### Solid-State NMR of Metal Sites in Biological Systems

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### OUTLINE

#### **INTRODUCTION**

Metals in biology and chemistry: abundance, nuclear properties

#### **QUADRUPOLAR INTERACTION**

Quadrupolar Hamiltonian First and second order quadrupolar interaction: lineshapes Magnitude of quadrupolar interaction for different geometries High resolution spectroscopy of quadrupolar nuclei: contrast with spin-1/2 systems

#### DETECTING SSNMR SPECTRA OF HALF-INTEGER QUADRUPOLAR NUCLEI

Small and moderate quadrupole couplings Large quadrupole couplings Sensitivity enhancement techniques Resolution enhancement techniques Additional practical considerations

#### **RELATING THE NMR PARAMETERS TO MOLECULAR STRUCTURE**

Classical electrostatic theory Quantum mechanical calculations of NMR parameters (EFG and CSA tensors)

#### **EXAMPLES: SSNMR OF METALS IN BIOLOGICAL SYSTEMS**

ADDITIONAL LECTURE: TUTORIAL ON QUANTUM MECHANICAL CALCULATIONS OF NMR PARAMETERS



#### **PERIODIC TABLE OF METALS IN BIOLOGY** IIA. VIIA IA 1.0.2 Η Η He Hydrogen Hydroge Helium 0.01 12.07 14.0.8 6914 10.8.6 16.0.9 14.0.10 C N Li В Ne Be F Periodic Table of Metals in Biology Nitroge Carbon Oxyge Fluorine Lithium Boron 27.0.14 28.1 15 31.0 16 32.1 17 Si Al Р S Cl Na Mg Ar Silicon Aluminum Phosphorus Suthr Chlorine Argon 45.0.22 72.6 33 71934 Sc Zn Br Ti Fe Ga Ge As Se Kr K Ca Mn CO Cu Scandium Titanium Gallum Germaniur Arsenic Bromin Krypton Selenium 61.1 118.7 121.8.52 127.653 126.9.54 131.3 101.145 106.447 Rb Sr Y Nb Tc Ru Rh Pd Sn Sb Mo Te Xe Zr Ag Ca In Rubidium Strontum Ymum Zirconium Nobium Ruthenium Rhodun Paladum Shie Indium Tin. Antimony Tellurium lódine Xenori 112.9.5 117 178.57 1814 THEY ! 190.27 192.271 195.179 197.08 207.28 209.084 (20918 1222 186.3 Ba Hf Hg Pb Bi Rn Cs Ta Re Os Pt Po W Ir Au At (La-Lu) Cesium Banum Hafnium Tantalum Astatin Radon (223)88 226.0 Fr Ra (Ac-Lr) Francium Radum 152.064 157,365 158,966 162.567 167.269 168,970 173.071 175.0 138.958 140.1.59 185.966 144.261 (145%) 150.867 164.968 Pm Sm Tb Dy Ho Er Lu La Eu Gd Tm Ce Nd Υb Lanthanur Europium Gadolinis Erbium Lutetum (231)92 (2449) 1241/04 (251) (257)101 (258)103 212.09 218.093 (217)% 1247/6 (247)9 (252)100 (26) Pu Th Pa Np Es Lr Ac Bk Fm Am Cm Md No Actinium Thorium Protactinium Uranium Photonium American Curium Barkalium Californium Einsteiniu Lawrencius naturally occurring metals metals used as probes or drugs **ABOUT 1/3 OF ALL PROTEINS CONTAIN METALS**

### **BIOLOGICAL FUNCTIONS OF METALS**





Na	Sodium	charge carrier; osmotic balance
K	Potassium	charge carrier, osmotic balance
Mg	Magnesium	structure; hydrolase; isomerase
Ca	Calcium	structure; trigger; charge carrier
V	Vanadium	nitrogen fixation; oxidase
Cr	Chromium	essential trace element;
		possible involvement in glucose tolerance
Мо	Molybdenum	nitrogen fixation; oxidase; oxo transfer
W	Tungsten	dehydrogenase
Mn	Manganese	photosynthesis; oxidase; structure
Fe	Iron	oxidase; dioxygen transport and storage; electron transfer; nitrogen fixation
Co	Cobalt	oxidase; alkyl group transfer
Ni	Nickel	hydrogenase; hydrolase
Cu	Copper	oxidase; dioxygen transport; electron transfer
Zn	Zinc	structure; hydrolase
		Adapted from S. Lippard and J. Berg "Principles of Bioinorganic Chemistry

### **MAGNETIC PROPERTIES OF METALS**

ydrogen 6.94.4 Li Jibium	Be			Nu	iclea	r Spi	ns o	f Me	tals			5 10.8 Boron	6 12.0 Carbon	7 14.0 Nitrogen	O O Oxygen	Hydrogen 19.0 Fluorine	
Na	Magnesium	spin = 1/2 🧾 spin > 1/2 (quadrupolar)								Aluminum	Silcon	Phosphorus	Suttur	Chlorine	A		
K stassium	Calcium	Scandium	Ti Titanium	23 50.93 Variadium	Cr Chromium	Manganese	Fe	Cobatt	Nickel	Copper 63.6	<sup>30</sup> Zn Znc	Gallum	Germanium	Arsenic	Selenium	Bromine	Клур
R5.5.3	s srontum	Y SS.94	Zr Zrconium	Nichium	Molybdenum	Tc Technitum	Ruthenium	Rhodium	Palladum	Ag Silver	Cadmium	Indium	So (III.7 Sn Tin	SI 121.8	Tellurium	IJ 126.9	Xen
132.95 CS Cesium	Banum	(La-Lu)	Hatnum	Ta Tantalum	W 183.8 Tungsten	Re Re Rhenium	OS Osmium	Ir Ir	Platnum	Au Gold	NO 200.6 Hg Mercury	TI Thallum	R2 207.2 Pb	Bismuth	Polonium	Astatirie	Rad
(223)8 Fr	Radium	(Ac-Lr)		A.A.C	ra						e sa colates						
	3	La	Ce	<sup>59</sup> Pr	<sup>10</sup> Nd	Pm	<sup>32</sup> Sm	Eu	Gd	15 Tb	<sup>66</sup> Dy	67 164.9 Ho	$\operatorname{Er}^{167.2}$	Tm	<sup>173.07</sup> Yb	Lu	
		Ac	Th	Page (231)	U 1000000000000000000000000000000000000	Np	Pu Bitter	Am	Californian Cm	Bk		Es	Fm	Md (258)	No		1

