

# A Cryptographically Protected Phone System

Andres Erbsen   Adam Yedidia

November 13, 2014

# Why?

## Why not?

- ▶ Some information is very sensitive
- ▶ Privacy is a basic right
- ▶ Users **assume** that phone calls are private

## Eavesdropping is easy

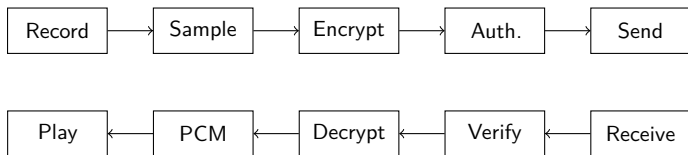
- ▶ *Intercepting GSM traffic* by Steve D. Hulton (2008)
- ▶ Software radio (\$750) or maintenance-mode phone (??, was \$5)
- ▶ 2TB of precomputed A5/1 tables (\$100)
- ▶ Udacity CS387: demo in class

# How?

- ▶ Easier that it looks
- ▶ Standing on the shoulders of giants
  - ▶ Reuse proven components
- ▶ Giants standing on our shoulders
  - ▶ Companies lack incentives
  - ▶ Google RedPhone
- ▶ Rigor still required
- ▶ Usability matters

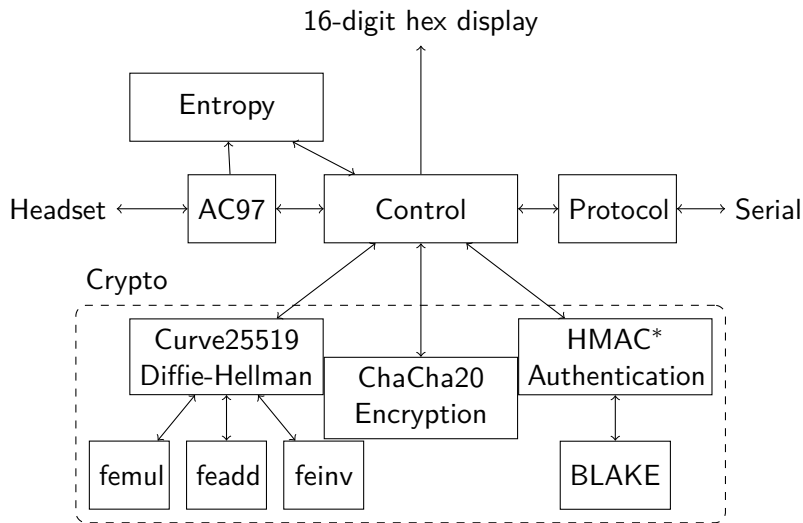
## How? (continued)

