

# Studies of Jet-Track Correlations in PbPb collisions with CMS

Hard Probes 2015

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for the CMS Collaboration



# Questions this talk will address

- How are charged particles distributed around jets?
- What happens to these distributions when we compare leading and subleading jets?
- How many particles are there around these jets as a function of  $p_T$  and centrality ?
- What are effects of the QGP medium created in PbPb collisions that doesn't appear in pp?

# Compact Muon Solenoid

EM Calorimeter (ECAL)

Hadron Calorimeter (HCAL)

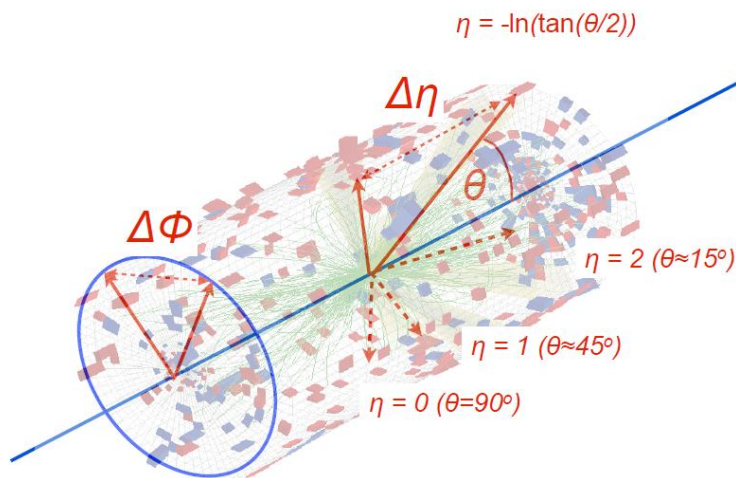
Beam Scintillator Counters (BSC)

Forward Calorimeter (HF)

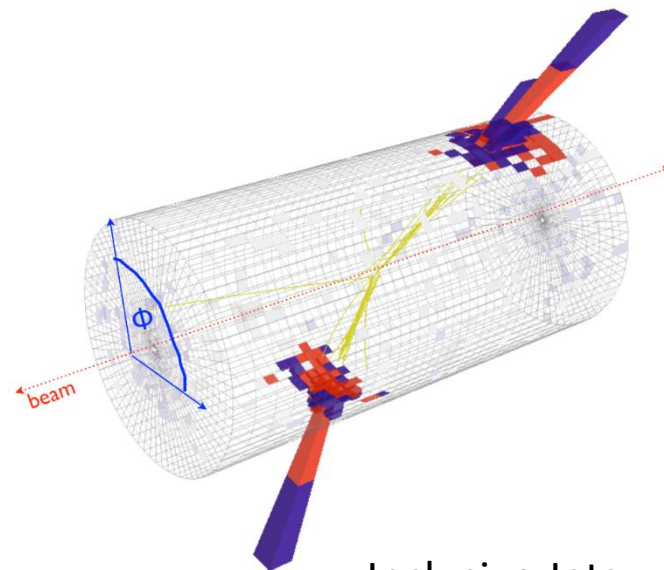
**TRACKER**  
**(Pixels and Strips)**

Muon System

# Jets and tracks



Tracks



Inclusive Jets

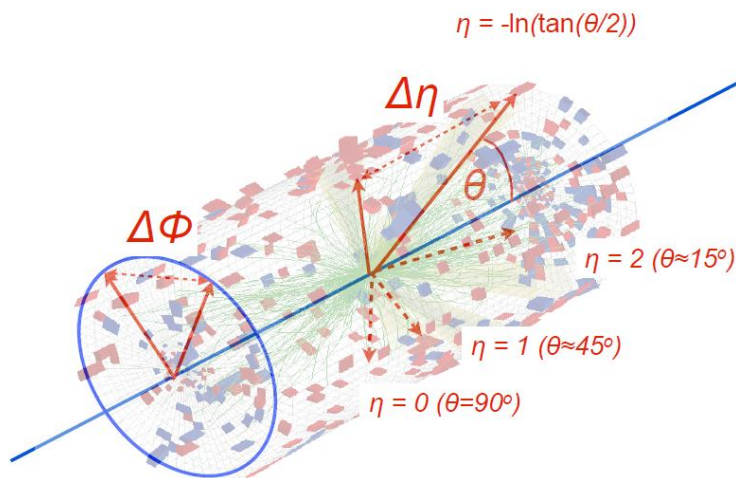
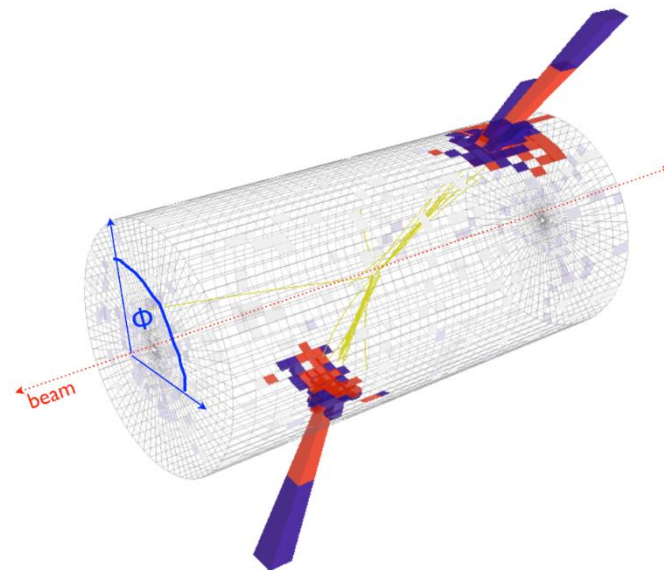
## Standard CMS HI track selection

- $|\eta| < 2.4$
- $1.0 > p_T > 2.0 \text{ GeV}/c$
- $2.0 > p_T > 3.0 \text{ GeV}/c$
- $3.0 > p_T > 4.0 \text{ GeV}/c$
- $4.0 > p_T > 8.0 \text{ GeV}/c$

## Standard CMS HI jet selection

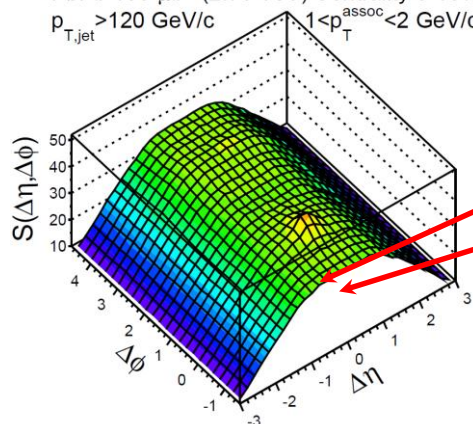
- Anti  $k_T$  jets with  $R = 0.3$
- $|\eta| < 1.6$
- Jet  $p_T > 120 \text{ GeV}/c$
- Fully efficient from a triggered dataset corresponding to  $166 \text{ ub}^{-1}$

# Jet-track correlations

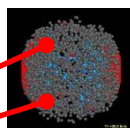


Signal pair  
distribution:

**CMS Preliminary**  
PbPb 166  $\mu\text{b}^{-1}$  (2.76 TeV) Centrality 0-10%  
 $p_{T,\text{jet}} > 120 \text{ GeV}/c$   $1 < p_{T,\text{assoc}} < 2 \text{ GeV}/c$



Event 1

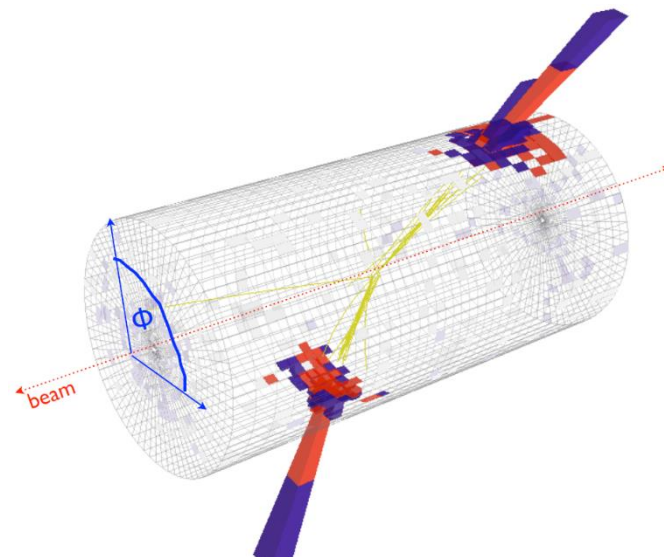
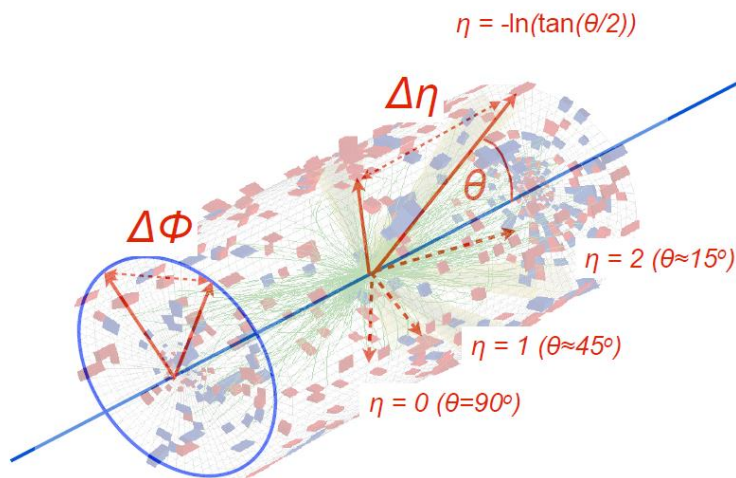


same  
event  
pairs

$$S(\Delta\eta, \Delta\phi) = \frac{1}{N_{trig}} \frac{d^2 N^{same}}{d\Delta\eta d\Delta\phi}$$

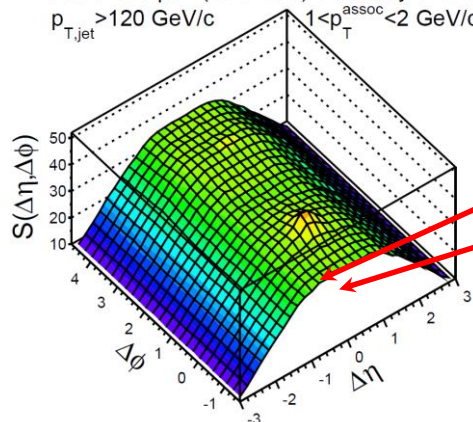


# Jet-track correlations



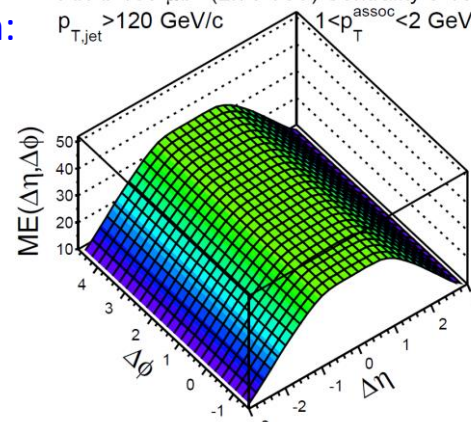
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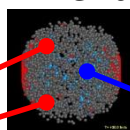


Mixed event  
pair distribution:

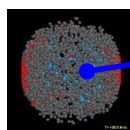
CMS Preliminary  
PbPb 166  $\mu\text{b}^{-1}$  (2.76 TeV) Centrality 0-10%  
 $p_{T,\text{jet}} > 120 \text{ GeV}/c$   
 $1 < p_T^{\text{assoc}} < 2 \text{ GeV}/c$



Event 1



Event 2



$$S(\Delta\eta, \Delta\phi) = \frac{1}{N_{\text{trig}}} \frac{d^2 N^{\text{same}}}{d\Delta\eta d\Delta\phi}$$

$$ME(\Delta\eta, \Delta\phi) = \frac{1}{N_{\text{trig}}} \frac{d^2 N^{\text{mix}}}{d\Delta\eta d\Delta\phi}$$

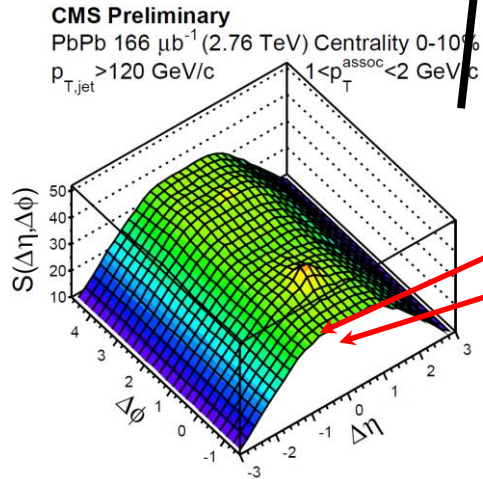
# Jet-track correlations

Divide Signal by Mixed Event

Associated hadron yield per trigger:

