

INTRODUCTION TO EECS II
DIGITAL COMMUNICATIOM SYSTEMS

### 6.02 Spring 2011 Lecture \#20

- path-vector routing
- link-vector routing
- Dijkstra's shortest path algorithm
- hierarchical routing


## Distance-vector (DV) review

At each ADVERT interval,
nodes tell neighbors
(dest,cost) for all routes in
their routing table.

A: (None, 0)

Nodes add link cost to neighbor's routing costs
 and keep their routing table up-to-date with shortest-path route.

## Link is Down at Time 4?

A link is considered down if no advertisements arrive over the link; check every ADVERT interval, act after some small number...

A: (None, 0)

Routes using a down link are changed to have cost

$\infty$, which will propagate to neighbors who then update their cost if they used you for their route.

An unfortunate
combination of down links might partition the network.

A: (None, 0)

Routes using a down link are changed to have cost $\infty$, which will propagate to neighbors who then update their cost if they used you for their route.

## Count to Infinity

Now the Bellman-Ford update algorithm will cause new costs to be calculated for the dead routes.

A: (None, 0)

For example, C hears from E about a route to A with total cost 17 . Since only costs are kept, C can't tell that E was relying on it for its route of cost 12 !


A: (None, $\infty$ )@10 A: (L0,12)@2
A: (L3,17)@11 A: (L1, 35) @11
A: $(\mathrm{L} 3,40) @ 12$
A: (L0, 22) @12
The costs spiral higher, eventually
passing some bound, at which point they are recognized as $\infty$.

## Path-vector (PV) routing

At each ADVERT interval,
nodes tell neighbors
(path, cost) for all routes in their routing table.

A: (None, [ ], 0)

Nodes add link cost to neighbor's routing costs and keep their routing table up-to-date with shortest-path route.

## Fixing "Count to Infinity"

- Problem
- Node C's route to A breaks, C sets cost to $\infty$
- But at next round of advertisements, hears of lower-cost routes from neighbors, not know the neighbor's routes used C itself to get to $A$.
- Solution
- In addition to reporting costs in advertisements, also report routing path as discovered incrementally by Bellman-Ford
- Called "path-vector"
- Modify Bellman-Ford update with new rule: nodes should ignore advertised routes that contain itself in the routing path
- Pros: count-to-infinity "problem" is solved (routing tables eliminate routes to unreachable nodes more quickly)
- Cons: advertisement overhead is larger

Nodes connected to down
links change their costs to A: (L0,[A],19)@11 A: (None, [], $\infty$ )@11 $\infty$.

$$
A:(\text { None },[], \infty) @ 10 \quad A:(L 1,[C, A], 22) @ 2
$$



Using PV, C won't accept routes to A from either D or E since $C$ appears on the path they advertise. Unreachable nodes are quickly removed from tables.


## Link-State Routing

- Advertisement step
- Send information about its links to its neighbors (aka link state advertisement or LSA):
[seq\#, [(nbhr1, linkcost1), (nbhr2, linkcost2), ...]
- Do it periodically (liveness, recover from lost LSAs)
- Integration
- If seq\# in incoming LSA > seq\# in saved LSA for source node: update LSA for node with new seq\#, neighbor list rebroadcast LSA to neighbors ( $\rightarrow$ flooding)
- Remove saved LSAs if seq\# is too far out-of-date
- Result: Each node discovers current map of the network
- Build routing table
- Periodically each node runs the same shortest path algorithm over its map
- If each node implements computation correctly and each node has the same map, then routing tables will be correct
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## Dijkstra's Shortest Path Algorithm

