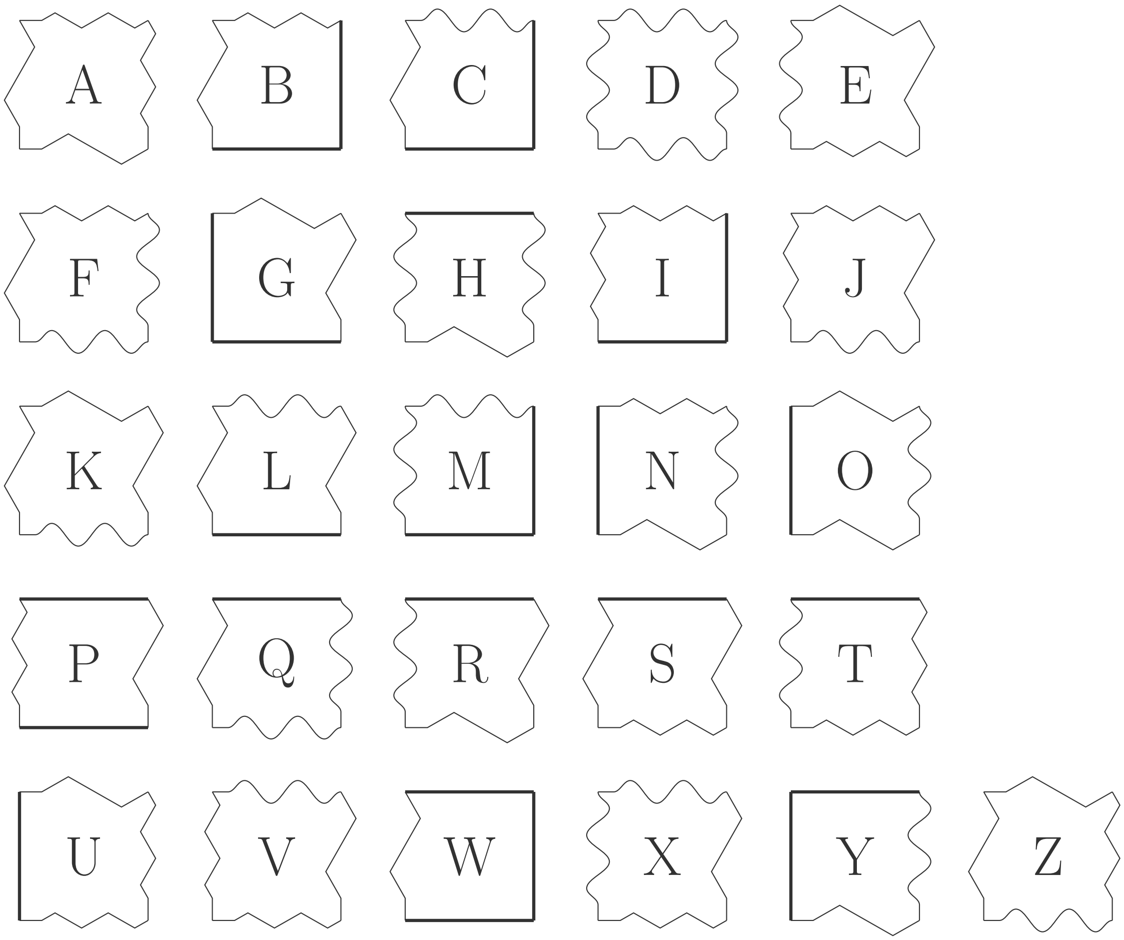
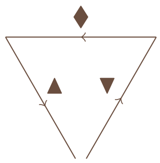
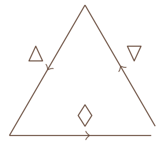
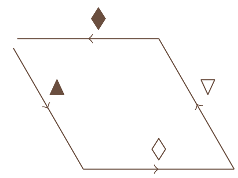
Permuted