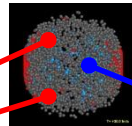
$$\frac{1}{N_{trig}} \frac{d^2 N^{pair}}{d\Delta\eta d\Delta\phi} = ME(0,0) \times \frac{S(\Delta\eta, \Delta\phi)}{ME(\Delta\eta, \Delta\phi)}$$

Signal pair  
distribution:

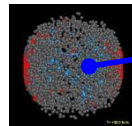


same  
event  
pairs

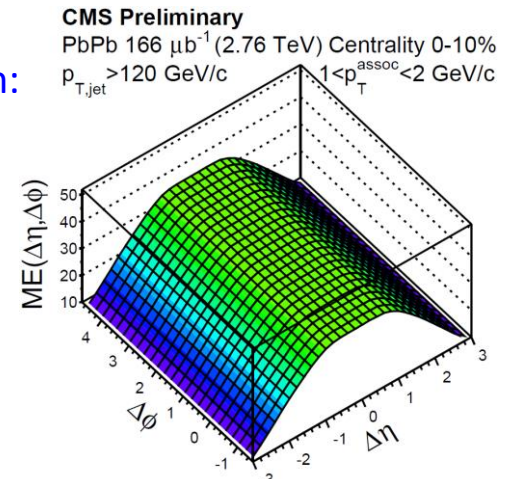
Event 1



Event 2



Mixed event  
pair distribution:



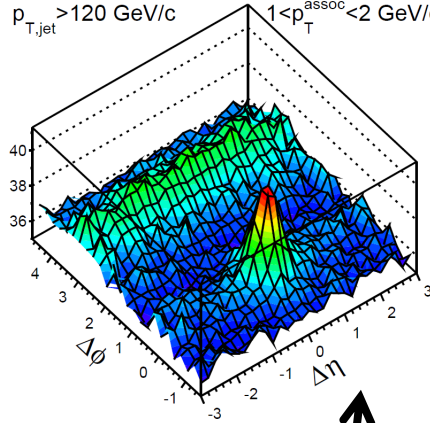
mixed  
event  
pairs

$$S(\Delta\eta, \Delta\phi) = \frac{1}{N_{trig}} \frac{d^2 N^{same}}{d\Delta\eta d\Delta\phi}$$

$$ME(\Delta\eta, \Delta\phi) = \frac{1}{N_{trig}} \frac{d^2 N^{mix}}{d\Delta\eta d\Delta\phi}$$

# Jet-track correlations

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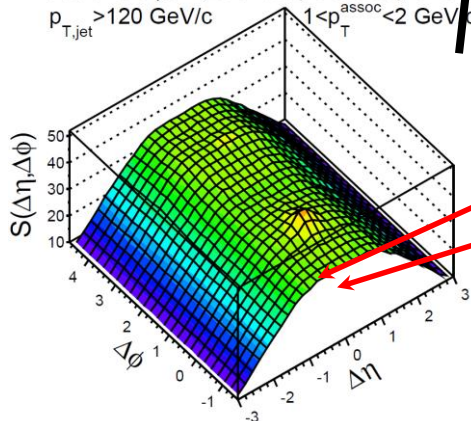


Associated hadron yield per trigger:

$$\frac{1}{N_{\text{trig}}} \frac{d^2 N^{\text{pair}}}{d\Delta\eta d\Delta\phi} = ME(0,0) \times \frac{S(\Delta\eta, \Delta\phi)}{ME(\Delta\eta, \Delta\phi)}$$

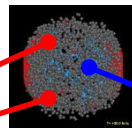
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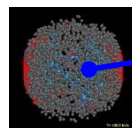


same  
event  
pairs

Event 1

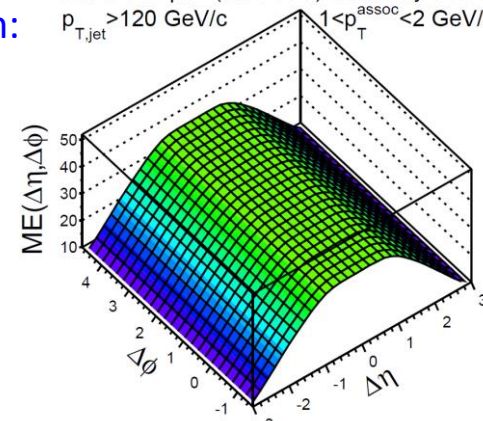


Event 2



Mixed event  
pair distribution:

**CMS Preliminary**  
PbPb 166  $\mu\text{b}^{-1}$  (2.76 TeV) Centrality 0-10%  
 $p_{T,\text{jet}} > 120 \text{ GeV}/c$   $1 < p_T^{\text{assoc}} < 2 \text{ GeV}/c$



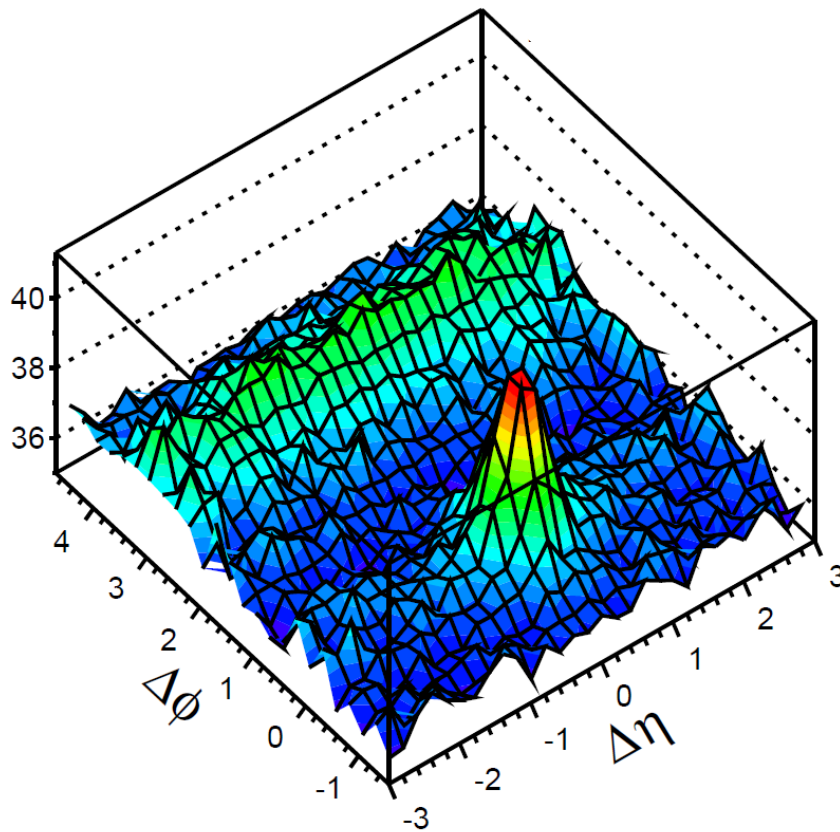
mixed  
event  
pairs

$$S(\Delta\eta, \Delta\phi) = \frac{1}{N_{\text{trig}}} \frac{d^2 N^{\text{same}}}{d\Delta\eta d\Delta\phi}$$

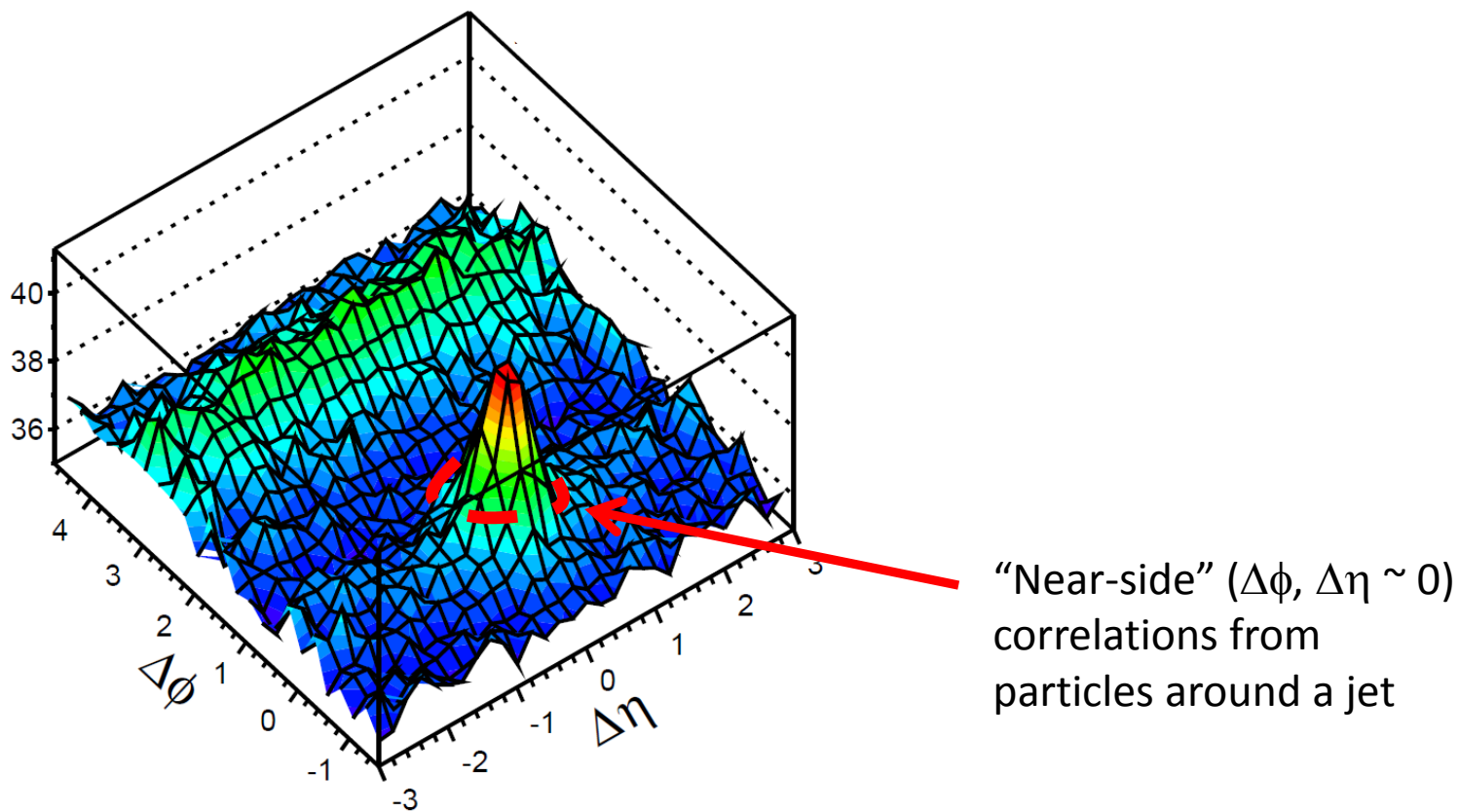
$$ME(\Delta\eta, \Delta\phi) = \frac{1}{N_{\text{trig}}} \frac{d^2 N^{\text{mix}}}{d\Delta\eta d\Delta\phi}$$



