Study Guide

I advise you to also go through the study guide for the first quiz to remind you of fundamental concepts.

Energy Balance on Open Systems

- 1) What is the most general form of the energy balance (1st Law) for open system? What terms do we usually neglect because they are not significant?
- 2) How is shaft work different from the work W?

 4) If a question asks you about "heat released during heating", does it want value for ΔH, ΔU, Ws, or Q?
$2^{nd} Law$
5) The formulation of the 2 nd Law is:
5) The formulation of the 2 nd Law is: 6) In a sense, the 2 nd Law is not a balance. It's an inequality that places a limit on the behavior of the universe. When does the inequality become an equality? At the limit when the process is, we have an equation (rather than just an inequality).
7) What is ΔS for an adiabatic reversible case?
 8) How would you calculate ΔS of an ideal gas that goes from some T₁, P₁ to some T₂, P₂? 9) How would you calculate the above for a real gas if there no data (chart,table) are available? 10) In determining the possibility of a device, what three equations must be satisfied?
Equipment analysis 11) What characterizes a throttle valve? It is an equipment used to expand a fluid from pressure to pressure. For a throttle valve, = 0.
12) In a heat exchanger / condenser / evaporator / boiler, we usually assume that there is no change in
13) If a turbine is reversible, then = 0. This allows us to calculate the work produced by the turbine, which is equal to the change in
14) For an irreversible turbine of a given efficiency, how would you calculate the work produced?
15) A pump is different from a compressor mainly because it is used for instead for
gases. The work of a pump is calculated as because we have
assumed that liquids are usually incompressible (V does not change much with P).
Power cycle / Heat engine
16) Describe a Carnot engine. Draw the process on a T-S diagram.
17) What is the definition of efficiency for a power cycle?
18) What is the efficiency of a Carnot engine? What's so special about Carnot efficiency?
19) A Rankine cycle is a real, practical engine. What are the components of a Rankine cycle. Draw the process.
20) Draw the Rankine cycle process on a T-S diagram. Draw it also on a P-H diagram.
21) Should the boiler be operated at the higher temperature or lower? What about the condenser?
22) What is the main purpose of the turbine and the pump?

Refrigeration cycle		
23) What is the definition of coefficient of perform	mance (COP) for a refri	geration system?
24) What is the COP of a Carnot refrigerator?	The Carnot COP is th	eest possible COP for a
refrigeration running between some given T _H	and some given T _C .	
25) What are the components of a practical refi	rigeration system? In	an industrial refrigerator, work is
usually obtained using an	_, whereas in househo	ld refrigerators / AC, no work is
obtained because the cheaper	is used inst	ead.
26) Draw the refrigeration process on a T-S diagram	am. Draw it also on a P	-H diagram.
27) Should the evaporator be operated at the high	er temperature or lower	? What about the condenser?
28) When we say "the refrigerator is doing some	cooling", we usually m	ean that it takes away heat from the
surrounding and uses it to	the refrigerant.	. How do you calculate the cooling
that is done by a refrigeration? Which equipments	nent in the cycle is doin	g the cooling?
29) What is the main purpose of the turbine and the	he pump?	

A general approach to problems

Think about the following when starting on a problem:

- 1) Is this familiar? Can I jump into the problem using something I saw before? (An example would be if the problem is on a reversible turbine).
- 2) What is the system that I am choosing? The whole process, one equipment, part of an equipment?
- 3) Do I need to break up the problems into several parts (e.g. for a power cycle)?
- 4) What is it that I want to find out? What information is given in the problem?
- 5) Is my system open or closed?
- 6) If it's an open system, do I need to write material balance on the system?
- 7) What are the changes that are happening? Work, heat, shaft work: are these terms given as a number or can I calculate it somehow? Is pressure constant? Is temperature constant? Is *total* volume constant? Is $\Delta H = 0$? Is $\Delta S = 0$?
- 8) How do I get P, T, V, H, U and S (whatever is applicable)?
 - a) Am I dealing with an ideal gas?
 - b) If it's a real gas, are there data at the back of the book (steam, tetrafluoroethane, etc)?
 - c) If it's real and there are no data, am I given an equation of state to use (vdW, Redlich Kwong, etc)?
 - d) If it's real, there are no data, and no EOS is specified, then I must use generalized correlation. How do I calculate P, T, or V, or ΔH and ΔS for this?

