

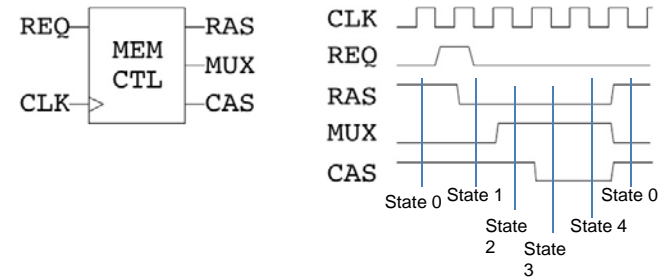


System Integration Issues

- Communicating FSMs
- Clocking, theory and practice

Encoding numbers

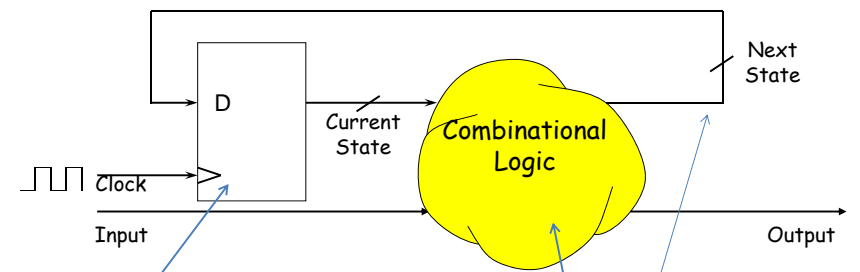
Memory Controller



1GB RAM



FSM



```
always @(posedge clock)
state <= next_state;
```

```
always @ *
begin // logic to determine next_state
case (state)
state_1: next_state = . . .
state_2: next_state = . . .
. . .
default: next_state = STATE_0;
endcase
end
```

```

module (
    input req, clk,
    output reg ras, mux, cas
);

reg [3:0] state, next_state;

parameter [3:0] STATE_0 = 0; // 0000
parameter [3:0] STATE_1 = 1; // 0001
parameter [3:0] STATE_2 = 2; // 0010
parameter [3:0] STATE_3 = 3; // 0011
parameter [3:0] STATE_4 = 4; // 0100

always @(posedge clk) state <= next_state;

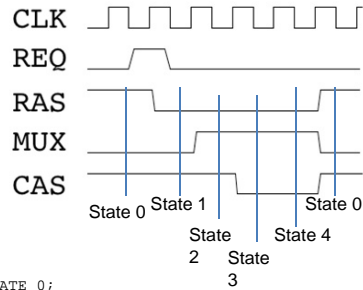
always * begin
    case (state)
        STATE_0: next_state = req ? STATE_1 : STATE_0;
        STATE_1: next_state = STATE_2;
        STATE_2: next_state = STATE_3;
        STATE_3: next_state = STATE_4;
        STATE_4: next_state = STATE_0;
        default: next_state = state_0;
    endcase
end

assign ras = !((state==STATE_1)||((state==STATE_2)||((state==STATE_3)||((state==STATE_4)));
assign mux = (state==STATE_2)||((state==STATE_3)||((state==STATE_4));
assign cas = !((state==STATE_3)||((state==STATE_4));

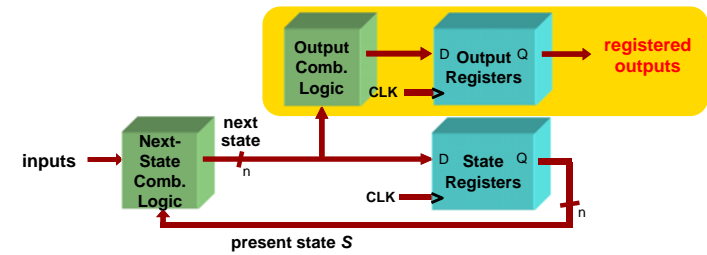
endmodule

