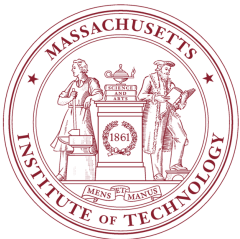


Measuring two-photon exchange
in elastic electron-proton scattering
with

OLYMPUS

Axel Schmidt
for the OLYMPUS Collaboration
April 30, 2011



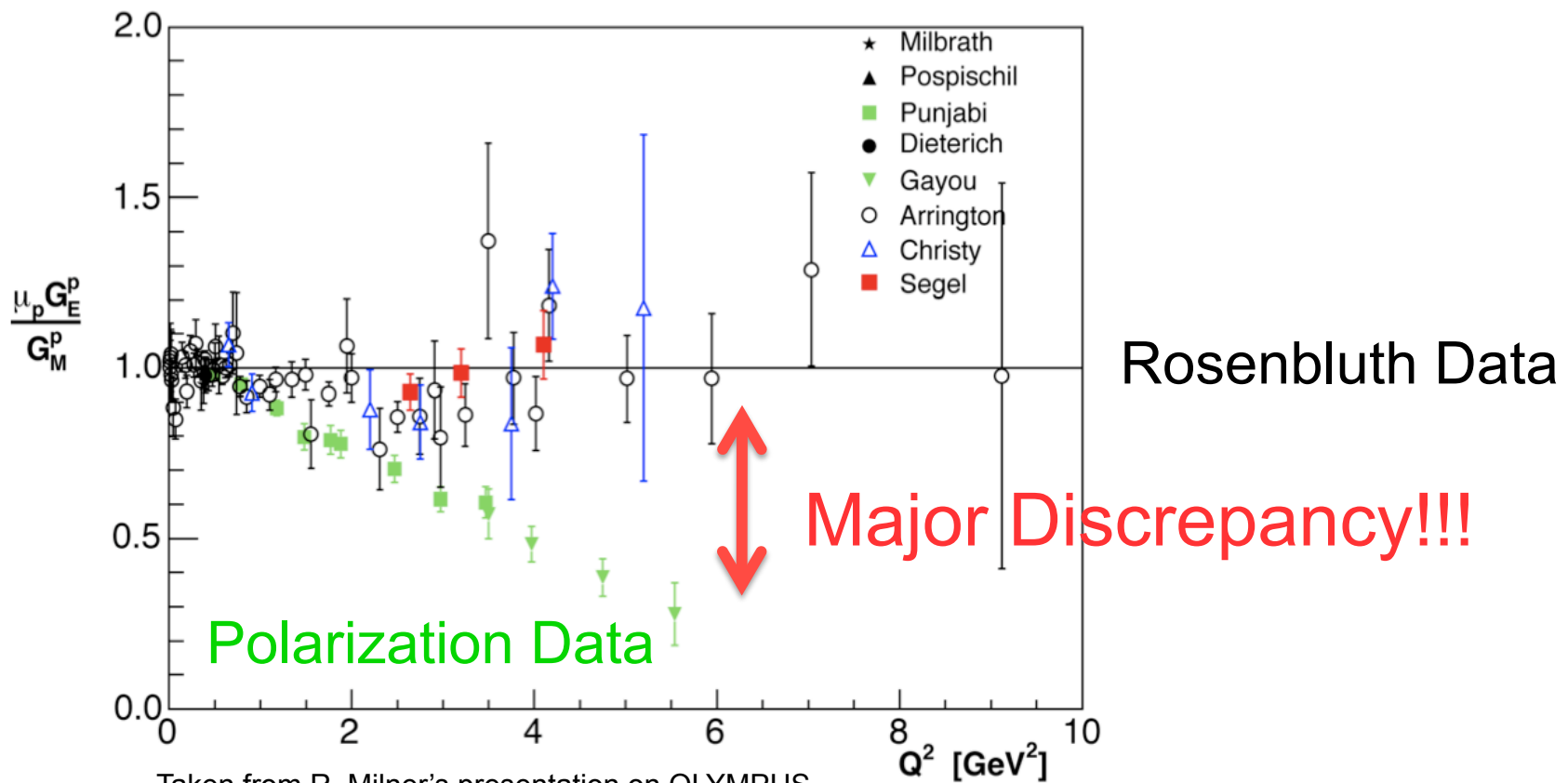
The OLYMPUS Experiment

Things to come away with:

1. Major discrepancy in measurements of the proton's elastic form factors and two-photon effects are a likely culprit
2. OLYMPUS will measure the two-photon contribution by measuring a cross-section ratio e^+p / e^-p
3. We will begin data taking in less than a year.

