

# The Electron Deficient Borane Molecule

Christopher C. Cummins

Massachusetts Institute of Technology

ccummins@mit.edu

# Outline

## 1 Why is Borane Electron-Deficient?

# Borane Dimerizes

What is the energy of the dimerization reaction?

- $\Delta H_f^\circ(\text{gas})$  for  $\text{BH}_3 = 25.5 \text{ kcal/mol}$
- $\Delta H_f^\circ(\text{gas})$  for  $\text{B}_2\text{H}_6 = 9.799 \text{ kcal/mol}$
- $\Delta H_{rxn}^\circ(\text{gas})$  for  $2 \text{ BH}_3 \rightarrow \text{B}_2\text{H}_6 = 9.799 - 2(25.5) = -41 \text{ kcal/mol}$
- The  $\text{C}_2\text{H}_4$  molecule is isoelectronic, how does its central bond energy compare?
- Look up the requisite  $\Delta H_f^\circ$  values in the [NIST database](#)
- We look to interpret the bonding in  $\text{B}_2\text{H}_6$  using symmetry and MO theory

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# Do we Expect to Find B-B Bonding in Diborane?

Examine the structure and check the B-B distance

- The covalent radius  $r_{cov}$  for boron is 0.81 Å
- Therefore, a B-B single bond is expected to be  $2(r_{cov}) = 1.62$  Å
- Right-click in the **diborane applet** to get access to the interatomic distances
- We find the B-B distance to be 1.76 Å
- This is longer by 0.14 Å than a B-B single bond
- We might expect some partial B-B bonding
- Let's investigate the bonding with MO theory!

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# Begin by Choosing our Coordinate System

This is not a planar molecule

- Take the B-B axis to define the  $z$  direction
- Take the pair of bridging H atoms  $H_b$  to define the  $y$  direction
- Then the four terminal atoms  $H_t$  lie in the  $xz$  plane but not on any of the Cartesian axes
- Note that there is no central atom in this problem!
- This carries the implication that none of the MOs can be as simple as one of the atomic orbitals on a central atom as was the case for the HOMO of the water molecule



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# More Restrictions on the MOs

This is not a planar molecule

- Boron has four valence atomic orbitals:  $2s, 2p_x, 2p_y, 2p_z$
- There are six H atoms each with a single  $1s$  valence orbital
- All of the MOs will be combinations of the  $4 + 4 + 6 = 14$  valence atomic orbitals; each combination must belong to one of the irreducible representations of the  $D_{2h}$  point group
- Will all 14 of the MOs be occupied?
- The number of valence electron pairs is six
- We expect the lowest-energy six MOs to be occupied, and the higher-energy MOs to be vacant

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The  $D_{2h}$  Character Table

$D_{2h}$	$E$	$C_2(z)$	$C_2(y)$	$C_2(x)$	$i$	$\sigma(xy)$	$\sigma(xz)$	$\sigma(yz)$		
$A_g$	1	1	1	1	1	1	1	1		$x^2, y^2, z^2$
$B_{1g}$	1	1	-1	-1	1	1	-1	-1	$R_z$	$xy$
$B_{2g}$	1	-1	1	-1	1	-1	1	-1	$R_y$	$xz$
$B_{3g}$	1	-1	-1	1	1	-1	-1	1	$R_x$	$yz$
$A_u$	1	1	1	1	-1	-1	-1	-1		
$B_{1u}$	1	1	-1	-1	-1	-1	1	1	$z$	
$B_{2u}$	1	-1	1	-1	-1	1	-1	1	$y$	
$B_{3u}$	1	-1	-1	1	-1	1	1	-1	$x$	



# Finding the Symmetry Species of the MOs

Start by looking for sets of symmetry-related atoms/orbitals

- Atoms or atomic orbitals are “symmetry-related” if they are interchanged upon carrying out the operations of the group
- The four terminal hydrogens  $H_t$  (each has a  $1s$  atomic orbital) are symmetry related
- The two bridging hydrogens  $H_b$  are symmetry related
- None of the group operations interchanges any of the  $H_t$  with any of the  $H_b$  atoms/orbitals
- We can use the  $H_t$  set to generate the reducible representation  $\Gamma_{red} = 4 \ 0 \ 0 \ 0 \ 0 \ 0 \ 4 \ 0$
- The characters of  $\Gamma_{red}(H_t)$  are obtained by noting how many atoms in the  $H_t$  set are unshifted upon carrying out the group operations
- The characters of  $\Gamma_{red}(H_t) = A_g + B_{2g} + B_{1u} + B_{3u}$



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- What about the pair of  $H_b$  atoms?
- We can use the  $H_b$  set to generate the reducible representation  $\Gamma_{red} = 2 \ 0 \ 2 \ 0 \ 0 \ 2 \ 0 \ 2$
- $\Gamma_{red}(H_b)$  can be reduced to  $A_g + B_{2u}$
- Therefore, we expect the  $H_b$  1s atomic orbitals to contribute to a pair of bonding MOs having  $A_g$  and  $B_{2u}$  symmetry
- Note, from the Lewis picture of  $B_2H_6$ , we can expect that all six valence electron pairs reside in MOs that have bonding character involving the hydrogen atoms
- Now, we expect the six occupied MOs to transform as  $2A_g + B_{2g} + B_{1u} + B_{2u} + B_{3u}$

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# Finding the Symmetry Species of the MOs

Start by looking for sets of symmetry-related atoms/orbitals

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# How to Interpret the MO energies

Remember what you know about AO energies

- the Valence Orbital Ionization Energy (VOIE) for a hydrogen  $1s$  orbital is 13.6 eV
- the Valence Orbital Ionization Energy (VOIE) for a boron  $2s$  orbital is 14.0 eV
- the Valence Orbital Ionization Energy (VOIE) for a boron  $2p$  orbital is 8.3 eV
- MOs constructed from low-energy (electronegative) AOs will tend to be low energy
- AO's of similar energy tend to mix strongly
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# Inspect the Occupied MOs for Diborane

What would corresponding antibonding MOs look like?

- Use the drop-down menu in the **diborane applet** to get access to the MO isosurfaces
- How would you determine the symmetry species of the other 8 valence MOs?
- Use symmetry-related pairs of boron atom AOs as bases for reducible representations
- For example, the pair of boron  $2p_z$  orbitals give  $\Gamma_{red} = 2 \ 2 \ 0$   
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- $\Gamma_{red}(\text{boron } 2p_z) = A_g + B_{1u}$
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