```

Glitchy Solution



Registered FSM Outputs are Glitch-Free



- Move output generation into the sequential always block
- Calculate outputs based on next state
- Delays outputs by one clock cycle. Problematic in some application.

```

reg DC, DN, DD;

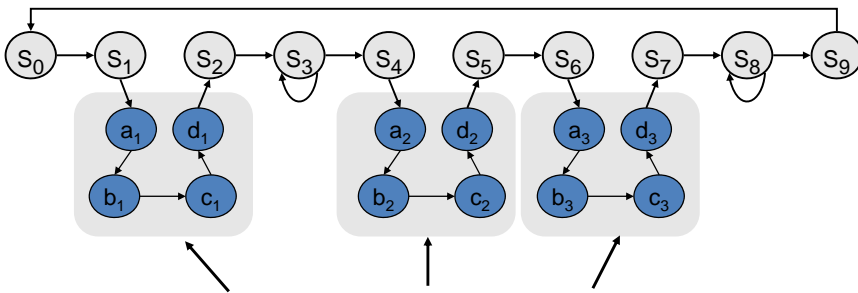
// Sequential always block for state assignment
always @ (posedge clk or negedge reset) begin
    if (!reset) state <= IDLE;
    else if (clk) state <= next;

    DC <= (next == GOT_30c || next == GOT_35c ||
           next == GOT_40c || next == GOT_45c ||
           next == GOT_50c);
    DN <= (next == RETURN_5c);
    DD <= (next == RETURN_20c || next == RETURN_15c ||
           next == RETURN_10c);
end

```

Toward FSM Modularity

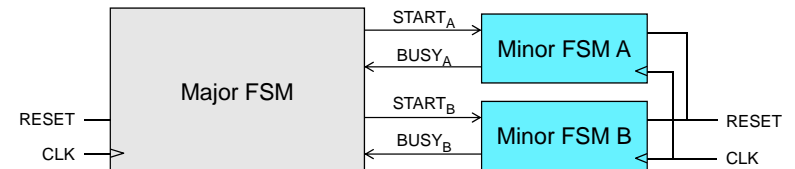
- Consider the following abstract FSM:



- Suppose that each set of states $a_x...d_x$ is a "sub-FSM" that produces exactly the same outputs.
- Can we simplify the FSM by removing equivalent states?
No! The outputs may be the same, but the next-state transitions are not.
- This situation closely resembles a **procedure call** or **function call** in software...how can we apply this concept to FSMs?

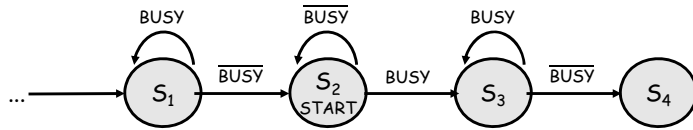
Acknowledgements: Rex Min

The Major/Minor FSM Abstraction



- Subtasks are encapsulated in **minor FSMs** with common reset and clock
- Simple communication abstraction:
 - START: tells the minor FSM to begin operation (the call)
 - BUSY: tells the major FSM whether the minor is done (the return)
- The major/minor abstraction is great for...
 - Modular designs (*always* a good thing)
 - Tasks that occur often but in different contexts
 - Tasks that require a variable/unknown period of time
 - Event-driven systems

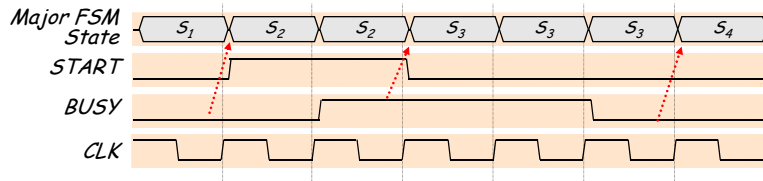
Inside the Major FSM



1. Wait until the minor FSM is ready

2. Trigger the minor FSM (and make sure it's started)

3. Wait until the minor FSM is done

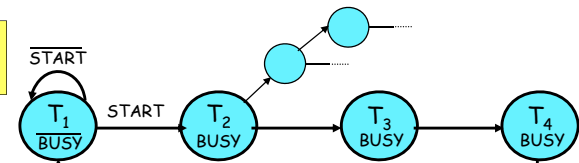


Variations:

- Usually don't need both Step 1 and Step 3
- One cycle "done" signal instead of multi-cycle "busy"

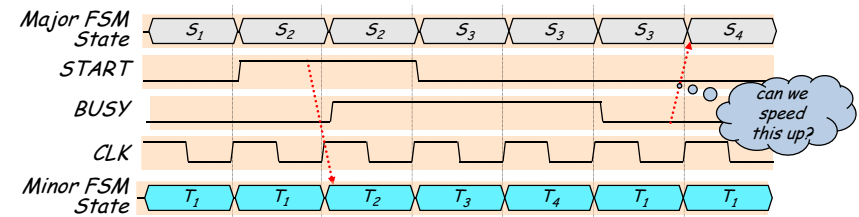
Inside the Minor FSM

1. Wait for a trigger from the major FSM



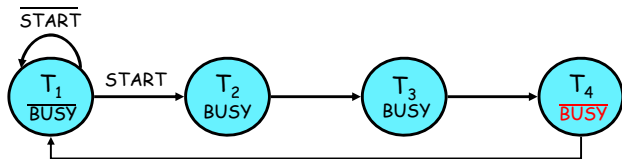
3. Signal to the major FSM that work is done