Proton Form Factor Discrepancy

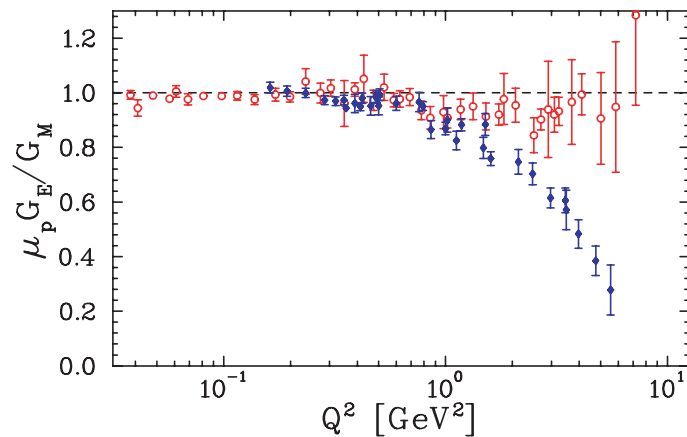
Proton Form Factor Ratio



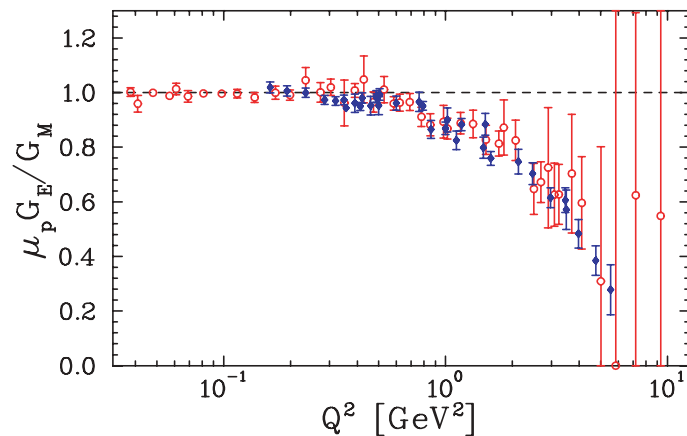
Taken from R. Milner's presentation on OLYMPUS
July 17th, 2008 @ DESY, <http://web.mit.edu/olympus>

Two-Photon Effects

Form Factor Ratio Data



Single-Photon
Approximation



Two-Photon
Corrections
Applied

Two-photon effects may
resolve the form factor
discrepancy!

A precise and definitive
experiment is needed!

Taken from J. Arrington, PHYS REV C **76**, 035205 (2007)

Measuring Two-Photon Effects

Unpolarized Cross Section:

$$\begin{aligned}
 \sigma \approx |\mathcal{M}|^2 &= \left| \begin{array}{c} e^+ \quad p' \\ \diagdown \quad / \\ \gamma \\ / \quad \diagdown \\ e^- \quad p \end{array} + \begin{array}{c} e^+ \quad p' \\ \diagdown \quad / \\ \gamma \\ \gamma \\ / \quad \diagdown \\ e^- \quad p \end{array} + \dots \right|^2 \\
 &= \left| \begin{array}{c} e^+ \quad p' \\ \diagdown \quad / \\ \gamma \\ / \quad \diagdown \\ e^- \quad p \end{array} \right|^2 + 2\text{Re} \left[\begin{array}{c} e^+ \quad p' \\ \diagdown \quad / \\ \gamma \\ / \quad \diagdown \\ e^- \quad p \end{array} \begin{array}{c} e^+ \quad p' \\ \diagdown \quad / \\ \gamma \\ \gamma \\ / \quad \diagdown \\ e^- \quad p \end{array} \right] + \dots \\
 &\approx q_e^2 \quad \quad \quad \approx q_e^3
 \end{aligned}$$

