Abstract
We review the process rates and energy intensities of various additive processing technologies and focus on recent progress in improving these metrics for laser powder bed fusion (PBF) processing of metals, and filament and pellet extrusion processing of polymers and composites. Over the last decade, observed progress in raw build rates has been quite substantial, with laser metal processes improving by about one order of magnitude, and polymer extrusion processes by more than two orders of magnitude. We develop simple heat transfer models that explain these improvements, point to other possible strategies for improvement, and highlight rate limits. We observe a pattern in laser metal technologies that mimics the development of machine tools; an efficiency plateau, where faster rates require more power with no change in energy nor rate efficiency.

Introduction
A wide range of new additive technologies, sometimes called 3-D printing, or more recently additive manufacturing (AM), is having a profound effect on how we make things. The technology can make solid objects directly from a computer description of the part. This eliminates many manual steps in conventional part making, and can produce complex geometries that are often very difficult, if not impossible to make by conventional techniques. These attributes have led to considerable success in the areas of rapid prototyping and tool making. The main competitive advantages of this technology are: 1) an enormous range of shape complexity, 2) rapid delivery of one-off parts, 3) and deskilling of some of the manufacturing steps. These advantages have led to considerable enthusiasm for this technology, accompanied by significant investments and rapid technology development. But along with these encouraging signs has come speculation about future benefits that are less certain. Many of these technologies still have well known challenges. These include; 1) slow process rate, 2) poor surface finish and
tolerances, and 3) expensive equipment. Other issues that are often mentioned, but are likely to improve over time, are high material costs, and limited material choices as well as process stability and automation. The issues of post-processing, and powder management and reuse have received only limited attention and need more discussion. These topics are particularly important for BAAM (a pellet extrusion type technology for polymers that will be discussed later) that needs significant post-processing and for reactive powders such as titanium and aluminum, and for non-processed but temperature exposed polymer powders.

In this article we focus on process rates for two popular melt processing technologies: laser melting (PBF) for metals, and filament and pellet extrusion of polymers and composites, and the companion issue of energy usage. This paper builds upon the work of others who have carefully measured, analyzed and documented the energy use and time requirements for a variety of AM technologies. These include in particular, Baumers et al. 2010, 2011a, 2011b, 2012, 2016, Faludi et al. 2017, Kellens et al. 2011, 2014, 2017, Kruth 2005, 2010, Scheifenbaum et al. 2011, and Buchbinder et al. 2011, and their co-workers, as well as many others listed in our references.

We differentiate between different time and rate measures as follows: 1) the build time is the total time to produce a raw part without post processing. This would include such steps as heating up and cooling down the machine, and printing the part and is discussed in more detail later. 2) the process time (or print time) represents the core process step of adding material to a solid object. If the process is run efficiently the process time would constitute 90% or more of the build time [Faludi 2917, Kellens 2011]. 3) and finally the manufacturing time would be the total time to produce a part including the build time and the post-processing time.

Additive technologies can make one, or a few parts in a very short elapsed time by avoiding tool making which can take weeks or months. But if the part can be made by conventional methods, and if large production volumes are needed, then the additive methods cannot compete because they are too slow. The slowness of these processes is related to a fundamental tension between two basic goals: 1) fine features and 2) fast print rate. So far, solutions have favored making small (but not fine) features, at tolerable, but decidedly slow print rates. A consequence of this selection is long print times.

We argue that the current most commonly employed solution: (small features with slow print rates) is fundamentally limited by the details of the heat transfer phenomena that control the melt delivery rate. It appears to us that currently the laser melting technologies, particularly for aluminum alloys, are stalled in the sense that recent rate
improvements have not improved energy efficiency, while the polymer extrusion processes recently had a big breakthrough by abandoning small features and living with significant post processing, but increasing the build rate by more than two orders of magnitude, while decreasing the energy intensity (not counting post-processing) by almost two orders of magnitude.

The currently slow rates of material processing may be the single most important barrier for the future development of this technology and a dominant feature in the energy usage of this technology.

