

F01

f.01 x

Experiment Flow: Solutions

1. Here is my data for the Experiment FL

I: $L = 131 \text{ mm}$, $T = 17^\circ\text{C}$

	Head cm	t1 (s)	t2 (s)	t3 (s)	tav (s)	SD(s)
0	8	0.1	0.1	0.1	0.1	0.1
1	7	7	6	7	6.7	0.5
2	6	14	14	14	14.0	0.0
3	5	22	23	23	22.7	0.5
4	4	34	33	33	33.3	0.5
5	3	46	45	46	45.7	0.5
6	1					
7	0					

II $L = 261 \text{ mm}$ $T = 17^\circ\text{C}$

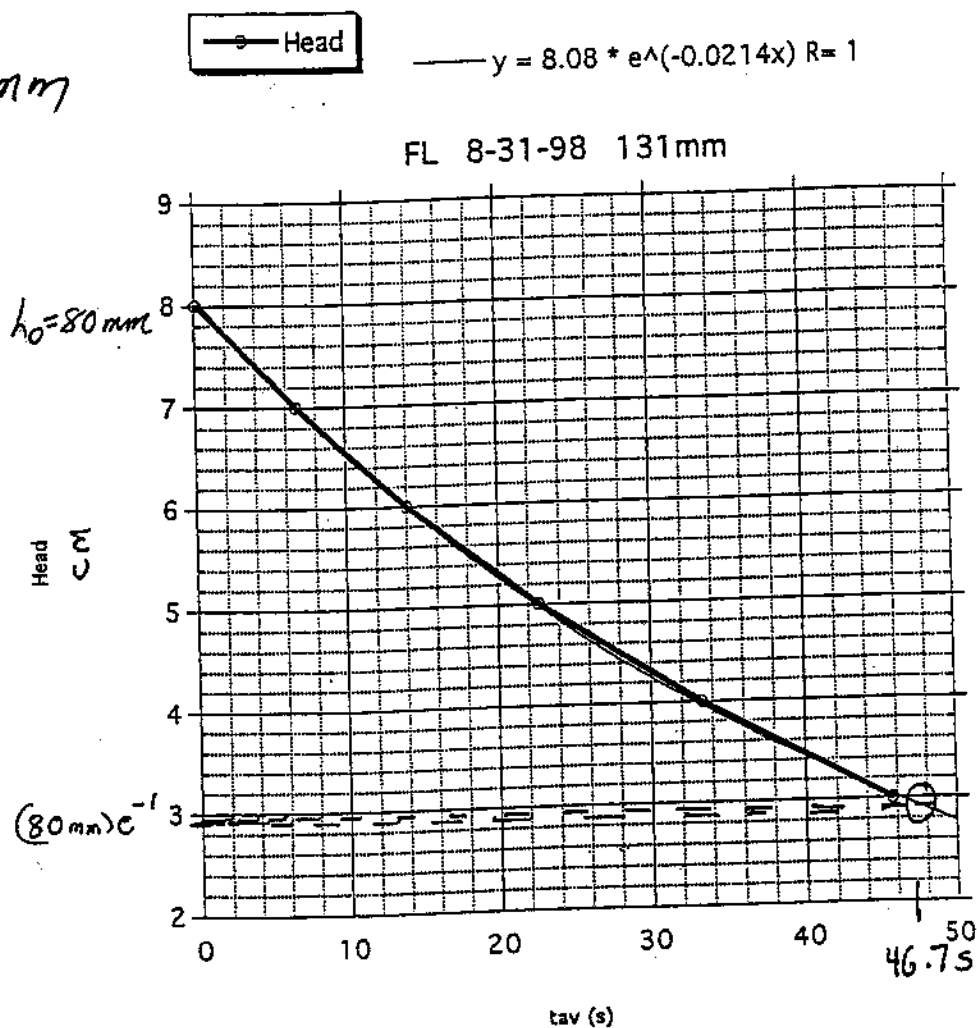
	Head cm	t1 (s)	t2 (s)	t3 (s)	tav (s)	SD(s)
0	8	0	0	0	0.0	0.0
1	7	15	17	18	16.7	1.2
2	6	30	35	41	35.3	4.5
3	5	47	58	68	57.7	8.6
4	4	70	83	99	84.0	11.9
5	3	97	120	140	119.0	17.6
6	2	138	166	196	166.7	23.7
7	1					
8	0					

