Challenges in Solving the Seakeeping Problem	Numerical Techniques Description	
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Influence of Viscosity and Non-linearities in Predicting Motions of a Wind Energy Offshore Platform In Regular Waves

### José del Águila Ferrandis

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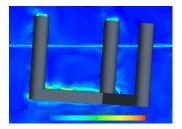
Introduction •	Challenges in Solving	; the Seakeeping Problem	Numerical 0 0	Techniques Description	Results 0
Numerical Techniques	llsed		ŏoooo		ŏ
Codes Use					
	n. Freq. m. BEM	Engineer's Toolbox	$\rightarrow$	URANS Simulation An Time 155.94 (s)	ANNY 1111
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### Challenges in Solving the Seakeeping Problem

- Numerical models give the possibility of full scale prediction.
- Froude & Reynolds incomplete similarity.
- Viscous codes allow for better accuracy at resonance.
- Viscous codes can also calculate large non-linear motions & wave breaking.



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### Figure: 3DOF extreme weather

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Linear Frequency Do	main BEM		

## Linear Frequency Domain BEM

Solve Laplace Equation:

$$abla^2(\phi) = 0$$

Given the BCs:

$$\begin{array}{ll} g\eta + \frac{\partial \phi}{\partial t} = 0 & \text{at} & z = 0 \\ \frac{\partial \eta}{\partial t} - \frac{\partial \phi}{\partial z} = 0 & \text{at} & z = 0 \\ \frac{\partial \phi}{\partial z} = 0 & \text{at} & z = -h \end{array}$$

Potential Decomposed:

$$\phi = \phi_D + \phi_R = \phi_I + \phi_S + \phi_R$$

Eq. Dipole Moments:

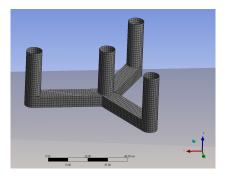


Figure: Mesh in freq. dom. BEM.

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$$\begin{pmatrix} 2\pi \\ 4\pi \end{pmatrix} \phi_D(\mathbf{x}) + \iint_{S_b} \phi_D G_{n_{\xi}} dS_{\xi} = 4\pi \phi_I(\mathbf{x})$$

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#### Non-linear Time Domain BEM

### Non-linear Time Domain BEM

- During the non-linear calculations, the intersection between the free surface and the platform is calculated. B-splines used to represent perturbation potential in the wet hull parametric space.
- The kinematic and dynamic free surface conditions are both expanded in a Taylor-series about the base flow:

$$\zeta\left(\frac{\partial}{\partial t} - (\vec{U} - \nabla\Phi) \cdot \nabla\right) = \frac{\partial^2 \Phi}{\partial z^2} \zeta + \frac{\partial \phi}{\partial z}$$

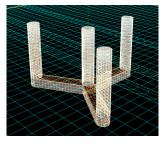


Figure: Mesh example.

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$$\phi\left(\frac{\partial}{\partial t}-(\vec{U}-\nabla\Phi)\cdot\nabla\right)=-g\left(\zeta+z_{m}\right)+\left(\vec{U}\cdot\nabla\Phi-\frac{1}{2}\nabla\phi\cdot\nabla\phi\right)$$

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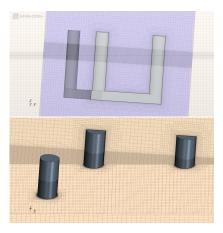
Time-Domain Fully Viscous Model - URANS

## Time-Domain Fully Viscous Model - URANS - VOF

**Volume of Fluid Method**. Averaged continuity and momentum equations for incompressible fluids.

$$\begin{aligned} \frac{\partial \left(\overline{\rho u_i}\right)}{\partial x_i} &= 0\\ \frac{\partial \left(\overline{u u_i}\right)}{\partial x_j} \left(\rho \overline{u}_i \overline{u}_j + \rho \overline{u'_i u'_j}\right) &= \frac{\partial \overline{p}}{\partial x_i} + \frac{\partial \overline{\tau}_{ij}}{\partial x_j}\\ \overline{\tau}_{ij} &= \mu \left(\frac{\partial \overline{u}_i}{\partial x_j} + \frac{\partial \overline{u}_j}{\partial x_i}\right) \end{aligned}$$

**Simple Implicit** Time Advancing Scheme is used.



### Figure: Mesh in URANS = ∽૧ભ

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Time-Domain Fully	Viscous Model - URANS		

### Mesh & Time-step Convergence.

- Values of  $\mathbf{y}$ +  $\sim$  55 on average  $\longleftrightarrow$  SST-Menter-k- $\omega$
- Volume of fluid Method (VOF).
- DFBI + Overset grids to simulate Heave and Pitch Motions (head seas).
- Time-step given by Courant Number on the free surface.