2. Do some useful work



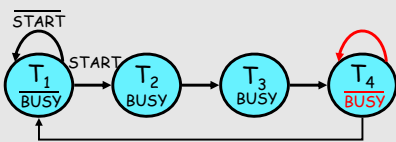
Optimizing the Minor FSM

Good idea: de-assert BUSY one cycle early



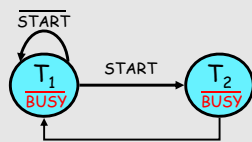
Bad idea #1:

T4 may not immediately return to T1

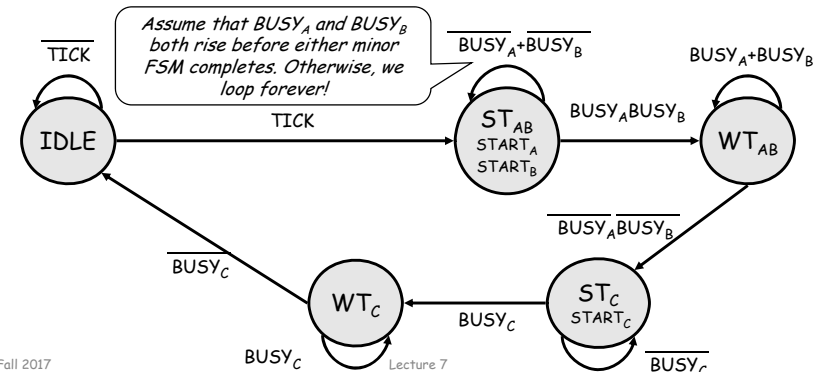
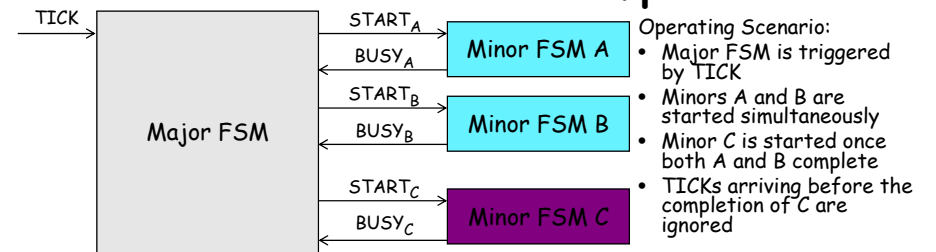


Bad idea #2:

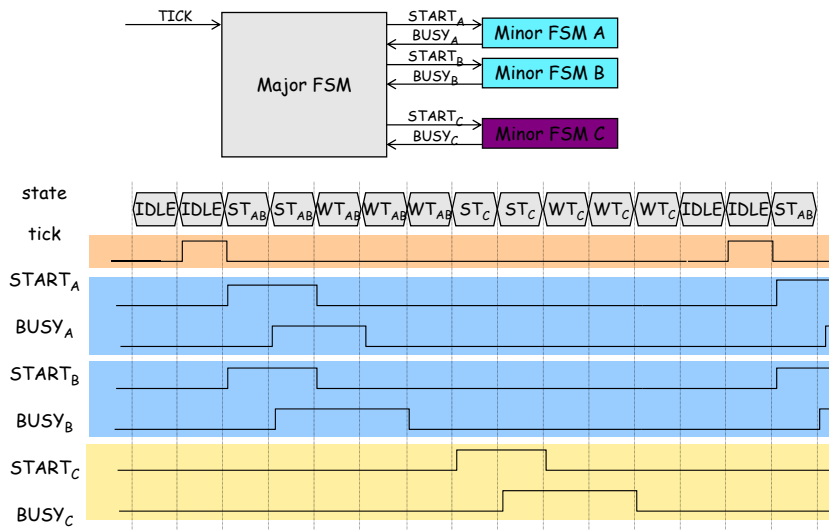
BUSY never asserts!