Of course, there are some special problems that cannot be solved this way (e.g. Problem 17 in Pset E) and require some thinking outside this scheme.

ΥT

1)

50 lbm/hr of steam at 575 psia and 1100°F passes through a reversible turbine from which it exits at atmospheric pressure (=14.696 psia). It then goes to a heat exchanger where it is condensed and further cooled down to some temperature, all at constant pressure. The cooling is done using a refrigeration unit running on tetrafluoroethane (data on Figure G.2.). The cooled water is then throttled to 10 psia where 10% of the stream is now vapor.

If the refrigeration cycle has a coefficient of performance of 1.5, what is its power requirement (in Btu/hr)? Assume that liquid water has a constant Cp of 1 Btu/lbm^oF for temperature range of interest.

So Um 14.69 prin | H X | 14.69 prin | H X | 14.69 prin | Wis Refryendon | 10% super | 10% 1st law wound HX: maH= Qc+ Wa WH= H3-Hz Turbne: T₁=1100°F P₁= 575 psia => S₁=1.7568 Btu/lon; H₁=1577.6 Reversible: Sz=S1 = 1.7568 Brullom R Looking up in stem table: Pz = 14.696 psia =>/Hz = 1150,5 Blu/Bm/ Sz = 1.7568 Blu/Roma (intent, suturated) Valve: $\Delta H=0 \Rightarrow H_3 = H_4 = (x. H_{sotvep}) (10 pria) + (1-x) H_{sottley} (at 10 pria) / H_3 = (0.1-1143.3+0.9-161.76) Halley (at 10 pria)$ Buck to HX: DIPMX = H3 -Hz = (2595-1\$50.5) Btu/lbm = -291.0 Btu/lbm Qc = maH = (50 lbm/hr)(-891.0 Btu/lbm) = -44,550 Btu/lor INSI = 10°1 = 44.550 Ata/Am = 29,700 Btu/Am

Some gas Z_2 flows through an adiabatic and reversible turbine. It enters at some T_1 and P_1 . It produces a shaft work of W (J/mol). Cp can be assumed to be constant.

- a) What are the outlet T₂ and P₂ if the gas is ideal? (Express answer in terms of W, T₁, P₁, Cp, and R).
- b) Determine T₂ and P₂ if the gas is not ideal but has a relatively constant compressibility factor of 1.2 for the range of temperature and pressure considered?
- c) Set up the problem for the case where the gas is in fact well described by generalized correlation?

For whistatic reverable turbine:
$$\Delta S = 0$$
 $\Delta H = WstR = 0$
a) Ideal gas: $M = \Delta H = \int_{0}^{\infty} c_{p} dT = C_{p}(T_{2} - T_{1})$ (conf (p))

 $W = C_{p}(T_{2} - T_{1}) = \int_{0}^{\infty} \frac{1}{C_{p}} dT = C_{p} \ln \left(\frac{p_{2}}{T_{1}}\right) - R \ln \left(\frac{p_{2}}{P_{1}}\right)$
 $O = \Delta S = \int_{0}^{\infty} \frac{c_{p}}{c_{p}} dT - \int_{P_{1}}^{P_{2}} \frac{c_{p}}{c_{p}} dP = C_{p} \ln \left(\frac{p_{2}}{T_{1}}\right) - R \ln \left(\frac{p_{2}}{P_{1}}\right)$