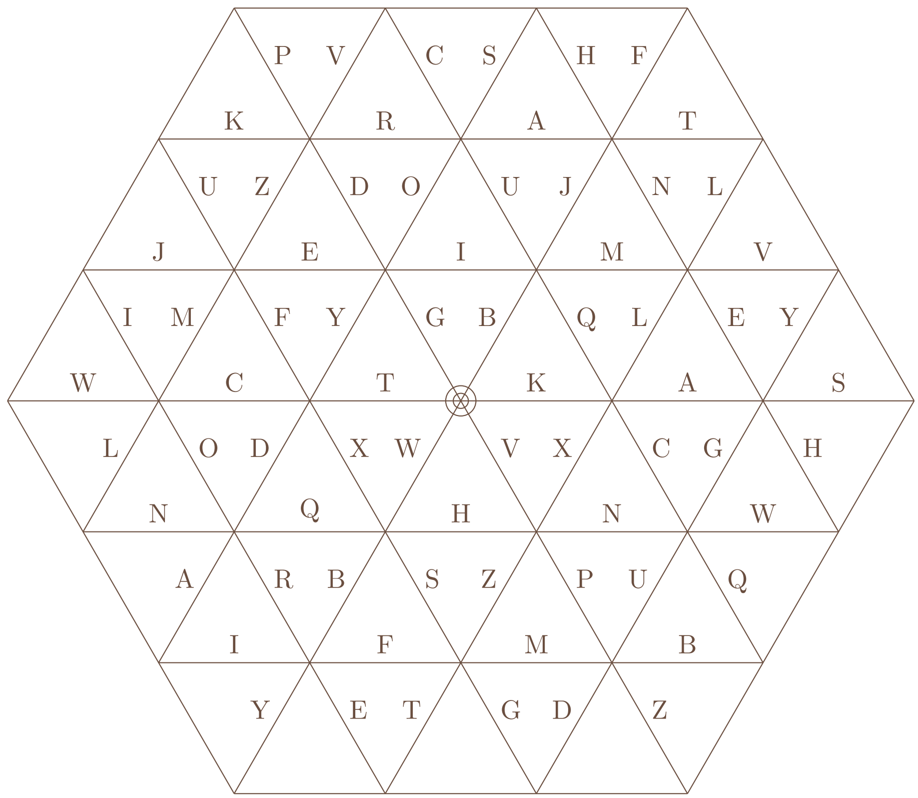


X
H X
E O S
S V E H
F D U Y W
M G * P I B
A * * * * Z M

C
X S
H H H
E E E W
V D D T F
K Z Q J N T
R * * * * * M
* * * * * * * L

Note: $0 \leq x \leq 25$.

 = 59  = 96  = 1095



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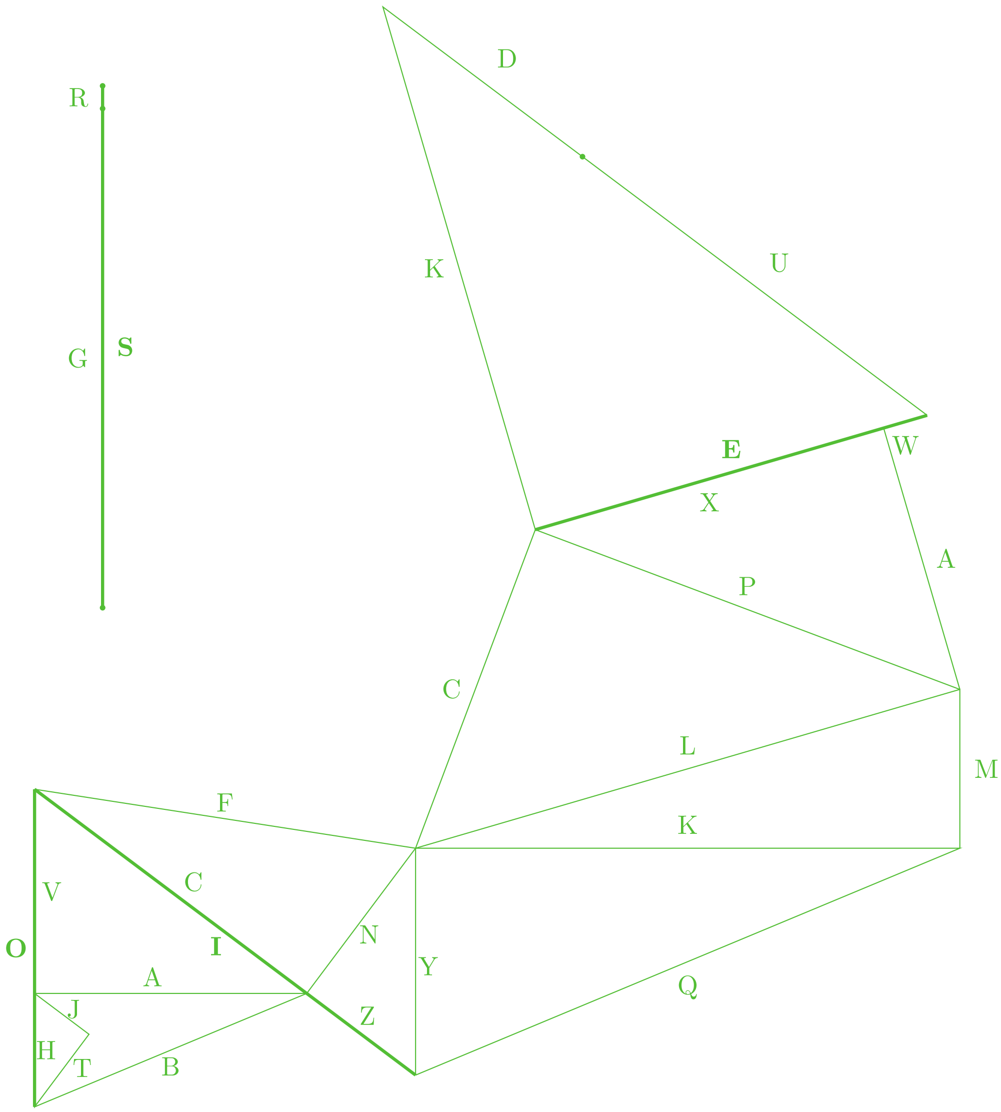
Suppose $\alpha^3 + 2\alpha^2 + 1 = 0$ and $\mathrm{K} = 2 + \alpha^2$.