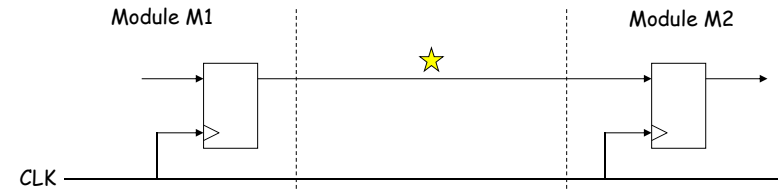
A Four-FSM Example



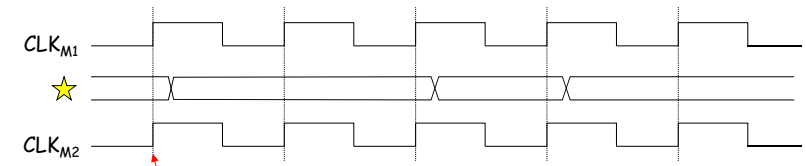
Four-FSM Sample Waveform



Clocking and Synchronous Communication

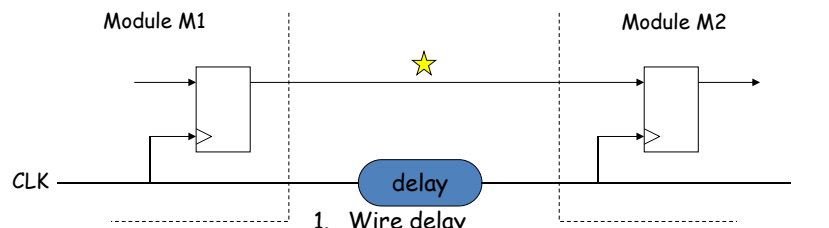


Ideal world:

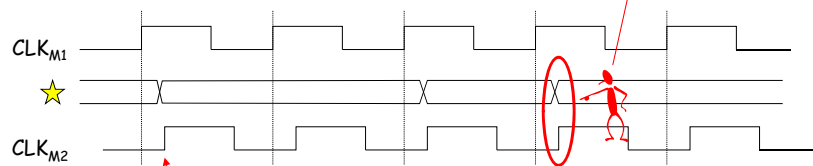


M1 and M2 clock edges aligned in time

Clock Skew



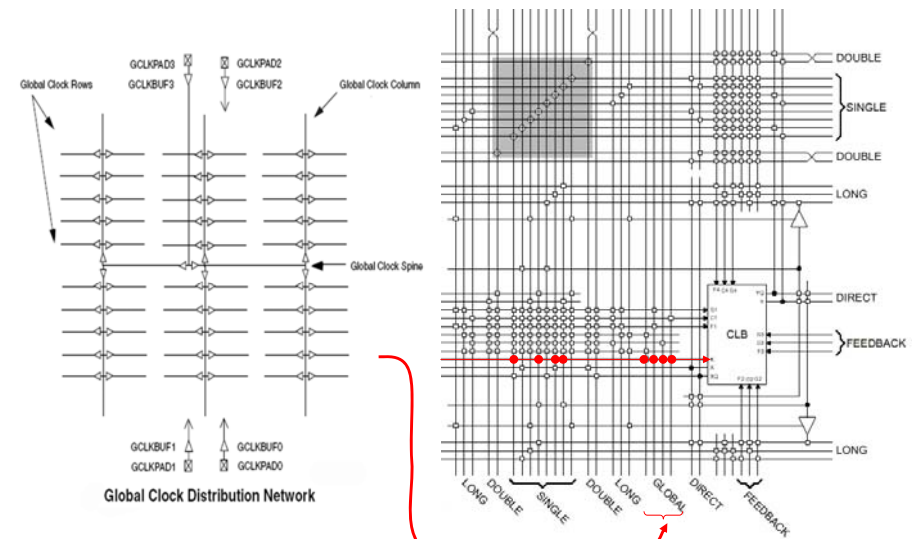
Real world has clock skew:



M2 clock delayed with respect to M1 clock

Oops! Skew has caused a hold time problem!

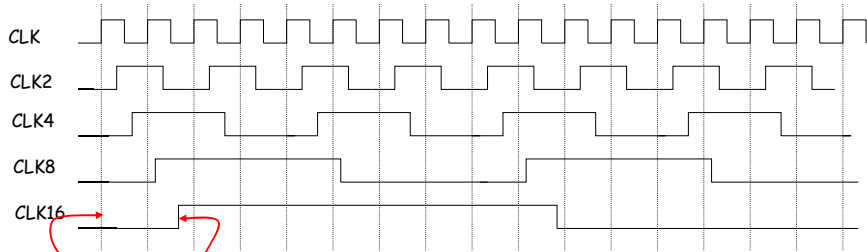
Low-skew Clocking in FPGAs



Goal: use as few clock domains as possible

Suppose we wanted clocks at $f/2$, $f/4$, $f/8$, etc.:

```
reg clk2,clk4,clk8,clk16;
always @(posedge clk) clk2 <= ~clk2;
always @(posedge clk2) clk4 <= ~clk4;
always @(posedge clk4) clk8 <= ~clk8;
always @(posedge clk8) clk16 <= ~clk16;
```