Rearranging: $P_{2} = \int_{0}^{\infty} c_{p} \int_{0}^{\infty} e^{C_{p}} \ln \left(\frac{T_{2}}{T_{1}}\right) = \int_{0}^{\infty} \exp \left[\frac{c_{p}}{c_{p}} \ln \left(\frac{w_{1}}{C_{p}}\right) + 1\right] = P_{2}$

b) $\Delta H = \int_{0}^{\infty} C_{p} dT + \int_{0}^{\infty} \left[V - T\left(\frac{\partial V}{\partial T}\right) p\right] dP$ (eq. 6.20 in book; also done in lecture)

$$\left(\frac{\partial V}{\partial T}\right)_{p} = ? \quad Z = 1.1 \Rightarrow \frac{PV}{R_{1}} = 1.2 \Rightarrow V = \frac{1.2RT}{P} \Rightarrow \left(\frac{\partial V}{\partial T}\right)_{p} = \frac{1.2R}{P}$$

$$\left[V - T\left(\frac{\partial V}{\partial T}\right)_{p}\right] = \frac{1.2RT}{P} - T \frac{1.2R}{P} = 0$$
 $\Delta H = \int_{0}^{\infty} C_{p} dT + \int_{0}^{\infty} \left(\frac{\partial V}{\partial T}\right)_{p} dP = C_{p} \ln \left(\frac{T_{2}}{T_{1}}\right) - \int_{0}^{\infty} \frac{1.2R}{P} dP$

$$O = \Delta S = \int_{0}^{T_{1}} C_{p} dT - \int_{0}^{R_{2}} \left(\frac{\partial V}{\partial T}\right)_{p} dP = C_{p} \ln \left(\frac{T_{2}}{T_{1}}\right) - \int_{0}^{\infty} \frac{1.2R}{P} dP$$

$$O = C_{p} \ln \left(\frac{T_{2}}{T_{1}}\right) - 1.2R \ln \left(\frac{P_{2}}{P_{1}}\right)$$

Rearranging: $P_{2} = P_{1} \exp \left[\frac{C_{p}}{T_{1}} \ln \left(\frac{T_{1}}{T_{2}}\right)\right] = P_{1} \exp \left[\frac{C_{p}}{T_{1}} \ln \left(\frac{C_{p}}{T_{1}}\right) + 1\right] = P_{2}$

C) goveralized correl. setup $\Delta H = bd = \Delta H^{ig} + \Delta H^{R}$ $\Delta H^{ij} = C_{p} (T_{z} - T_{1})$ $H_{i}^{R} \in H_{z}^{R} \text{ from chart or table}$ $f(T_{i}, P_{i}) = f(T_{i}, P_{i})$??

DS=0= DS J+DS (
DSiJ = Cp ln (Tz) - Rln (Pz)

Si R & Si & from bart or table

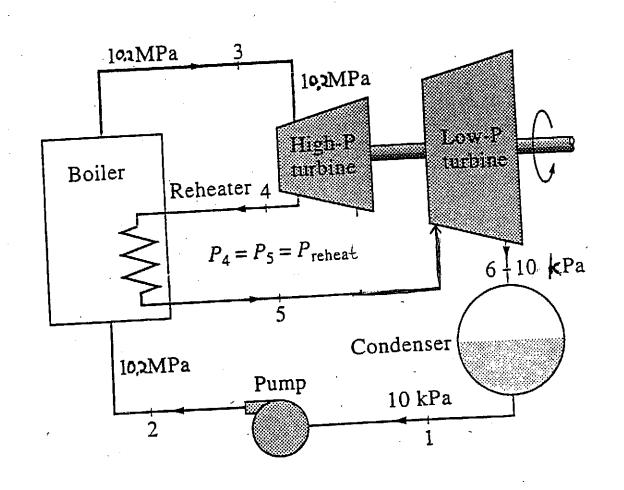
F(Ti, Pi) & (Tz, Pi)

