

Today:

- ① Distance - Vector Protocol
- ② Link-state Protocol (Using Dijkstra's Algorithm)

Routing

1. Determining Live neighbours
 - * common to distance-vector and link-state protocol
 - * Hello protocol.
2. Advertisement Step
 - * send some information
3. Integration Step
 - * compute routing table using info from advertisement.

Distance-Vector (DV) v.s Link-state (LS) protocol

	DV	LS
What info is sent	routing table	Link and its cost
Route computation	Distributed	Centralized
Bandwidth consumption	Low	High
Convergence time	Slow	Fast
Robustness to misconfiguration	Low	High
Autonomy	High	Low
Memory and CPU time for route computation	Low	High

Dijkstra's shortest Path Algorithm

Given: the map of whole network, (link cost of each link)

question: How to calculate routing table for a node.

Algorithm:

L0 * Initially

L1 node set = {all nodes} // node set: set of nodes we haven't processed

L2 $spcost = \begin{cases} 0 & \text{for me} \\ \infty & \text{for all other nodes;} \end{cases}$ // spcost: shortest path cost

L3 $route = \begin{cases} = (\text{doesn't care}) & \text{for me} \\ ? (\text{unknown}) & \text{for all other nodes} \end{cases}$ // route: routing table

L4 * while node set isn't empty

L5 find u , the node in node set with smallest spcost

L6 remove u from node set

L7 for v in [u 's neighbors in node set] // update u 's neighbors if necessary

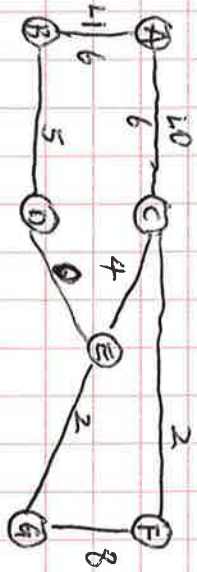
~~update sp~~

L8 if $spcost(u) + linkcost(u, v) <$ current value of $spcost(v)$

L9 update $spcost(v) = spcost(u) + linkcost(u, v)$

L0 $route(v) = \begin{cases} \text{link from } u \text{ to } v & \text{if } u \text{ is me} \\ route(u) & \text{otherwise.} \end{cases}$

Example 1:



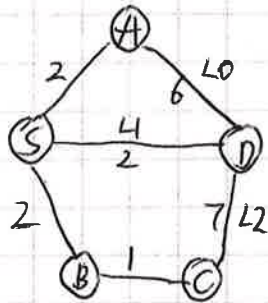
Question: For the network shown above, find the minimum cost path from node A to every other node.

Solution:

the nodes with smallest cost(u)	nodeset	shortest path cost (spcost)	routing tables (route)
Initially:	A, B, C, D E, F, G	$spcost(A)=0$ $spcost(B)=\infty$ $spcost(C)=\infty$ $spcost(D)=\infty$ $spcost(E)=\infty$ $spcost(F)=\infty$ $spcost(G)=\infty$	$route(A)=-$ $route(B)=?$ $route(C)=?$ $route(D)=?$ $route(E)=?$ $route(F)=?$ $route(G)=?$
step 0:	A	$spcost(A)=0$ $spcost(B)=6$ $spcost(C)=6$ $spcost(D)=\infty$ $spcost(E)=\infty$ $spcost(F)=\infty$ $spcost(G)=\infty$	$route(A)=-$ $route(B)=4$ $route(C)=2$ $route(D)=?$ $route(E)=?$ $route(F)=?$ $route(G)=?$
step 1:	B	$spcost(A)=0$ $spcost(B)=6$ $spcost(C)=6$ $spcost(D)=11$ $spcost(E)=\infty$ $spcost(F)=\infty$ $spcost(G)=\infty$	$route(A)=-$ $route(B)=1$ $route(C)=2$ $route(D)=1$ $route(E)=?$ $route(F)=?$ $route(G)=?$
step 2:	C	$spcost(A)=0$ $spcost(B)=6$ $spcost(C)=6$ $spcost(D)=11$ $spcost(E)=10$ $spcost(F)=8$ $spcost(G)=\infty$	$route(A)=-$ $route(B)=1$ $route(C)=1$ $route(D)=1$ $route(E)=1$ $route(F)=1$ $route(G)=?$
step 3:	F	$spcost(A)=0$ $spcost(B)=6$ $spcost(C)=6$ $spcost(D)=11$ $spcost(E)=10$ $spcost(F)=8$ $spcost(G)=16$	$route(A)=-$ $route(B)=1$ $route(C)=1$ $route(D)=1$ $route(E)=1$ $route(F)=1$ $route(G)=1$
step 4:	E	$spcost(A)=0$ $spcost(B)=6$ $spcost(C)=6$ $spcost(D)=10$ $spcost(E)=10$ $spcost(F)=8$ $spcost(G)=12$	$route(A)=-$ $route(B)=1$ $route(C)=1$ $route(D)=1$ $route(E)=1$ $route(F)=1$ $route(G)=1$
step 5:	D	$spcost(A)=0$ $spcost(B)=6$ $spcost(C)=6$ $spcost(D)=10$ $spcost(E)=10$ $spcost(F)=8$ $spcost(G)=12$	$route(A)=-$ $route(B)=1$ $route(C)=1$ $route(D)=1$ $route(E)=1$ $route(F)=1$ $route(G)=1$
step 6:	G	$spcost(A)=0$ $spcost(B)=6$ $spcost(C)=6$ $spcost(D)=10$ $spcost(E)=10$ $spcost(F)=8$ $spcost(G)=12$	$route(A)=-$ $route(B)=1$ $route(C)=1$ $route(D)=1$ $route(E)=1$ $route(F)=1$ $route(G)=1$