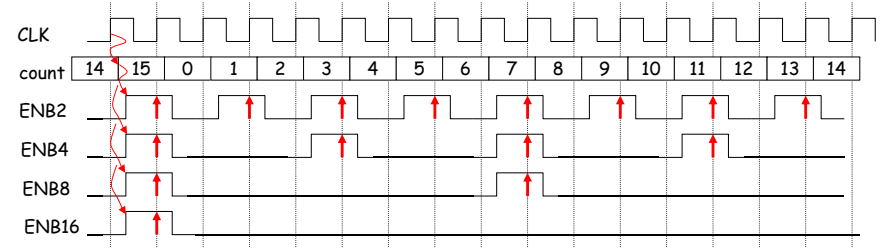


Very hard to have synchronous communication between clk and clk16 domains

Solution: 1 clock, many enables

Use one (high speed) clock, but create enable signals to select a subset of the edges to use for a particular piece of sequential logic

```
reg [3:0] count;
always @(posedge clk) count <= count + 1; // counts 0..15
wire enb2 = (count[0] == 1'b1);
wire enb4 = (count[1:0] == 2'b11);
wire enb8 = (count[2:0] == 3'b111);
wire enb16 = (count[3:0] == 4'b1111);
always @(posedge clk)
if (enb2) begin
// get here every 2nd cycle
end
```



↑ = clock edge selected by enable signal

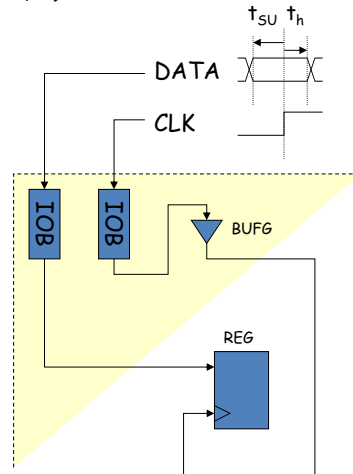
Using External Clocks

Sometimes you need to communicate synchronously with circuitry outside of the FPGA (memories, I/O, ...)

Problem: different delays along internal paths for DATA and CLK change timing relationship

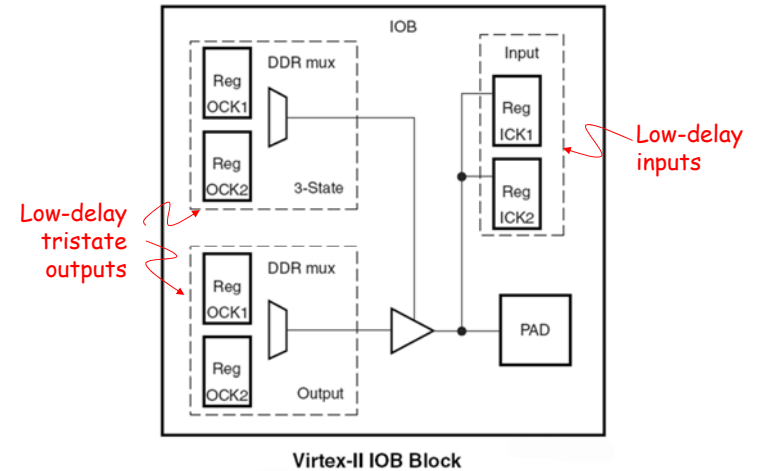
Solutions:

- 1) Bound internal delay from pin to internal reg; add that delay to setup time (t_{SU}) specification
- 2) Make internal clock edge aligned with external clock edge (but what about delay of pad and clock driver?)

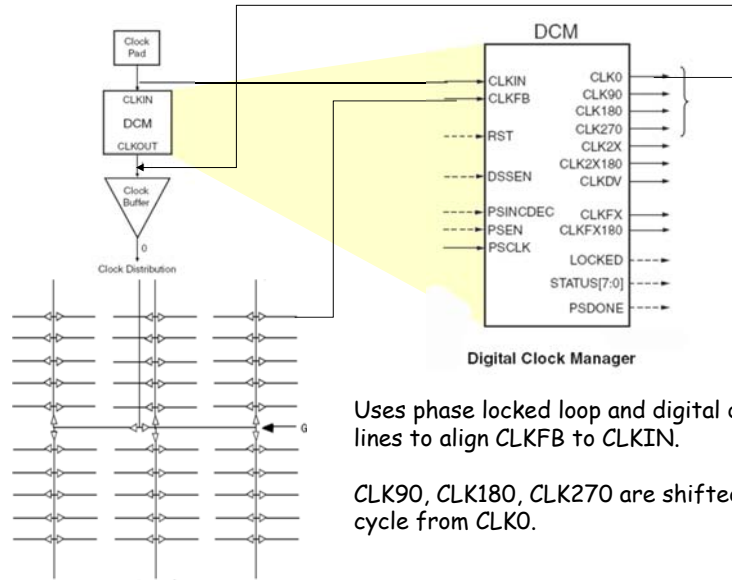


1) Bound Internal Data Delay

Solution: use registers built into the IOB pin interface:



2) Align external and internal clocks

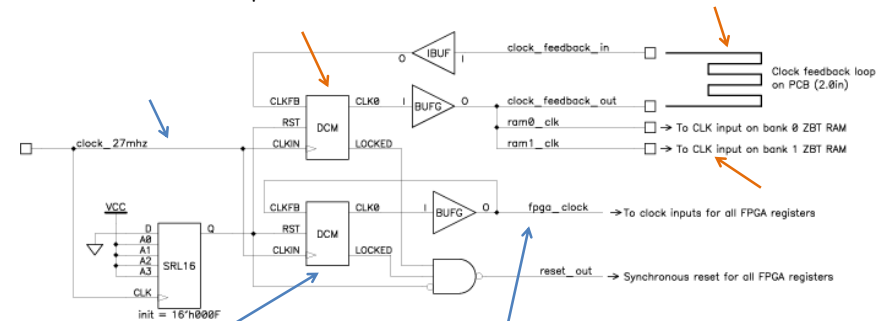


Uses phase locked loop and digital delay lines to align CLKFB to CLKIN.

CLK90, CLK180, CLK270 are shifted by $\frac{1}{4}$ cycle from CLK0.

Example: Labkit ZBT interface

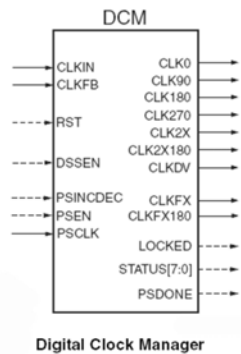
The upper DCM is used to generate the de-skewed clock for the external ZBT memories. The feedback loop for this DCM includes a 2.0 inch long trace on the labkit PCB and matches in distance all of the PCB traces from the FPGA to the ZBT memories. The propagation delay from the output of the upper DCM back to its CLKFB input should be almost exactly the same as the propagation delay from the DCM output to the ZBT memories.



The lower DCM is used to ensure that the fpga_clock signal, which clocks all of the FPGA flip-flops, is in phase with the reference clock (clock_27mhz).

Generating Other Clock Frequencies (again)

The labkit has a 27MHz crystal (37ns period). Use DCM to generate other frequencies e.g., 65MHz to generate 1024x768 VGA video.



The DCM (ISE only) can also synthesize certain multiples of the CLKIN frequency (eg, multiples of 27MHz):

$$f_{CLKFX} = \left(\frac{M}{D} \right) f_{CLKIN}$$

Where $M = 2-32$ and $D = 2-32$ with a output frequency of range of 24MHz to 210MHz.

Vivado uses a Clock Wizard to simplify clock generation.

Verilog to generate 65MHz clock

```
// use FPGA's digital clock manager to produce a
// 65MHz clock (actually 64.8MHz)
wire clock_65mhz_unbuf, clock_65mhz;
DCM vc1k1(.CLKIN(clock_27mhz), .CLKFX(clock_65mhz_unbuf));
// synthesis attribute CLKFX_DIVIDE of vc1k1 is 10
// synthesis attribute CLKFX_MULTIPLY of vc1k1 is 24
// synthesis attribute CLK_FEEDBACK of vc1k1 is NONE
// synthesis attribute CLKIN_PERIOD of vc1k1 is 37
BUFG vc1k2(.O(clock_65mhz), .I(clock_65mhz_unbuf));
```

$$f_{CLKFX} = \left(\frac{24}{10} \right) (27MHz) = 64.8MHz$$

RESETEing to a known state

Just after configuration, all the registers/memories are in a known state (eg, default value for regs is 0). But you may need to include a RESET signal to set the initial state to what you want. *Note the Verilog initial block only works in simulation and has no effect when synthesizing hardware.*