1. Setup shared key (Diffie-Hellman)
2. Stretch the key

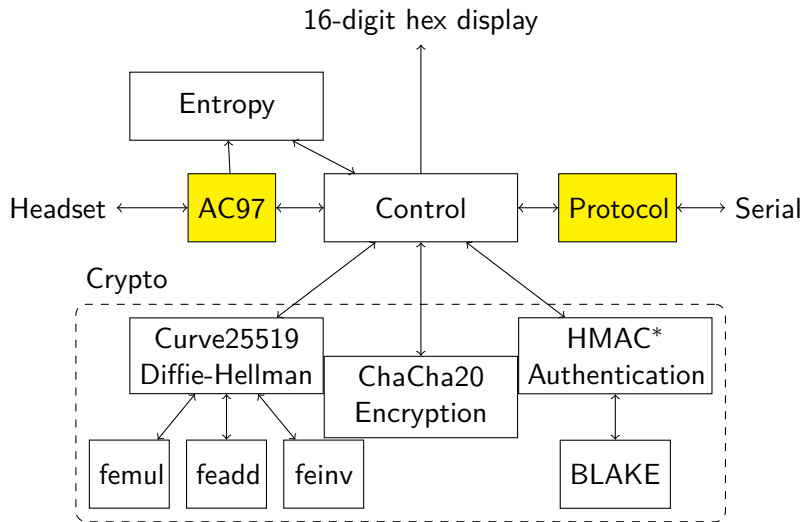


5. Check correspondence.

# Design



# Design



# Serial communication

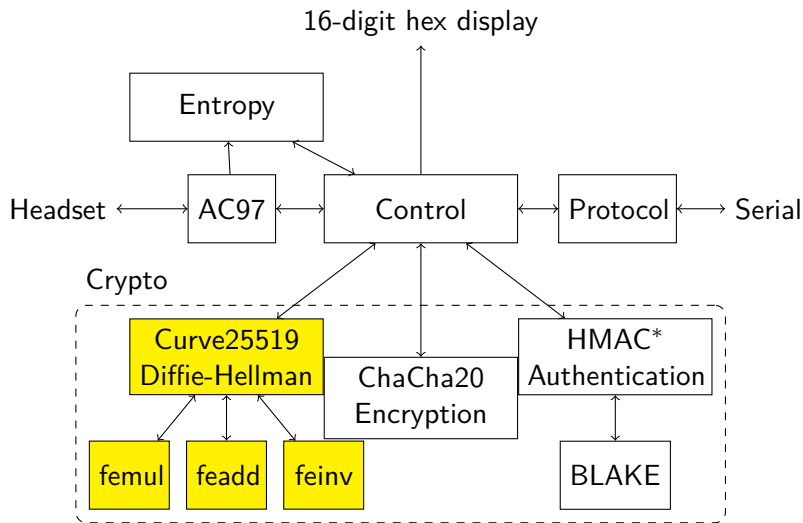
- ▶ Same as without crypto (almost)
- ▶ Unsynchronized clocks
- ▶ Between two labkits
  - ▶ Wire clock and data for each direction
  - ▶ Ground
- ▶  $< 1\text{Mbit/s}$

# Audio interface

- ▶ Similar to lab5a
- ▶ 18 bits 48000 times a second
- ▶ Keep 16 for simplicity
- ▶ Minimal buffering
  - ▶ For authentication



# Design



# Diffie-Hellman key exchange

- ▶ Whitfield Diffie, Martin Hellman, and Ralph Merkle (1976)
- ▶ Two people communicating in the presence of an eavesdropper can make their communications uncrackable, **even with no prior agreements and having never spoken before.**

$$(g^a)^b = g^{ab} = (g^b)^a$$

$$g^a \not\leftrightarrow a$$

$$g^a, g^b \not\leftrightarrow g^{ab}$$

Arithmetic mod public prime  $P$  ( $\approx 3000$  bits)

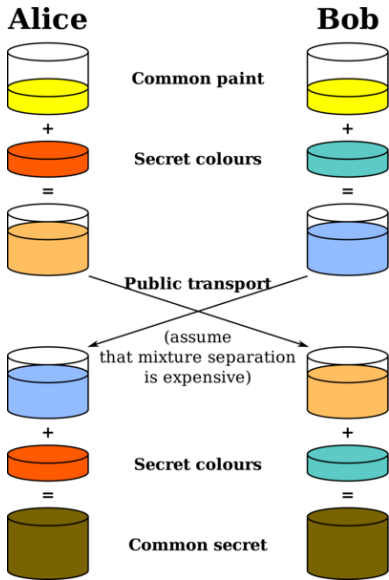


Figure 1: Diffie-Hellman with colors

# Exponentiation

$$x^n = \begin{cases} x (x^2)^{\frac{n-1}{2}}, & \text{if } n \text{ is odd} \\ (x^2)^{\frac{n}{2}}, & \text{if } n \text{ is even.} \end{cases}$$