### **SPIN-1/2 METALS IN BIOLOGY**

#### **NATURALLY OCCURING SPIN-1/2 METALS**

<sup>57</sup>Fe- detection of low-spin ferrous Fe<sup>2+</sup> in ferrocenes and porphyrins, myoglobins, and cytochrome c (Baltzer et al.: J. Am. Chem. Soc. 1984, Chem. Comm. 1985, J. Am. Chem. Soc. 1987, Chem. Comm. 1987)

#### SPIN-1/2 METALS USED AS NMR PROBES OR DRUGS

- <sup>111</sup>Cd- replacement of native Zn(II), Ca(II), Mg(II), Mn(II), Fe(II), Cu(II) sites in proteins (e.g., calmodulin, transferrin, alkaline phosphatase, azurin, plastocyanin, glucocorticoid receptor, etc.)
- <sup>119</sup>Sn- structural probe of protoporphyrin-hemoprotein interactions, in organotin antibiotics and antitumor drugs
- <sup>195</sup>Pt- structural probe in Pt complexes used as antitumor agents to probe interactions with DNA
- <sup>199</sup>Hg- replacement of native Zn(II), Cu(II), Fe(II) sites in proteins (e.g., carbonic anhydrase, azurin, plastocyanin, rusticyanin, rubredoxin, Gal4, MerR, and MerP)
- <sup>205</sup>TI<sup>+</sup>- structural probe for monovalent cation binding sites (K<sup>+</sup>, Na<sup>+</sup>) in ATPases, protein C, S-adenosylmethioneine synthetase, and pyruvate kinase;
- <sup>205</sup>TI<sup>3+</sup>- probe of Fe<sup>3+</sup> sites in transferrins

Reviewed in G. Oz, D. L. Pountney, and I. M. Armitage, Biochem. Cell. Biol. 76: 223-224 (1998)

### **QUADRUPOLAR METALS IN BIOLOGY**





#### **Examples of metalloproteins**

- Na Na<sup>+</sup> ion channels, Na<sup>+</sup>-K<sup>+</sup>-ATPase,
- K K+ ion channels, Na+-K+-ATPase,
- Mg restriction endonucleases, Mg<sup>2+</sup>/Ca<sup>2+</sup>-ATPase, phosphatase, phosphoglucomutase, DNA polymerase
- Ca thermolysin, phospholipase A2, Mg2+/Ca2+-ATPase, neutral protease
- V nitrogenase, haloperoxidases
- Cr essential trace element but specific proteins are unknown
- Mo nitrogenase, xanthine oxidase, nitrate reductase, formate dehydrogenase, dimethylsulfoxide reductase, sulfite oxidase
- Mn SOD, photosystem II, arginase, catalase, xylose isomerase, ribonuclease H, phosphotriesterase, enolase
- Co Coenzyme-B12 dependent enzymes: glutamate mutase, diol dehydrase, ribonucleotide reductase, ethanolamine ammonia lyase, methionine aminopeptidase, glucose isomerase, Co transporters
- Ni Ni-Fe hydrogenases; hydrolases
- Cu azurin, galactose oxidase, nitrogenase, plastocyanin, hemocyanin, Cu-Zn SOD
- Zn liver alcohol dehydrogenase, carbonic anhydrase, carboxypeptidease A, Cu-Zn SOD

### UNDERSTANDING GEOMETRIC AND ELECTRONIC STRUCTURE OF THE METAL CENTERS- IMPORTANT FOR UNDERSTANDING THE FUNCTION OF THE METALLOPROTEINS; SSNMR- DIRECT PROBE

# METALS NMR IN BIOLOGICAL SOLIDS: INFORMATION CONTENT

Presence of a particular metal site (sometimes indiscernible in X-ray structures)

**Geometry of metal sites** 

Electronic structure of metal sites (i.e., interactions with surrounding ligands and/or solvent molecules)

Protonation states of metal cofactors/ligands

Identification of polymorphs

**Dynamics of metals and/or coordinated ligands** 

This information- sheds light on chemical reactivity of metal sites in metallobiomolecules, often unavailable from other techniques

SSNMR SPECTROSCOPY OF QUADRUPOLAR NUCLEI IN BIOLOGICAL SYSTEMS

UNTIL RECENTLY HAS BEEN CONSIDERED IMPRACTICAL:

LOW SENSITIVITY BROAD LINES COMPLEX SYMMETRY OF QUADRUPOLAR INTERACTION

### **QUADRUPOLAR NUCLEI**

NUCLEI WITH SPIN I > 1/2

HAVE A NON-SPHERICAL CHARGE DISTRIBUTION, POSSESS A NUCLEAR QUADRUPOLE MOMENT, eQ

THE NUCLEAR QUADRUPOLE MOMENT, eQ, INTERACTS WITH THE ELECTRIC FIELD GRADIENT, V, AT THE NUCLEUS

**NUCLEAR CHARGE DISTRIBUTION** 



### ELECTROSTATIC INTERACTION OF THE NUCLEUS WITH ITS ENVIRONMENT

 $H = \int \rho(x) V(x) d^3 x \qquad \begin{array}{l} \rho(x) \\ V(x) \\ V(x) \end{array} \begin{array}{l} \text{Nuclear charge density} \\ \text{Electrostatic potential (all charges other than nucleus under consideration)} \end{array}$ 

**EXPAND THE POTENTIAL ABOUT THE NUCLEAR CENTER OF MASS:** 

$$H = \int d^{3}x \rho(x) \left\{ V_{O} + \sum_{J} \left( \frac{\partial V}{\partial x_{J}} \right)_{0} x_{j} + \frac{1}{2} \sum_{j,k} \left( \frac{\partial^{2} V}{\partial x_{J} \partial x_{k}} \right)_{0} x_{j} x_{k} + \dots \right\}$$
$$\int d^{3}x \rho(x) = Ze \qquad - \text{nuclear charge}$$
$$\int d^{3}x \rho(x) x_{j} \equiv P_{j} \qquad - \text{electric dipole moment}$$
$$\int d^{3}x \rho(x) x_{j} x_{k} \equiv Q_{jk} \qquad - \text{electric quadrupole moment tensor}$$

