

6.090
Building Programming
Experience

Lecture 3

1/12/2007

More Procedures and lists

- Iterative vs Recursive Procedures
- Syntactic sugar and shortcuts
- Lists

Recursive Procedures

- Let's look at this one again:
- (define (sumto n)
 (if (= n 1)
 1
 (+ n (sumto (- n 1)))))

Recursive Procedures

- What happens when n is very large?
(define (sumto n)
 (if (= n 1)
 1
 (+ n (sumto (- n 1)))))
- (+ 100 (+ 99 (+ 98 (+ 97

Recursive Process

- $(+ 100 (+ 99 (+ 98 (+ 97 (\text{sumto } 96))))))$
- Each addition is a pending operation
- Interpreter has to store it, wait to evaluate it
- Try it for a really large n -- should slow down fast

Newer Version

- Old

```
(define (sumto n)
  (if (= n 1)
      1
      (+ n (sumto (- n 1)))))
```

New

```
(define (sumto n ans)
  (if (= n 1)
      (+ ans 1)
      (sumto (- n 1)
              (+ ans n))))
```

Are there any more pending operations?

Iterative vs Recursive

- Two types of processes:
 - Iterative: no pending operations
 - Recursive: pending operations
- Hint: look for the point where the procedure is called again:
 - (op (call-again)) -- recursive
 - (call-again ...) -- iterative

Friendlier Iterative Procedures

- Extra arguments are annoying
- Use a helper function instead
- ```
(define (sumto-helper n ans)
 (if (= n 1)
 (+ ans 1)
 (sumto-helper (- n 1) (+ ans n))))
(define (sumto n)
 (sumto-helper n 0))
```



# Iterative versions

- Factorial:
  - (define (fact-iter n) ...
- Exponentiation:
  - (define (expt-iter x n) ...

# Syntactic Sugar

- Syntax:
  - How to correctly arrange the language to describe computation
- Syntactic Sugar “sweetens” language to make it more convenient
  - No new capabilities

# First example: **let**

- **(let** (*name1 val1*)  
      (*name2 val2*)  
      *expr*)
- Binds the value of *val1* to *name1* when evaluating *expr*
  - No changes elsewhere

# Let example

- (let ((a 3)  
      (b 5))  
      (+ a b))

# Let example

- (let ((a 3)  
      (b 5))  
      (+ a b))
- Equivalent to:
- ((lambda (a b) (+ a b))  
   3 5)

# Let “practice”

- (let ((+ \*)  
      (\* +))  
      (+ 3 (\* 4 5)))

# Let practice

- ```
(define m 3)
(let ((m (+ m 1)))
  (+ m 1))
(define n 4)
(let ((n 12)
      (o (+ n 2)))
  (* n o))
```

More Syntactic Sugar

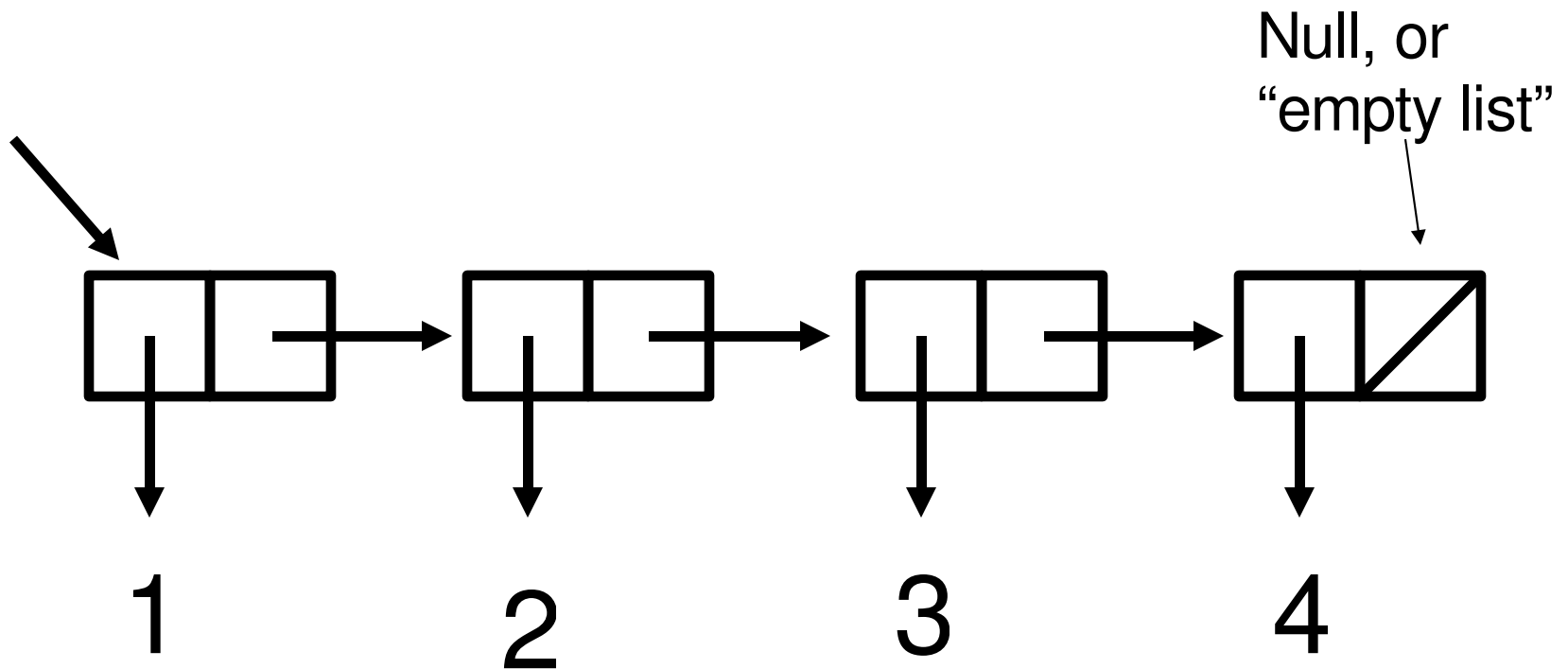
- This one appears quite often:
(define new-function
 (lambda (a b c) *exprs*)
- Shortcut version:
(define (new-fuction a b c) *exprs*)

Lists

- Basic data structure in Scheme
- Create a list using **list**
 - **(list 1 2 3 4 5 6)**
- **(define lst (list 1 2 3 4 5))**

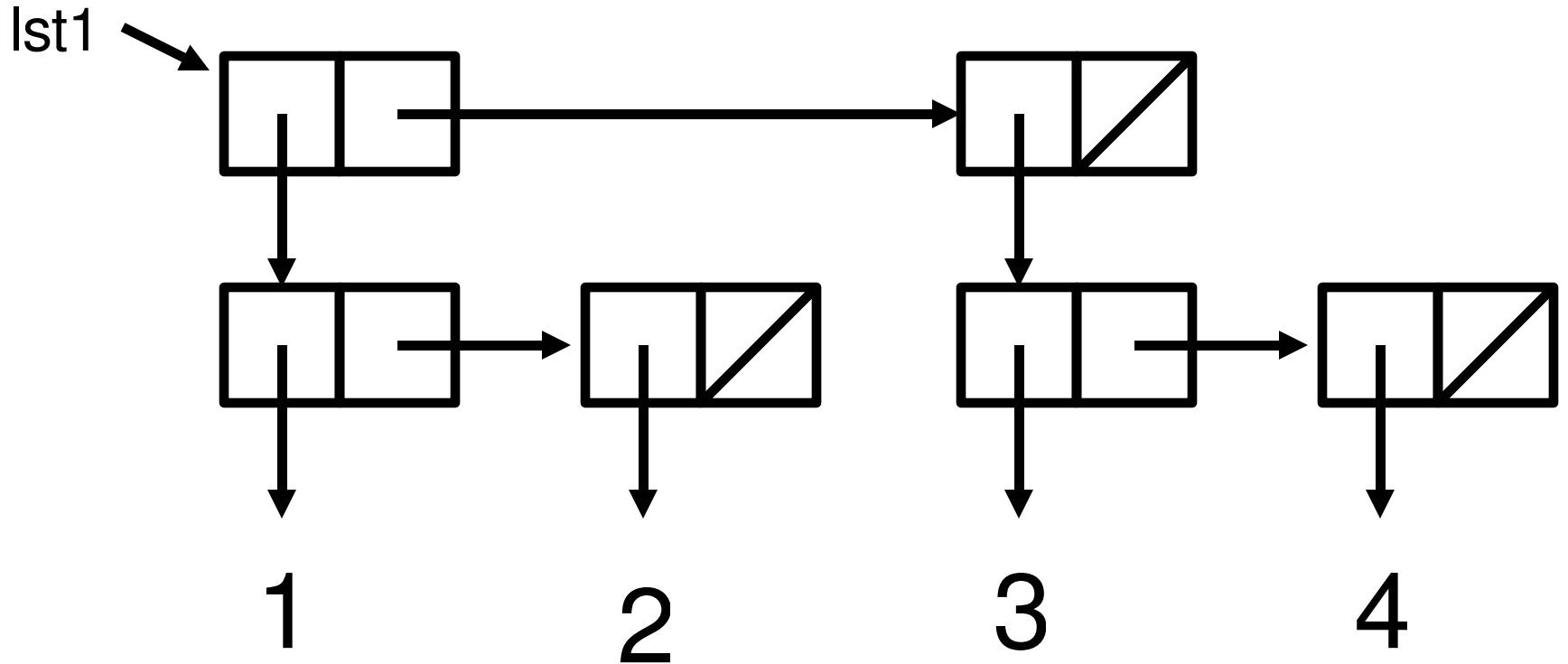
How are lists represented

- (list 1 2 3 4)



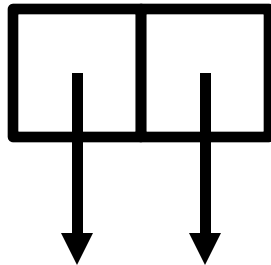
Lists

- Anything can be in a list
- (define lst1 (**list** (**list** 1 2) (**list** 3 4)))



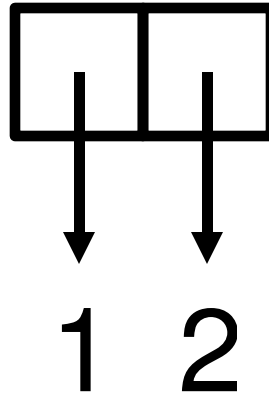
Pairs

- A list is built out of pairs
- A pair is a basic type
- Box with two pointers
- To create a pair use **cons**
- Also known as a “cons cell”

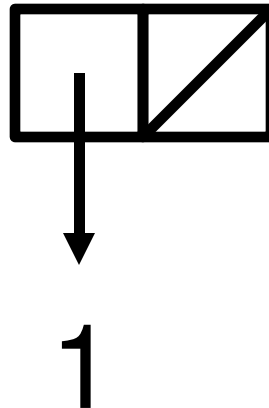


Pairs

- **(cons 1 2)**



- **(cons 1 null)**

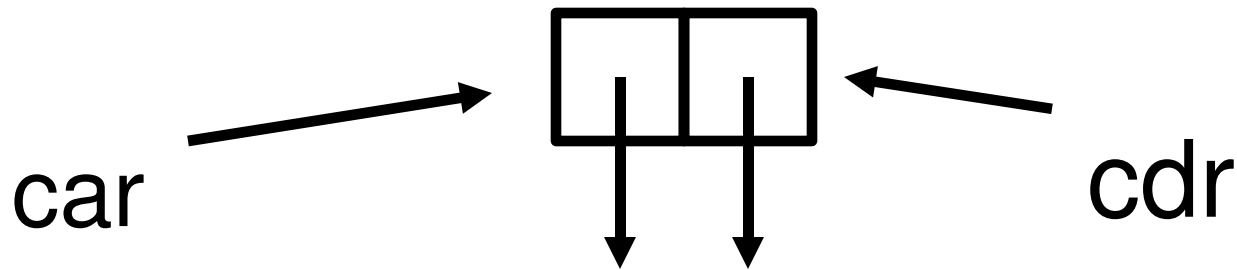


Building lists

- We can use **cons** to build up lists
- Draw a box and pointer diagram for
- `(cons 1 (cons 2 (cons 3 (cons 4 null))))`

Getting stuff out of pairs

- We can put things in a cons object, but how do we get them back?



Examples

```
(car (cons 1 2))
```

```
(cdr (cons 1 2))
```

```
(define lst (list 1 2))
```

```
(car lst)
```

```
(cdr lst)
```

```
(cdr (cdr lst))
```


Finding the length of a list

- Define a procedure length
- What's the recursive case?
- What's the base case?

Checking for the empty list

- Base case is an empty list
- Check for it using the **null?** Predicate
- (null? lst) returns #t if lst is the empty list, and #f otherwise

length

- Plan
 - Base Case: Empty list $\rightarrow 0$
 - Recursive Case: $1 + \text{length of "rest of list"}$

length

- (define (length list))