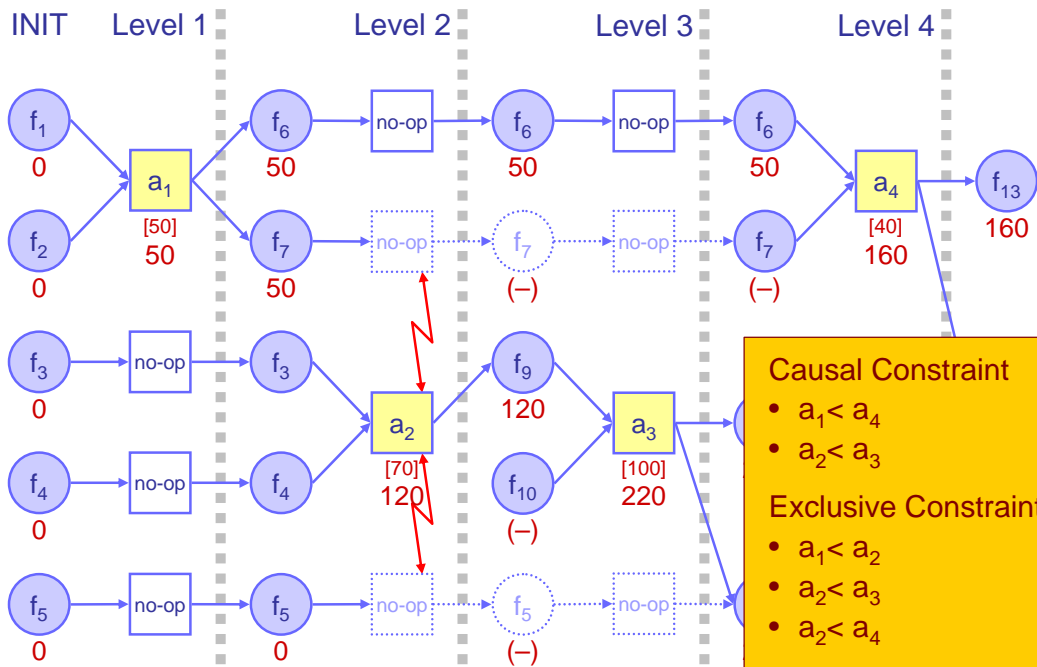


4

Temporal Action Graph (TA-Graph)



Ordering Constraint



Walkplan: Stochastic Local Search



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- **Walkplan**(Π , max_steps, max_restarts, p)
 - Input
 - Π : Planning problem description
 - max_steps : Maximum number of search
 - max_restarts : Maximum number of restart
 - p : Noise factor
 - Output
 - Solution TA-graph
- Idea:
 - With probability p use stochastic local search to find a plan
 - Search the plan space max_steps number of times
 - If no plan is found, try restarting the search from the beginning up to max_restarts number of time

7

Walkplan Algorithm



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Walkplan(Π , max_steps, max_restarts, p)

for i = 1 **to** max_restarts **do**

A = an initial TA-graph derived from Π

for j = 1 **to** max_steps **do**

if A is solution **then return** A

σ = an inconsistency in A

$N(\sigma, A)$ = neighborhood of A for σ

if $\exists A' \in N(\sigma, A)$ such that A' is no worse than A **then**

A = A'

else if random < p **then**

A = $A' \in N(\sigma, A)$

else

A = best $A' \in N(\sigma, A)$

return fail

Set of TA-graphs in which an action was inserted or removed to resolve the inconsistency

What is a better neighbor?

8

Better Neighbor?



- A neighbor $A' \in N(\sigma, A)$ resolves the inconsistency σ by inserting or deleting an action.
- Use evaluation function $E(a)$

$$E(a) = \begin{cases} E(a)^i = \alpha \cdot \text{Execution_cost}(a)^i \\ \quad + \beta \cdot \text{Temporal_cost}(a)^i \\ \quad + \gamma \cdot \text{Search_cost}(a)^i \\ \\ E(a)^r = \alpha \cdot \text{Execution_cost}(a)^r \\ \quad + \beta \cdot \text{Temporal_cost}(a)^r \\ \quad + \gamma \cdot \text{Search_cost}(a)^r \end{cases}$$

9

Relaxed Plan



- Idea: Don't consider the mutex relation and perform reachability analysis.
- Insert action a
 - Find all actions that is required to support the preconditions of a
 - Compute the maximum time duration required for all actions
 - Return:
 - Set of actions added: $Aset(\text{EvalAdd}(a))$
 - Max time duration of the actions: $\text{End_time}(\text{EvalAdd}(a))$
- Remove action a
 - Find all actions that is required to support all preconditions that were unsupported due to removal of a
 - Compute the maximum time duration required for all newly inserted actions
 - Return:
 - Set of actions added: $Aset(\text{EvalDel}(a))$
 - Max time duration of the actions: $\text{End_time}(\text{EvalDel}(a))$

10

Better Neighbor



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- Insert an action

$$\text{Execution_cost}(a)^i = \sum_{a' \in \text{Aset}(\text{EvalAdd}(a))} \text{Cost}(a')$$

$$\text{Temporal_cost}(a)^i = \text{End_time}(\text{EvalAdd}(a))$$

$$\begin{aligned} \text{Search_cost}(a)^i &= |\text{Aset}(\text{EvalAdd}(a))| \\ &+ \sum_{a' \in \text{Aset}(\text{EvalAdd}(a))} \text{Threats}(a') \end{aligned}$$

- Remove an action

$$\text{Execution_cost}(a)^r = \sum_{a' \in \text{Aset}(\text{EvalDel}(a))} \text{Cost}(a')$$

$$\text{Temporal_cost}(a)^r = \text{End_time}(\text{EvalAdd}(a))$$

$$\begin{aligned} \text{Search_cost}(a)^r &= |\text{Aset}(\text{EvalAdd}(a))| \\ &+ \sum_{a' \in \text{Aset}(\text{EvalDel}(a))} \text{Threats}(a') \end{aligned}$$

11

Advantages and Disadvantages



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- Pros

- One of the fastest domain-independent planners
- Relatively expressive domain description languages
- Can easily be extended to be anytime algorithm

- Cons

- Algorithm is not guaranteed to be complete
- No guarantee on the quality of the plan
- Does not allow flexible time bounds

12