**Overview of Process Rates and Energy Requirements for Manufacturing Equipment**

In earlier work [Gutowski 2009, 2011], we have identified a pattern in energy use and process rate that almost all manufacturing process equipment follows. The pattern is seen in Figures 1 that plots the average electrical energy used per kg of material processed (J/kg) Vs the process rate (kg/hr). The concept behind this plot is relatively simple; most manufacturing process equipment operates within a rather narrow power band, typically between 5 kW and 50 kW, even though their process rates and energy intensities can vary by eight or more orders of magnitude. Furthermore, these power requirements can be broken down between constant and variable power components. Processes dominated by constant power requirements tend to fall along the diagonal lines in figure 1. While processes dominated by variable power, i.e. with energy requirements that scale with the quantity of material being processed, rather than with the processing time, tend to fall between the two horizontal lines. The lower horizontal line at 1 MJ/kg corresponds roughly with the minimum energy needed to melt 1 kg of iron or aluminum. While the upper horizontal line corresponds to 10 MJ/kg or roughly the minimum energy required to vaporize 1 kg of aluminum. We've added a third diagonal line at 500 W to this diagram because AM processes as a whole, tend to have lower power requirements compared to most conventional manufacturing processes. We use the plot here to position additive technologies relative to conventional processes. Metal additive processes are shown in red, and polymers in blue. Conventional manufacturing processes such as machining, injection molding and the melting step for casting processes lie to the bottom-right of the additive technologies.

The first thing to note, is that there is quite a range of process types and values for additive processes on the plot. Nevertheless, certain generalizations can be observed. For example, as a group, the additive processes have both smaller process rates (kg/hr) and higher specific energy use (electricity requirements),
considered as energy intensities (J/kg), than most of the conventional processes. Note that the energy values given in Figure 1 are in terms of electricity requirements, [J/kg]. At the same time however, there are many other processes that are widely used that have still smaller process rates and larger energy intensities compared to the additive processes. These would include processes used in the semiconductor industry and advanced machining techniques where relatively small quantities of materials are processed.

There are many small additive machines (mostly filament extrusion polymer based) that operate at relatively low power compared to most of the other processes in the figure. These enter the category of so called “desktop” machines, some as low as 50W, and would probably not be involved in actual manufacturing.

Note that, the main cluster of points for the additive processes is about three orders of magnitude smaller in process rate, than conventional processes (10\(^{-1}\) kg/hr Vs 10\(^2\) kg/hr) and about one order of magnitude lower in power requirements, resulting in an electrical energy intensity that is about one to two orders of magnitude higher than conventional manufacturing processes (100s MJ/kg Vs 1-10 MJ/kg)\(^1\). When doing a lifecycle assessment of these processes, this puts the energy intensity of the additive processes in the same league as the energy embodied in the materials used, something that is not true for conventional processes. This is not to say that there aren’t cases where additive processes would require less energy. This could occur for small part volumes that avoid tooling, particularly when compared to conventional applications with very high “buy to fly” material ratios [Huang 2015, Walachowicz 2017 this issue]. These cases are the “sweet spot” for additive technologies, but this sweet spot may remain relatively small compared to the vast array of manufactured parts as long as these low processing rates continue to exist. The consequences of small process rates show up in still other ways that can affect the competitiveness of these technologies. Small process rates mean that attended processes can run up significant labor costs, and that equipment amortization will be over many fewer parts. This can make equipment costs and equipment embodied energy a significant part of the per-part calculation [see Faludi 2017 this issue].