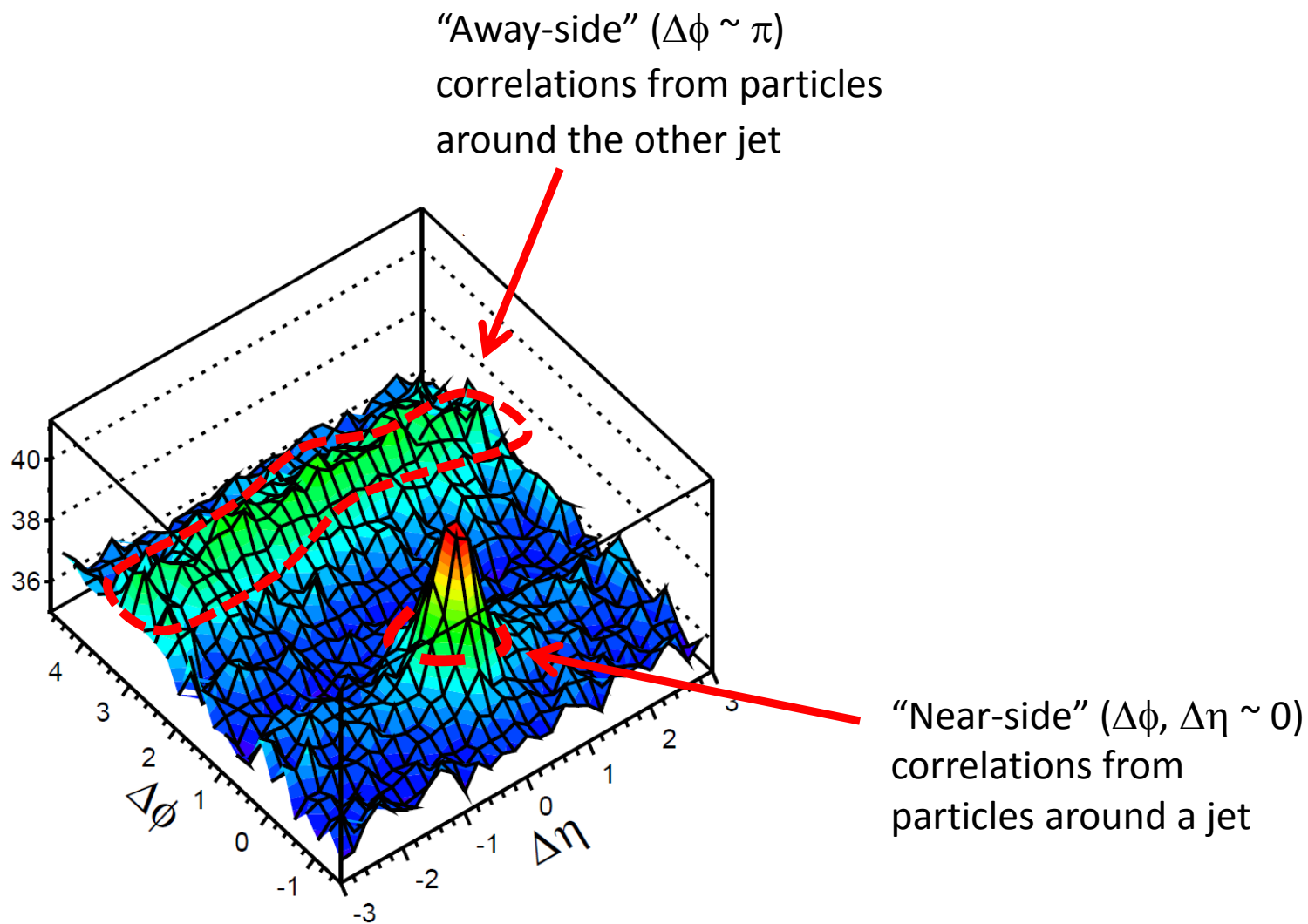
# Jet track correlation topology



# Jet track correlation topology



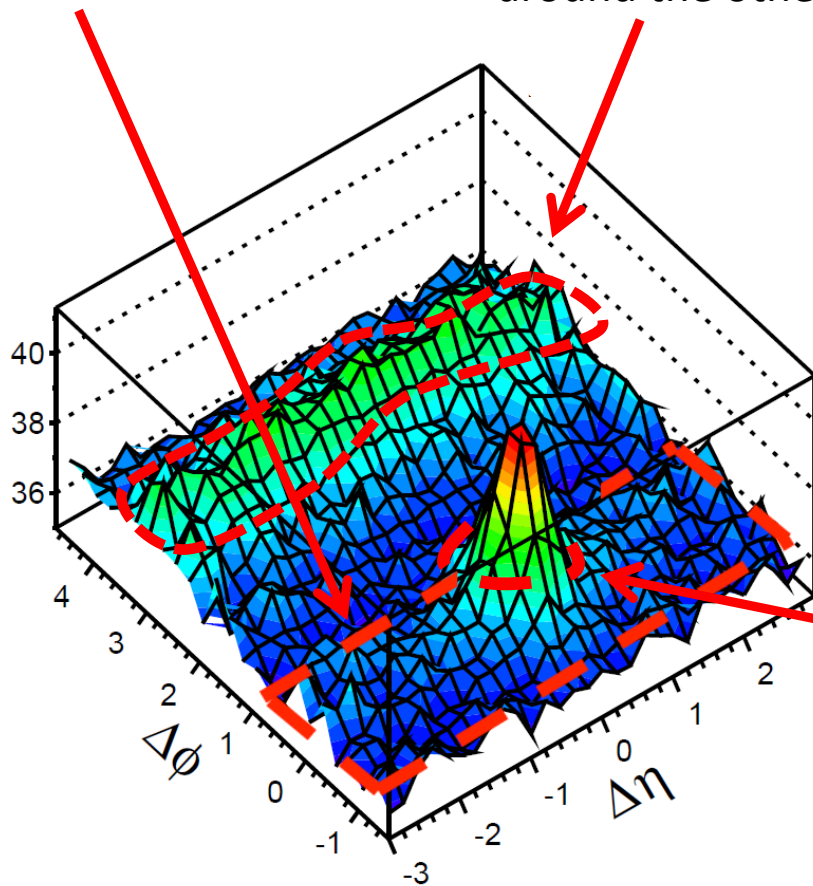
# Jet track correlation topology



# Jet track correlation topology

Long range nearside jet correlations (weak in this example)

“Away-side” ( $\Delta\phi \sim \pi$ ) correlations from particles around the other jet



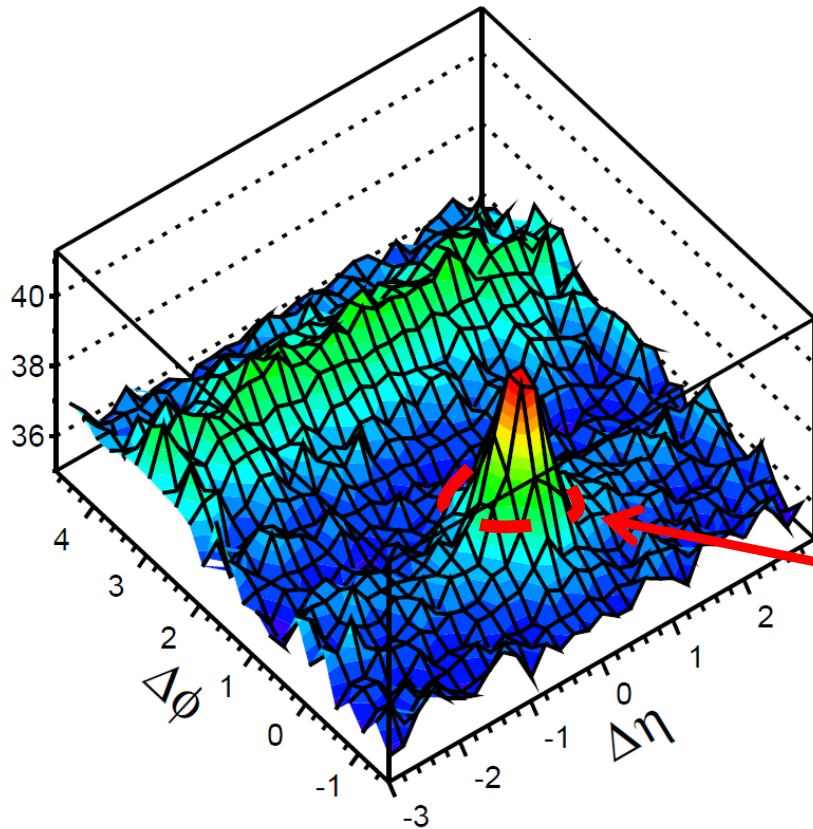
“Near-side” ( $\Delta\phi, \Delta\eta \sim 0$ ) correlations from particles around a jet



# Study the jet peak

Long range nearside jet correlations (weak in this example)

“Away-side” ( $\Delta\phi \sim \pi$ )  
back-to-back jet correlations



“Near-side” ( $\Delta\phi, \Delta\eta \sim 0$ )  
correlations from  
particles around a jet

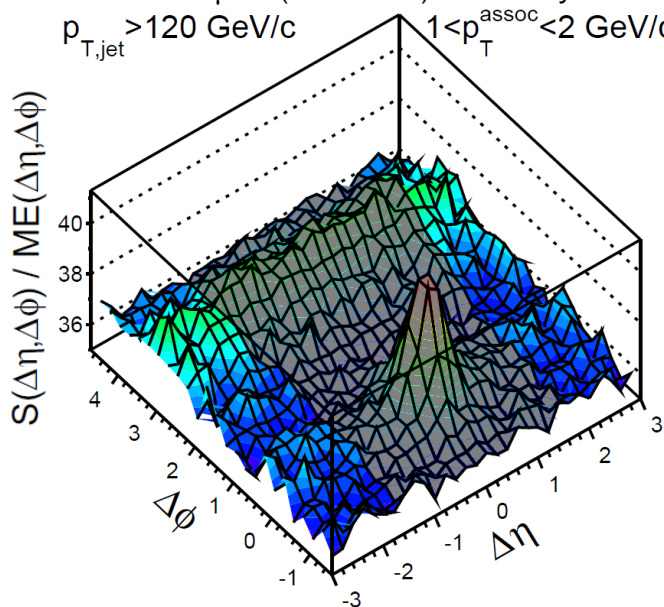
# Subtract combinatorial and long range bkg

**CMS Preliminary**

PbPb 166  $\mu\text{b}^{-1}$  (2.76 TeV) Centrality 0-10%

$p_{T,\text{jet}} > 120 \text{ GeV}/c$

$1 < p_T^{\text{assoc}} < 2 \text{ GeV}/c$

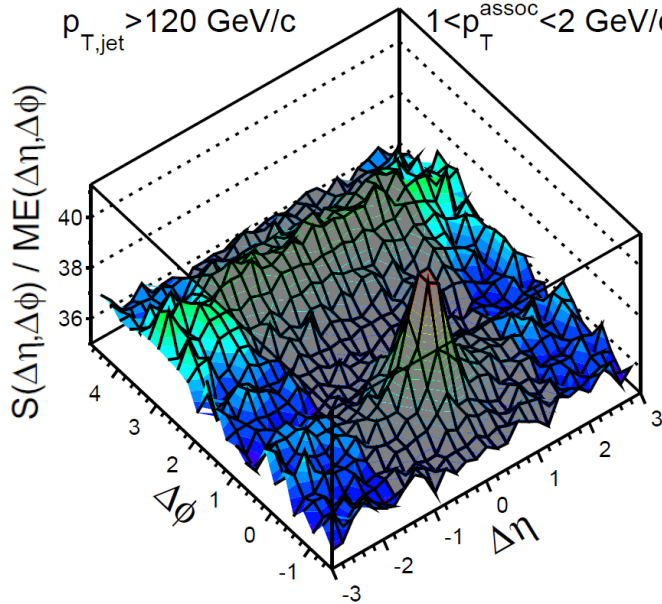


Construct the  $|\Delta\phi|$  projection  
from the correlation region  
 $1.5 < |\Delta\eta| < 3.0$

# Subtract combinatorial and long range bkg

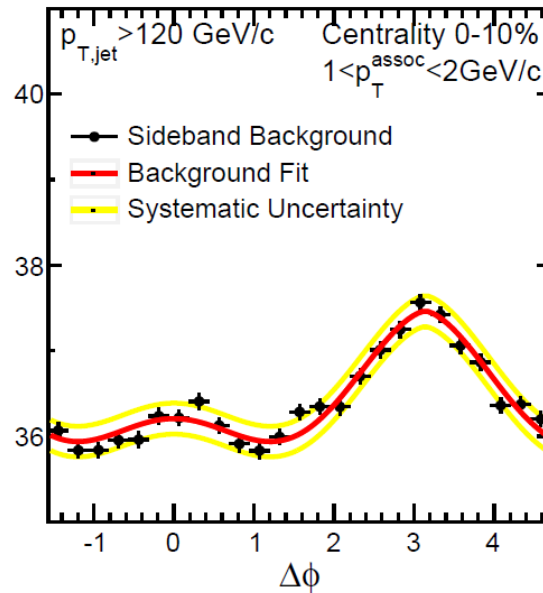
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**CMS Preliminary**

PbPb 166  $\mu\text{b}^{-1}$  (2.76 TeV)