M. H. Cohen and F. Reif "Quadrupole Effects in Nuclear Magnetic Resonance Studies in Solids" Solid St. Phys. 5: 321-438 (1957)

### **ELECTROSTATIC INTERACTION OF THE NUCLEUS WITH ITS ENVIRONMENT**

#### **EXPAND THE POTENTIAL ABOUT THE NUCLEAR CENTER OF MASS:**

$$H = ZeV_{O} + \sum_{J} P_{j} \left(\frac{\partial V}{\partial x_{J}}\right)_{0} x_{j} + \frac{1}{2} \sum_{j,k} Q_{jk}' \left(\frac{\partial^{2} V}{\partial x_{J} \partial x_{k}}\right)_{0} x_{j} x_{k} + \dots$$

energy of a point nucleus (vanishes)

electrostatic electric dipole term

quadrupolar interaction

 $V_{jk} = \frac{\partial^2 V}{\partial x_j \partial x_k} = -\frac{\partial E_k}{\partial x_j} - electric \text{ field gradient tensor elements}$ where  $E_k = -\frac{\partial V}{\partial x_k} - electric$  field

M. H. Cohen and F. Reif "Quadrupole Effects in Nuclear Magnetic Resonance Studies in Solids" Solid St. Phys. 5: 321-438 (1957)

### NUCLEAR ELECTRIC QUADRUPOLE MOMENT

MEASURES THE DEPARTURE OF THE NUCLEAR CHARGE DISTRIBUTION FROM SPHERICAL SYMMETRY

 $eQ = \int \rho_{II}(x) (3z^2 - r^2) d^3x$  $\rho_{II}(x) - \text{expectation value of the nuclear charge density (state with I = m)}$ 

For spherically symmetric  $\rho(\mathbf{x})$ ,  $\mathbf{Q} = \mathbf{0}$ 

**PROPERTIES OF Q:** 

Has dimensions of an area, of the order of magnitude  $r_n^2$ ;  $r_n$ - nuclear radius, 10<sup>-13</sup> - 10<sup>-12</sup> cm;  $Q \sim r_n^2 \sim 10^{-24} \text{ cm}^2$ 

M. H. Cohen and F. Reif "Quadrupole Effects in Nuclear Magnetic Resonance Studies in Solids" Solid St. Phys. 5: 321-438 (1957)

### NUCLEAR ELECTRIC QUADRUPOLE MOMENT: UNITS AND SIGN CONVENTIONS

THE QUADRUPOLE COUPLING CONSTANT FOR NUCLEUS X IS GIVEN AS

$$C_Q^X = \frac{e^2 q Q^X}{a_0^3 h} = \frac{e V_{ZZ}^{PAS} Q^X}{a_0^3 h}$$

### where $Q^x$ is the quadrupole moment for nucleus X. The constants are given as

Electron's charge:  $e = 4.803242 \times 10^{-10} esu = 4.803242 \times 10^{-10} g^{1/2} cm^{3/2} s^{-1}$ Planck constant:  $h = 6.626176 \times 10^{-27} ergs = 6.626176 \times 10^{-27} gcm^2 s^{-1}$ First Bohr orbit radius in H:  $a_0 = 0.52917706 \times 10^{-8} cm$ 

using these values ...

$$[e^2/(a_0^3h)] \ge 10^{-24} \text{ cm}^2 = 2.349649 \ge 10^8 \text{ Hz}$$

Slide material courtesy of Paul Ellis

### NUCLEAR ELECTRIC QUADRUPOLE MOMENT: UNITS AND SIGN CONVENTIONS

#### SOME TYPICAL VALUES OF Q<sup>X</sup> X 10<sup>24</sup> ARE:

95Mo:	$Q^{Mo} = 0.16 \text{ cm}^2$	$(0.022 \text{ cm}^2)$
<sup>67</sup> Zn:	$Q^{Zn} = 0.15 \text{ cm}^2$	$(0.150 \text{ cm}^2)$
<sup>63</sup> Cu:	$Q^{Cu} = 0.16 \text{ cm}^2$	$(0.220 \text{ cm}^2)$
<sup>43</sup> Ca:	$Q^{Ca} = 0.2 \pm 0.1 \text{ cm}^2$	(-0.0408 cm <sup>2</sup> limited accuracy)
<sup>37</sup> Cl	$Q^{Cl} = (-0.0646 \text{ cm}^2)$	1974 - 1974 1
35Cl	$Q^{Cl} = (-0.082 \text{ cm}^2)$	
<sup>33</sup> S:	$Q^{S} = -0.064 \text{ cm}^{2}$	(-0.0678 cm <sup>2</sup> )
<sup>27</sup> Al:	$Q^{Al} = 0.149 \text{ cm}^2$	$(0.1403 \text{ cm}^2)$
<sup>25</sup> Mg:	$Q^{Mg} = 0.22 \text{ cm}^2$	$(0.1994  \mathrm{cm}^2)$
<sup>23</sup> Na:	$Q^{Na} = 0.12 \text{ cm}^2$	$(0.1074 \text{ cm}^2)$
<sup>17</sup> O:	$Q^0 = -0.026 \text{ cm}^2$	2014 Direct 1997
<sup>14</sup> N:	$Q^{N} = 0.016 \text{ cm}^{2}$	
<sup>9</sup> Be:	$Q^{Be} = 0.052 \text{ cm}^2$	
<sup>7</sup> Li:	$Q^{Li} = -0.045 \text{ cm}^2$	(-0.0401 cm <sup>2</sup> )
<sup>2</sup> H:	$Q^{\rm H} = 0.00273 \ {\rm cm}^2$	$(0.002860 \text{ cm}^2)$

The values in parenthesis are those deduced by P. Pyykkö [Z. Naturforsch. 47a, 189-196 (1992)].