Solution: have your logic take a RESET signal which can be asserted on start up and by an external push button:

```
// power-on reset generation
wire power_on_reset; // remain high for first 16 clocks
SRL16 reset_sr (.D(1'b0), .CLK(clock_27mhz), .Q(power_on_reset),
               .A0(1'b1), .A1(1'b1), .A2(1'b1), .A3(1'b1));
defparam reset_sr.INIT = 16'hFFFF;

// ENTER button is user reset
wire reset,user_reset;
debounce db1(.reset(power_on_reset),.clock(clock_27mhz),
            .noisy(~button_enter),.clean(user_reset));
assign reset = user_reset | power_on_reset;
```

Debugging: making the state visible

To figure out what your circuit is doing it can be very useful to include logic that makes various pieces of state visible to the outside world. Some suggestions:

- **turn the leds on and off** to signal events, entry into particular pieces of code, etc.
- **use the 16-character fluorescent display** to show more complex state information
- **drive useful data onto the ANALYZER pins** and use the adapters to hook them up to the logic analyzer. Include your master clock signal and the configure the logic analyzer to sample the data on the non-active edge of the clock (to avoid setup and hold problems introduced by I/O pad delays). The logic analyzer can capture thousands of cycles of data and display the results in useful ways (including interpreting multi-bit data as samples of an analog waveform).

Encoding numbers

It is straightforward to encode positive integers as a sequence of bits. Each bit is assigned a weight. Ordered from right to left, these weights are increasing powers of 2. The value of an n-bit number encoded in this fashion is given by the following formula:

$$v = \sum_{i=0}^{n-1} 2^i b_i$$

2^{11}	2^{10}	2^9	2^8	2^7	2^6	2^5	2^4	2^3	2^2	2^1	2^0
0	1	1	1	1	1	1	0	1	0	0	0

= 2000₁₀

Oftentimes we will find it convenient to cluster groups of bits together for a more compact notation. Two popular groupings are clusters of 3 bits and 4 bits.



	03720	0x7d0
	Octal - base 8	Hexadecimal - base 16
	000 - 0	0000 - 0 1000 - 8
	001 - 1	0001 - 1 1001 - 9
	010 - 2	0010 - 2 1010 - a
	011 - 3	0011 - 3 1011 - b
	100 - 4	0100 - 4 1100 - c
	101 - 5	0101 - 5 1101 - d
	110 - 6	0110 - 6 1110 - e
	111 - 7	0111 - 7 1111 - f

Binary Representation of Numbers

How to represent negative numbers?

- Three common schemes:
 - sign-magnitude, ones complement, twos complement
- **Sign-magnitude**: MSB = 0 for positive, 1 for negative
 - Range: $-(2^{N-1} - 1)$ to $+(2^{N-1} - 1)$
 - Two representations for zero: 0000... & 1000...
 - Simple multiplication but complicated addition/subtraction
- **Ones complement**: if N is positive then its negative is \bar{N}
 - Example: 0111 = 7, 1000 = -7
 - Range: $-(2^{N-1} - 1)$ to $+(2^{N-1} - 1)$
 - Two representations for zero: 0000... & 1111...
 - Subtraction is addition followed by end-around carry (subtraction is different from addition unit)

Representing negative integers

To keep our arithmetic circuits simple, we'd like to find a representation for negative numbers so that we can use a single operation (binary addition) when we wish to find the sum of two integers, independent of whether they are positive or negative.

We certainly want $A + (-A) = 0$. Consider the following 8-bit binary addition where we only keep 8 bits of the result:

$$\begin{array}{r} 11111111 \\ + 00000001 \\ \hline 00000000 \end{array}$$

which implies that the 8-bit representation of -1 is 11111111. More generally

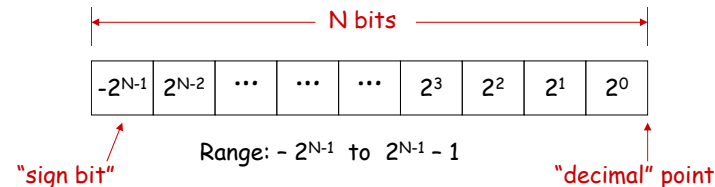
Negation: Complement and add 1

$$\begin{aligned} -A &= 0 - A \\ &= (-1 + 1) - A \\ &= (-1 - A) + 1 \\ &= \sim A + 1 \end{aligned}$$

1	1	1	1	1	1	1	1
A_7	A_6	A_5	A_4	A_3	A_2	A_1	A_0

~ means bit-wise complement

Signed integers: 2's complement



8-bit 2's complement example:

$$11010110 = -2^7 + 2^6 + 2^4 + 2^2 + 2^1 = -128 + 64 + 16 + 4 + 2 = -42$$

If we use a two's complement representation for signed integers, the same binary addition mod 2^n procedure will work for adding positive and negative numbers (don't need separate subtraction rules). The same procedure will also handle unsigned numbers!