\(^1\) Kellens et al [2017] report a range of measured electrical energy values for various commercial additive technologies ranging from 51 to 1247 MJ/kg with many of the same references that we use here.
Perhaps the most notable feature for AM technologies in figure 1 however, is a process labeled BAAM. BAAM stands for Big Area Additive Manufacturing, a new pellet extrusion process. This process which is noticeably much faster and less energy intense than the other additive processes, was developed as a collaboration between Oak Ridge National Laboratories and Cincinnati Incorporated and will be discussed later.
Rate Improvements and Limitations
The time steps to make an additive part (after some additional CAD processing) involve the following: 1) machine set up, 2) machine heat up, 3) printing (which involves laser scanning/melting for laser PBF processes, or filament or pellet melting and deposition for extrusion processes, 4) powder recoating for powder processes, 5) cool down, 6) part removal and 7) post-processing (typically involving machining and finishing processes). The individual time contribution from each step depends very strongly on how the machine is scheduled. If only a small section of the machine bed is used, the “once per run” steps 1, 2, 5, 6, and 7, and the “once per layer” step 4 can account for a significant proportion of the total run time. But as the machine bed is filled for large runs these steps diminish in importance and actual printing (step 3) dominates, accounting for more than 90% of the run time. Hence, the difference in time per part between occasionally making one part, to constantly printing a full bed of parts can be almost a factor of 10 [Baumers 2010, Faludi 2017]. So, as we consider the potential transition of 3-D printing from prototyping, to additive manufacturing, we assume that many parts will need to be made. In this case, the most dominant time step will be the printing step involving laser heating for powder bed processes or filament or pellet heating for extrusion processes, as confirmed by several papers in this special issue [Faludi 2017, Kellens 2017].

Laser Melting
A fundamental limitation to high production rates in these processes is related to management of the heat transfer mechanisms needed to deliver the melt stream to build a part. For a large group of AM technologies, melting is driven by a laser beam scanned across the powder bed surface. The objective is to raise the temperature of the powder bed layer in order to melt and solidify an eventual solid ribbon of material.

The heat must be applied in a way that does not vaporize sizably the surface (leading to significant material loss, especially for metals), nor damage the surface (polymers) while at the same time bringing sufficient thermal energy for melting...
and heat transfer for propagating to the bottom of the layer so it bonds firmly to the sub-layer. The processing parameters are designed such that these conditions can be obtained on a repetitive basis. In practice, the thermal gradient across the layer is managed in metals by initial surface melting followed by rapid capillary advance into the material and in polymers (which are very poor thermal conductors) by raising the powder bed to a very high temperature, in fact not far below the melt temperature, so that only a small additional increment of heat is required for the subsequent aggregate state (phase) change. Hence, the process is designed such that a new layer is heated rapidly with a constrained temperature gradient across the thickness.

With this process approach in mind, one can estimate the fastest possible delivery rate based upon the ideal assumption that the delivered energy is fully utilized to raise the temperature and melt the ribbon of material. We call this the adiabatic print rate, it comes directly from the conservation of energy principle established by the application of the first law of thermodynamics and conservation of mass. The result, given below, for laser melting suggests methods to increase the print rate, and provides a standard of comparison for observing energy efficiency improvements. In practice, other mechanisms could interfere with this ideal rate, such as poor heat transfer, degradation, instabilities and heat loss to the surroundings, but in practice process parameters are adjusted to avoid or at least minimize these interfering phenomena. And at the same time, the adiabatic rate will provide a useful standard to analyze the progress of energy delivery systems for AM.

\[
\dot{m}_{\text{adiabatic}} = \frac{\alpha P}{c \Delta T + \gamma}
\]

Note that Eq. (1) assumes that the solid state material is heated up to the melting point, and subsequently melted only by the absorbed laser delivered heat input, with no heat transfer losses to the surroundings.

Where \( \dot{m}_{\text{adiabatic}} \) = the adiabatic mass process rate (kg/s)

\[
\alpha = \text{laser/material absorption coefficient } (0 \leq \alpha \leq 1)
\]

\[P = \text{laser power (W)}\]

\[c = \text{average specific heat (J/(kg K))}\]

\[\Delta T = T_{\text{melt}} - T_{\text{start}} \text{ (K)}\]
\[ \gamma = \text{enthalpy of melting (J/kg)} \]

We define the adiabatic efficiency as the mass rate ratio (or sometimes as the volume rate ratio, assuming constant density, to conform with commonly reported results in the literature), for example,

\[ \eta_{\text{adiabatic}} = \frac{m_{\text{actual}}}{m_{\text{adiabatic}}} \]  

(2)

**Observed Laser-Metal Process Rates**

Four strategies have been used in recent years to increase the production rate of laser PBF technologies: higher powered lasers, multiple lasers, heated chamber, and optimized process settings. The success of these strategies will be revealed in the data presented in this section, but in summary, over the last decade, steel powder laser PBF print rates have increased by more than an order of magnitude, (20x), while over a shorter time, aluminum print rates have increased eight-fold. Both improvements are due largely to the use of higher powered lasers, but the other strategies, as listed above, were also employed.