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### NUCLEAR ELECTRIC QUADRUPOLE MOMENT: UNITS AND SIGN CONVENTIONS

THEREFORE, WE CAN WRITE (USING PYYKKÖ'S VALUES):

 $C_q^{Mo} = q_{zz} 5.16923 \text{ MHz}$   $C_q^{Zn} = q_{zz} 35.24474 \text{ MHz}$   $C_q^{Cu} = q_{zz} 51.69227 \text{ MHz}$   $C_q^{Ca} = q_{zz} (46.9930 \pm 23.4965) \text{ MHz or } \underline{-q_{zz}} 9.58657 \text{ MHz}$   $C_q^{Cl} = q_{zz} (19.26712 \text{ MHz} [^{35}\text{Cl}] \text{ and } 15.17873 \text{ MHz} [^{37}\text{Cl}])$   $C_q^{S} = -q_{zz} 15.0378 \text{ MHz or } \underline{-q_{zz}} 15.930620 \text{ MHz}$   $C_q^{Al} = q_{zz} 35.00977 \text{ MHz or } \underline{q_{zz}} 32.96558 \text{ MHz}$   $C_q^{Mg} = q_{zz} 51.6923 \text{ MHz or } \underline{q_{zz}} 46.852 \text{ MHz}$   $C_q^{Na} = q_{zz} 28.19578 \text{ MHz or } \underline{q_{zz}} 25.23523 \text{ MHz}$   $C_q^{Na} = q_{zz} 3.75944 \text{ MHz}$   $C_q^{Be} = q_{zz} 12.21817 \text{ MHz}$   $C_q^{Li} = -q_{zz} 10.57342 \text{ MHz or } \underline{-q_{zz}} 9.422092 \text{ MHz}$ 

Some useful ratios:

 $Q(^{37}Cl)/Q(^{35}Cl) = 0.7880983$  $Q(^{40}K)/Q(^{39}K) = 1.244$  $Q(^{65}Cu)/Q(^{63}Cu) = 0.9268$ 

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## **QUADRUPOLAR HAMILTONIAN**

**CARTESIAN COORDINATES:** 

$$H_{Q} = \frac{eQ}{6I(2I-1)h} \hat{I} \cdot \hat{V} \cdot \hat{I}$$

$$H_{Q} = \frac{eQ}{6I(2I-1)h} \sum_{\substack{i,j=\\x,y,z}} V_{ij} \left[ \frac{3}{2} (\hat{I}_{i} \hat{I}_{j} + \hat{I}_{j} \hat{I}_{i}) - \delta_{ij} \hat{I}^{2} \right] =$$

$$\frac{e^{2}qQ}{4I(2I-1)h} \left[ 3\hat{I}_{Z}^{2PAS} - \hat{I}^{2} + \eta_{Q} (\hat{I}_{x}^{2PAS} - \hat{I}_{y}^{2PAS}) \right]$$

$$eq = V_{ZZ}^{PAS}; \ \eta_{Q} = \frac{V_{XX}^{PAS} - V_{YY}^{PAS}}{V_{ZZ}^{PAS}};$$

$$C_{Q} = \frac{e^{2}qQ}{h} \quad \text{Quadrupole coupling constant}$$

### **QUADRUPOLAR HAMILTONIAN**

#### **CARTESIAN COORDINATES, LABORATORY FRAME:**

$$\hat{H}_{0} = -\omega_{0}\hat{I}_{Z}; \qquad \qquad \begin{pmatrix} \hat{I}_{X} \\ \hat{I}_{Y} \\ \hat{I}_{Z} \end{pmatrix} = R(\theta, \phi) \begin{pmatrix} \hat{I}_{X}^{PAS} \\ \hat{I}_{Y}^{PAS} \\ \hat{I}_{Z}^{PAS} \end{pmatrix}$$

$$\begin{split} \hat{H}_{\varrho} &= \frac{e^2 q Q}{4I(2I-1)h} \{ \frac{1}{2} (3\cos^2 \theta - 1) (3\hat{I}_Z^2 - \hat{I}^2) \\ &+ \frac{3}{2} \sin \theta \cos \theta [\hat{I}_Z (\hat{I}_+ + \hat{I}_-) + (\hat{I}_+ + \hat{I}_-) \hat{I}_Z] + \frac{3}{4} \sin^2 \theta (\hat{I}_+^2 + \hat{I}_-^2) \} \\ &+ \eta_{\varrho} \frac{e^2 q Q}{4I(2I-1)h} \{ \frac{1}{2} \cos 2\phi (1 - \cos^2 \theta) (3\hat{I}_Z^2 - \hat{I}^2) \\ &+ (\cos^2 \theta + 1) (\hat{I}_+^2 + \hat{I}_-^2) \\ &+ \frac{1}{2} \sin \theta [(\cos \theta \cos 2\phi - i \sin 2\phi) (\hat{I}_+ \hat{I}_Z + \hat{I}_Z \hat{I}_+) ] \\ &+ (\cos \theta \cos 2\phi + i \sin 2\phi) (\hat{I}_- \hat{I}_Z + \hat{I}_Z \hat{I}_-) ] \\ &+ (i/4) \sin 2\phi \cos \theta (\hat{I}_+^2 - \hat{I}_-^2) \end{split}$$

### **QUADRUPOLAR HAMILTONIAN:** HIGH FIELD LIMIT

# ${\rm H}_{\rm Q}$ TREATED BY PERTURBATION THEORY, ONLY FIRST AND SECOND ORDER TERMS ARE SIZEABLE IN MOST OF THE CASES

**USE SPHERICAL COORDINATES:** 

$$\hat{H}_{Q}^{(1)} = \frac{e^2 q Q}{4I(2I-1)} \sqrt{6} V_{20} \hat{T}_{20} \qquad \hat{H}_{Q}^{(2)} = \frac{C_Q^2}{\omega_L} \sum_{m \neq 0} \frac{V_{2m} V_{2-m} [T_{2m}, T_{2-m}]}{2m}$$

$$\hat{H}_{Q}^{(2)} = -\left(\frac{e^{2}qQ}{4I(2I-1)h}\right)^{2} \frac{1}{\omega_{L}} \frac{2}{5} \times \left\{ \left[-3\sqrt{10}\hat{T}_{30} + \hat{T}_{10}\left(3-4I(I+1)\right)\right]V_{00} + \left[-12\sqrt{10}\hat{T}_{30} - \hat{T}_{10}\left(3-4I(I+1)\right)\right]V_{20} + \left[-34\sqrt{10}\hat{T}_{30} + 3\hat{T}_{10}\left(3-4I(I+1)\right)\right]V_{40} \right\}$$