Example 2.

Consider the network below



Question: find the shortest cost paths from node D to every other node using Dijkstra's algorithm.
(e.g calculate node D's routing table)

Solution:

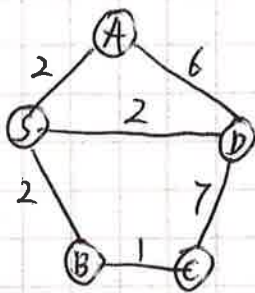
	The node with smallest path (u)	nodeset	shortest path cost (spcost)	route
Initially		S, A, B, C, D	$spcost(S) = \infty$ $spcost(A) = \infty$ $spcost(B) = \infty$ $spcost(C) = \infty$ $spcost(D) = 0$	$route(S) = ?$ $route(A) = ?$ $route(B) = ?$ $route(C) = ?$ $route(D) = -$
Step 0	D	S, A, B, C	$spcost(S) = 2$ $spcost(A) = 6$ $spcost(B) = \infty$ $spcost(C) = 7$ $spcost(D) = 0$	$route(S) = L1$ $route(A) = L0$ $route(B) = ?$ $route(C) = L2$ $route(D) = -$
Step 1	S	A, B, C	$spcost(S) = 2$ $spcost(A) = 4$ $spcost(B) = 4$ $spcost(C) = 7$ $spcost(D) = 0$	$route(S) = L1$ $route(A) = L1$ $route(B) = L1$ $route(C) = L2$ $route(D) = -$
Step 2	A	B, C	$spcost(S) = 2$ $spcost(A) = 4$ $spcost(B) = 4$ $spcost(C) = 7$ $spcost(D) = 0$	$route(S) = L1$ $route(A) = L1$ $route(B) = L1$ $route(C) = L2$ $route(D) = -$
Step 3	B	C	$spcost(S) = 2$ $spcost(A) = 4$ $spcost(B) = 4$ $spcost(C) = 5$ $spcost(D) = 0$	$route(S) = L1$ $route(A) = L1$ $route(B) = L1$ $route(C) = L1$ $route(D) = -$
Step 4	C		$spcost(S) = 2$ $spcost(A) = 4$ $spcost(B) = 4$ $spcost(C) = 5$ $spcost(D) = 0$	$route(S) = L1$ $route(A) = L1$ $route(B) = L1$ $route(C) = L1$ $route(D) = -$

So, finally, the routing table of node D is:

Dest	route	cost
S	L1	2
A	L1	4
B	L1	4
C	L1	5
D		0

Example 3

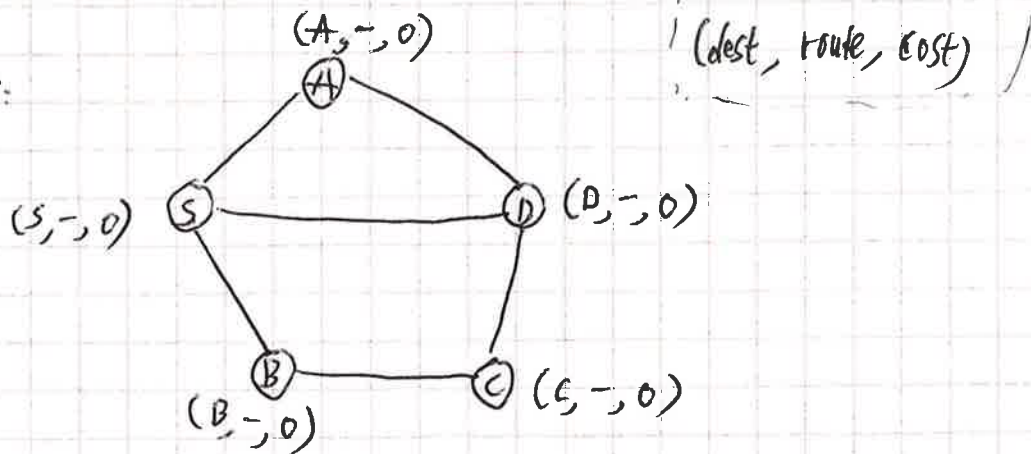
consider the network as that in example 2 (shown below again)



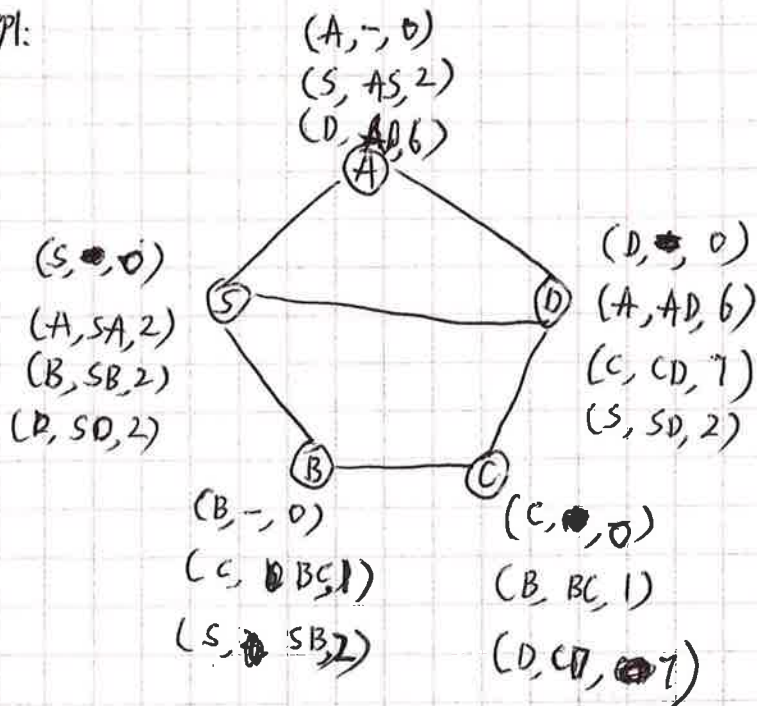
Question: Calculate routing table for node D using distance-vector protocol.

Solution:

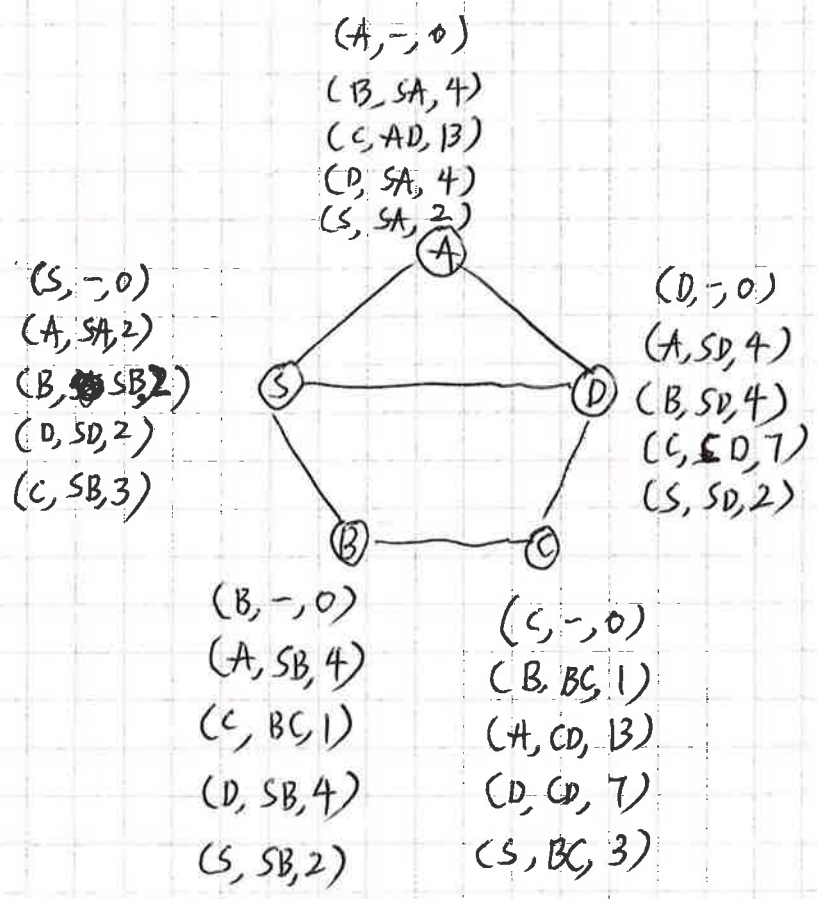
step 0:



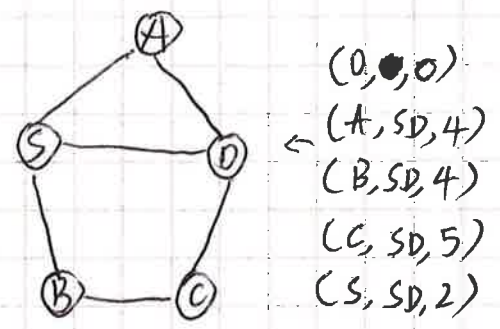
step 1:



step 2:



step 3:



So. The final routing table of node D is:

Dest	route	cost
S	SD	2
A	SD	4
B	SD	4
C	SD	5
D	-	0

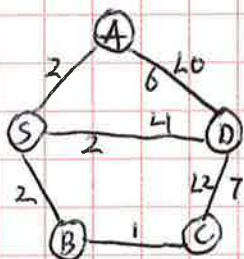
Which is same with what we got in Example 2.

(Here, SD is equal to L in Example 2)

Example 2

Consider same network in example 2.

The network is shown below again for convenience.



Now, we implement 6.02 distance-vector protocol

Each node sends its distance-vector advertisement every 100 seconds.

The time to send a message on a link and to integrate advertisement is negligible
No advertisement is lost.

Q1: At time 0, all nodes except D are up and running
At time 10 seconds, node D turns on and immediately sends a route advertisement for itself to all its neighbours.

What is minimum time at which each of the other nodes is guaranteed to have a correct routing table entry corresponding to a minimum-cost path to reach D.

Q2: If every node sends packets to destination D, and no other destination, which link would carry the most traffic.

Solution:

- 1) From Example 2, we know minimum cost between node D and other nodes is:
- $\text{cost}(S, D) = 2$
 - $\text{cost}(A, D) = 4$
 - $\text{cost}(B, D) = 4$
 - $\text{cost}(C, D) = 5$

Here, using distance-vector protocol.

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At time $t=10s$,

D advertises to S, A, C.

After hearing this advertisement,

S updates its routing table: $\text{cost}(S, D) = 2$ (After hearing from D) ✓

A updates its routing table: $\text{cost}(A, D) = 6$ (After hearing from D)

C updates its routing table: $\text{cost}(C, D) = 7$ (After hearing from D)

Note, only S's routing table is correct.

At time $t=110s$,

S, A, C all advertises about D.

After hearing these advertisement,

A updates its routing table: $\text{cost}(A, D) = 4$ (After hearing from S) ✓

B updates its routing table: $\text{cost}(B, D) = 4$ (After hearing from S) ✓

C's routing table doesn't change. so $\text{cost}(C, D) = 7$.

Note: A and B's routing table is correct.

At time $t=210s$,

All nodes (S, A, B, C, D) advertise about D.

After hearing these advertisement table.

C update its routing table: $\text{cost}(C, D) = 5$ (After hearing from B) ✓

Note. C's routing table is correct.

In short: Node S: 10s.

Node A: 110s

Node B: 110s

Node C: 210s.

3) Every node's best route to D is via S.

So, the link between S and D has the most traffic.

(S → D)