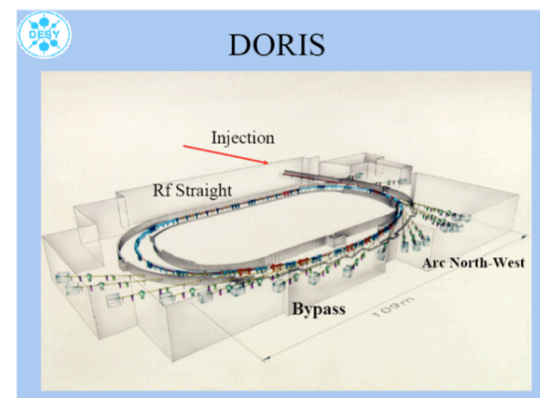
The lowest order two-photon term is odd in the lepton sign.
 e^+p / e^-p ratio measures the two-photon contribution!

$$R^{e^+e^-} \equiv \frac{d\sigma^{(e^+)}}{d\sigma^{(e^-)}} \approx 1 + 2\text{Re}\{M_{1\gamma}M_{2\gamma}\}$$

Experimental Requirements

Accelerator:

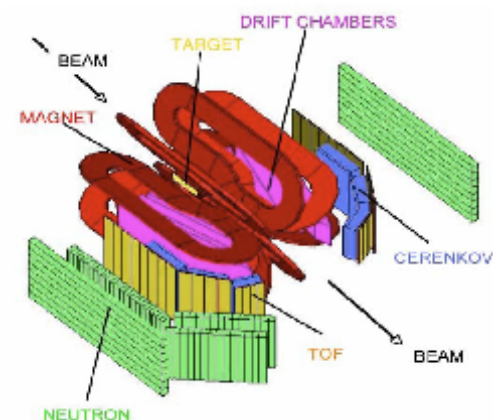
- Storage Ring with a positron source
- Multi-GeV beam energy
- > 100 mA current



DORIS @ DESY

Detector:

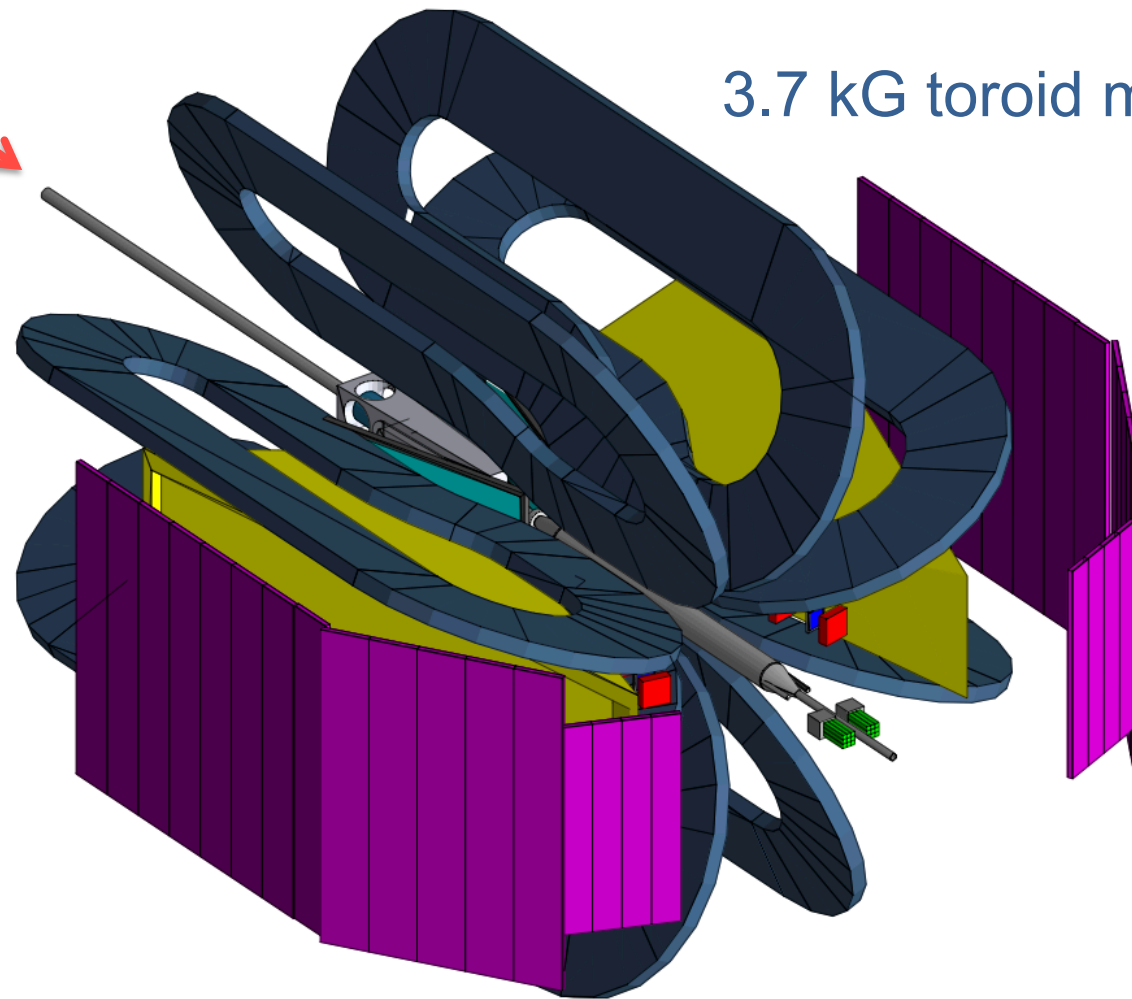
- Internal hydrogen target
- Precise luminosity monitoring
- Large acceptance spectrometer