### ELECTRIC FIELD GRADIENT (EFG) TENSOR: CARTESIAN COORDINATES

SYMMETRIC, TRACELESS SECOND-RANK TENSOR,  ${\bf V}$ 

$$V_{XX} + V_{YY} + V_{ZZ} = 0$$

**PRINCIPAL COMPONENTS OF THE EFG TENSOR:** 

$$\left|V_{ZZ}\right| \geq \left|V_{YY}\right| \geq \left|V_{XX}\right|$$

**NUCLEAR QUADRUPOLE COUPLING CONSTANT:** 

$$C_Q = \frac{V_{ZZ}(eQ)}{h}, \ Q - electric \ quadrupole \ moment$$

**ASYMMETRY PARAMETER:** 

$$\eta_Q = \frac{V_{XX} - V_{YY}}{V_{ZZ}}; \ 0 \le \eta_Q \le 1$$

### ELECTRIC FIELD GRADIENT (EFG) TENSOR: SPHERICAL COORDINATES

SYMMETRIC, TRACELESS SECOND-RANK TENSOR:

5 components,  $R_{2,m}$ , where m = -2, -1, 0, 1, 2

**PRINCIPAL AXIS SYSTEM WHERE TENSOR IS DIAGONAL:** 

$$\langle V_{2,\pm 1}^{PAS} \rangle = 0;$$
  $\left| \langle V_{2,0}^{PAS} \rangle \right| > \left| \langle V_{2,\pm 2}^{PAS} \rangle \right|$ 

**NUCLEAR QUADRUPOLE COUPLING CONSTANT:** 

$$C_Q = 2\frac{eQ}{h} \langle V_{2,0}^{PAS} \rangle$$

**ASYMMETRY PARAMETER:** 

$$\eta_Q C_Q = 2\sqrt{6} \frac{eQ}{h} \langle V_{2,\pm 2}^{PAS} \rangle$$

### ELECTRIC FIELD GRADIENT (EFG) TENSOR: POINT CHARGE MODEL

EFG TENSOR IS DETERMINED BY THE COMBINED ELECTRONIC AND NUCLEAR WAVEFUNCTION, NO ANALYTICAL EXPRESSION IN THE GENERAL CASE

THE SIMPLEST APPROXIMATION: CLASSICAL POINT CHARGE MODEL

$$\langle V_{2,k} \rangle = \sum_{i=1}^{n} \frac{Z_i e}{d_i^3} \sqrt{\frac{4\pi}{5}} Y_{2,k}(\theta_i, \phi_i)$$

ATOMS CONTRIBUTING TO THE EFG TENSOR ARE TREATED AS POINT CHARGES, THE RESULTING EFG TENSOR IS THE SUM WITH RESPECT TO ALL ATOMS

VERY CRUDE MODEL, WORKS QUANTITATIVELY ONLY IN SIMPLEST IONIC SYSTEMS, BUT YIELDS QUALITATIVE TRENDS AND GENERAL UNDERSTANDING OF THE SYMMETRY AND MAGNITUDE OF THE EXPECTED TENSOR

### ELECTRIC FIELD GRADIENT (EFG) TENSOR: POINT CHARGE MODEL

$$\langle V_{2,k} \rangle = \sum_{i=1}^{n} \frac{Z_i e}{d_i^3} \sqrt{\frac{4\pi}{5}} Y_{2,k}(\theta_i, \phi_i)$$

Linear, one-coordinate:

 $\theta = 0, \ \phi = 0$ 

$$\langle V_{2,0} \rangle = \frac{Ze}{d^3}; \langle V_{2,\pm 1} \rangle = 0; \langle V_{2,\pm 2} \rangle = 0$$

**Linear, two-coordinate:**  $\theta_1 = 0, \phi_1 = 0; \theta_2 = \pi, \phi_2 = 0$ 

$$\langle V_{2,0} \rangle = \frac{2Ze}{d^3}; \langle V_{2,\pm 1} \rangle = 0; \langle V_{2,\pm 2} \rangle = 0$$



#### **Trigonal planar:**

 $\theta_1 = \pi/2, \ \phi_1 = 0; \ \theta_2 = \pi/2, \ \phi_2 = 2\pi/3; \ \theta_3 = \pi/2, \ \phi_3 = -2\pi/3$ 



$$\langle V_{2,0} \rangle = -\frac{3}{2} \frac{Ze}{d^3}; \langle V_{2,\pm 1} \rangle = 0; \langle V_{2,\pm 2} \rangle = 0$$



#### **Tetrahedral:**

 $\theta_1 = 0, \ \phi_1 = 0; \ \theta_2 = 2\pi/3, \ \phi_2 = 0; \ \theta_3 = 2\pi/3, \ \phi_3 = 2\pi/3; \ \theta_4 = 2\pi/3, \ \phi_4 = -2\pi/3$ 

 $\langle V_{2,0} \rangle = 0; \langle V_{2,\pm 1} \rangle = 0; \langle V_{2,\pm 2} \rangle = 0$ 

### NMR OF QUADRUPOLES: ENERGY LEVELS

**FIRST-ORDER CORRECTION:** 

$$E_m^1 = \langle m | H_Q | m \rangle$$

**SECOND-ORDER CORRECTION:** 

$$E_m^2 = \frac{\langle m | H_Q | n \rangle \langle n | H_Q | m \rangle}{E_m - E_n}$$

### NMR OF QUADRUPOLES: ENERGY LEVELS

#### **FIRST-ORDER CORRECTION:**

$$E_{m}^{1} = \frac{e^{2}qQ}{4I(2I-1)} (I(I+1) - 3m^{2}) [\frac{1}{2} (3\cos^{2}\theta - 1) -\eta_{Q} \cos 2\phi (\cos^{2}\theta - 1)]$$

**SECOND-ORDER CORRECTION:** 

$$\begin{split} E_m^{(2)} &= -\left(\frac{e^2 q Q}{4I(2I-1)}\right)^2 \frac{m}{\omega_L} \{-\frac{1}{5} \left(I(I+1) - 3m^2\right) \left(3 + \eta_Q^2\right) + \\ &\frac{1}{28} \left(8I(I+1) - 12m^2 - 3\right) \left(\left(\eta_Q^2 - 3\right) \left(3\cos^2\theta - 1\right) + 6\eta_Q \sin^2\theta \cos 2\phi\right) \\ &+ \frac{1}{8} \left(18I(I+1) - 34m^2 - 5\right) \left[\frac{1}{140} \left(18 + \eta_Q^2\right) \left(35\cos^4\theta - 30\cos^2\theta + 3\right) \\ &+ \frac{3}{7} \eta_Q \sin^2\theta \left(7\cos^2\theta - 1\right) \cos 2\phi + \frac{1}{4} \eta_Q^2 \sin^4\theta \cos 4\phi] \} \end{split}$$