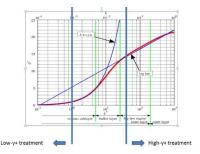


Figure: High Wall y+ treatment for high y+ numbers.

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Time-Domain Fully	Viscous Model - URANS		

### Mesh & Time-step Convergence.

- Wave probe in the undisturbed region. The signal obtained is compared to the theoretical profile of a 1st order Stokes wave.
- Discrepancies are due to surface capturing technique and mesh resolution across the free surface.
- To account for this, we consider the wave amplitude obtained by applying a Fast Fourier Transform to the numerical wave profile.

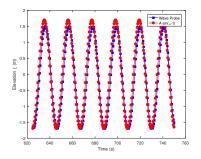


Figure: Numerical wave profile corresponds to the blue line.

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### Mesh & Time-step Convergence.

	Mesh Sensitivity Analysis–RAO Variation											
T <sub>w</sub>	18s			T <sub>w</sub> 18s 19s				19	.5s			
Mesh	e <sub>33</sub>	$e_{55}$	cells	y+	e <sub>33</sub>	e <sub>55</sub>	cells	y+	e <sub>33</sub>	e <sub>55</sub>	cells	y+
MR1	29%	5%	2e6	424	9%	11%	2e6	377	9%	6%	1e6	356
MR2	30%	4%	3e6	317	7%	9%	3e6	315	11%	6%	2e6	305
MR3	8%	1%	беб	167	4%	1%	беб	157	2%	2%	3e6	137
Final	0%	0%	7e6	49	0%	0%	8e6	50	0%	0%	4e6	48

T <sub>w</sub>	20s			21s			30s					
Mesh	e <sub>33</sub>	e <sub>55</sub>	cells	y+	e <sub>33</sub>	$e_{55}$	cells	y+	e <sub>33</sub>	$e_{55}$	cells	y+
MR1	3%	10%	1e6	361	0%	15%	1e6	351	0%	5%	1e6	331
MR2	3%	10%	2e6	303	1%	11%	2e6	280	1%	2%	2e6	160
MR3	2%	3%	Зеб	131	1%	4%	3e6	119	0%	0%	3e6	105
Final	0%	0%	5e6	46	0%	0%	5e6	40	0%	0%	4e6	55

**Table**: Results of the convergence of the RAOs in a mesh sensitivity analysis considering **4 levels of refinement**. Convergence is quickly reached in all wave periods except for  $T_w = 18s$ . For this reason mesh *Final* is used.

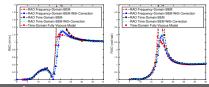
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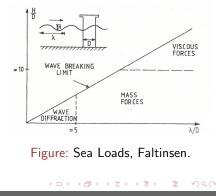
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Time Domain Fully	Viscous Model LIRANS		

#### l ime-Domain Fully Viscous Model - URANS

### Mesh & Time-step Convergence.

T <sub>w</sub>	$\lambda_w$	H <sub>w</sub>	T <sub>step</sub>
10.00 13.00 15.00 16.00 16.73 18.00 19.00 19.50 20.00 21.00	156.131 263.861 351.293 399.702 437.523 505.864 563.633 593.688 624.524 688.538	$\begin{array}{c} 2 \times 0.771 \\ 2 \times 1.303 \\ 2 \times 1.735 \\ 2 \times 1.971 \\ 2 \times 2.160 \\ 2.498 \\ 2.783 \\ 2.932 \\ 3.084 \\ 3.400 \end{array}$	0.012 0.0155 0.0179 0.0190 0.023 0.023 0.023 0.023 0.024 0.025
30.00	1405.179	6.939	0.036





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Cross-validation of Nu	umerical Results		

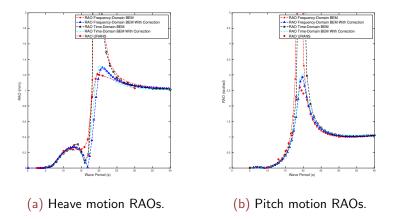


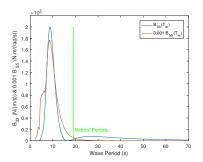
Figure: Additional damping is introduced in a second set BEM simulations. Empirical damping selected given URANS (6.25%, 6.5%).

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Conclusions			

- Limitation of potential flow models in motions for waves having periods close to the natural & cancellation frequencies.
- Corrections coefficients can be obtained from URANS.
- computational burden: 1-175-700,000.
- Very similar predictions for small motions only requiring URANS near the resonance and cancellation period.



# Figure: $B_{33}$ and $B_{55}$ radiation damping coefficients.

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