## Recap

- A general pair of first order ODEs can be cast as gradient descent in a potential $V$ and sliding along contours of constant $H$.
- The linearized equations can be cast as a $2 \times 2$ matrix, whose eigenvalues determine the exponential rates along the two eigendirections.
- Symmetric matrices, corresponding to gradient descent in a quadratic potential, have two real eigenvalues. The eigenvalues of an asymmetric matrix may or may not be complex, with complex eigenvalues indicative of oscillatory behavior.