### ENERGY LEVELS IN THE PRESENCE OF QUADRUPOLAR INTERACTION



Single crystal

Central transition unaffected by first-order quadrupolar interaction

Central transition: 1/2 - 1/2Satellite transitions: 3/2 - 1/2, -3/2 - 1/2









### SECOND-ORDER QUADRUPOLAR SHIFTS AND BROADENING

SECOND ORDER QUADRUPOLE SHIFTS FOR THE (m, m-1) TRANSITION RELATIVE TO THE CHEMICAL SHIFT IN A POWDER SAMPLE:

$$\Delta v_{m,m-1} = -\frac{3}{40} \left( \frac{C_Q^2}{v_L} \right) \left\{ \frac{I(I+1) - 9m(m-1) - 3}{I^2 (2I-1)^2} \right\} \left( 1 + \frac{\eta^2}{3} \right)$$

A. Samoson, Chem. Phys. Lett 119: 29 (1985)

SECOND ORDER QUADRUPOLE BROADENING OF SATELLITE TRANSITIONS RELATIVE TO THE CENTRAL TRANSITION WITH FAST MAS:

$$\frac{\Delta(m,m-1)}{\Delta\left(\frac{1}{2},-\frac{1}{2}\right)} = \frac{6I(I+1) - 34m(m-1) - 13}{6I(I+1) - \frac{9}{2}}$$

SATELLITE TRANSITIONS ARE BROADENED TO DIFFERENT EXTENTS







### PROPERTIES OF SOME QUADRUPOLAR METALS

Nucleus	Spin	Q, fm <sup>2</sup>	$v_L$ , MHz		
			$(B_0 = 14.1 T)$		
<sup>23</sup> Na	3/2	10.4	158.7072		
<sup>25</sup> Mg	5/2	19.94	36.716		
<sup>39</sup> K	3/2	5.85	28.000		
<sup>43</sup> Ca	7/2	-4.08	40.369		
<sup>51</sup> V	7/2	-5.2	157.728		
<sup>53</sup> Cr	3/2	-15.0	33.912		
<sup>55</sup> Mn	5/2	33.0	147.986		
<sup>59</sup> Co	7/2	42.0	141.685		
<sup>61</sup> Ni	3/2	16.2	53.617 159.03 37.525		
<sup>63</sup> Cu	3/2	-22.0			
<sup>67</sup> Zn	5/2	15.0			
<sup>95</sup> Mo	5/2	-2.2	39.089		

R. K. Harris, E. D. Becker, S. M. Cabral de Menezes, R. Goodfellow, and P. Granger, Pure Appl. Chem. 73: 1795 (2001)

### NMR SPECTROSCOPY OF QUADRUPOLAR NUCLEI: CHALLENGES

#### I. Broad lines



III. Poor sensitivity (low γ, low abundance, low concentration in biomolecules)
## NMR SPECTROSCOPY OF QUADRUPOLAR NUCLEI: UNIVERSAL SOLUTIONS

- 1. ULTRAHIGH MAGNETIC FIELDS
- 2. ULTRAHIGH MAGNETIC FIELDS
- 3. ULTRAHIGH MAGNETIC FIELDS

## NMR SPECTROSCOPY OF QUADRUPOLAR NUCLEI: FIELD STRENGTH DEPENDENCE

<sup>139</sup>La (I=7/2) STATIC CENTRAL TRANSITION SSNMR SPECTRA OF LaCl<sub>3</sub>



K. J. Ooms, K. W. Feindel, M. J. Willans, R. E. Wasylishen, J. V. Hanna, K. J. Pike, M. E. Smith, SSNMR, 2005, 28, 125-134 (figure courtesy of Kris Ooms) NMR SPECTROSCOPY OF QUADRUPOLAR NUCLEI: AFFORDABLE SOLUTIONS (as of January 2008)

- 1. REASONABLY HIGH MAGNETIC FIELDS
- 2. SPATIAL AVERAGING TECHNIQUES
- 3. SPIN AVERAGING TECHNIQUES
- 4. SENSITIVITY ENHANCEMENT TECHNIQUES



DETECTING SPECTRA OF QUADRUPOLAR NUCLEI: SMALL AND MODERATE Co

<sup>51</sup>V (I=7/2) SSNMR SPECTRA OF V-SUBSTITUTED POLYOXOTUNGSTATES: single pulse, central and satellite transitions





#### DETECTING SPECTRA OF QUADRUPOLAR NUCLEI: SMALL AND MODERATE C<sub>o</sub>

#### <sup>55</sup>Mn (I=5/2) SSNMR SPECTRA OF KMnO<sub>4</sub>



#### DETECTING SPECTRA OF QUADRUPOLAR NUCLEI: SMALL AND MODERATE C<sub>o</sub>

#### <sup>55</sup>Mn (I=5/2) STATIC SPECTRA OF $Mn_2(CO)_{10}$





## DETECTING SPECTRA OF QUADRUPOLAR NUCLEI: LARGE C<sub>Q</sub>

<sup>25</sup>Mg (I=5/2) SSNMR SPECTRA OF LABELED Mg(15-crown-5)(H<sub>2</sub>O)<sub>2</sub>X<sub>2</sub>



## DETECTING SPECTRA OF QUADRUPOLAR NUCLEI: LARGE C<sub>Q</sub>

<sup>47</sup>Ti (I=5/2) STATIC ECHO CENTRAL TRANSITION SPECTRA OF LABELED Ti SOLIDS



# NMR SPECTROSCOPY OF QUADRUPOLAR METALS WITH LOW RECEPTIVITY AND LARGE $C_Q$

**3. NEED SENSITIVITY ENHANCEMENT** 

#### SENSITIVITY ENHANCEMENT IN QUADRUPOLES: QCPMG EXPERIMENT



Static: J. T. Cheng and P. D. Ellis (1989), J. Phys. Chem., 93, 2549 QCPMG-MAS: F. H. Larsen, H. J. Jakobsen, P. D. Ellis, N. C. Nielsen (2000), J. Magn. Res., 131, 144





## **OCPMG EXPERIMENT: <sup>25</sup>Mg SPECTRA**

<sup>25</sup>Mg (I=5/2) QCPMG SPECTRA OF LABELED Mg(15-crown-5)( $H_2O$ )<sub>2</sub>X<sub>2</sub>