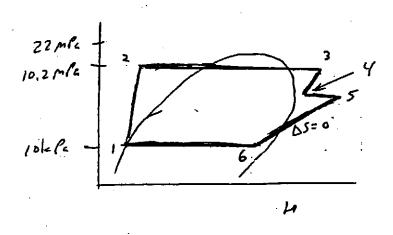
Z equations J-> can solve

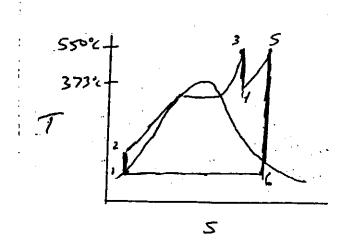
Z unlerown J-> can solve

Consider a steam power plant that operates on the ideal reheat Rankine cycle pictured below (i.e, the turbines and compressors operate isentropically). The steam enters the high-pressure turbine at 10.2 MPa and is condensed in the condenser at a pressure of 10 kPa. Streams leaving the boiler exit at 550 °C. The moisture content of the steam at the exit of the low-pressure turbine is not to exceed 10.4 %.

- a) Plot the cycle on a T-S diagram and a log P-H diagram labelling the positions of 1 to 6 as in the figure. In drawing the liquid-vapor envelope, sketch the cycle in relation to the critical point for steam. (6 points)
- b) Determine the pressure at which the steam should be reheated. (8 points)
- c) Determine the thermal efficiency of the process. (8 points)
- d) Suggest three ways to improve the thermal efficiency of the cycle and note a practical problem associated with each one. (3 points)







b) To determine the pressure for streams 4 and 5, note that $P_4 = P_5$ (given in problem and boilers are constant pressure) and $S_5 = S_6$ (isentropic process).

For Position 6, P = 10 kPa and x = 1 - 0.104 = 0.896. From page 676, $S^1 = 0.6493$ kJ/kg-K and S' = 8.1511 kJ/kg-K. Thus, $S_6 = [(0.104)(0.6493) + (0.896)(8.1511)]$ kJ/kg-K = 7.3709 kJ/kg-K. As $S_5 = S_6$, $S_5 = 7.3709 kJ/kg-K$.

As $T_s = 550$ °C, find P where $S_s = 7.3709$ kJ/kg-K. From steam tables (page 692) for these two conditions, P₅ = 3.0 MPa.

c) Thermal efficiency = (desired output)/(required input)

Desired output is from turbines - pump = $(H_5 - H_6) + (H_3 - H_4) - (H_2 - H_1)$

 H_5 at 550 °C and P of 3.0 MPa = 3568.1 kJ/kg (page 692)

 H_6 at 10 kPa and quality of 0.896 = (0.104)(191.832)+(0.896)(2584.8) = 2335.9 kJ/kg

 H_3 at 550 °C and P of 10.2 MPa = 3497.8 kJ/kg (page 705)

H₄ at 350 °C and P of 3.0 MPa $= 3117.5 \, kJ/kg$

[Note: $T_4 = 350$ °C determined using $S_4 = S_3$ (S3 = 6.7454 kJ/kg-K) and P = 3.0 MPa (page 690)]

H, for sat liquid at 10 kPa = 191.832 kJ/kg (page 676)

 H_2 for liq at 10.2 MPa = $H_1 + V(P_2 - P_1)$ (get V from page 669 for T = 60 °C)) = $191.8 \text{ kJ/kg} + 0.001017 \text{ m}^3/\text{g}$)([10200-10]kPa)(1 kJ/1 kPa-m^3) = 191.8 kJ/kg + 10.4 kJ/kg = 202.2 kJ/kg

Desired output = [(3568.1 - 2335.9) + (3497.8 - 3117.5) - (202.2 - 191.8)]kJ/kg = 1602.1 kJ/kg

Required input = boilers = $(H_3 - H_2) + (H_5 - H_4)$

Required input = [(3497.8 - 202.2) + (3568.1 - 3117.5)]kJ/kg = 3746.2 kJ/kg

Thermal efficiency = (desired output)/(required input) = (1602.1 kJ/kg)/(3746.2 kJ/kg) = 0.43

Raise temperature leaving boiler

d) Increase 10.2 MPa to a higher pressure Hard to handle high pressures (more expensive equipment)

Need to construct equipment from expensive alloys to handle the temperature/corrosion problems

Need bigger equipment (i.e., greater cost)

Lower exhaust P of low P turbine