## Vision

## January 10, 2006

## Agenda

- The basics:
$\square$ Colorspaces
$\square$ Numbers and Java
$\square$ Feature detection
- More advanced concepts:
$\square$ Stereo
$\square$ Rigid Body Motion
$\square$ EM Algorithm


## Basics

- Colorspaces
- Numbers and Java
- Feature detection


## Representing color

- Frequencies are only part of the story...
- RGB good for light
- CYMK good for pigmerit nempan
... but both mix color, tint, and brightness


## Another Colorspace: HSV

- Hue (color): 360 degrees mapped to 0 to 255
$\square$ Note red is both 0 and 255!
- Saturation (amount of color)
- Value (amount of light and dark)
- We provide the code to convert to HSV
- Note:
$\square$ White is low saturation, but cat have any hue.
$\square$ Black is low value, but can have any hue.


## Tips on Differentiating Colors

- Globally define thresholds
- Self-calibrate for different lights
- Use the gimp/bot client on real images
- Learn from a large sample set
... but you don't have to do it this way!
Last year's winning robot used RGB


## How values are stored

- Uses Hexadecimal (base 16)
$\square 0 \times 12=18$
- A color is four bytes $=8$ hexadecimal numbers.
- For HSV, these bytes are
$\square$ Alpha
$\square$ Hue
$\square$ Saturation
$\square$ Value


## Manipulating HSV values

- Use masks to pick out parts:
$\square 0 \times 12345678$ \& 0x00FF0000 $=0 \times 00340000$
- Shift to move parts around:
$\square 0 \times 12345678$ >> $8=0 \times 00123456$
- Example: hue $=(X \gg 16) \& 0 x F F$

Shift hue to least significant bits

Pick out the least
significant byte

## A note on java...

- All java types are signed
$\square$ A byte ranges from -128 to 127
$\square$ Coded in two's complement: to change sign, flip every bit and add one
- Don't forget higher order bits
$\square$ (int) 0x0000FF00 $=$ (int) 0xFF00
$\square$ (int) ((byte) 0xFF) = (int) 0xFFFFFFFF
- Watch out for shifts
$\square 0 x F D 000000$ >> 8 = 0xFFFD0000


## Example

- How about
int $v=$ image.getPixel(25,25); // v = 0x8AD12390 byte hue $=(v \gg 16) \& 0 x F F \quad / / h u e=0 x D 1$
if (hue > 200) foundRedBall();

200 is an int! When 0xD1 (is 209) is extended to an int, it will be a negative number!

## Solution

- Use
int $v=$ image.getPixel(25,25); // v = 0x8AD12390 int hue $=(v \gg 16) \& 0 x F F \quad / / h u e=0 x D 1$
if (hue > 200) foundRedBall();


## Performance...

- Getting an image performs a copy
$\square \operatorname{lnt}[]=$ bufferedImage.getRGB(...)
- Getting a pixel performs a multiplication
$\square$ int $\mathrm{v}=$ bufferedlmage.RGB( $\mathrm{x}, \mathrm{y}$ )
$\square$ offset $=y^{*}$ width $+x$
- Memory in rows, not columns...so go across rows and then down columns



## Performance Note

- Faster access:
$\square$ bufferedlmage = ImageUtil.convertImage(bufferedImage, BufferedImage.INT_RGB);
$\square$ DataBufferInt intBuffer = (DataBufferlnt) bufferedlmage.getRaster().getDataBuffer();
$\square$ int[] b = dataBufferInt.getData();
- Need to keep track of where pixels are:
$\square$ offset $=\left(y^{*}\right.$ width $+x$ )
$\square$ (b[offset] >> 16) \& 0xFF = red or hue
$\square$ (b[offset] >> 8) \& 0xFF = green or saturation
$\square \mathrm{b}[$ offset $] \& 0 x F F=$ blue or value


## Feature Detection... and other Concepts

## Maslab Features

- Red balls
- Yellow Goals
- Blue line
- Blue ticks
- Bar codes


## Blue line ideas

- Search for ' $n$ ' wall-blue pixels in a column
- Make sure there's wall-white below?
- Candidate voting
$\square$ in each column, list places where you think line might be
$\square$ find shortest left to right path through candidates $\qquad$


## Bar code ideas

- Look for green and black
- Is there not-white under the blue line?
- Check along a column to determine colors
- RANdom SAmple Consensus (RANSAC)
$\square$ Pick random pixels within bar code
$\square$ Are they black or green?