BLAST @ MIT Bates

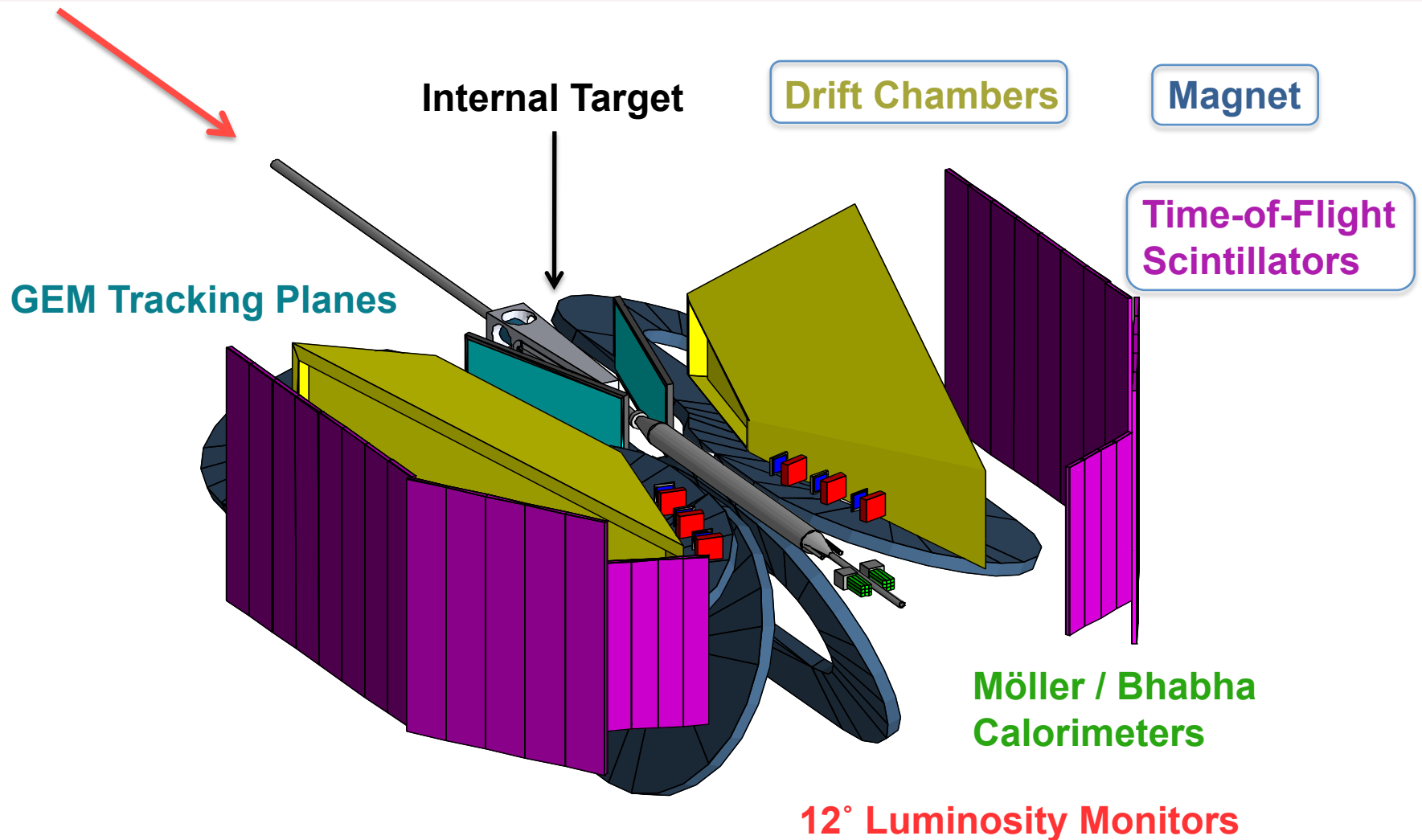
The OLYMPUS Detector

2 GeV
140 mA
e+ or e- beam
from DORIS



3.7 kG toroid magnet

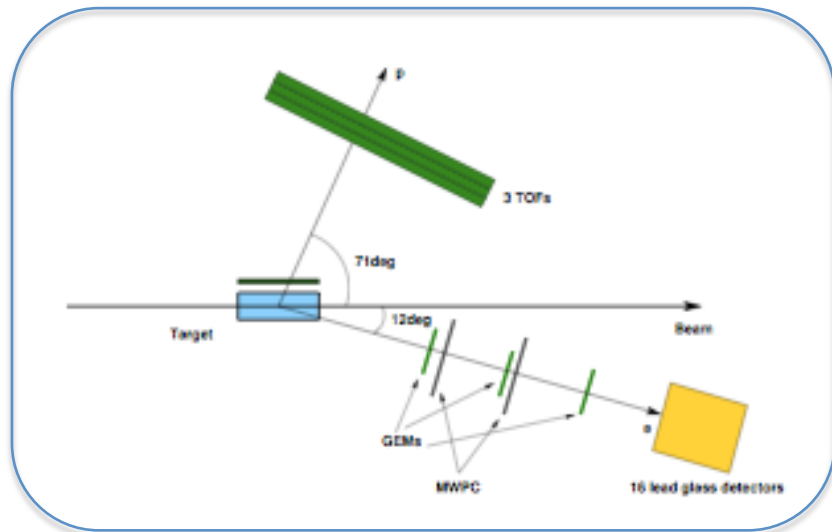
The OLYMPUS Detector



Schedule

- Summer '10 - Shipping of detectors to Germany
- Fall '10 - Assembly and field map of magnet
- Spring '11 - Target installation and test in the DORIS ring
- Summer '11 - Installation and alignment of the detectors in the ring
- Fall '11 - Commissioning
- Winter '12 - Data taking begins