III $L = 390 \text{ mm}$ $T = 17^\circ\text{C}$

	Head cm	t1 (s)	t2 (s)	t3 (s)	tav (s)	SD(s)
0	8	0	0.1	0.1	0.1	0.1
1	7	17	22	23	20.7	2.6
2	6	38	45	48	43.7	4.2
3	5	61	69	75	68.3	5.7
4	4	90	100	108	99.3	7.4
5	3	123	137	147	135.7	9.8
6	1					
7	0					

2. Here are my graphs

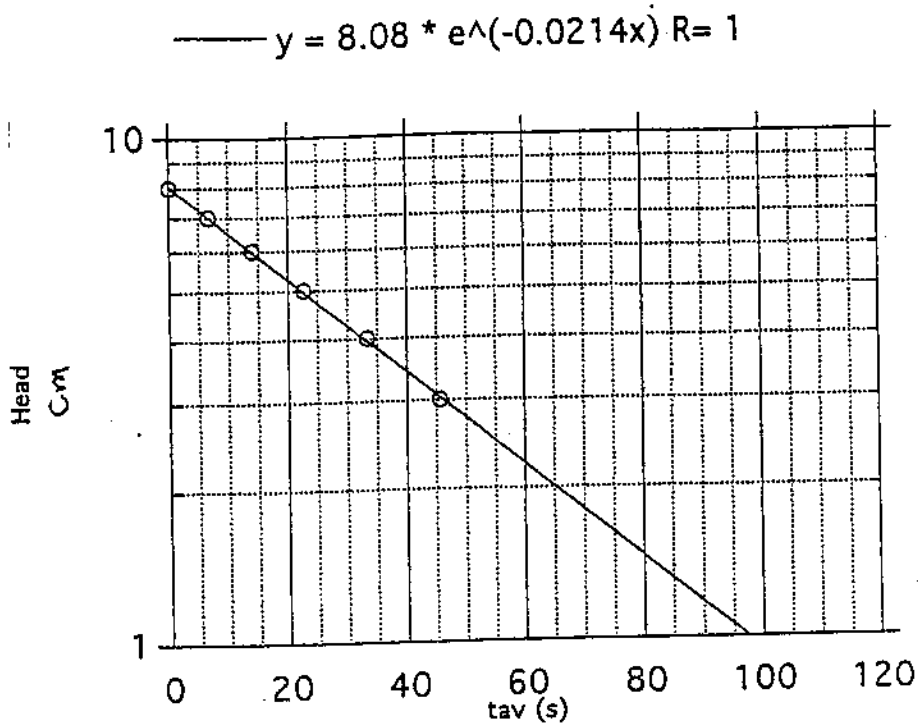
I. $L = 131 \text{ mm}$



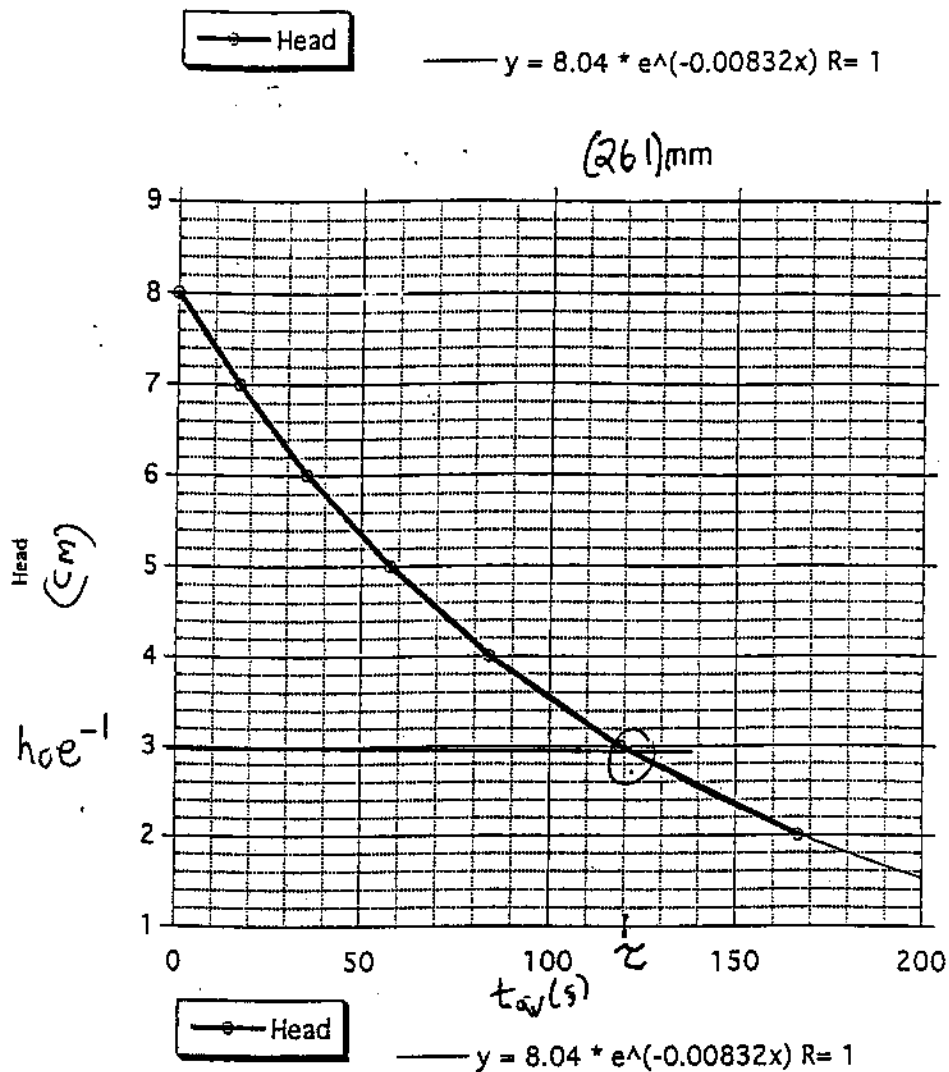
$$\text{slope} = \frac{\text{rise}}{\text{run}}$$