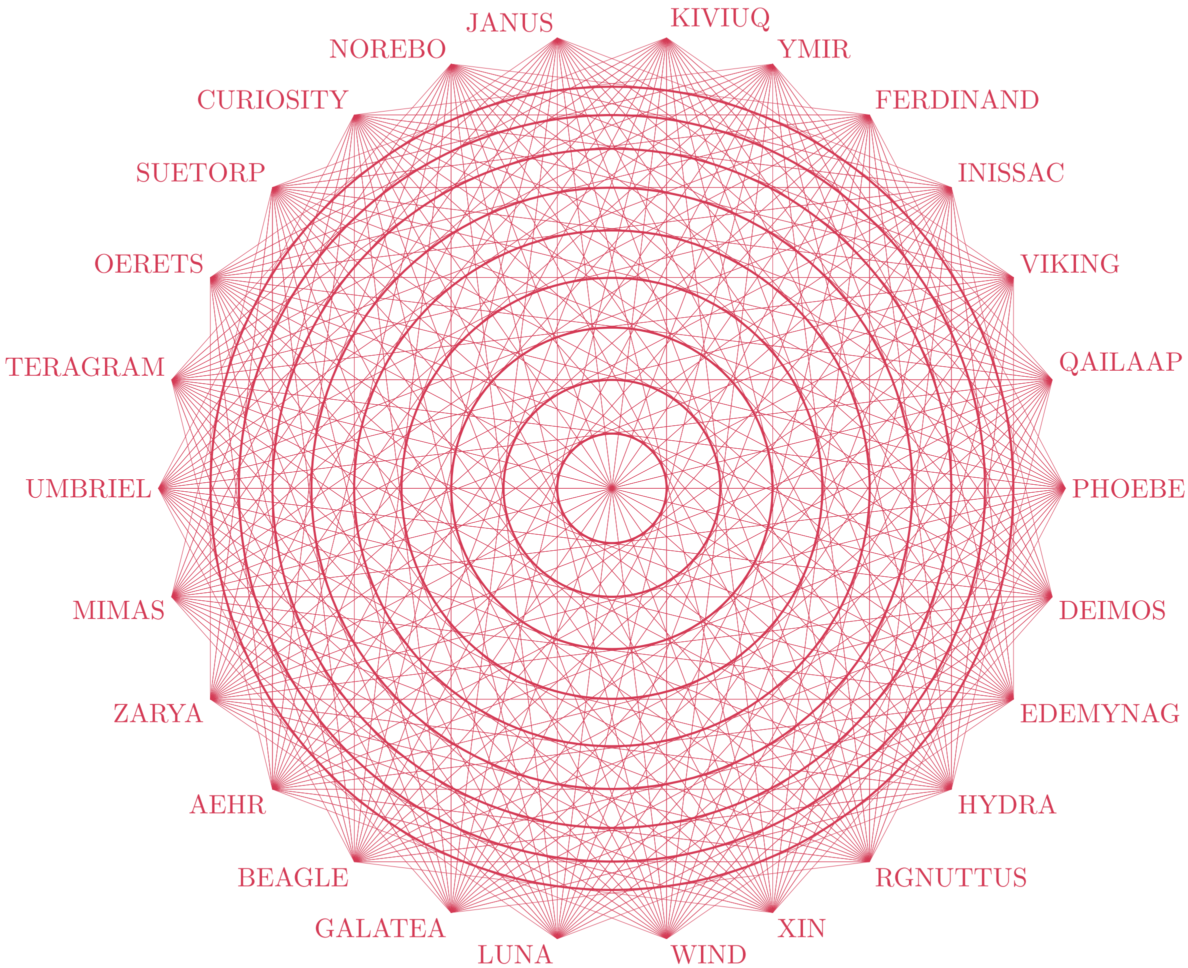
$$\sigma(n) = \begin{cases} \alpha^{24-9n} & \text{if } n = 4, 6, 8; \\ \alpha^{9n-6} & \text{if } n \text{ even otherwise;} \\ \alpha^{9n-10} & \text{if } n \text{ odd.} \end{cases}$$

