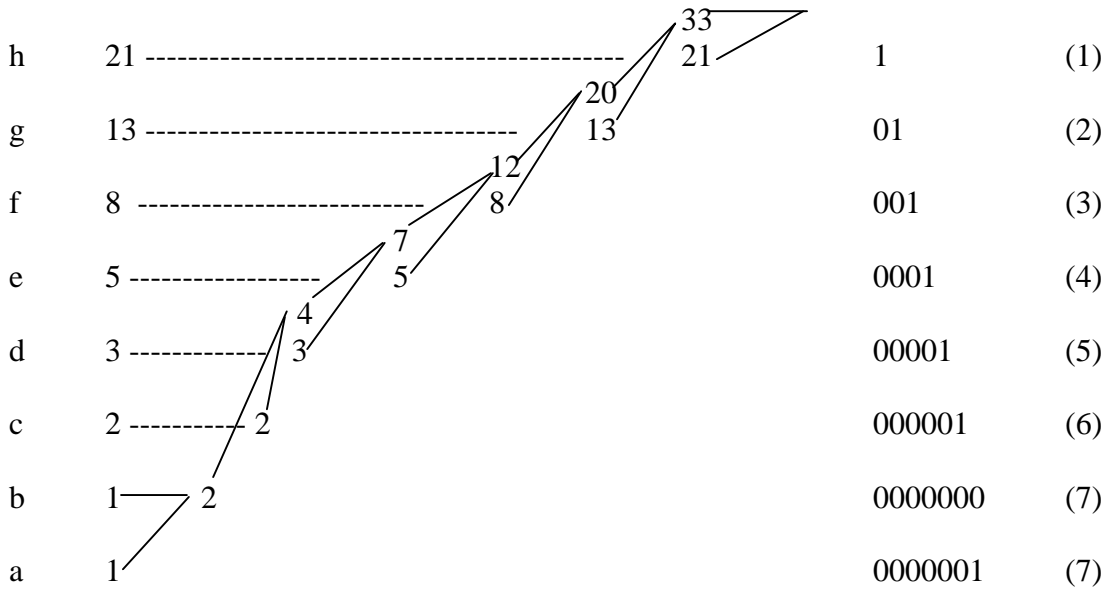


## 2.993: Principles of Internet Computing

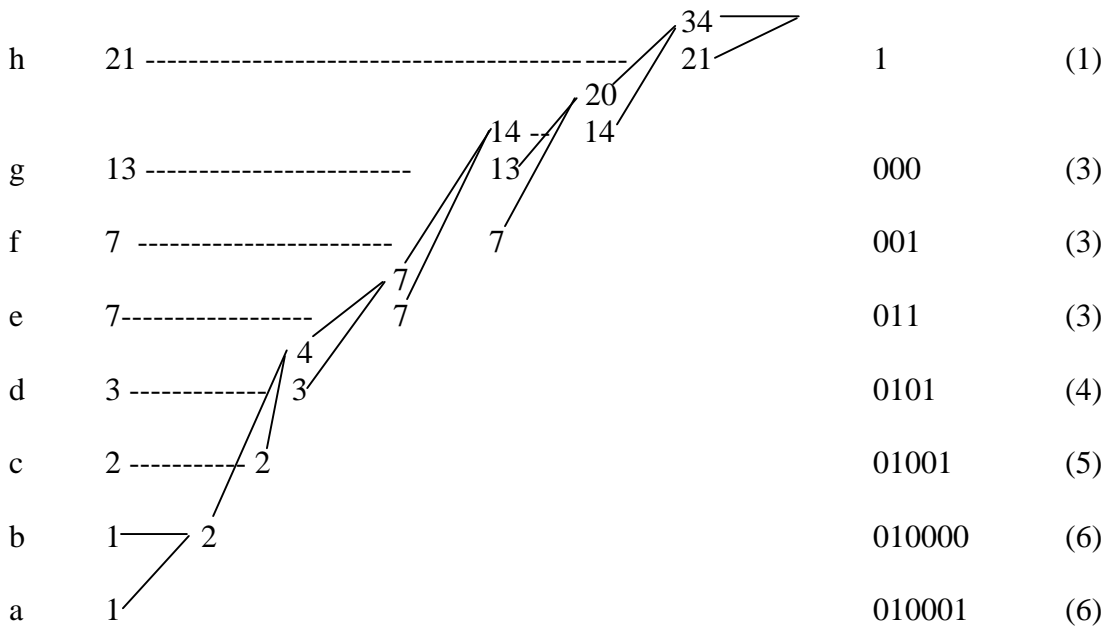
### Homework #8 Solutions

1. *Huffman Code* What is the optimal Huffman code for the following set of frequencies:

a) a: 1 b: 1 c:2 d:3 e: 5 f:8 g:13 h:21



b) a: 1 b: 1 c:2 d:3 e: 7 f:7 g:13 h:21



c) In each case, is your code unique? Explain.

Yes, they are unique in each case. What we mean by "unique" is that the code lengths of all codewords are unique: [1 2 3 4 5 6 7 7] and [1 3 3 3 4 5 6 6] . This, however, is not true in general. Consider the following case: a:2, b:2, c:1, d:1. Convince yourself that there is more than one unique Huffman code.

2. *Prefix Code* Suppose you are given a set of possible codeword lengths for characters  $a_1, a_2, \dots, a_5$ :  $l_1=2, l_2=4, l_3=6, l_4=7, l_5=9$ . Is there a (binary) prefix code with such codeword lengths? If so, give one. If not, explain why it is not possible.

a1:	00
a2:	0100
a3:	010100
a4:	0101010
a5:	010101100

Of course, there are many other valid code patterns.