At the same time, using estimates for the physical parameters in equation 1 we noticed that the adiabatic efficiencies of these newer processes have stayed remarkably consistent. The adiabatic efficiency is plotted against laser power intensity (W/m\(^2\)) for steel powders in figure 3 and against the laser power (W) for the aluminum alloy AlSi10Mg in figure 4. The results show a striking consistency, with steel powder data showing adiabatic rate efficiencies on the order of 20% for power intensities below about 10\(^{10}\) W/m\(^2\), and about 13% for higher power intensities up to 10\(^{11}\) W/m\(^2\). The aluminum powder data is even more consistent, with an adiabatic rate efficiency around 5% for the entire range from 200 W to 1600 W. The nominal values used to calculate the adiabatic rates for steel and aluminum are given in table 1, while the data for the actual scan rates are given in tables 2, and 3. The rather low adiabatic efficiencies indicated in figures 1 and 2 are due largely to heat loss to the surroundings, with the much more conductive aluminum powder giving the lowest values.

Keep in mind, that the delivered laser power in watts is only a small fraction of the primary power requirements to do the melting. For a larger boundaries perspective, the overall power requirements just to melt the powder would need to
include: losses in the laser resonator: due to quantum efficiency being less than 100%, active medium small signal gain saturation, losses due to mirror absorptivity at the wavelength being emitted, output coupling mirror intermediate reflectivity and resonator cavity materials absorptivity (Anderson 1976, Steen 2010, Kannatey-Asibu 2009, and the requirement for a chiller, and losses in the electric grid.

In fact, the overall inefficiency of the laser melting process can be demonstrated by comparing the energy required to laser melt material versus the energy needed to sand or die cast an equivalent amount of material. The example aluminum part presented by Faludi 2017 [this issue] made on a Renishaw AM 250 with a 200W fiber laser required 352 MJ_{\text{elec}}/kg for full bed printing, or 1.06 GJ/kg primary energy assuming $\eta_{\text{grid}} = 1/3$. Nominal primary energy values for sand and die casting are generally in the range of 10 to 20 MJ/kg [Dalquist 2004a, 2004b]. The minimum energy required to melt aluminum from room temperature to the melt temperature is about 1.4 MJ/kg and will vary slightly from this value depending upon alloy content.

But what should be noted, is that even with significant rate improvements, the adiabatic rate efficiency has hardly changed. And that this implies that the energy efficiency for these processes has plateaued. The energy efficiency, $\eta_{\text{energy}}$, can be estimated by taking the ratio of the minimum energy input required to melt the part, to an approximation for both the laser energy requirements and the part/chamber preheating using approximate estimates for efficiencies of the sub processes including, $\eta_{\text{adiabatic}}$, as previously defined and observed to be in the range of 1/20 to 1/5 depending upon the powder; $\eta_{\text{grid}}$, for the efficiency of the electric grid, we assume 1/3; $\eta_{\text{laser}}$, as the efficiency of the laser, we assume between 1/5 to $\frac{1}{2}$; and $\eta_{\text{heating}}$, as the efficiency of the heated chamber we assume between $\frac{1}{2}$ and $\frac{3}{4}$. The derivation, given in the appendix, yields the following approximation for laser melting of metal powders,

$$\eta_{\text{energy}} \cong \eta_{\text{adiabatic}} \cdot \eta_{\text{laser}} \cdot \eta_{\text{grid}}$$

Hence, a constant adiabatic efficiency with no change in the laser or grid efficiency will result in a constant energy efficiency. Equations 1 and 3 suggest that two major rate improvement strategies, 1) to increase the laser power P, and 2) to heat the print chamber and therefore decrease
the temperature difference $\Delta T$. While both strategies have been successful at increasing the print speed for laser additive manufacturing, they have also paid the price for increased speed, with additional power requirements. This is very similar to the historical development of cutting machine tools. They increased dramatically in cutting speed, by about two orders of magnitude over 100 years, due in large part to the development of new harder and tougher cutting tools [Kalpakjian & Schmid 2014]. However to take advantage of these new tools, the spindle power was also increased. The end result in this case, was that the spindle specific energy requirement converged to a value proportional to the hardness (or $\sim 3$ X yield value) of the material being cut, due to the plastic work required. Inefficiency in cutting (due to friction at the tool work piece interface) further doubled this value [Cook 1955, Gutowski & Sekulic 2011]. In the case for laser additive processing, the factor is not 2 but 5 to 20, and it appears to have plateaued.

