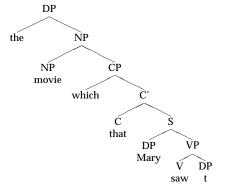
#### 24.903 Language & Structure III: Semantics and Pragmatics Spring 2003, 2-151, MW 1-2.30 March 10, 2003

# 1 Handling Topicalization and Relative Clauses

- (1) Topicalization
  - a. I like fish.
  - b. Fish, I like.
- (2) Relative Clauses 1
  - a. the empty bottle
  - b. the bottle [which is empty]
  - c. the bottle [that is empty]
- (3) Base sentence: Sandy met Joey in Oakland.
  - a. The person [who,  $[t_i \text{ met Joey in Oakland}]]$
  - b. The person [who, [Sandy met  $t_i$  in Oakland]]
  - c. The place [where, [Sandy met Joey  $t_i$ ]]

Movement: a way to create predicates from sentences - a way to create  $\lambda$ -abstractions.

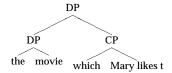
## 2 Handling Traces



• What do traces refer to?

An intuition: the 'head' of the NP

Another structure:



2

### 3 The Notion of 'Variable'

Traces are interpreted as variables.

Variables denote individuals, but only with respect to an assignment.

- (4) If  $\alpha$  is a trace, then, for any assignment a,  $[\![\alpha]\!]^a = a$ .
- Modifying semantic composition rules to handle variable assignments.

Interpretation independent of variable assignments:

(5) For any tree  $\alpha$ ,  $\alpha$  is in the domain of  $[\![\,]\!]$  iff for all assignments a and b,  $[\![\alpha]\!]^a = [\![\beta]\!]^b$ . If  $\alpha$  is in the domain of  $[\![\,]\!]$ , then for all assignments a,  $[\![\alpha]\!] = [\![\alpha]\!]^a$ .

### 4 Predicate Abstraction

- (6) Predicate Abstraction: If  $\alpha$  is a branching node, whose daughters are a relative pronoun and  $\beta$  then  $[\![\alpha]\!] = \lambda x \in D.[\![\beta]\!]^x$ .
- syncategorematicity

denotations under assignments  $\neq$  denotations applied to assignments

- (7) a. [whom John likes t] $^{Tim} \neq [$ whom John likes t](Tim)
  - b.  $[sleeps]^{Ann} \neq [sleeps](Ann)$
  - c.  $[\![ John \ likes \ t ]\!]^x \neq [\![ John \ likes \ t ]\!](x)$

Proof strategy: top-down or bottom-up

### 5 such that-relatives

- (8) a. the book such that John bought it.
  - b. the book which John bought t.

#### Additional flexibility:

- (9) a. the book such that John denied the claim that Mona wrote it
  - b. \*the book that John denied the claim that Mona wrote t
- (10) Pronoun Rule

If  $\alpha$  is a pronoun, then for any assignment  $a \in D$ ,  $[\![\alpha]\!]^a = a$ .

(11) Predicate Abstraction (Revised):

If  $\alpha$  is a branching node, with  $\beta$  and  $\gamma$  as daughters, where  $\beta$  is a relative pronoun or *such*, then  $[\![\alpha]\!] = \lambda x \in D. [\![\gamma]\!]^x$ .

- (12) Vacuous Binding
  - a. \*the man such that Mary is famous.
  - b. \*the man who Mary is famous.

### 6 Nested Relatives

(13) the man such that Mary reviewed the book which he wrote t

Problem: illegal capture of he by which

Solution: co-indexing and assignment functions

- (14) the man such<sub>1</sub> that Mary reviewed the book which<sub>2</sub> he<sub>1</sub> wrote t<sub>2</sub>
- (15) A variable assignment is a partial function from N into D.
- (16) Traces and Pronoun Rule

  If  $\alpha$  is a pronoun or a trace, a is an assignment function and  $i \in \text{dom}(a)$ , then  $\|\alpha_i\|^a = a(i)$ .

Handling pronouns:

(17) She<sub>1</sub> likes him<sub>2</sub>.

## 7 Assignment Functions

Modifying assignment functions:

(18) Let a be an assignment function,  $i \in N$ , and  $x \in D$ .

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\begin{array}{l} a^{x/i}=\\ (a \ \text{extended/modified to assign}\ x\ \text{to index}\ i.) \\ \text{(i)}\ \operatorname{dom}(a^{x/i})=\operatorname{dom}(a)\cup\{i\}\\ \text{(extend the domain of}\ a\ \text{to cover index}\ i) \\ \text{(ii)}\ a^{x/i}(i)=x,\\ \text{(assign index}\ i\ \text{to}\ x) \\ \text{(iii)}\ \text{for every}\ j\in\operatorname{dom}(a^{x/i})\ \text{such that}\ j\neq i:\ a^{x/i}(j)=a(j)\ \text{(leave everything else untouched)} \end{array}
```

(19) Predicate Abstraction:

If  $\alpha$  is a branching node, with  $\beta_i$  and  $\gamma$  as daughters, where  $\beta$  is a relative pronoun or *such*, and  $i \in N$ , then for any variable assignments a, then

$$[\![\alpha]\!]^a=\lambda x\in D.[\![\gamma]\!]^{a^{x/i}}.$$