By moving the implicit location of "decimal" point, we can represent fractions too:

$$1101.0110 = -2^3 + 2^2 + 2^0 + 2^{-2} + 2^{-3} = -8 + 4 + 1 + 0.25 + 0.125 = -2.625$$

Sign extension

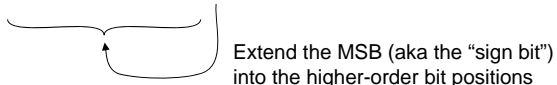
Consider the 8-bit 2's complement representation of:

$$\begin{aligned} 42 &= 00101010 & -5 &= \sim 0000101 + 1 \\ & & &= 11111010 + 1 \\ & & &= 11111011 \end{aligned}$$

What is their 16-bit 2's complement representation?

$$42 = 0000000000101010$$

$$-5 = 1111111111111011$$



Using Signed Arithmetic in Verilog

```
reg signed [63:0] data;
wire signed [7:0] vector;
input signed [31:0] a;
function signed [128:0] alu;
```

```
16'hC501 //an unsigned 16-bit hex value
16'shC501 //a signed 16-bit hex value
```

Use care with signed arithmetic!

```
wire signed [7:0] total;
wire [3:0] counter; // max value 15, counting widgets off the mfg line
wire signed [5:0] available;
```

```
assign total = available + counter; // does this give the correct answer?
NO! counter = 4'b1111 is treated as -1. Need to "append" a leading zero
```

```
assign total = available + {1'b0, counter}; // or use $unsigned()
assign total = available + $unsigned(counter);
```


Using Signed Arithmetic in Verilog

"<<<" and ">>>" tokens result in arithmetic (signed) left and right shifts: multiple by 2 and divide by 2.

Right shifts will maintain the sign by filling in with sign bit values during shift

```
wire signed [3:0] value = 4'b1000; // -8
```

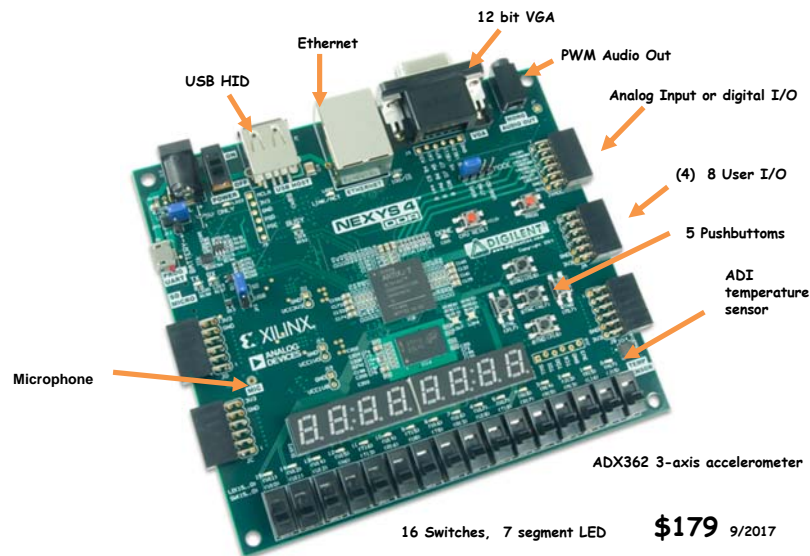
```
value >> 2 // results in 0010 or 2
```

```
value >>> 2 // results in 1110 or -2
```

Verilog Grading

- Logistics
 - Verilog submission with 2 days after lab checkoff. Lab must be checkoff first.
 - Resubmission for regrade permitted for Lab 2 and Lab 3 only (email grader for regrading)
- Grading
 - Proper use of blocking and non-blocking assignments
 - Readable Code with comments and consistent indenting
 - Use of default in case statement
 - Use of parameter statements for symbolic name and constants (state==5 vs state==DATA_READY)
 - Parameterized modules when appropriate
 - Readable logical flow, properly formatted (see "Verilog Editors")
 - No long nested if statements.
 - 20% off for each occurrence.

Nexys 4 - DDR



\$179 9/2017

Low Cost FPGA Boards



- Basys3
 - Artix-7 FPGA
 - 12 bit VGA
 - Switches/LEDs
 - \$89 (9/2017)
 - Vivado Webpack



- PYNQ-Z1
 - 650MHz dual core Cortex A9
 - Artix-7
 - 512MB DDR3
 - \$65 (9/2017)
 - Vivado Webpack