Subtract it from the original correlation function

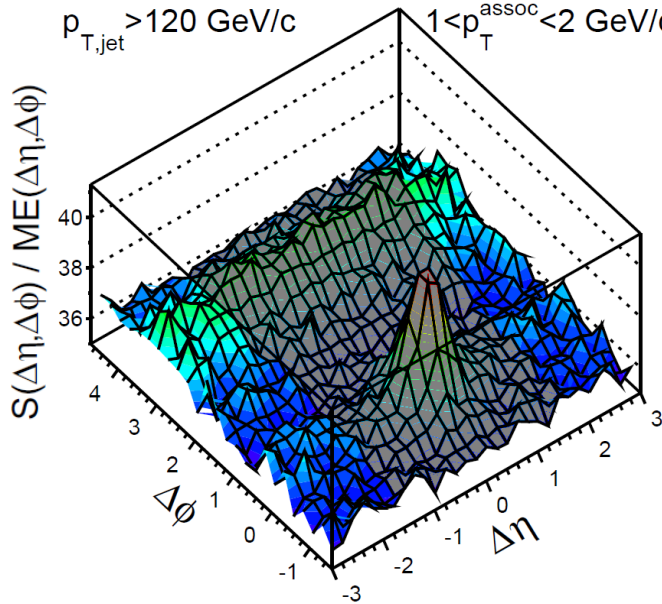
Fit a constant + the first 2 Fourier cosine terms and a Gaussian for the away side

$$B(\Delta\phi) = B_0 \left( 1 + 2V_1 \cos(\Delta\phi) + 2V_2 \cos(2\Delta\phi) + A_{AS} \exp \left( - \left( \frac{|\Delta\phi| - \pi}{\alpha} \right)^\beta \right) \right)$$

# Subtract combinatorial and long range bkg

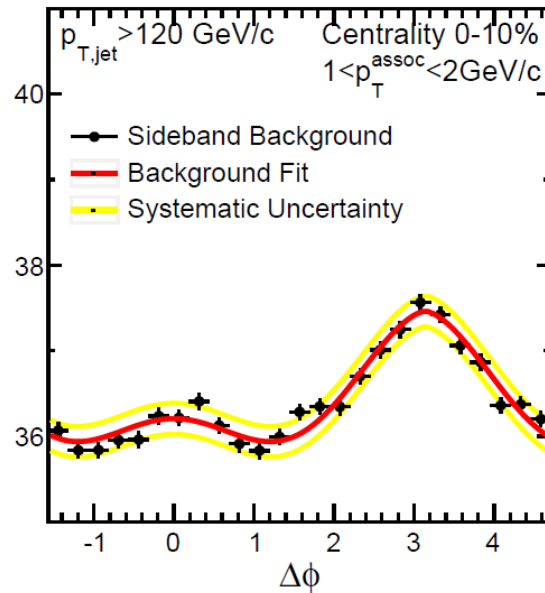
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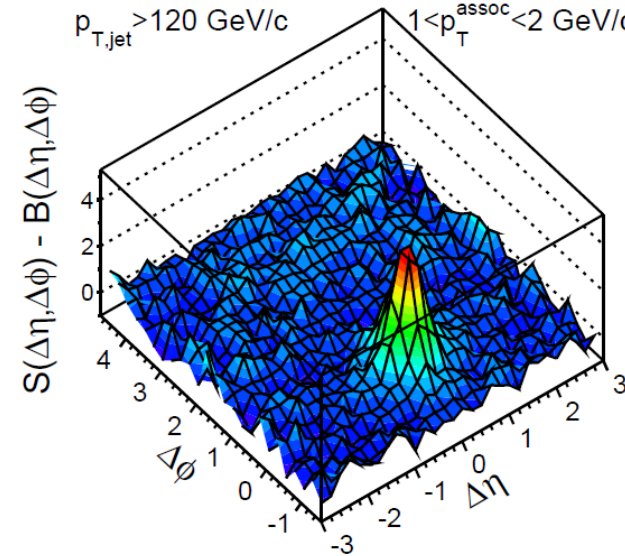
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PbPb 166  $\mu\text{b}^{-1}$  (2.76 TeV)



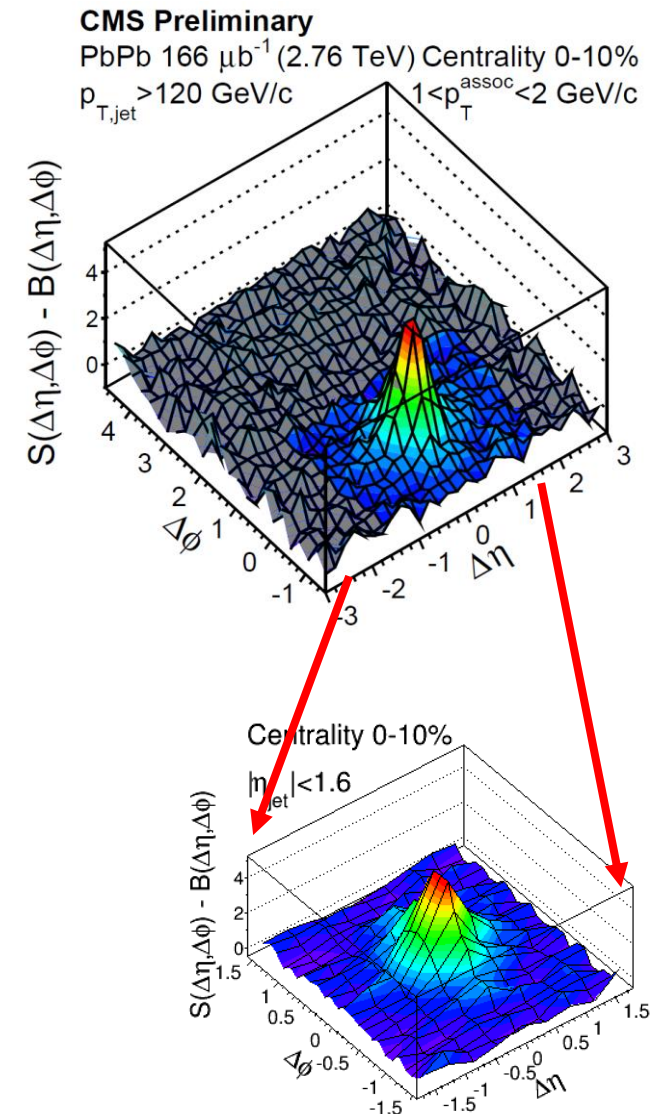
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# Zoom in on the jet peak after subtracting

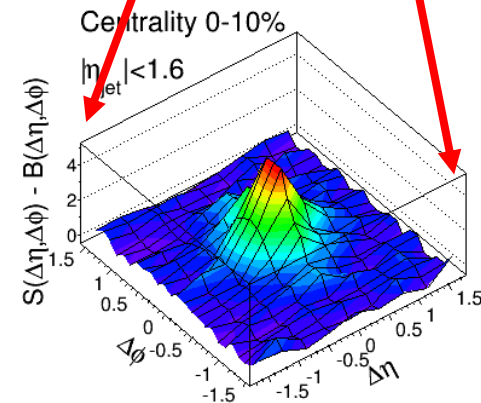
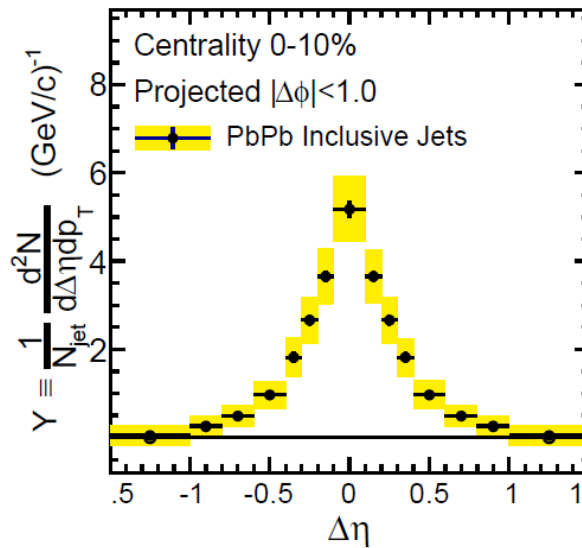
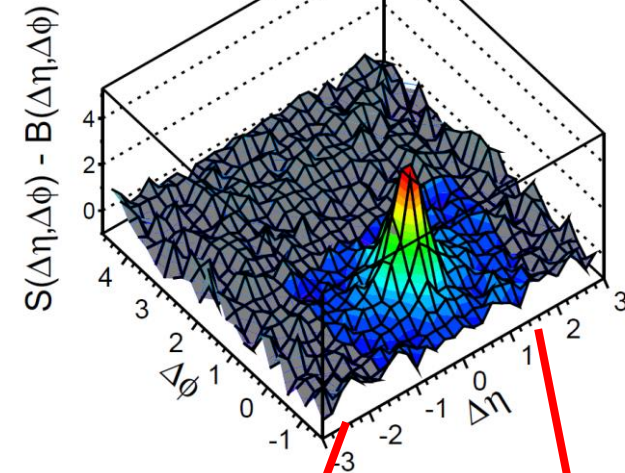


# Project into $\Delta\eta$

**CMS Preliminary**

PbPb 166  $\mu\text{b}^{-1}$  (2.76 TeV) Centrality 0-10%

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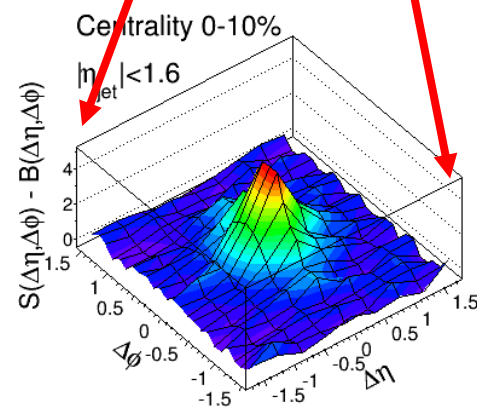
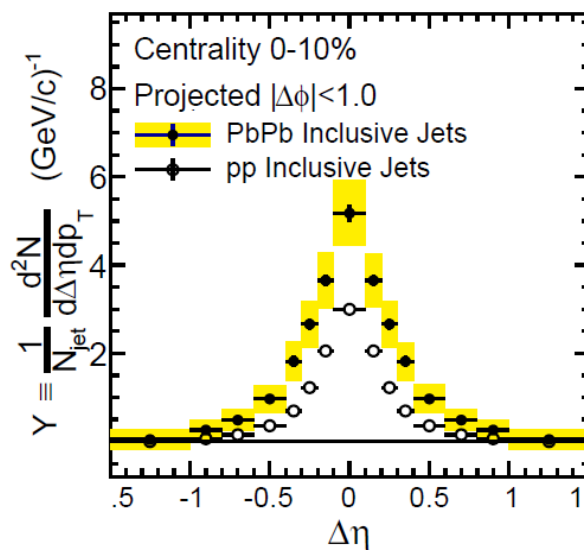
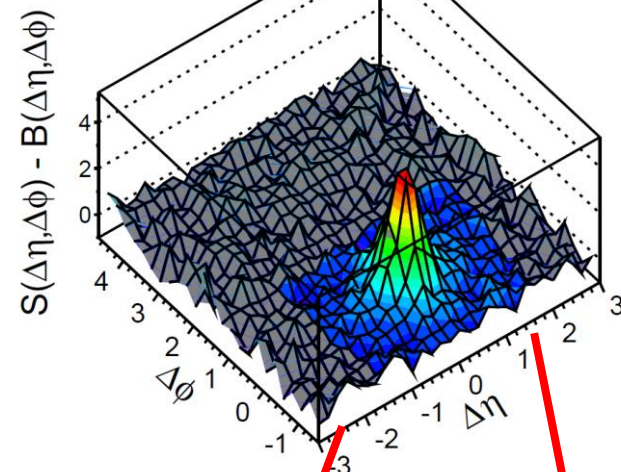