Test Experiment

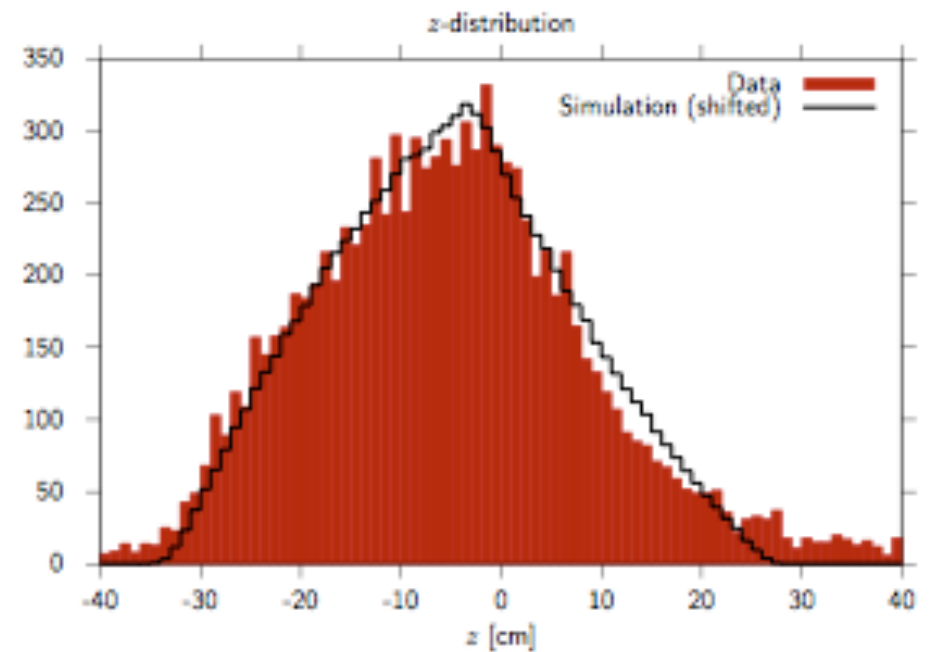
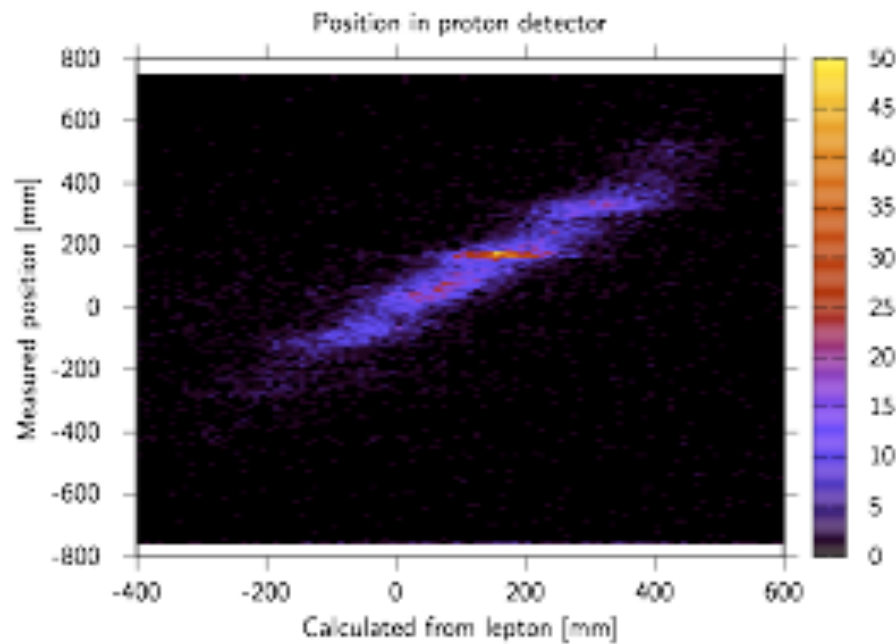


4/30/11

APS April Meeting

10

Test Results



Summary

Things to come away with:

1. There is a major discrepancy in measurements of the proton's elastic form factors and two-photon effects are a likely culprit.
2. OLYMPUS will measure the two-photon contribution by measuring a cross-section ratio e^+p / e^-p .
3. We will begin data taking in less than a year.