$$x^{23} = x^1 \cdot x^2 \cdot x^4 \cdot x^{16}$$

# Elliptic Curve Variant by Daniel Bernstein

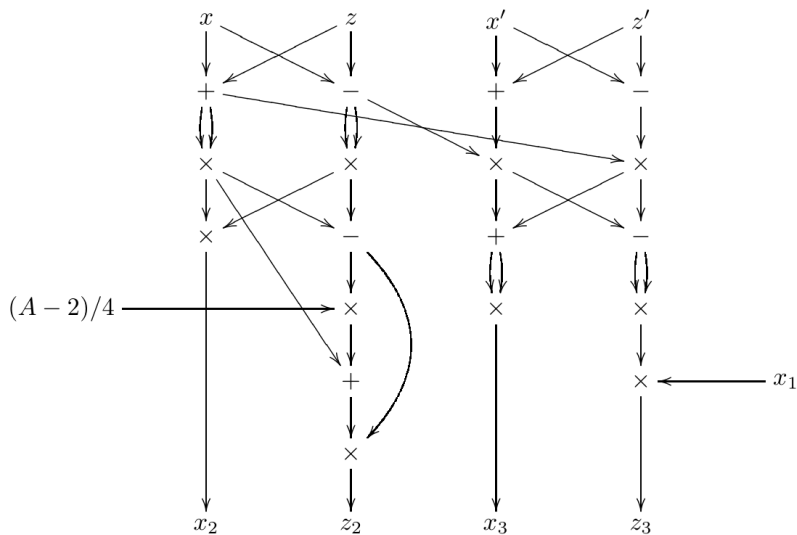
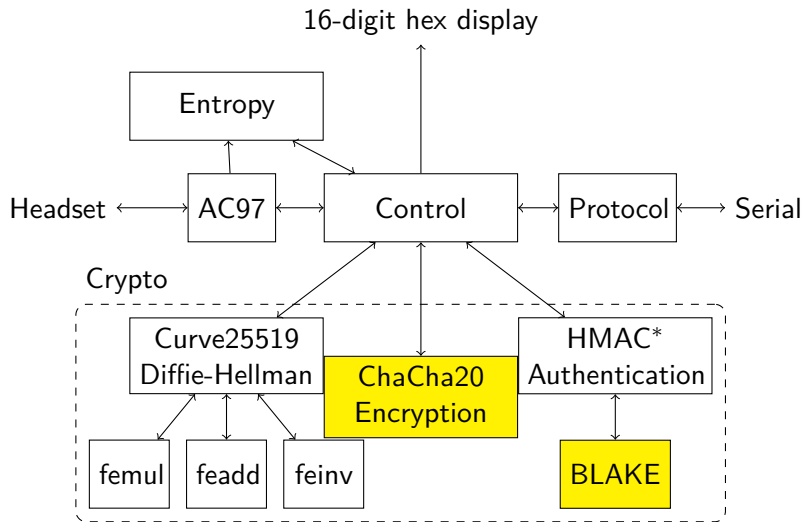


Figure 2: Exponentiation step using fractions mod  $P = 2^{255} - 19$

# Arithmetic modulo $P = 2^{255} - 19$

- ▶ Schoolbook multiplication with 15 digits
  - ▶ 15  $17 \times 17$  multipliers ( $15 \cdot 17 = 255$ )
  - ▶ Wrap each row of partial products mod  $2^{255}$
  - ▶ Add  $19 \times \#$ overflow
- ▶ Schoolbook addition, subtraction
  - ▶ Compute both  $a + b$  and  $a + b - P$
  - ▶ Select using carry bits
- ▶ Inversion:  $x^{P-2} \equiv x^{-1} \pmod{P}$ 
  - ▶ Another square-and-multiply

# Design



# Key stretching and hashing

- ▶ ARX design
  - ▶ 32-bit addition
  - ▶ rotation
  - ▶ exclusive or
- ▶ ChaCha20
  - ▶ input: key, index into stream
  - ▶ 16x32 bits of state and output
  - ▶ 20 rounds of the following for different  $a, b, c, d$ :

```
a += b; d ^= a; d <<<= 16;
```