# Repeat for pp

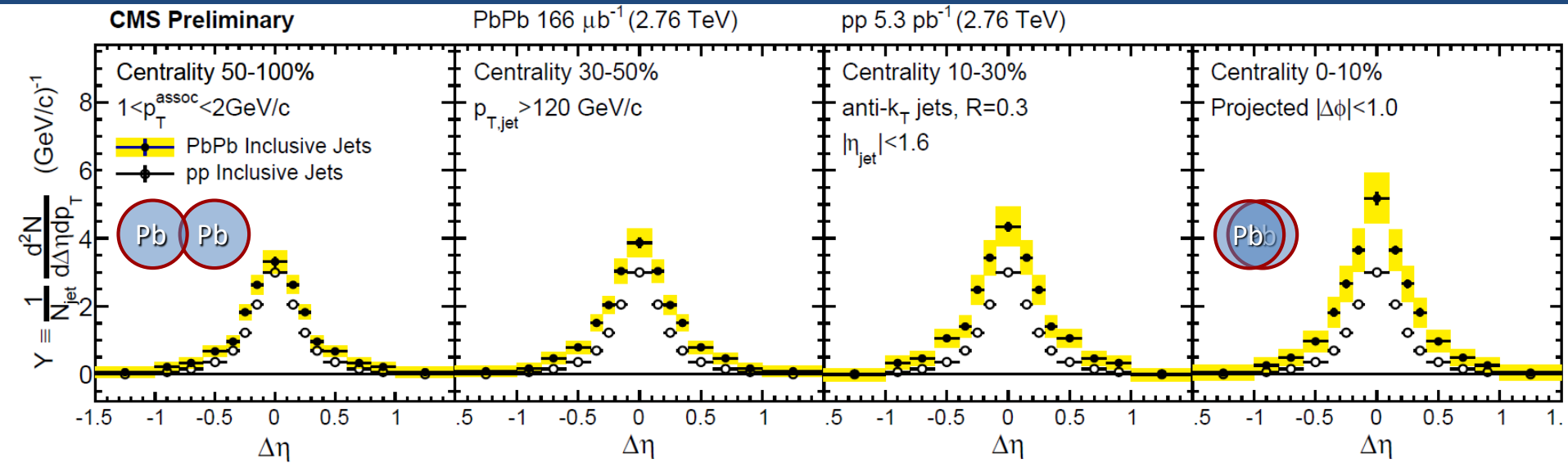
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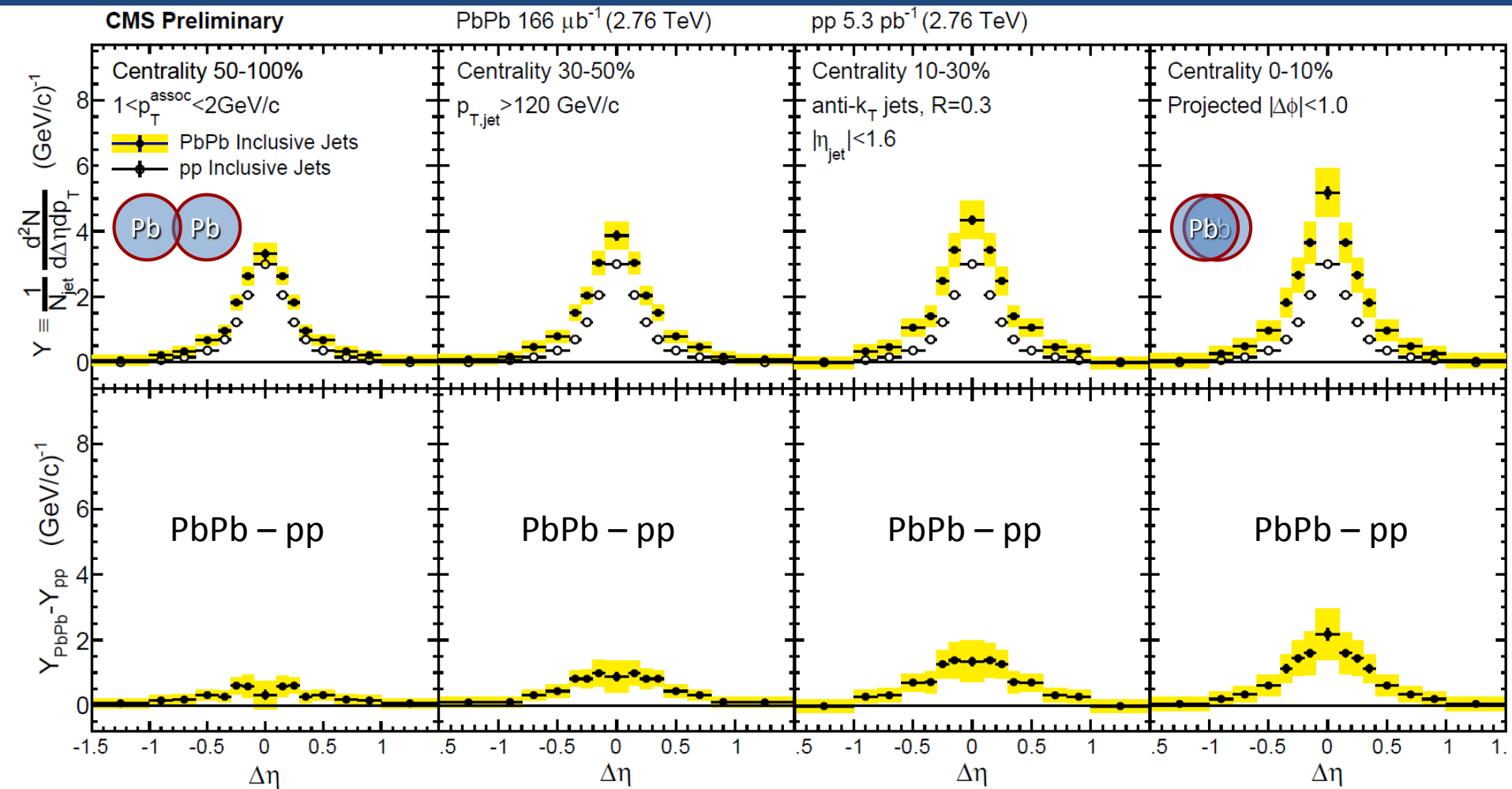


# $\Delta\eta$ versus Centrality



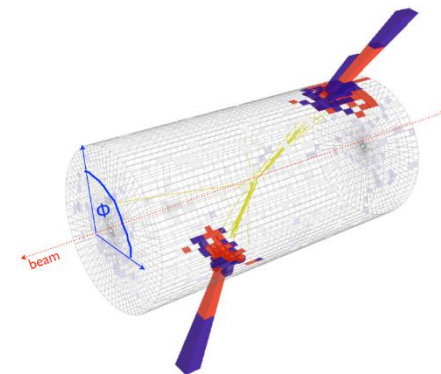


# Subtract pp from PbPb

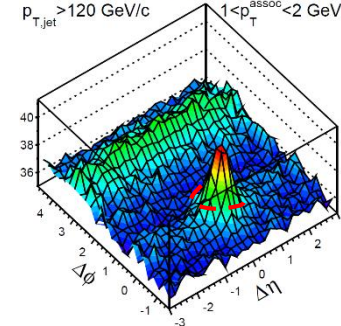


# Leading vs Subleading

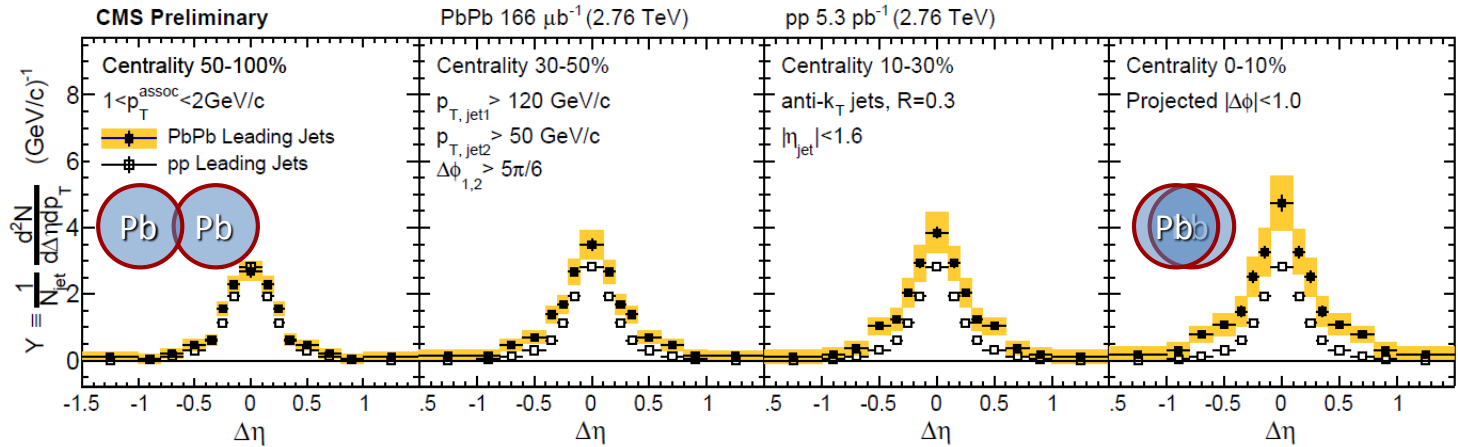
- Look at leading and subleading in dijet events
- Standard CMS HI dijet selection
  - Reconstruct all jets with  $|\eta| < 2.0$
  - Leading and subleading reside  $|\eta| < 1.6$
  - $|\text{dijet } \Delta\phi| > 5\pi/6$
  - Leading jet  $p_T > 120 \text{ GeV}/c$
  - Subleading jet  $p_T > 50 \text{ GeV}/c$



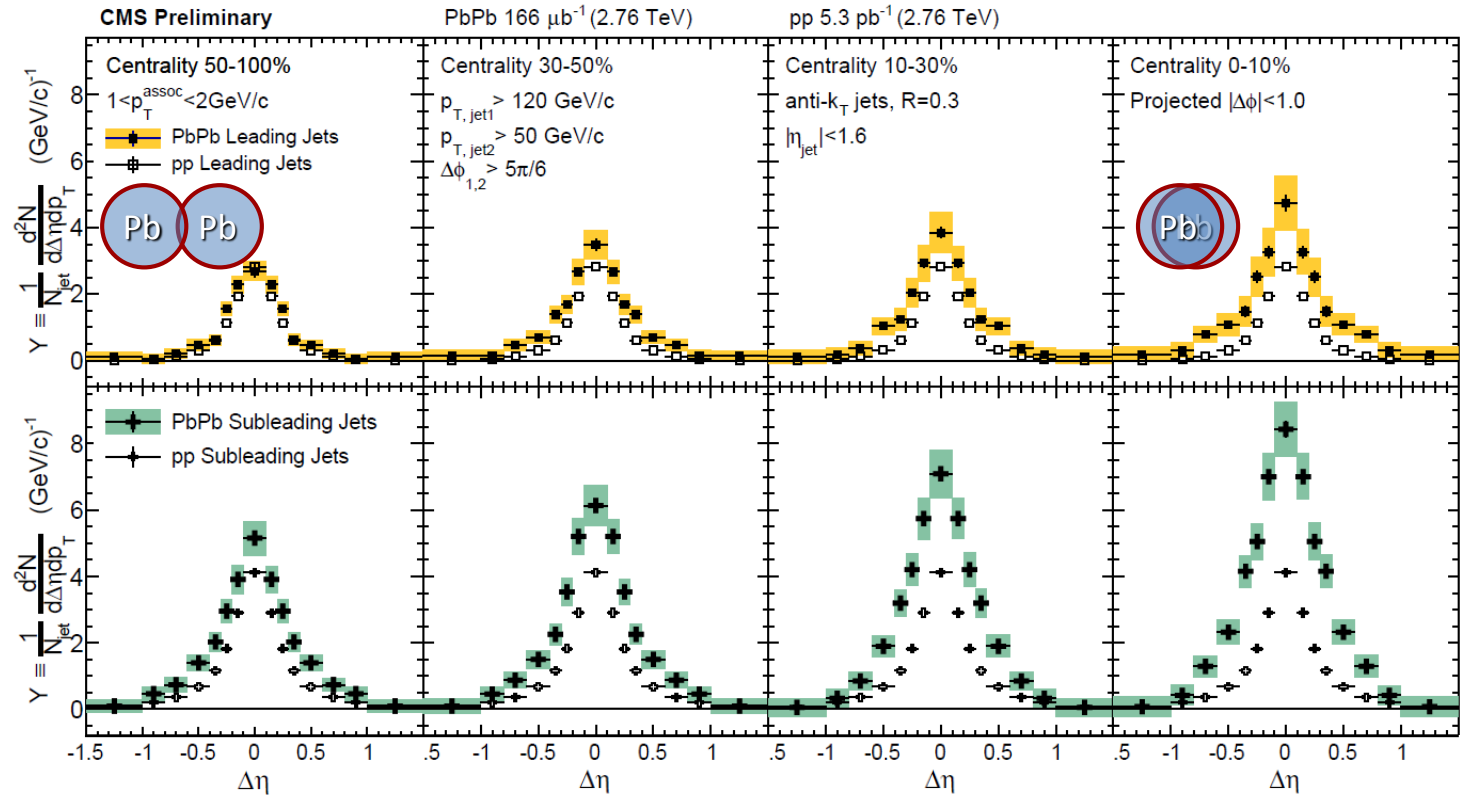
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# Vary centrality for Leading Jet