Acknowledgements

- OLYMPUS Collaboration

Arizona State University

DESY

IFNF Bari

IFNF Ferrara

IFNF Rome

MIT

Hampton University

St. Petersburg Nuclear Physics Institute

University of Bonn

University of Colorado

University of Erlangen-Nurnberg

University of Glasgow

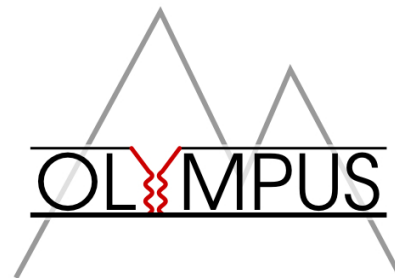
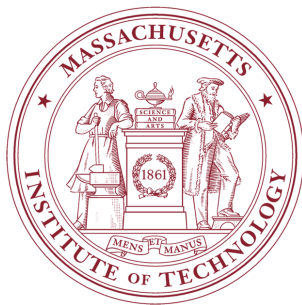
University of Mainz

University of New Hampshire

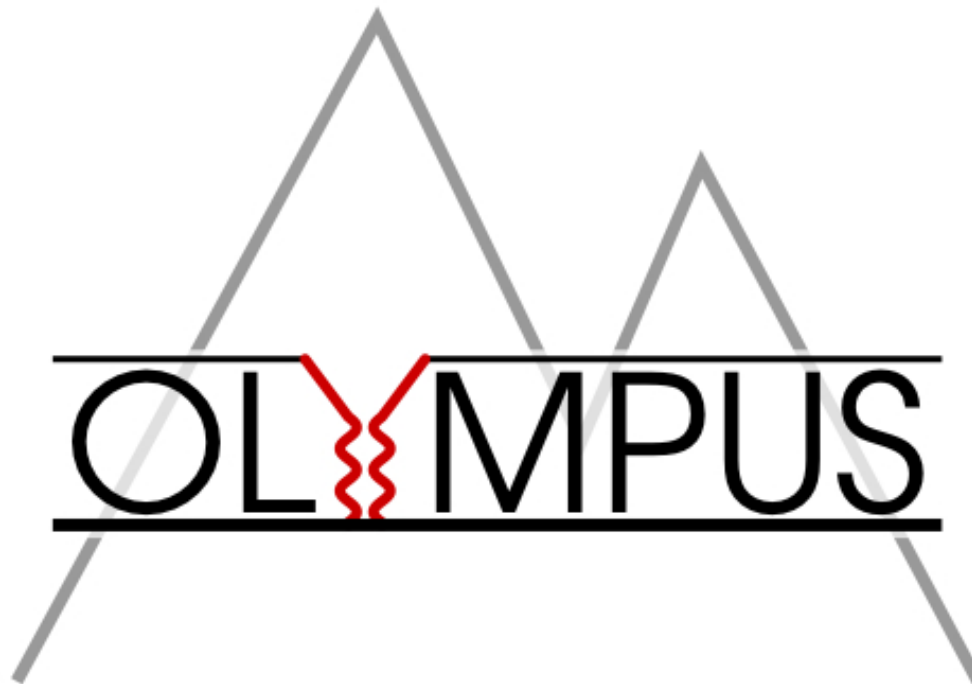
Yerevan Physics Institute

- Richard Milner, MIT

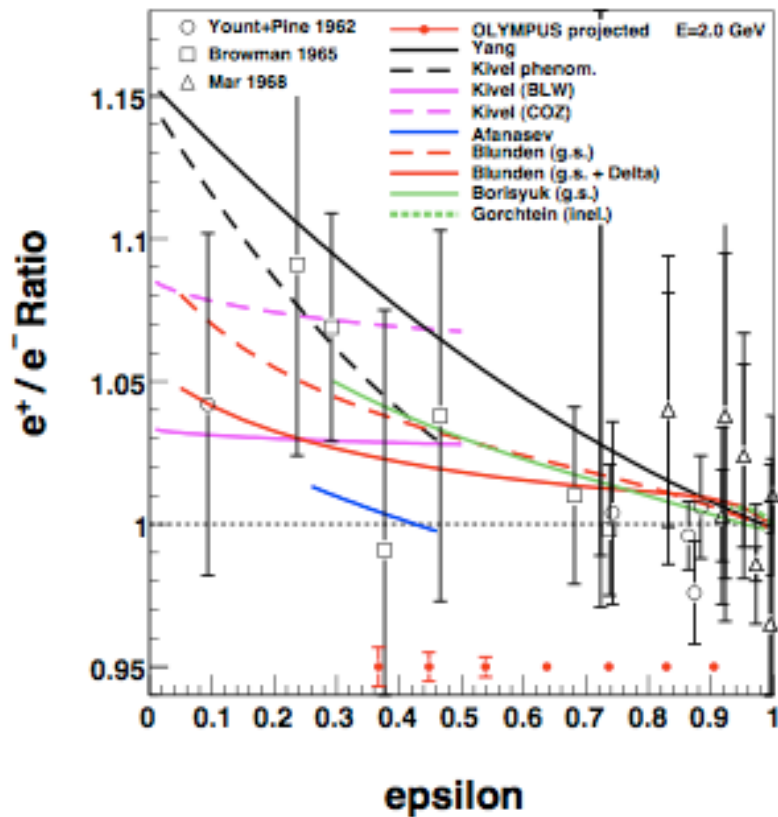
- Doug Hasell, MIT



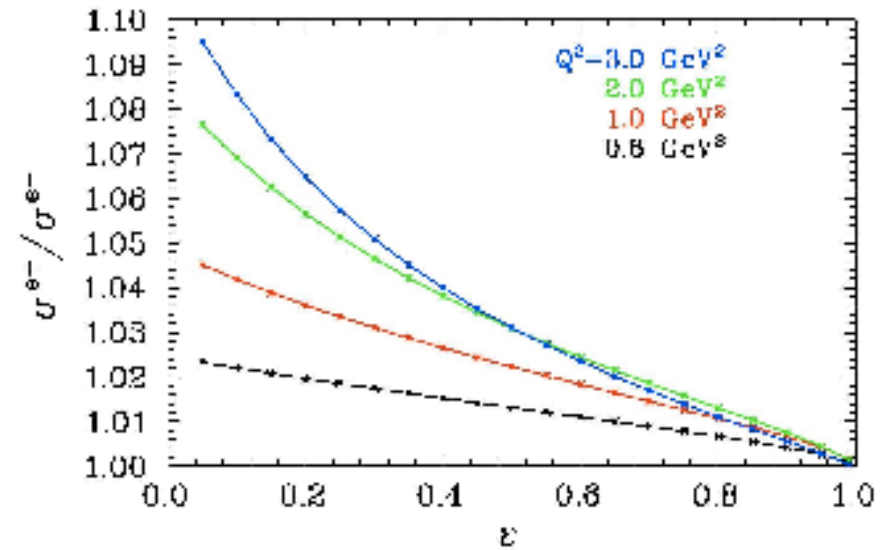
Bonus Slides



Expected Precision



Taken from the OLYMPUS TDR



P.G. Blunden, W. Melnitchouk, and J.A. Tjon,
Phys. Rev. C 72, 034612 (2005).

Control of Systematics

- Four configurations:
 - B-field \uparrow, \downarrow and lepton sign: +,-
 - Switching between configurations between each fill
- Take the super-ratio:

$$\frac{N_{e^+j}/L_{e^+j}}{N_{e^-j}/L_{e^-j}} = \frac{\sigma_{e^+}}{\sigma_{e^-}} \cdot \frac{\kappa_{e^+j}^I}{\kappa_{e^-j}^I} \cdot \frac{A_{e^+j}}{A_{e^-j}}$$

$$\frac{\sigma_{e^+}}{\sigma_{e^-}} = \left[\frac{N_{e^{++}} N_{e^{+-}}}{N_{e^{-+}} N_{e^{--}}} / \left(\frac{L_{e^{++}} L_{e^{+-}}}{L_{e^{-+}} L_{e^{--}}} \cdot \frac{A_{e^{++}} A_{e^{+-}}}{A_{e^{-+}} A_{e^{--}}} \right) \right]^{\frac{1}{2}}$$