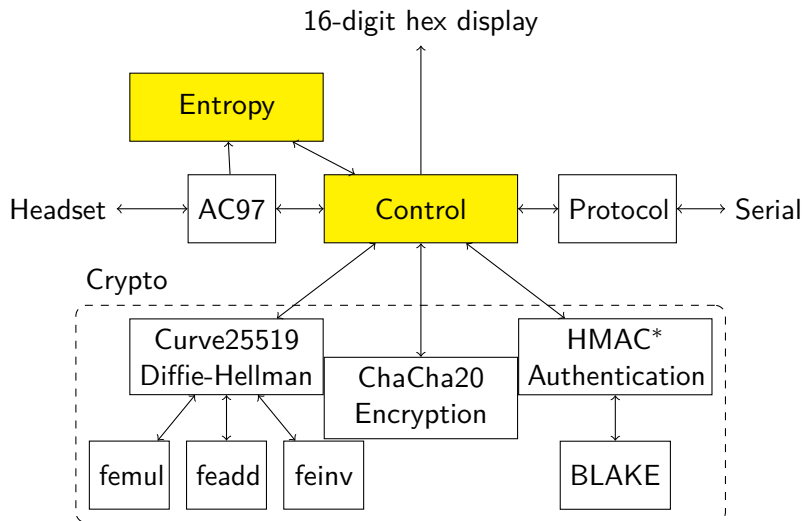
```
c += d; b ^= c; b <<<= 12;
```

```
a += b; d ^= a; d <<<= 8;
```

```
c += d; b ^= c; b <<<= 7;
```



# Design



# True randomness

- ▶ No fun if the attacker can guess our secrets
- ▶ Pseudo-randomness won't do
- ▶ Computation cannot create randomness
- ▶ Simple solution: noise from microphone
- ▶ State of art: metastability, diode breakthrough, photon phase

# The user's responsibility

Is anybody laughing yet?

# The user's responsibility

Is anybody laughing yet?

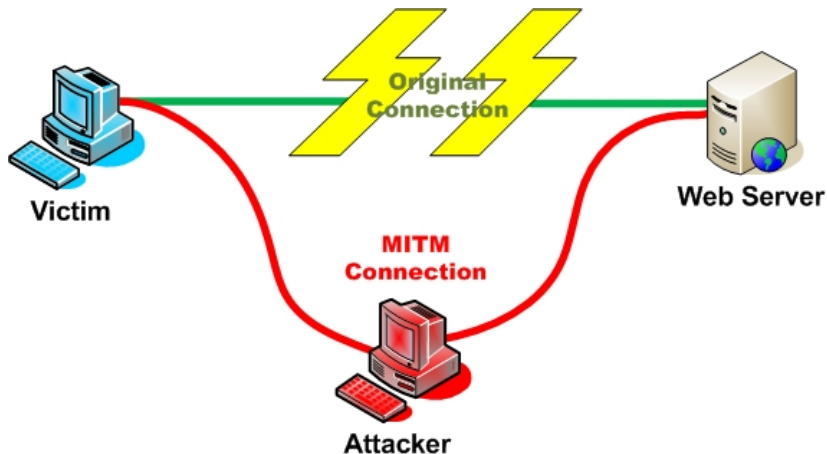


Figure 3: Man-In-The-Middle

# The user's responsibility

- ▶ Labkit displays a value that determines  $g^a, g^b$
- ▶ The conversing parties read the value they see
  - ▶ Same value  $\Rightarrow$  good security
  - ▶ Different value  $\Rightarrow$  caught red-handed
- ▶ Human voice is hard to imitate
- ▶ Detection deters attacks?

# The underlying protocol

- ▶ Send hash of  $g^a$
- ▶ Receive hash of  $g^b$
- ▶ Send  $g^a$
- ▶ Set display to the first 64 bits of the hash of  $g^a, g^b$
- ▶ Continue as specified

## Credits:

Diffie-Hellman with colors: A.J. Han Vinck, University of Duisburg-Essen [https://en.wikipedia.org/wiki/Diffie%E2%80%93Hellman\\_key\\_exchange#mediaviewer/File:Diffie-Hellman\\_Key\\_Exchange.svg](https://en.wikipedia.org/wiki/Diffie%E2%80%93Hellman_key_exchange#mediaviewer/File:Diffie-Hellman_Key_Exchange.svg)

Curve25519 Montgomery step: Daniel Bernstein  
<http://cr.yp.to/ecdh/curve25519-20060209.pdf>

ChaCha20 pseudocode: Daniel Bernstein  
<http://cr.yp.to/chacha/chacha-20080128.pdf>

Man-In-The-Middle figure: Open Web Application Security Project  
[https://www.owasp.org/index.php/Man-in-the-middle\\_attack](https://www.owasp.org/index.php/Man-in-the-middle_attack)

# Questions?