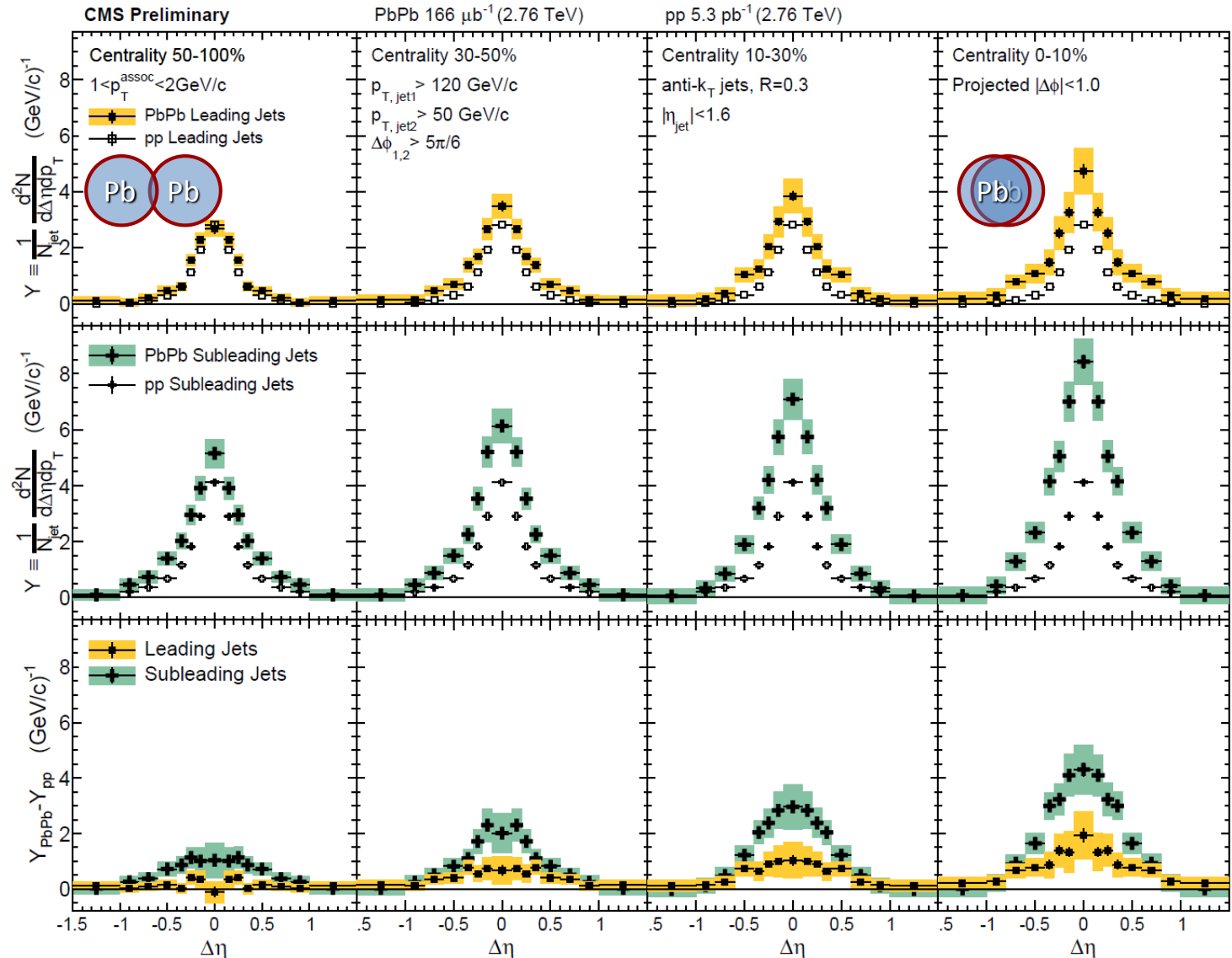


# Vary centrality for Leading & Subl Jet



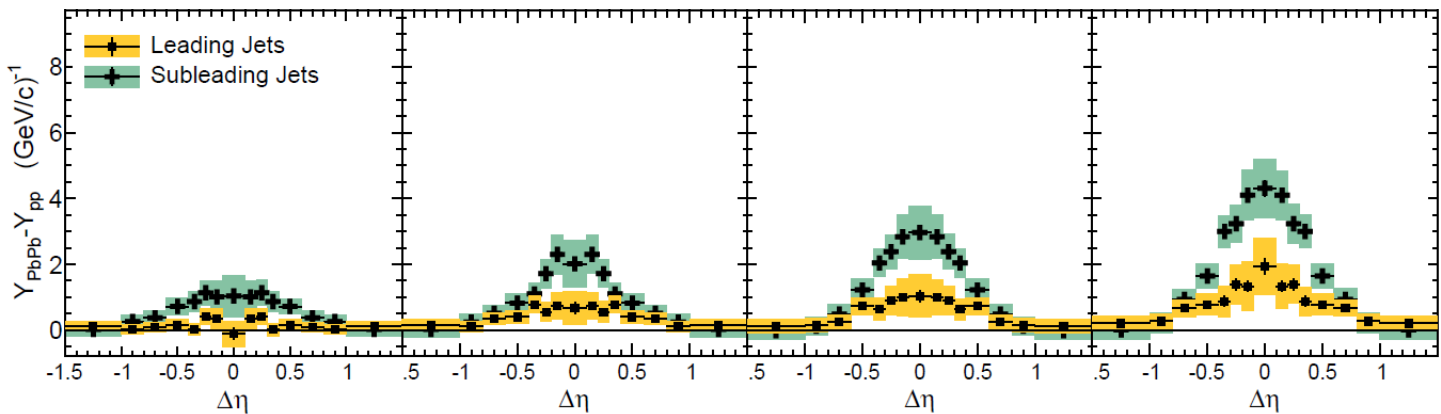


# Subtract pp from PbPb for Lead and Subl

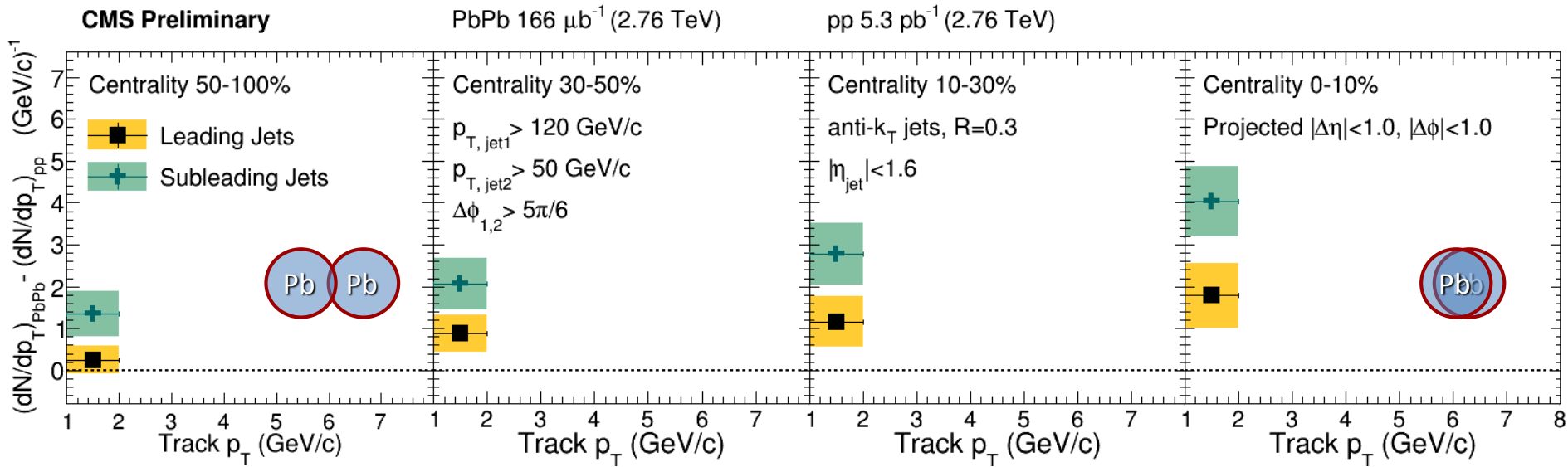


# Yield in Leading vs Subleading Jets

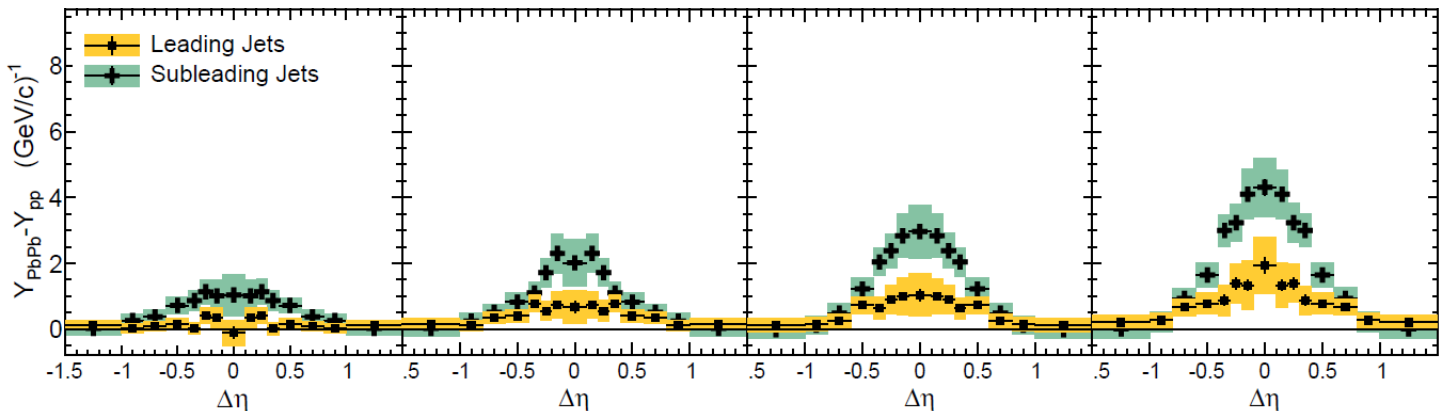
Integrate to find excess yield



# Yield in Leading vs Subleading Jets

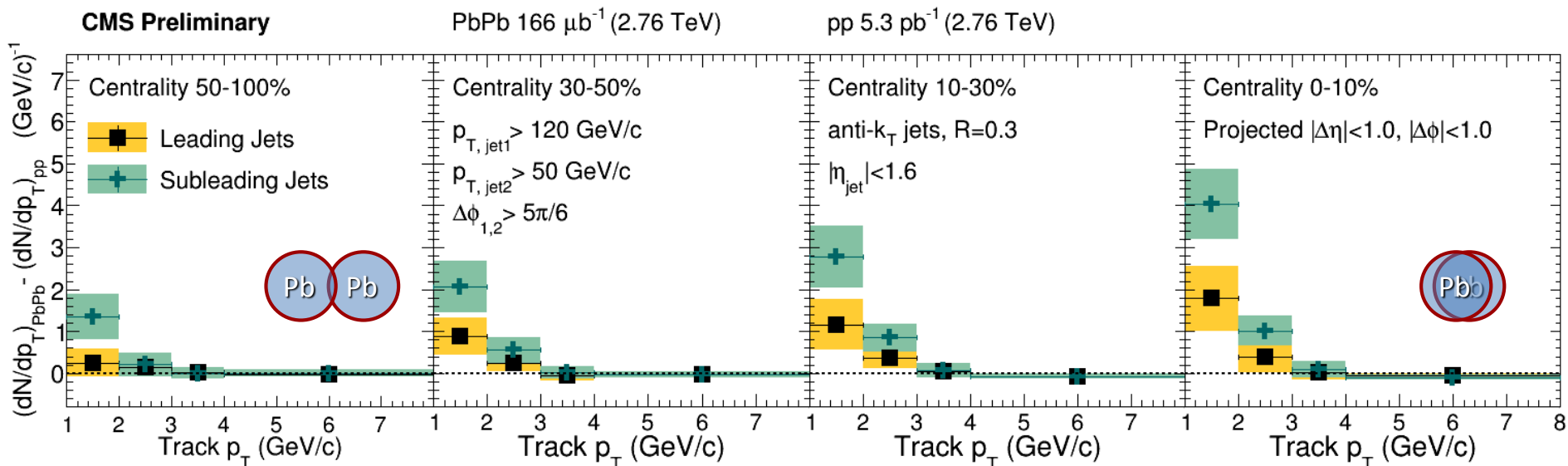


Integrate to find excess yield



PbPb – pp

# Yield in Leading vs Subleading Jets

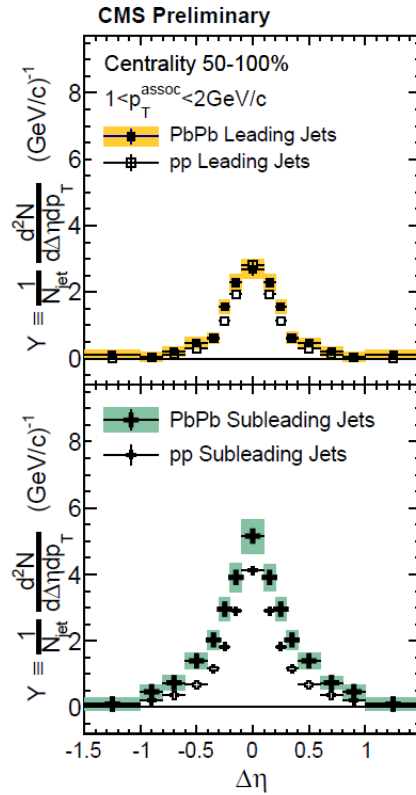


Vary associate track  $p_T$  :