We have further studied the adiabatic rate experimentally, by scanning various metal powders at different rates and with different patterns and have found that in certain circumstances one can obtain an adiabatic rate efficiency as high as 40%, but with diminished material quality. We note that these results are very similar to the results of others who have explored the parameter space of scan rate Vs laser power to identify rate limits for laser AM technologies [Kruth et al. 2014, Laohaprapanon 2012, Yadroitsev et al. 2010]. It is important to keep in mind that any claim on still higher scan rates would need to ensure that the settings are robust to quality variation. It is reasonable to assume that equipment manufacturers are working at this problem every day.

In spite of these apparent efficiency limits, additive processes can compete with other conventional processes on an energy bases due to other areas of potential efficiency improvements (for example due to observed low “buy to fly” material values, or fast turnaround times that avoid tooling for small numbers of parts). But so far, these apparent “sweet spots” represent only a small fraction of the totality of manufacturing applications.
Fig. 2 Measured rate/adiabatic rate Vs laser power intensity for steel powders for different additive equipment using larger lasers and defocusing.
Figure 3 Measured rate/adiabatic rate Vs adiabatic rate for aluminum powders for different additive equipment using various improvement strategies. See Table 2.

Table 1 Parameter values for steel and aluminum powders used to calculate adiabatic print rates.