$$= \frac{\ln(40) - \ln(81)}{(32.5s - 0s)}$$

$$= -0.0217 \frac{1}{s}$$



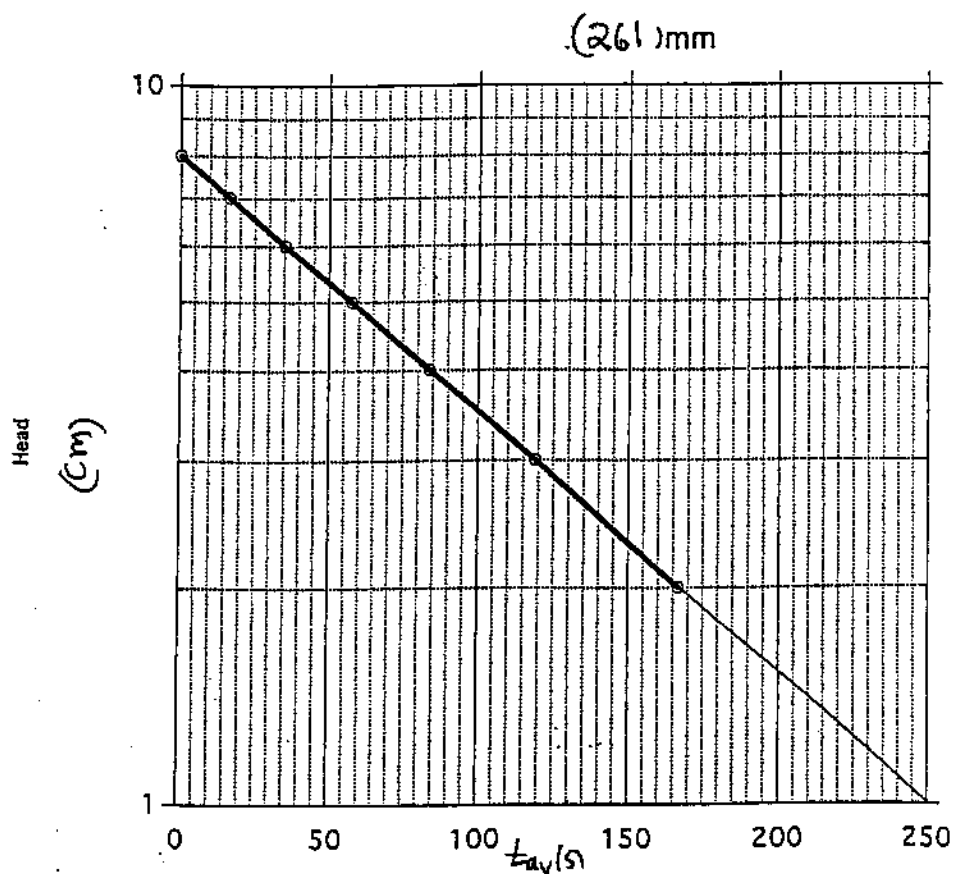