- Initially
- nodeset $=[$ all nodes $]=$ set of nodes we haven't processed
- spcost $=\{$ me:0, all other nodes: $\infty\}$ \# shortest path cost
- routes = \{me:--, all other nodes: ?\} \# routing table
- while nodeset isn't empty:
- find $u$, the node in nodeset with smallest spcost
- remove u from nodeset
- for v in [u's neighbors]:

$$
\begin{array}{ll}
\text { - } \mathrm{d}=\operatorname{spcost}(\mathrm{u})+\operatorname{cost}(\mathrm{u}, \mathrm{v}) & \text { \# distance to } \mathrm{v} \text { via } \mathrm{u} \\
\text { - if } \mathrm{d}<\operatorname{spcost}(\mathrm{v}): & \text { \# we found a shorter path! }
\end{array}
$$

- spcost $[\mathrm{v}]=\mathrm{d}$

- Complexity: $\mathrm{N}=$ number of nodes, $\mathrm{L}=$ number of links
- Finding u ( N times): linear search= $\mathrm{O}(\mathrm{N})$, using heapq=O(log N )
- Updating spcost: O(L) since each link appears twice in neighbors


## LSA Flooding



- LSA travels each link in each direction
- Don't bother with figuring out which link LSA came from
- Termination: each node rebroadcasts LSA exactly once
- All reachable nodes eventually hear every LSA
- Time required: number of links to cross network


## Dijkstra Example

Finding shortest paths from A:

> LSAs:
> A: $[(B, 19),(C, 7)]$

B: $[(A, 19),(C, 11),(D, 4)]$
C: $[(A, 7),(B, 11),(D, 15),(E, 5)]$
D: $[(B, 4),(C, 15),(E, 13)]$
E: $[(C, 5),(D, 13)]$


| Step | $u$ | Nodeset | spcost |  |  |  |  | route |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | A | B | C | D | $E$ | A | B | C | D | $E$ |
| 0 |  | [A,B,C,D,E] | 0 | $\infty$ | $\infty$ | $\infty$ | $\infty$ | -- | ? | ? | ? | ? |
| 1 | A | [B,C,D,E] | 0 | 19 | 7 | $\infty$ | $\infty$ | -- | L0 | L1 | ? | ? |
| 2 | C | [B,D,E] | 0 | 18 | 7 | 22 | 12 | -- | L1 | L1 | L1 | L1 |
| 3 | E | [B,D] | 0 | 18 | 7 | 22 | 12 | -- | L1 | L1 | L1 | L1 |
| 4 | B | [D] | 0 | 18 | 7 | 22 | 12 | -- | L1 | L1 | L1 | L1 |
| 5 | D | [] | 0 | 18 | 7 | 22 | 12 | -- | L1 | L1 | L1 | L1 |

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## Why is Network Routing Hard?

- Inherently distributed problem
- Information about links and neighbors is local to each node, but we want global reach
- Efficiency: want reasonably good paths, and must find them without huge overhead
- Handling failures and "churn"
- Must tolerate link, switch, and network faults
- Failures and recovery could be arbitrarily timed, messages could be lost, etc.
- Scaling to large size very hard (later courses)
- And on the Internet, many independent, competing organizations must cooperate
- Mobility makes the problem harder

Hierarchical Routing


- Internet: collection of domains/networks
- Inside a domain: Route over a graph of routers
- Between domains: Route over a graph of domains
- Address: concatenation of "Domain Id", "Node Id"


## Pros and Cons

Advantages

- Scalable
- Smaller tables
- Smaller messages
- Delegation
- Each domain can run its own routing protocol


Disadvantages

- Mobility is difficult
- Address depends on geographic location
- Sup-optimal paths
- E.g., in the figure, the shortest path between the two machines should traverse the yellow domain. But hierarchical routing goes directly between the green and blue domains, then finds the local destination $\rightarrow$ path traverses more routers.


## Summary

- The network layer implements the "glue" that achieves connectivity
- Does addressing, forwarding, and routing
- Forwarding entails a routing table lookup; the table is built using routing protocol
- DV protocol: distributes route computation; each node advertises its best routes to neighbors
- LS protocol: distributes (floods) neighbor information; centralizes route computation using shortest-path algorithm