<table>
<thead>
<tr>
<th>Material</th>
<th>Steel 316L</th>
<th></th>
<th>AlSi10Mg</th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td>Parameter</td>
<td>Value</td>
<td>Reference</td>
<td>Value</td>
<td>Reference</td>
</tr>
<tr>
<td>Density [kg/m3]</td>
<td>7970</td>
<td>IAEA 2009</td>
<td>2670</td>
<td>EOS material sheet</td>
</tr>
<tr>
<td>Heat capacity [J/(kg-°C)]</td>
<td>510</td>
<td>IAEA 2009</td>
<td>963</td>
<td>Touloukian et al. 1970</td>
</tr>
<tr>
<td>Melting temperature [°C]</td>
<td>1430</td>
<td>IAEA 2009</td>
<td>613</td>
<td>Touloukian et al. 1970</td>
</tr>
<tr>
<td>Plate temperature [°C]</td>
<td>100 - 300</td>
<td>Baumers et al. 2010</td>
<td>100 - 300</td>
<td>Baumers et al. 2010</td>
</tr>
<tr>
<td>Latent heat [J/kg]</td>
<td>273,000</td>
<td>AZO materials data sheet</td>
<td>389,000</td>
<td>Touloukian et al. 1970</td>
</tr>
<tr>
<td>Laser material absorption rate</td>
<td>0.64</td>
<td>Tolonko et al. 2000</td>
<td>0.62</td>
<td>Gestel 2015</td>
</tr>
<tr>
<td>Machine</td>
<td>Laser</td>
<td>Material</td>
<td>P (W)</td>
<td>Laser spot diameter (mm)</td>
</tr>
<tr>
<td>-------------------------------</td>
<td>--------------------------------------------</td>
<td>---------------</td>
<td>-------</td>
<td>--------------------------</td>
</tr>
<tr>
<td><strong>Functional Parts</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>(calculation includes recoating time)</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>AM 250</td>
<td>Yb fiber laser</td>
<td>SAE 316L</td>
<td>200</td>
<td>0.07</td>
</tr>
<tr>
<td>Triumph (not specified)</td>
<td>not specified Yb laser</td>
<td>SAE 316L</td>
<td>200</td>
<td>N/A</td>
</tr>
<tr>
<td>MCP-HEK (not specified)</td>
<td>not specified Yb laser</td>
<td>SS 316</td>
<td>100</td>
<td>N/A</td>
</tr>
<tr>
<td><strong>Pillars, cubes, specimen (data chosen to ensure &gt;99% printed density, calculation includes hatching distance, powder depth and scanning velocity)</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Modified Trumaform LF250</td>
<td>Yb and fiber laser</td>
<td>Steel 1.2343, 1.2709, 1.4404</td>
<td>1000</td>
<td>1.00</td>
</tr>
<tr>
<td>Concept Laser M2</td>
<td>Yb fiber laser</td>
<td>SS 316L</td>
<td>250 -</td>
<td>0.22</td>
</tr>
<tr>
<td>SLM 250 HL</td>
<td>Yb fiber laser</td>
<td>SS 316L</td>
<td>380</td>
<td>0.08</td>
</tr>
<tr>
<td>Modified Trumaform LF250</td>
<td>Yb and fiber laser</td>
<td>Steel 1.2343, 1.2709, 1.4404</td>
<td>300</td>
<td>0.20</td>
</tr>
<tr>
<td>Concept Laser M3</td>
<td>Not mentioned, fiber laser from specs</td>
<td>SS 316L</td>
<td>105</td>
<td>0.20</td>
</tr>
<tr>
<td>Customed SLM machine</td>
<td>Nd-YAG, fiber laser</td>
<td>SS 316L</td>
<td>100</td>
<td>0.18</td>
</tr>
<tr>
<td>SLM-Realizer 100</td>
<td>Yb fiber laser</td>
<td>SS 316L</td>
<td>100</td>
<td>0.18</td>
</tr>
<tr>
<td>SLM-Realizer 100</td>
<td>Yb fiber laser</td>
<td>SS 316L</td>
<td>50</td>
<td>0.0</td>
</tr>
<tr>
<td>Machine</td>
<td>Laser</td>
<td>Material</td>
<td>P (W)</td>
<td>Measured rate (ccm/hr)</td>
</tr>
<tr>
<td>----------------------</td>
<td>----------------------</td>
<td>------------</td>
<td>-------</td>
<td>-------------------------</td>
</tr>
<tr>
<td>SLM 500 HL</td>
<td>YLR fiber laser</td>
<td>AlSi10Mg</td>
<td>1600</td>
<td>60.0</td>
</tr>
<tr>
<td>Modified SLM machine</td>
<td>Customized fiber laser</td>
<td>AlSi10Mg</td>
<td>300</td>
<td>14.4</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td>500</td>
<td>32.4</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td>700</td>
<td>43.2</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td>1000</td>
<td>57.6</td>
</tr>
<tr>
<td>Concept Laser M1</td>
<td>Fiber laser</td>
<td>AlSi10Mg</td>
<td>200</td>
<td>14.8</td>
</tr>
</tbody>
</table>
Observations on Filament and Pellet Extrusion Processes

The print rate of the filament extrusion process has not changed much in spite of many different varieties of machines available. This is shown clearly in figure 1. And again, a limiting print rate for these machines can be demonstrated by a relatively simple heat transfer model.

Filament extrusion technology works like a glue gun. A solid polymer filament of diameter D (typically 1 – 2 mm), enters a heated die of length L (~ 20mm), is heated by conduction from the heated wall, and then exits the die at a smaller diameter d when it is printed. Roughly, \( d \approx D/10 \). This is shown schematically in Figure 4. Using a simple approximation as shown in the Appendix, one can estimate the maximum print rate to be,

\[
\dot{m} = 2\pi \frac{k}{c} L. \tag{4}
\]

In equation 4, \( k \) is the thermal conductivity of the polymer filament, and \( c \) is the average specific heat. The basic assumption behind equation 4 is that the polymer filament of length L must obtain a sufficiently high temperature by conduction from the heated walls, before it can be advanced and fused to the adjacent layers. A more detailed model for this process is given in (Sheng 2017). This result
suggests that the print rate for filament extrusion can be limited by heat transfer\(^2\). Heat conduction for polymers is well known to be low, and so it can dominate many rate phenomena during processing. For example, the cooling rate, and hence the cycle time, for injection molding is generally controlled by heat conduction through the polymer.