## Looking for an object



- Look for a red patch
- Set center to current coordinates
- Loop:
$\square$ Find the new center based on pixels within $d$ of the old center
$\square$ Enlarge d and recompute

$\square$ Stop when increasing d doesn't add enough red pixels


## Or try fitting a rectangle

- Scan image for a yellow patch
- In each direction, loop:
$\square$ Make rectangle bigger
$\square$ If it doesn't add enough new yellow pixels, then stop



## EM/Nearest Neighbor

- Assume there are k red objects
- Randomly choose object locations xk, yk
- Loop:
$\square$ Assign each pixel to nearest $\mathrm{xk}_{\mathrm{k}} \mathrm{yk}$
$\square$ Recenter $\mathrm{xk}, \mathrm{yk}$ at center of all pixels associated with it



## EM/Nearest Neighbor

- Key question: what is k ?
$\square$ Need to know how many objects
- Convergence criteria for random values?
$\square$ Pick good guesses for centers


## Estimating distance

- Closer objects are bigger
- Closer objects are lower



## Reminders

- Try out your own algorithms! Have fun!
- Must prune out silly solutions:
$\square$ Noise
$\square$ Occlusion
$\square$ Acute viewing angles
$\square$ Overly large thresholds


## More Advanced Concepts

$\square$ Stereo
$\square$ Rigid Body Motion

## Stereo Vision

- We can judge distance based on the how much the object's position changes.


Left Eye Right Eye


Left Image


Right Image

## Stereo Vision

- Use the image to find the angle to the object, then apply some trig:


Left Image


Right Image

angle-side-angle gives you a unique triangle

## Stereo Vision

- What's the angle?
- Perspective projection equation tells us
$x / f=X / Z$
-f is focal length, x is pixel location
- $\tan (\varphi)=\mathrm{X} / \mathrm{Z}=\mathrm{x} / \mathrm{f}$

center of projection


## Stereo Vision

- But in a complex image, objects may be hard to identify...
- Try to match regions instead (block correlation)



## Stereo Vision

- Difference metric $=$ Sum of $(\mathrm{Li}-\mathrm{Ri})^{\wedge} 2$
- Search
 horizontally for best match (least difference)



## Stereo Vision

- Still have a problem: unless the object is really close, the change might be small...


Left Eye Right Eye


Left Image


Right Image

## Stereo Vision

- And many regions will be the same in both pictures, even if the object has moved.
- We need to apply stereo only to "interesting" regions.


Right Image

## Stereo Vision

- Uniform regions are not interesting
- Patterned regions are interesting
- Let the "interest" operator be the lowest eigenvalue of a matrix passed over the region.

| 5 | 5 | 5 |
| :--- | :--- | :--- |
| 5 | 5 | 5 |
| 5 | 5 | 4 |

lowest eigenvalue $=0$

$$
\begin{array}{|l|l|l|}
\hline 8 & 5 & 2 \\
\hline 5 & 1 & 5 \\
\hline 5 & 5 & 4 \\
\hline
\end{array}
$$

lowest eigenvalue $=2.5$

## Stereo Vision



## Stereo Vision

- For Maslab, the problem is simpler... can easily identify objects and compute horizontal disparity.
- To convert disparity to distance, calibrate the trig.
- Use two cameras... or mount a camera on a movable platform... or move your robot


## Rigid Body Motion

- Going from data association to motion
- Given
$\square$ a starting $\mathrm{x} 1, \mathrm{y} 1,01$
$\square$ a set of objects visible in both images
- What is $\mathrm{x} 2, \mathrm{y} 2$, and $\theta 2$ ?
position one
position two


## Rigid Body Motion

- If we only know angles, the problem is quite hard:

- Assume distances to objects are known.


## Rigid Body Motion

- If angles and distances are known, we can construct triangles:
distance between objects should be the same from both positions


## Rigid Body Motion

- Apply the math for a rotation:

$$
\begin{aligned}
& x 1 i=\cos (\theta)^{*} x 2 i+\sin (\theta)^{*} y 2 i+x 0 \\
& y 1 i=\cos (\theta)^{*} y 2 i-\sin (\theta)^{*} x 2 i+y 0
\end{aligned}
$$

- Solve for $\mathrm{xo}, \mathrm{yo}$, and $\theta$ with least squares:

$$
\begin{array}{r}
\Sigma\left(x 1 i-\cos (\theta)^{*} x 2 i-\sin (\theta)^{*} y 2 i-x 0\right)^{\wedge} 2+ \\
\left(y 1 i-\cos (\theta){ }^{*} y 2 i+\sin (\theta)^{*} x 2 i-y 0\right)^{\wedge} 2
\end{array}
$$

- Need at least two objects to solve


## Rigid Body Motion

- Advantages
$\square$ Relies on the world, not on odometry
$\square$ Can use many or few associations
- Disadvantage
$\square$ Can take time to compute


## Your job for today

- Finish yesterday's activities
- Read a barcode
- Work on tomorrow's check point: turn until you see a ball