$$L = 261 \text{ mm}$$



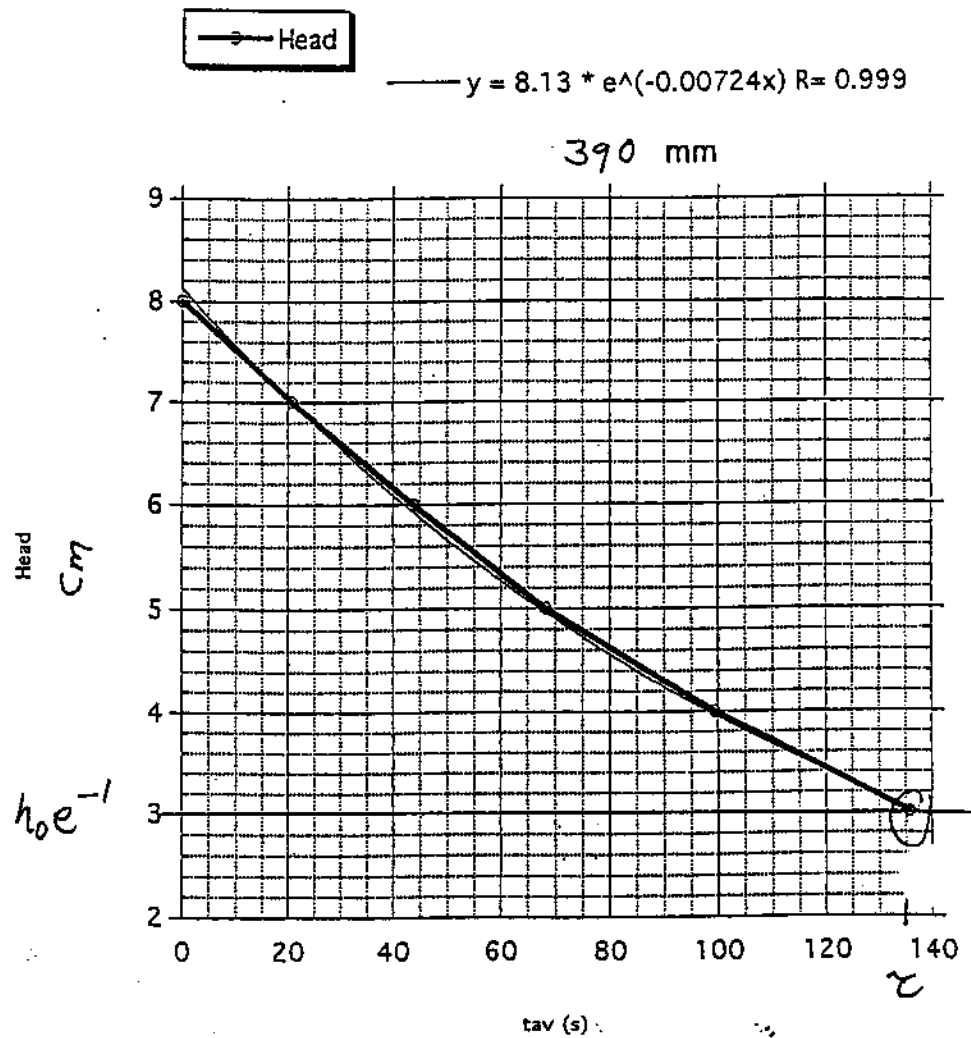
$$\text{slope} = \frac{\text{rise}}{\text{run}}$$