Interestingly, to a first approximation, the filament diameter drops out of the mass process rate estimate in equation 4. Hence, printing thicker filaments will not increase the mass printing rate. However, a longer heating zone \(L\) (and therefore more cumbersome print head), and more conductive polymer (perhaps filled with a conductive filler like carbon fibers) would help. Also important would be to decouple the thermal diffusion scale length from the print ribbon length scale. This is something that the single barrel melt extruder does for the new pellet extrusion technology called, BAAM. And others are developing tuned laser absorption as an alternative bulk heating method (Go 2017).

As shown in figure 1 measurements of four different filament extrusion systems of significantly different power (70W to 1.4kW) and size showed almost no change in process rate [Corman 2014]. All of them used similar filament systems and made parts at the rate of about 10-20 grams/hr. Furthermore, since the bigger machines used more power (due to the bigger heated print chambers) they actually had higher energy intensity values compared to the smaller machines i.e. 100’s of MJ/kg Vs 10’s MJ/kg [Corman 2014]. The lower range of energy use is quite competitive with injection molding, but the print rates are not. The print rates of 10 to 20 grams/hr are roughly 3 to 4 orders of magnitude smaller than injection molding. Unless this rate is improved, it will not be competitive for the vast majority of injection molded parts.

One significant improvement in polymer extrusion technology, that was noted earlier, is the so-called Big Area Additive Manufacturing (BAAM) system developed by Cincinnati Incorporated and Oak Ridge National Laboratory. The

\(^2\) Note that a major difference between laser processes and extrusion processes is that fast and complex pattern scanning with lasers is possible due to the use of galvanometers, while fast scanning of extruders is impeded by the inertia of the mechanical positioning mechanism. The result is that part complexity has almost no effect on the process rate for laser processes, but can noticeably slow down extrusion processes for complex shapes. See (Baumers 2016, and Go 2017).
electric energy intensity and print rate for this technology are shown in Figure 1. The BAAM technology abandoned the filament approach, and replaced the print head with a conventional single barrel melt extruder. Such a machine is feed using (less expensive) pellets, is more than an order of magnitude longer than the conventional filament extrusion print head (L in equation 4) and employs a much more favorable melting geometry compared to the filament approach [Tadmore and Gogos 1980]. Sheng (2017) has performed a detailed analysis of this process which indicates the use of viscous heating, as well as heat transfer from the barrel wall, greatly enhances the melting process. All of these factors contributed to the very significant increase in process rate and reduction in energy intensity in spite of using higher power compared to conventional filament extrusion technologies. At the same time, while the longer extruder helps to increase the rate, it also makes the print head much bulkier, limiting feature detail, and of course the output is much coarser (with surface features on the order of 1 cm), leading to a much poorer surface finish and very significant post processing. That is, while the details have not yet been shared, it seems apparent that these large parts after being printed, are likely loaded into a large machine tool, probably five axis, and machined to get the fine surface finish often displayed on the final parts. Other possible required steps could be heat treatment, and hand surface finishing, but as far as we know, the details for the required post processing have not yet been revealed.

Nevertheless, the new pellet extrusion technology both increases the process rate, by more than 2 orders of magnitude, and decreases the electricity requirement per kg by about two orders of magnitude when compared to the filament extrusion technology. Hence, in terms of the two parameters this paper is focused on: process rate and energy intensity, the BAAM technology is a clear breakthrough, demonstrating new thinking and creative use of existing technology. At the same time there is more to learn about this technology, and we look forward to more detailed reports concerning the stability and strength of the printed structures, and the extent of post processing required.

Conclusions
Additive technologies have revolutionized how we can make physical objects. They have shown steady progress as they have transitioned from physical object prototyping, to functional prototyping, to one-off parts and to tooling inserts. Currently they are being considered for parts that channel gases and liquids
through complex flow paths in high temperature environments. Applications include aerospace and engine parts like fuel mixing heads and diffusion burners, and tooling applications such as injection molding dies. In these applications, additive technologies can replace complex operations, machining hard materials often with high “buy to fly” ratios. These applications seem very attractive for additive processes and have a very real chance to make better performing parts, in less time and using less material and energy. We expect this trend to continue with still more new application.

