Batteries: 1/(1.04)^4=85% of batteries share of supply could come from returned batteries, but only 80% of battery lead is recovered. Thus only 68% of batteries share is available for recovery. Batteries are 38% of lead consumption, so roughly 26% of lead production comes from recycled batteries.

Architectural: 1/(1.04)^70=6% of architectural share of supply could come from returned architectural elements, and 95% is recovered. Still, roughly 6% of the architectural share is available for recovery. Architectural elements are 16% of lead consumption, so roughly 1% of lead production comes from recycled architectural elements.

Paint: 0%

## 4.10

Assuming that nothing else changes (material intensity of products doesn't change, etc), the amount of material currently required to produce the products is  $m_0$ . In five years, these products will reach end of life, and thus  $m_0$  of material M will be available for recycling. At that point, the demand for the material will have increased to  $m_0$  ( $1+r_c$ )<sup>5</sup>. If we wish for the import demand to not increase above the original level, which was  $m_0$  in the current year, we need to recover  $m_0(1+r_c)^5-m_0$  or  $m_0((1+r_c)^5-1)$  of the material from recycled sources to meet the additional demand. Since the original quantity of material available is  $m_0$ , we divide the additional demand,  $m_0((1+r_c)^5-1)$  by  $m_0$  to find that the required recycling rate to meet this new demand is  $(1+r_c)^5-1$ .