#### SENSITIVITY ENHANCEMENT IN QUADRUPOLES: RAPT EXPERIMENT



Z. Yao, H.-T. Kwak, D. Sakellariou, L. Emsley, P. J. Grandinetti (2000), Chem. Phys. Lett., 327, 85-90

#### SENSITIVITY ENHANCEMENT IN QUADRUPOLES: COMPARISON FOR <sup>23</sup>Na











NMR SPECTROSCOPY OF QUADRUPOLAR METALS IN BIOLOGICAL SOLIDS

**INTERESTING FACT:** 



IN METALLOPROTEINS, THERE IS TYPICALLY ONLY ONE OR VERY FEW METAL SITES PRESENT, AND RESOLUTION IS NOT SUCH AN ISSUE AS IN INORGANIC MATERIALS

THIS IS A LUXURY AND ALLOWS FOR RELATIVELY STRAIGHTFORWARD EXTRACTION OF NMR PARAMETERS FROM THE SPECTRA

OBVIOUSLY, THIS IS NOT THE CASE IN ION-BINDING PROTEINS, WHERE MULTIPLE SITES MAY BE PRESENT, SO ONE HAS TO WORRY ABOUT RESOLUTION

#### RESOLUTION ENHANCEMENT IN QUADRUPOLES

 $H_{diag}^{(2)} = \frac{\omega_L}{\omega_0} [ad_{0,0}^{(0)}(\beta) D_{0,0}^{(0)}(\Omega_{PAS}) \rho_{0,0}^{\lambda} + a_2 d_{0,0}^{(2)}(\beta) \sum_{p=-2}^2 D_{p,0}^{(2)}(\Omega_{PAS}) \rho_{2,p}^{\lambda} + a_4 d_{0,0}^{(4)} \sum_{p=-4}^4 D_{p,0}^{(4)}(\Omega_{PAS}) \rho_{4,p}^{\lambda}] I_Z$ 

Averaging of spherical harmonics  $Y_{l}^{m}$  of different ranks under point subgroups of the full rotation group SO(3):

Rotation around a single axis is not sufficient for averaging rank 2 and 4 anisotropies





G. Engelhardt, A. P. M. Kentgens, H. Koller, A. Samoson (1999) Solid State NMR 15, 171-180

## SPATIAL AVERAGING: QUADRUPOLAR LINESHAPES AT DIFFERENT ROTOR ANGLES



#### SPATIAL AVERAGING: DYNAMIC ANGLE SPINNING

**Refocusing of anisotropic frequencies with DAS echo** 



Pure phase absorption DAS spectra:

P. J. Grandinetti, J. H. Baltisberger, A. Llor, Y. K. Lee, U. Werner, M. A. Eastman, A. Pines (1993) J. Magn. Reson. A 103, 72-83







#### Multiple pairs of rotor angles yield echoes

A. Llor, J. Virlet (1988) Chem. Phys. Lett. 152, 248-253
B. F. Chmelka, K. T. Mueller, A. Pines, J. Stebbins, Y. Wu, J. W. Zwanziger (1989) Nature 339, 42-43
K. T. Mueller, Y. Wu, B. F. Chmelka, J. Stebbins, A. Pines (1991) J. Am. Chem. Soc. 113, 32-38
P. J. Grandinetti (1995) Encyclopedia of Nuclear Magnetic Resonance, John Wiley and Sons

## **SPIN AVERAGING: THE MQMAS EXPERIMENT**

#### **Refocusing of anisotropic frequencies with MQMAS echo**

	54.740	54.740		Spin	Transition (m $\rightarrow$ -m)	к
$(\beta_1)_{\varphi_1}$	β2)	$\varphi_2 \rightarrow e$		3/2	<b>3QMAS</b>	7/9
1		- 12	L2=KL2	5/2	<b>3QMAS</b>	19/12
Man	t <sub>1</sub>	t <sub>2</sub>			<b>5QMAS</b>	25/12
1	3Q	ст		7/2	<b>3QMAS</b>	101/45
	$\Omega_{3, is}$	$\Omega_{1,iso}$	$\sigma_{iso} = \sigma$		<b>5QMAS</b>	11/9
	9 NA	1 Jo			7QMAS	161/45
			- <u> </u>	9/2	<b>3QMAS</b>	91/36
	-1 0 1 2 Frequency	-1 0 1 2 Frequency	-1 0 1 2 Frequency		<b>5QMAS</b>	95/36
	(m = 3/2 -> -3/2)	(m= 1/2 -> -1/2)	(m= 1/2 -> -1/2)		7QMAS	7/18
	3/2 1/2	3/2			9QMAS	31/6
	-3/2 - 1					

#### **TRIPLE QUANTUM SPECTRUM IS A MIRROR IMAGE OF SQ SPECTRUM**

L. Frydman and J. S. Harwood (1995), J. Am. Chem. Soc. 117, 5367 A. Medek, J. S. Harwood, L. Frydman (1995) J. Am. Chem. Soc. 117, 12779



## **SPATIAL AVERAGING: STMAS EXPERIMENT**

#### **Refocusing of anisotropic frequencies with STMAS echo**

The satellite transition MAS spectrum is the mirror image of central transition MAS spectrum



## ADDITIONAL PRACTICAL CONSIDERATIONS: MAGIC ANGLE SETUP



Practical guide to SSNMR of half-integer quadrupoles: A. P. M. Kentgens (1997) Geoderma 80, 271-306

## ADDITIONAL PRACTICAL CONSIDERATIONS: SELECTIVE VS. NON-SELECTIVE PULSES

**NON-SELECTIVE EXCITATION:**  $\omega_{RF} >> \omega_{Q}$ 

pulse response for the central transition: sinusoidal modulation of signal intensity as a function of the pulse length  $\tau$ , with frequency  $\omega_{RF}$ :

 $S(\tau) = [3(I+1/2)/4I(I+1)] \cdot sin(ω_{RF} \tau)$ 

**SELECTIVE EXCITATION:**  $\omega_{RF} \ll \omega_{Q}$ 

pulse response for the central transition:

 $S(\tau) = [3/4I(I+1)] \cdot sin((I+1/2)ω_{RF} \tau)$ 

**INTERMEDIATE REGIME:**  $\omega_{RF} \sim \omega_{Q}$ 

complex pulse response for the central transition; basis for nutation spectroscopy and numerical calculations to determine  $C_{\Omega}$ 

Practical guide to SSNMR of half-integer quadrupoles: A. P. M. Kentgens (1997) Geoderma 80, 271-306



## RELATING NMR OBSERVABLES TO MOLECULAR STRUCTURE

I. Determination of experimental NMR parameters from numerical simulations

Find unique solution to  $C_Q$ ,  $\eta_Q$ ,  $\delta_\sigma$ ,  $\eta_\sigma$ ,  $\alpha$ ,  $\beta$ ,  $\gamma$ 

#### II. Theoretical prediction of NMR parameters from model molecular geometry

Classical electrostatic model (EFG)- only in simple ionic compounds Quantum mechanical calculations (Density Functional Theory) (EFG, CSA)

## DFT CALCULATIONS CAN EXPLAIN THE MAGNITUDE OF $C_{\rm Q}$

#### <sup>51</sup>V SPECTROSCOPY OF DIPICOLINIC ACID DERIVATIVES

Nominal coordination geometry: heptacoordinate, large C<sub>Q</sub> expected

Experimental C<sub>Q</sub>: 3.43 MHz (small)

**Electrostatic potential surface (ESP):** 

Reveals capped square planar charge distribution, consistent with small  $C_{\mbox{\scriptsize Q}}$ 



Ooms, Bolte, Baruah, Smee, Crans, Polenova (2007) Inorg. Chem. 46, 9285-9293

## **DFT ANALYSIS OF MOLECULAR ORBITALS**

#### <sup>51</sup>V SPECTROSCOPY OF DIPICOLINIC ACID DERIVATIVES

**EXAMINE THE SYMMETRY OF MO'S TO** 

**UNDERSTAND THE CONTRIBUTIONS TO** 

THE <sup>51</sup>V MAGNETIC SHIELDING TENSOR



Bolte, Ooms, Baruah, Smee, Crans, Polenova (2008) J.Chem. Phys.

## METALS NMR IN BIOLOGICAL SOLIDS: SELECTED EXAMPLES

#### **INFORMATION CONTENT OF HALF-INTEGER QUADRUPOLES SSNMR**

Presence of a particular metal site (sometimes indiscernible in X-ray structures)

**Geometry of metal sites** 

Electronic structure of metal sites (i.e., interactions with surrounding ligands and/or solvent molecules)

**Protonation states of ligands** 

Identification of polymorphs

**Dynamics of metals and/or coordinated ligands** 

This information- sheds light on chemical reactivity of metal sites in metallobiomolecules, often unavailable from other techniques


Spectra are pH-independent contrary to the proposed catalytic mechanism; DFT calculations indicate hydroxide coordinated to Zn ( $C_Q$  = 8-10 MHz) and rule out water ligand ( $C_Q$  = 25-35 MHz, inconsistent with the SSNMR results)

A. S. Lipton, R. W. Heck, P. D. Ellis (2004) J. Am. Chem. Soc. 126, 4735-4739

# EXAMPLE 1: <sup>67</sup>Zn SSNMR OF CARBONIC ANHYDRASE

Revised mechanism proposed from <sup>67</sup>Zn SSNMR results; accounts for the pH-independent spectra and coordinated hydroxide









A. S. Lipton, R. W. Heck, P. D. Ellis (2004) J. Am. Chem. Soc. 126, 4735-4739

# EXAMPLE 2: <sup>67</sup>Zn SSNMR OF HUMAN NUCLEOTIDE EXCISION REPAIR PROTEIN XPA



 (a) Experimental <sup>67</sup>Zn NMR spectrum of XPA-MBD at 9.4 T and 25 K, with 25 Hz conventional line boadening (LB),
(b) Data from part apodized with 5 Hz conventional and 1 kHz matched LB and zero filled to double the echo spacing, and (c) simulation utilizing parameters described in the text with 25 Hz conventional and 1.5 kHz matched LB. All spectra are conventionally zero filled to 512 kpoints.

A. S. Lipton, G. W. Buchko, J. A. Sears, M. A. Kennedy, P. D. Ellis (2001) J. Am. Chem. Soc. 123, 992-993

# EXAMPLE 4: <sup>23</sup>Na SSNMR OF Na<sup>+</sup> IN A DNA QUADRUPLEX

<sup>23</sup>Na SSNMR spectra reveal three types of sodium and the presence of motions in the quadruplex; Intriguing hypothesis that motions are axial rotations of the stacked G-quartet assembly



# EXAMPLE 5: 59Co SSNMR OF VITAMIN B<sub>12</sub> POLYMORPHS

<sup>59</sup>Co SSNMR spectra reveal presence of two polymorphs of vitamin B<sub>12</sub>





# EXAMPLE 8: <sup>51</sup>V SSNMR OF VANADIUM HALOPEROXIDASES

<sup>51</sup>V SSNMR spectra of vanadium chloroperoxidase- reveal unexpected protonation states of the vanadate cofactor



Pooransingh-Margolis, Renirie, Hasan, Wever, Vega, Polenova (2006) J. Am. Chem. Soc., 128 (15), 5190-5208

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E. W. Wooten, K. T. Mueller, A. Pines "New Angles in Nuclear-Magnetic-Resonance Sample Spinning" (1992) Acct. Chem. Res. 25, 209-215

D. Freude and J. Haase "Quadrupole Effects in Solid-State Nuclear Magnetic Resonance" (1993) In: "NMR. Basic Principles and Progress" Vol. 29, Springer, Berlin, pp. 1-90

L. B. Alemany "Critical Factors in Obtaining Meaningful Fast MAS NMR Spectra of Non-Integral Quadrupolar Nuclei. A Review with Particular Emphasis on 27AI MAS NMR of Catalysts and Minerals" (1993) Appl. Magn. Reson., 4, 179

P. J. Grandinetti "Dynamic-Angle Spinning and Applications" (1995) in Encyclopedia of Nuclear Magnetic Resonance, John Wiltey and Sons

A. P. M. Kentgens "A Practical Guide to Solid-State NMR of Half-Integer Quadrupolar Nuclei with Some Applications to Disordered Systems" (1997) Geoderma 80, 271-306 (and references therein)

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L. Frydman "Spin-1/2 and beyond: A perspective in solid state NMR spectroscopy (2001) Annu. Rev. Phys. Chem. 52: 463-498 2001

M. J. Duer "Solid-State NMR Spectroscopy: Principles and Applications" (2002) Blackwell Science

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