$$= \frac{\ln(50) - \ln(80.4)}{(57.5 - 0) s}$$

$$= -0.00826 \frac{1}{s}$$

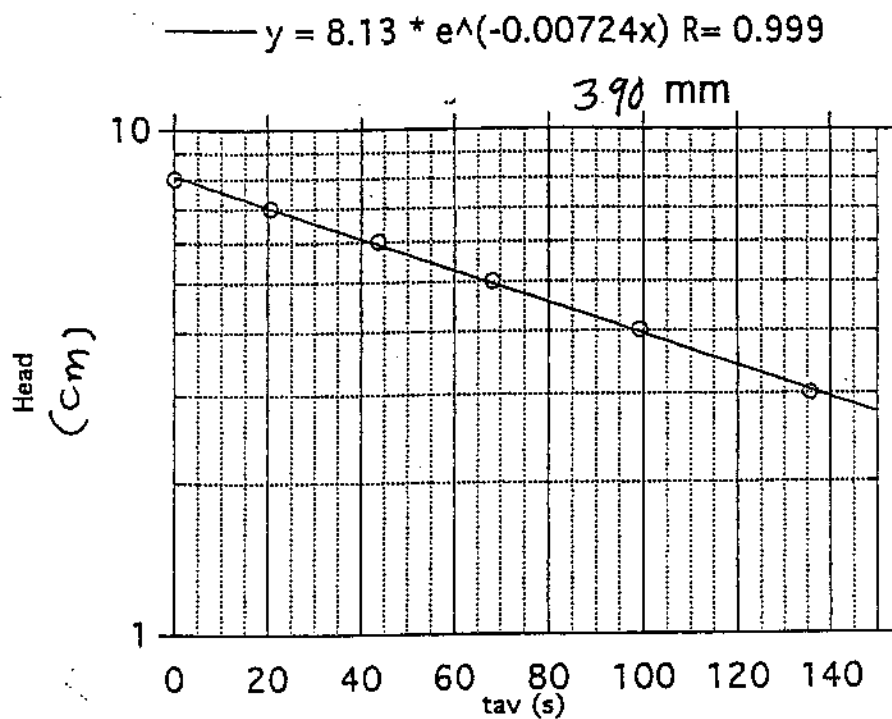


III. $L = 391 \text{ mm}$



my best
straight line
fit has
a slope

$$\text{slope} = -7.24 \times 10^{-3} \frac{1}{s}$$



3 My Calculations for the time

constants are

L slope

$$\tau = -\frac{1}{\alpha}$$

I 131 mm $-0.0214 \frac{1}{s}$

46.7 s

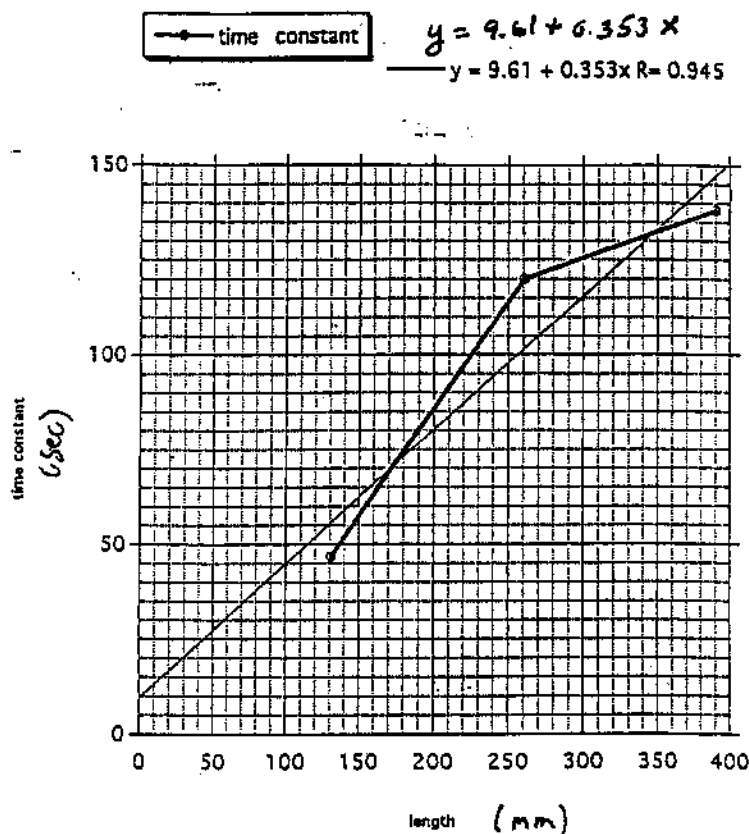
II 261 mm $-0.0832 \frac{1}{s}$

120 s
 $= 1.2 \times 10^2 s$

III 390 mm $-7.24 \times 10^{-3} \frac{1}{s}$

138 s
 $1.38 \times 10^2 s$

4. My plot of time constant vs length is



My data does not have
a very good straight line f.t.

We expect that when $L = 0$,
the time constant will not
be zero because it takes
a finite amount of time to
empty the bottle.

As the length L decreases,
the flow changes from
a uniform 'laminar' flow
to a complicated flow that
depends on the geometry of
the hole and is most
likely 'turbulent'.