Nevertheless, in spite of these successes, additive technologies have very real limits to their performance and without additional innovation and development will not come close to many of the premature announcements concerning their future possibilities. In this paper, we focus on one of the major barriers in the way of the transition from prototyping to manufacturing; the very slow print rate. This obstacle alone could eliminate AM from serious consideration for most parts that are manufactured today. At the same time, this challenge is known in the industry and many capable engineers and scientists are looking hard to cross this barrier. We hope that this paper will bring attention to these challenges.

Acknowledgements
We acknowledge partial funding for this work from Cummins and many useful conversations with John Wall, Roger England, and Madeline Fogler. In addition, we learned much from discussions with Lonnie Love, Sachin Nimbulkar, Paul Witherell, Martin Baumers, John Hart, Jamison Go, Gideon Levy and David Bourell. Of course, any interpretation of these conversations is entirely ours. The authors claim no conflict of interest.

References


Cook, Nathan, 1955, Manufacturing Analysis, Wiley


Appendix – Derivation of energy efficiency equation 4, and maximum rate for filament extrusion equation 5

Assume that the energy efficiency of the process is the ratio of the minimum energy required to raise the temperature of the powder to the final melt temperature, divided by the nominal actual energy used which can be provided by two separate heating mechanisms; 1. The laser with power $P$, and 2. The heated chamber at temperature $T_c$. Using relevant efficiencies for the laser, the electric grid and the heated chamber, as $\eta_{\text{laser}}$, $\eta_{\text{grid}}$ and $\eta_{\text{chamber}}$ one gets,

$$\eta_{\text{energy}} = \frac{m(c(T_f - T_c) + \gamma + c(T_c - T_{\text{amb}}))}{\alpha P t \cdot \frac{1}{\eta_{\text{laser}}} \cdot \frac{1}{\eta_{\text{grid}}} + m c (T_c - T_{\text{amb}}) \cdot \frac{1}{\eta_{\text{chamber}}} \cdot \frac{1}{\eta_{\text{grid}}}}$$

A1

Using equations 1 and 2 this can be rewritten as,

$$\eta_{\text{energy}} = \frac{1 + \frac{(T_c - T_{\text{amb}})}{(T_f - T_c) + \gamma/c}}{\eta_{\text{adiabatic}} \cdot \frac{1}{\eta_{\text{laser}}} \cdot \frac{1}{\eta_{\text{grid}}} + \frac{(T_c - T_{\text{amb}})}{(T_f - T_c) + \gamma/c} \cdot \eta_{\text{chamber}} \cdot \frac{1}{\eta_{\text{grid}}}}$$

A2

Substituting values for the relevant parameters from Tables 1 and 2 for steel and aluminum powders, this can be approximated as

$$\eta_{\text{energy}} \approx \eta_{\text{adiabatic}} \cdot \eta_{\text{laser}} \cdot \eta_{\text{grid}}$$

A3

Note that because of the high chamber temperature used (relative to the melt temperature) for polymer powder printing, a different result is obtained. Additionally, one could add the mass of the heated chamber in an alternative derivation.

**Derivation of scaling law for filament extrusion**

Referring to Fig 4, assume a constant wall temperature and that the thermal resistance is dominated by conduction in the cylindrical polymer filament of
diameter \( D = 2R \), and length \( L \), where \( L \gg D \). The constant wall temperature heat transfer condition was interpreted as an equivalent convective heat transfer with infinitely large heat transfer coefficient. And further assuming that the filament is melted and ready to print when the dimensionless temperature has gone from a value of 1.0 to 0.1 at the centerline of the filament. This corresponds to transient heat conduction when the dimensionless time, the Fourier Number \( Fo \), obtains a value of 0.5 [Lienhard 2011], that is,

\[
Fo \equiv \frac{\alpha t}{R^2} = \frac{kt}{\rho cR^2} \approx 0.5 \quad \text{A4}
\]

Hence the time to bring mass \( \rho L\pi R^2 \) to the onset of melting is approximately,
\[
t \approx \frac{\rho c R^2}{2k}, \quad \text{The resulting mass process rate is then given by}
\]

\[
\hat{m} = 2\pi \frac{k}{c} L \quad \text{A5}
\]

Reference: