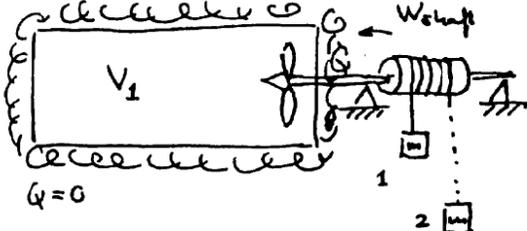
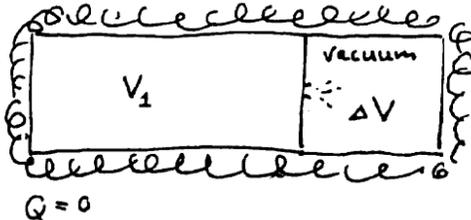
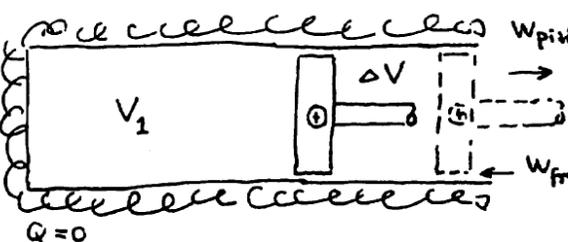


We have seen in class that, in order to restore an irreversible process, we leave a "trace" on the environment and the surroundings of the system (rest of universe). Can we find a criterion for this behavior? Using thermodynamic properties of the system, can we formulate a criterion that makes the distinction between reversible and irreversible processes?

Let's conduct 4 different thought experiments, where all the systems have the same initial state (U_1, V_1) and the processes are all adiabatic.

A  $Q=0$ $U_2 = U_1 + W_{shaft}$
 $V_2 = V_2$

B  $Q=0$ "free expansion"
 $U_2 = U_1$ (no work, no heat)
 $V_2 = V_1 + \Delta V$

C  $Q=0$ $W_{piston} = \int_1^2 P dV$
 $U_2 = U_1 - \int_1^2 P dV + W_{friction}$
 $V_2 = V_1 + \Delta V$

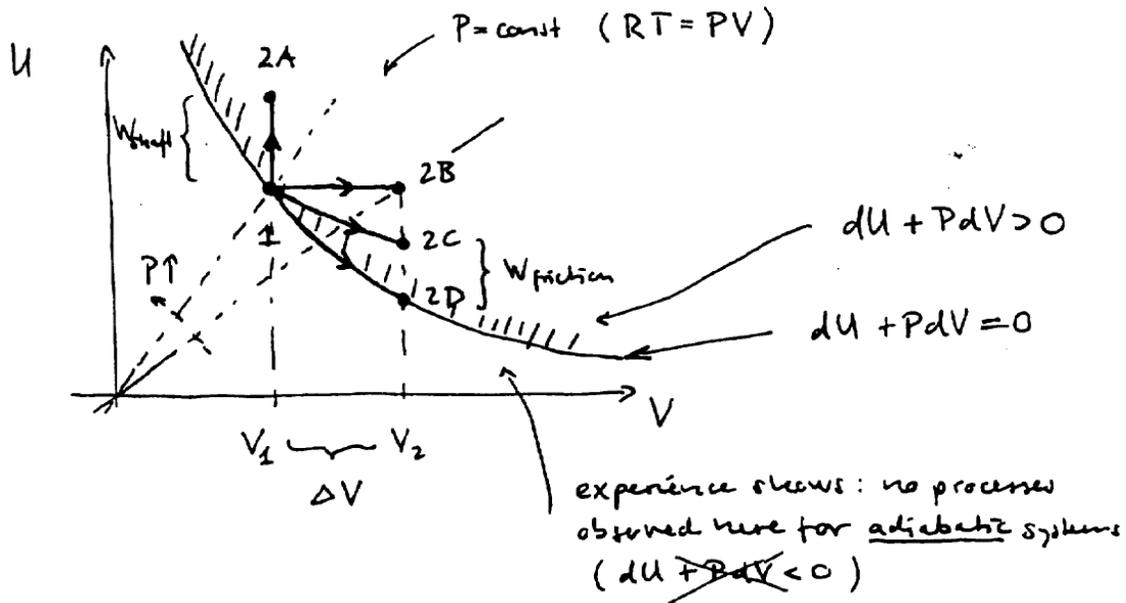
D same piston, but no friction ($W_{friction} = 0$) $U_2 = U_1 - \int_1^2 P dV$
 $V_2 = V_1 + \Delta V$

Looking at these processes, what can we say about the reversibility of the processes?

- A, B, C are all **irreversible** processes - we leave a mark on the environment when returning to initial state
- D is the only **reversible** process among these adiabatic processes - there is no friction, no dissipation - we don't leave a mark on the environment when returning to initial state

Let us return to the question stated earlier: can we find a criterion that determines whether a process is reversible or irreversible using the thermodynamic properties of the system?

For all the cases above, we looked at the changes in U and V . Let us construct a U - V diagram and draw these processes.



- | | | |
|---------|--|------------------|
| A, B, C | : adiabatic, irreversible processes | → $dU + PdV > 0$ |
| D | : adiabatic, reversible process | → $dU + PdV = 0$ |

Can we find an indicator S that has the same behavior as $dU + PdV$ for adiabatic processes (note that there is no heat interaction with the surroundings):

$dS > 0$	→	adiabatic irreversible
$dS = 0$	→	adiabatic reversible

In addition we would like S to have the following features:

- S should be appropriate for non-adiabatic systems as well
- S should be an extensive property (as are U and V)
- S should not be path dependent

As we will see in Chapter 5, we can indeed find a new property S that we call *entropy* (in Greek: εν – τροπος, where εν means "inside or inner" and τροπος is "direction"). The definition and behavior of this new property S is what we call the *Second Law of Thermodynamics*.