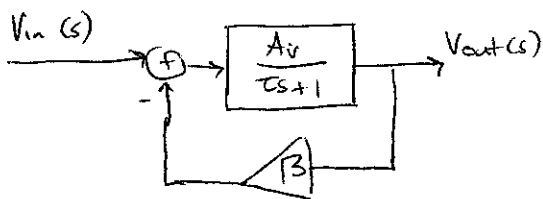


Today

- 1) Gain-bandwidth tradeoffs in feedback loops.
- 2) Voltage-feedback op-amp example
- 3) Getting around the trade-off: current-feedback op amps.

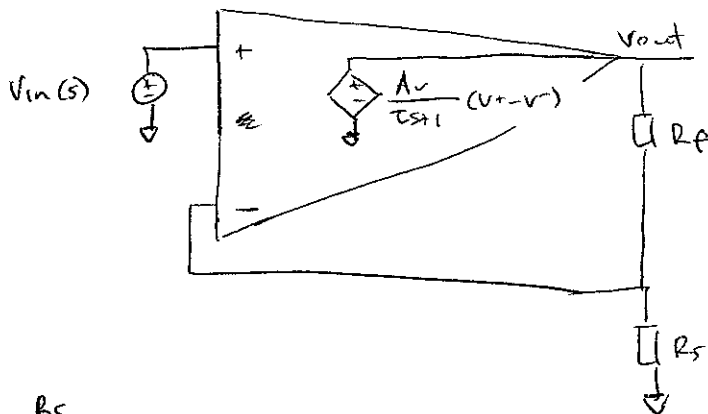
①



$$\frac{V_{out}(s)}{V_{in}(s)} = \frac{A_v / (Ts + 1)}{1 + \frac{A_v \beta}{Ts + 1}} = \frac{A_v}{Ts + 1 + A_v \beta}$$

$$= \frac{A_v \beta}{1 + A_v \beta} \times \frac{1}{\beta}$$

②



$$\beta = \frac{R_L}{R_L + R_f}$$

Closed-loop DC gain is then $\frac{1}{\beta} = \frac{R_L + R_f}{R_L}$

Closed-loop bandwidth = $\frac{1}{T} \left[A_v \left(\frac{R_L}{R_L + R_f} \right) + 1 \right]$

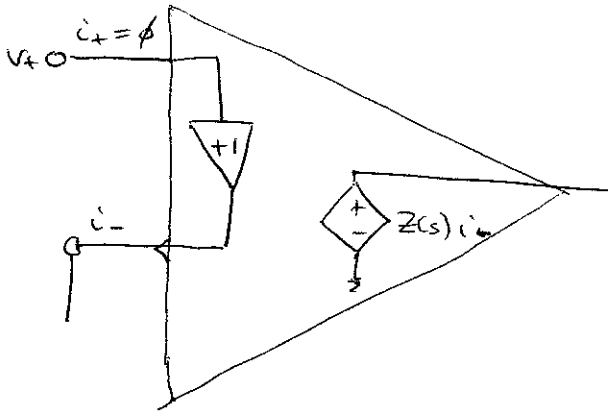
Closed-loop DC Gain \times CL Bandwidth = $\frac{A_v}{T}$

③ The varying DC loop gain changes as β changes, so BW changes with β .
 What if we could build a 'funky op-amp' that automatically $\uparrow A_v$ as $\beta \downarrow$, s.t.

$A_v \beta = \text{const.}$, i.e. adaptive loop gain

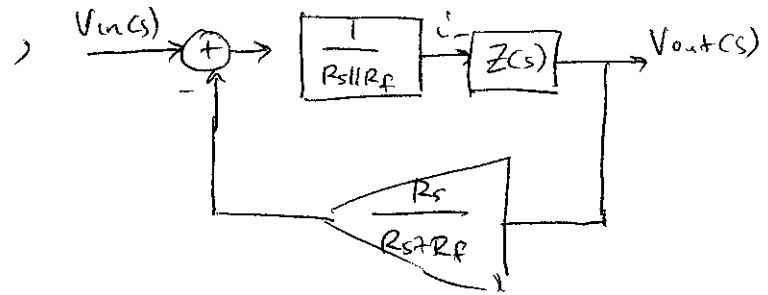
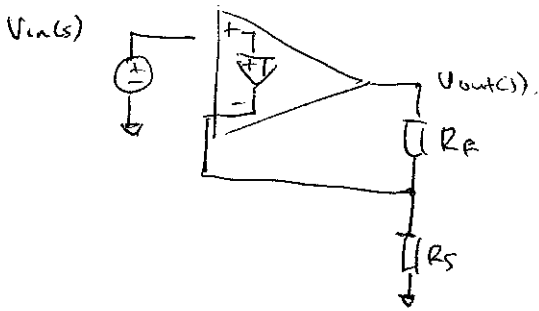
Current-feedback operational amplifier

2



$$Z(s) = \frac{1}{G_0 + C_0 s} = \frac{Z_0}{\tau_0 s + 1}$$

$$Z_0 = \frac{1}{G_0}, \tau_0 = \frac{C_0}{G_0}$$



$$\text{Loop transmission} = \frac{Z(s)}{R_s || R_f} \times \frac{R_s}{R_s + R_f} = \frac{Z(s)}{R_f}$$

⇒ Closed-loop bandwidth is constant if R_f is constant & indep. of R_s .

Then you pick R_s to set closed-loop D.C. gain at $\frac{R_s + R_f}{R_f}$.