- $1.0 > p_T > 2.0 \text{ GeV/c}$
- $2.0 > p_T > 3.0 \text{ GeV/c}$
- $3.0 > p_T > 4.0 \text{ GeV/c}$
- $4.0 > p_T > 8.0 \text{ GeV/c}$

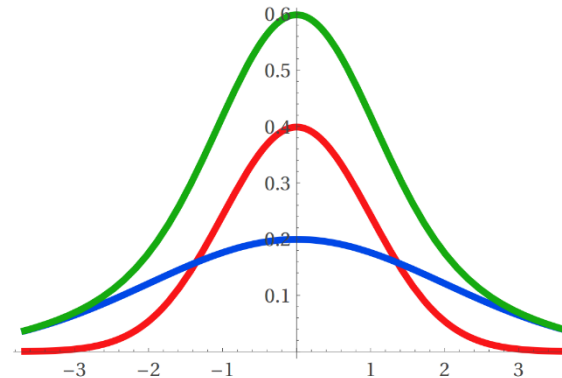
Less excess particles at higher  $p_T$

# Width of the Leading vs Subleading Jet



Fit the distribution with the sum of two Gaussians centered at zero

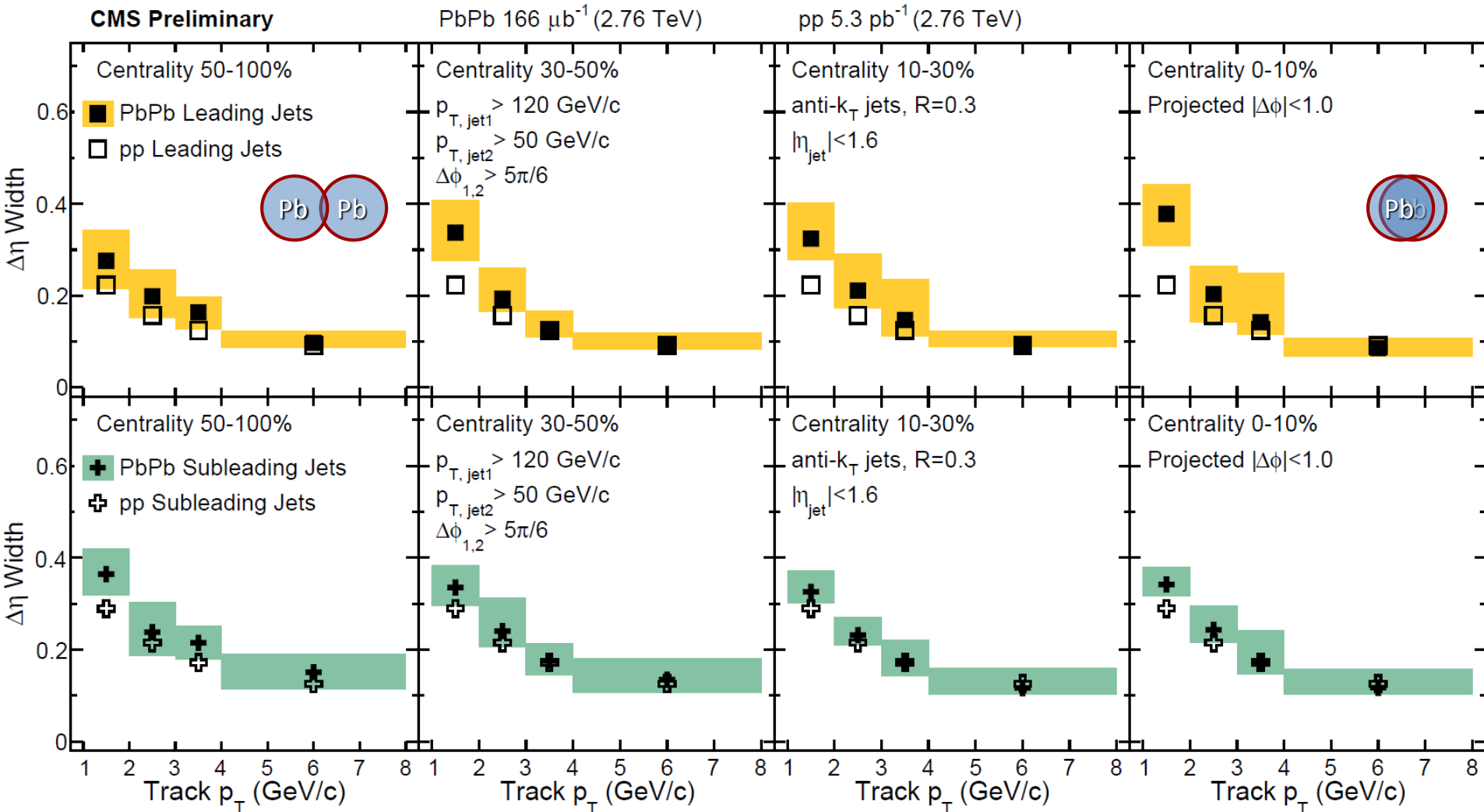
$$f(\Delta\eta) = a_1 \exp\left[\frac{-\Delta\eta^2}{2\sigma_1^2}\right] + a_2 \exp\left[\frac{-\Delta\eta^2}{2\sigma_2^2}\right]$$



Width  $\equiv |\Delta\eta|$  range that contains 67% of the total correlated yield



# $|\Delta\eta|$ Width Leading vs Subleading Jet

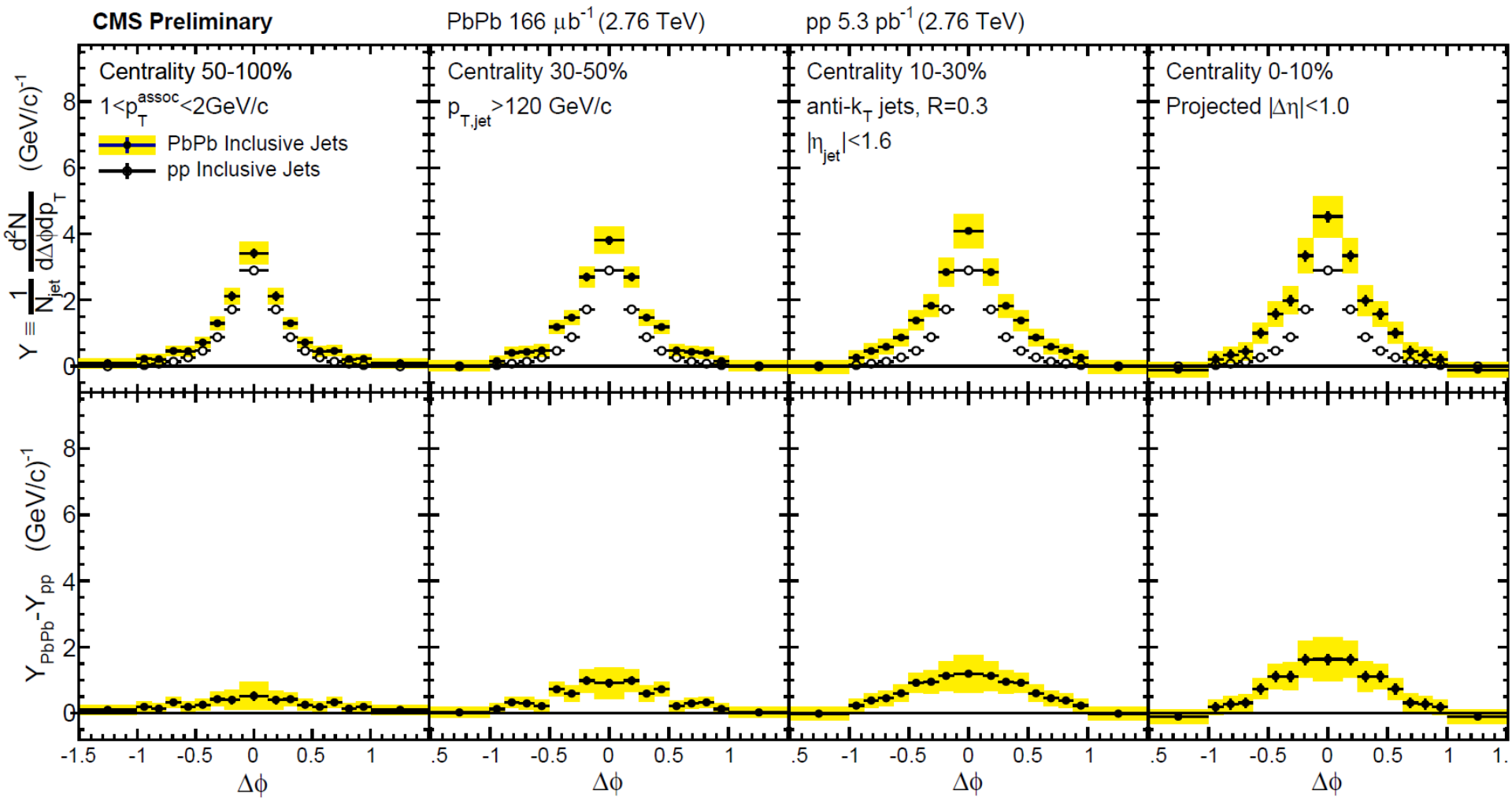


# Summary

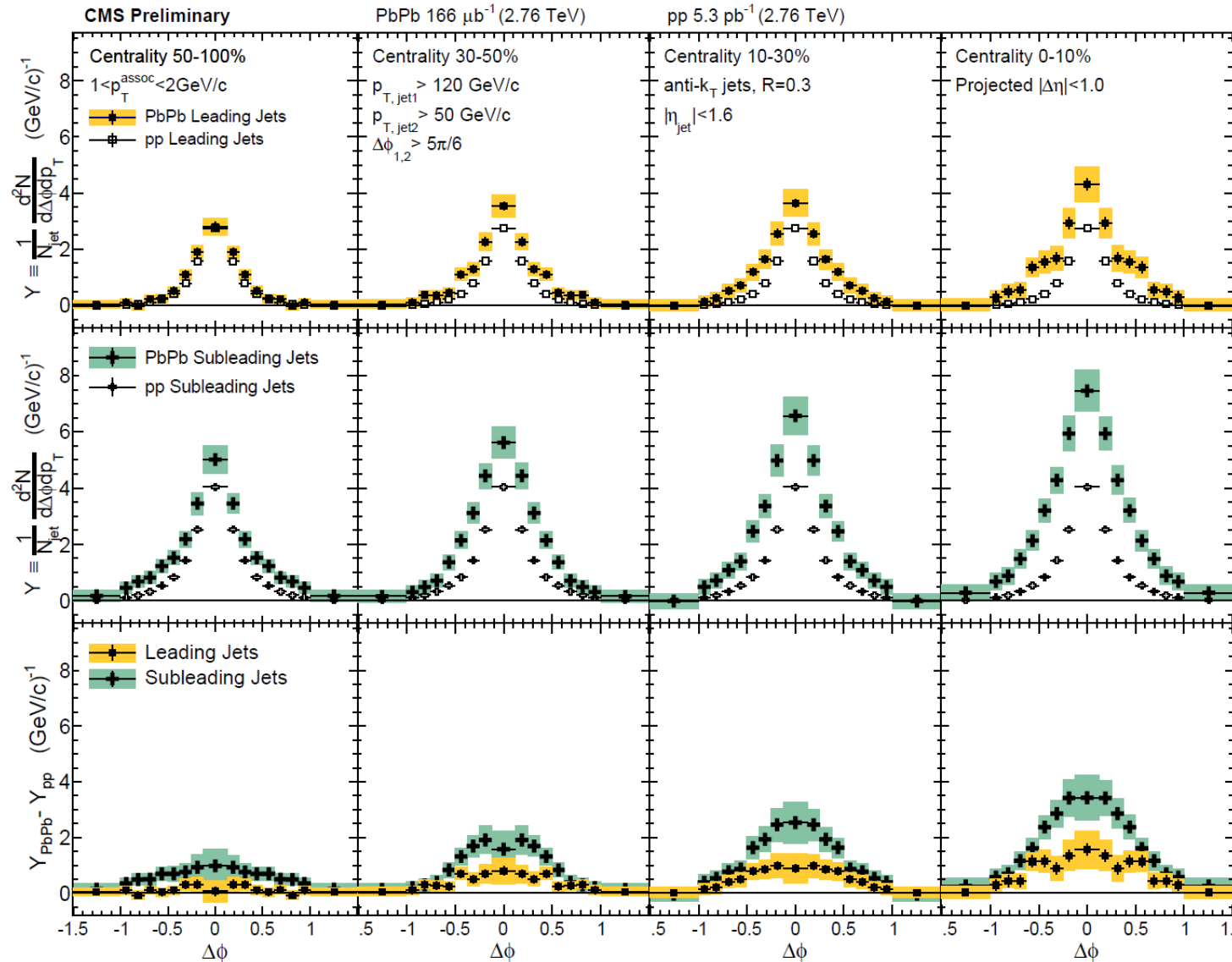
- Jet track correlations were measured for leading and subleading jets
- Inclusive jets are pp-like in peripheral collisions but have an excess yield in central collisions at low  $p_T$
- Subleading jets have greater excess yield compared to pp than leading jets
- Leading and subleading jets in PbPb are broader for low track  $p_T$  compared to pp, effect goes away at high  $p_T$ , no strong centrality dependence

# Backup

# Vary Centrality $|\Delta\phi|$

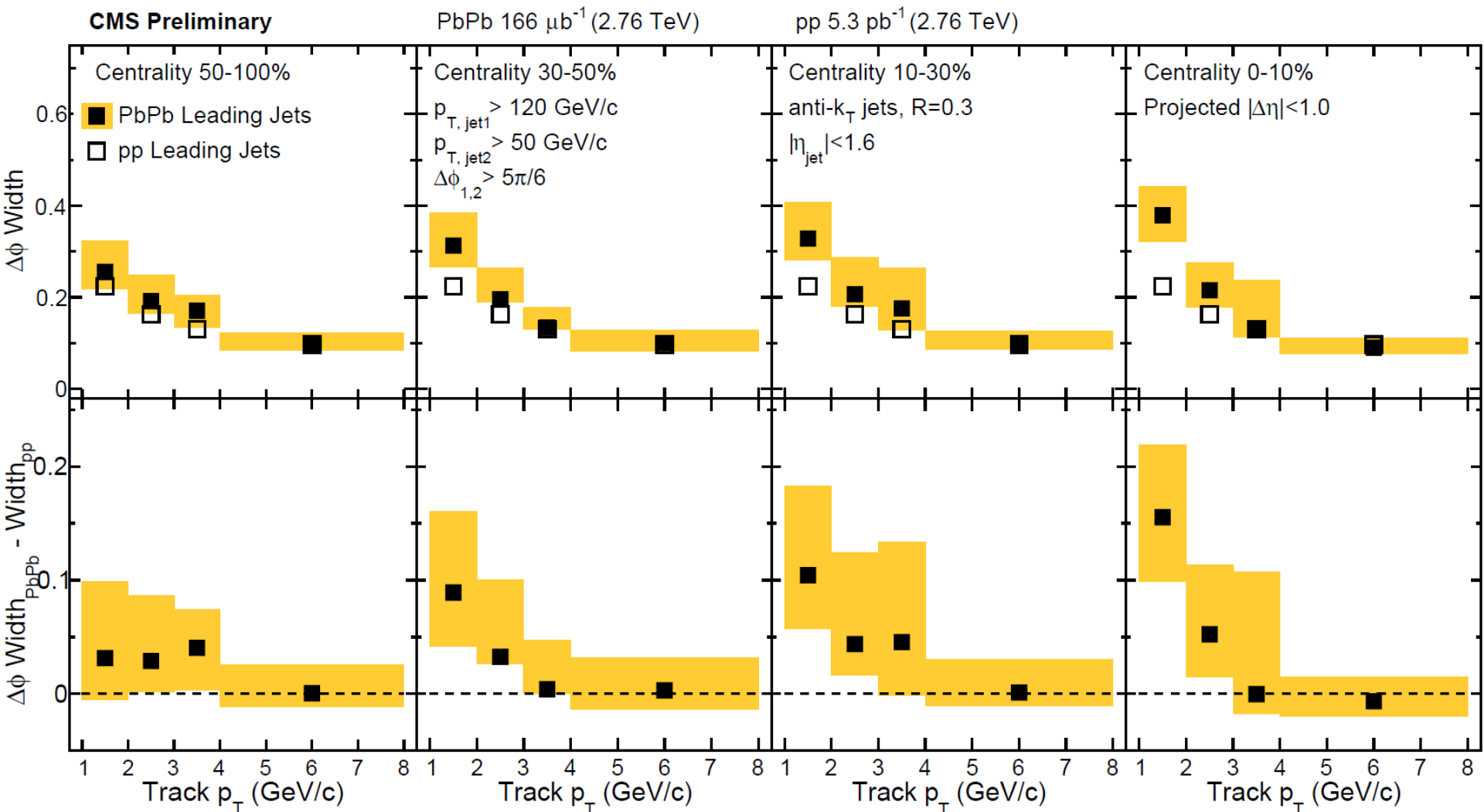


# Vary Centrality Leading & Subleading $|\Delta\phi|$

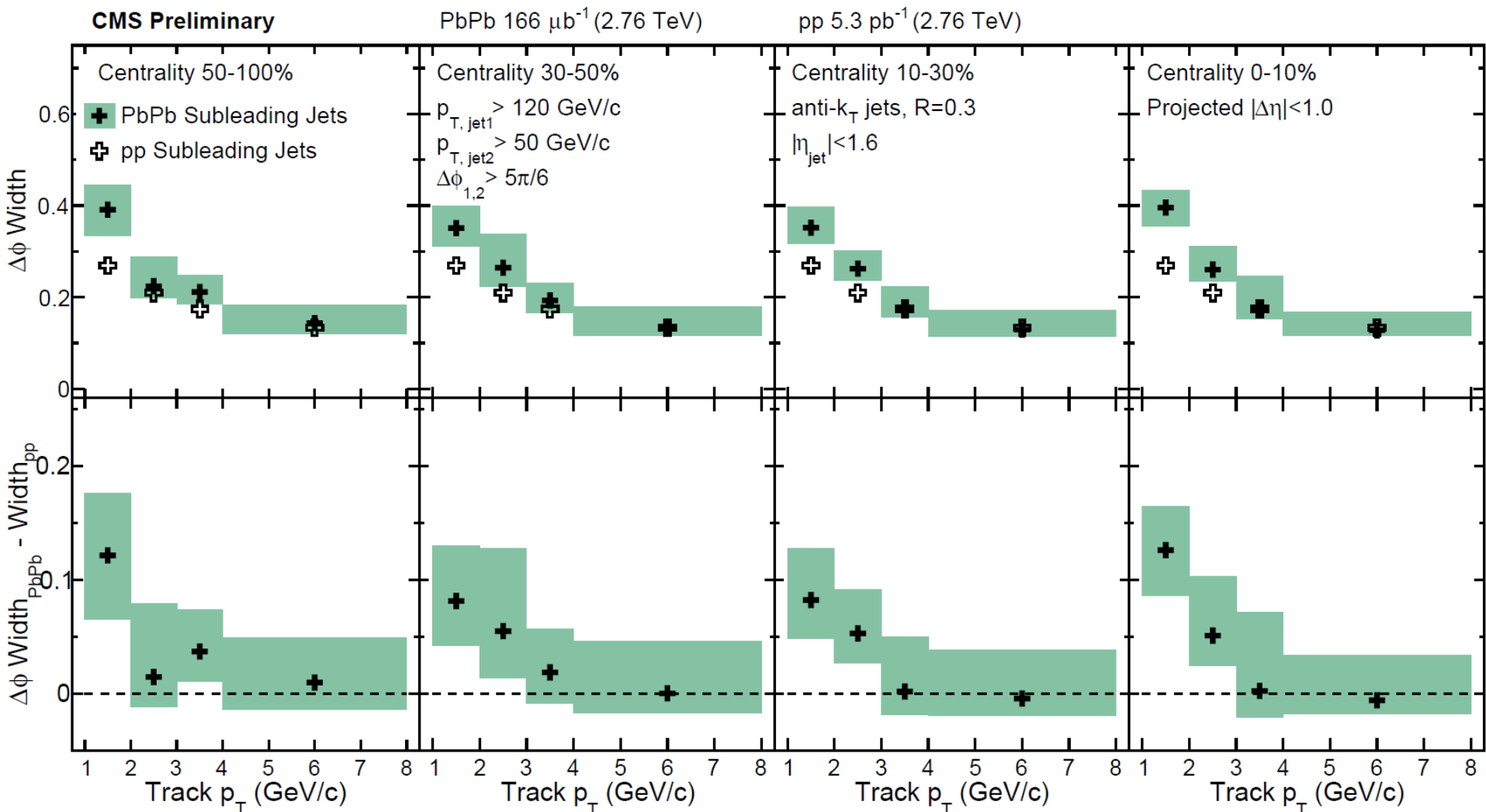




# Leading $|\Delta\phi|$ width

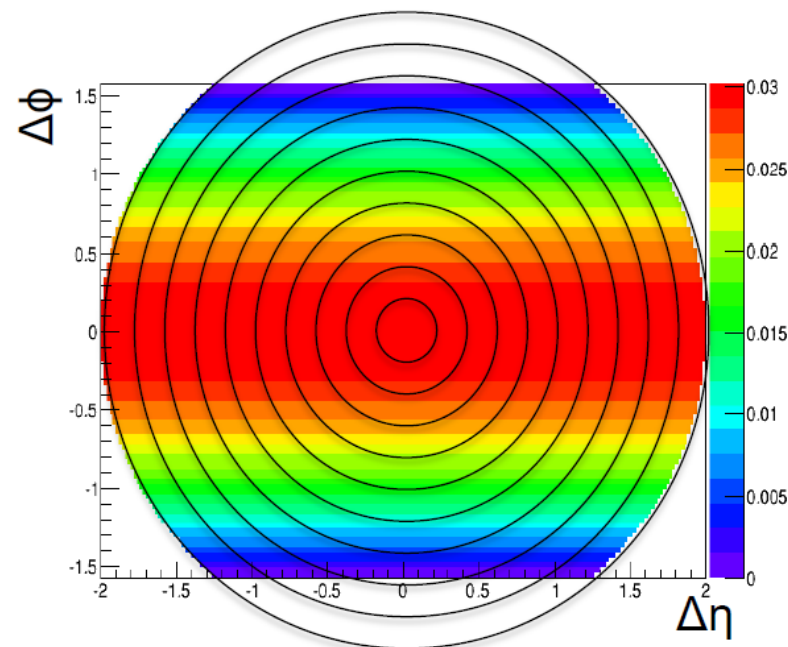


# Subleading $|\Delta\phi|$ width



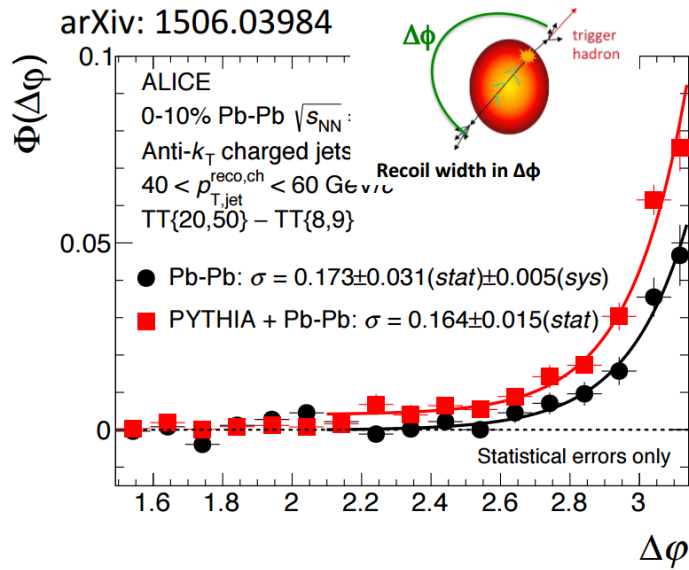
# Missing $p_T$ comparison

- Missing- $p_T$  analysis: projects all tracks onto average dijet axis, takes subleading minus leading hemispheres
- Jet-track analysis: could do the same from correlation—just weight by  $p_T^{\text{assoc}} \cos(\Delta\phi)$
- **Cross-check shown perfect consistency between the two studies**
- Missing- $p_T$  phase space:
  - $\Delta\eta$ - $\Delta\phi$  area integrated into each  $\Delta r$  bin (cartoon for illustration)
  - Last  $\Delta r$  bin shown is catch-all for  $\Delta r > 1.8$



# ALICE Jet Broadening Statement

arXiv: 1506.03984



[PLB 712 \(2012\) 176](#)