$$z^4 - (22432i + 17212)z^3 + (24822589i + 14048442)z^2 + (195926151359i - 197283732239)z + (103093386360336i - 218552646456468)$$



ANDREW ZOMBIE BUYERS

$$\begin{pmatrix} 2 & 2 & 0 \\ 1 & 2 & 1 \\ 0 & 0 & 1 \end{pmatrix}, \qquad \mathrm{K} = \begin{pmatrix} 2 \\ 0 \\ 1 \end{pmatrix}$$

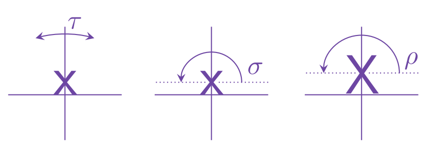


FEW = 74971	FOLK = 2014909	CALMLY = 5861084641
DRIVE = 80479069	BLACK = 24351365	TAXIS = 12013337
UP = 267	MAJOR = 682594	ROADS = 27609131
ON = 3053	QUIET = 94459883	HAZY = 1856077
NIGHTS = 188607503		

Let x_{12} be an equilateral triangle of area x_1 and set x_7 as the radius of its incircle x_{25}. Suppose that the origin x_{21} is contained within x_{25}, and choose a point (x_{18}, x_{23}, x_{17}) with prime distance x_{20} from x_{21}. Let x_{14} be the group of isometries fixing x_{25} and set x_9, x_{24} and x_8 as the length, width and height of the smallest bounding box x_4 containing all translates of (x_{18}, x_{23}, x_{17}) under x_{14}.

Now fix an irreducible polynomial x_{26} defining a field x_{15} of characteristic x_{20}. Let x_{19} be a vector space over x_{15} of even dimension x_2 and choose a matrix x_{16} in $x_{10}x_5(x_{19})$. Then obviously $(x_{16})_{x_{11},x_{13}} < x_8$. $x_{22}x_6x_3$

		On ·			On –			On ␣		
→	0	·	22	R	–	22	R	␣	0	R
	1	␣	11	L	␣	9	L	␣	2	L
	2	␣	2	R	␣	2	R	␣	2	R
	3	␣	6	R	·	6	L	␣	6	R
	4	␣	X		–	X		␣	2	L
	5	·	25	R	·	28	R	␣	2	R
	6	·	X		·	X		·	X	
	7	·	6	R	·	6	R	·	6	R
	8	·	29	R	·	29	R	·	29	R
	9	·	10	L	–	10	L	␣	2	L
	10	·	25	L	–	25	L	␣	2	L
	11	·	13	L	–	3	L	␣	2	L
	12	·	11	L	–	4	L	␣	2	L
	13	·	6	L	–	6	L	␣	25	R
	14	·	15	L	–	17	L	␣	2	R
	15	·	X		–	19	L	␣	2	R
	16	·	X		–	18	L	␣	2	R
	17	·	20	L	–	X		␣	2	R
	18	·	X		–	21	L	␣	2	R
	19	·	30	R	–	X		␣	2	R
	20	·	8	R	–	X		␣	2	R
	21	·	26	R	–	X		␣	2	R
	22	·	23	R	–	23	R	␣	5	L
	23	·	24	R	–	24	R	␣	12	L
	24	–	14	L	·	16	L	␣	1	L
	25	–	X		–	X		–	X	
	26	–	27	R	–	27	R	–	27	R
	27	–	4	R	–	4	R	–	4	R
	28	–	29	R	–	29	R	–	29	R
	29	–	6	R	–	6	R	–	6	R
	30	–	7	R	–	7	R	–	7	R



$\sigma(x_7) = x_9$	$x_{22} \subset x_{15} \cup x_{21}$	$x_{10}, x_{16}, x_{20}, x_{23} \in \text{Stabilizer}(\sigma)$
$\sigma(x_{17}) = x_{25}$	$X_{13} \subset X_{18}$	$x_{10}, x_{12}, x_{20} \in \text{Stabilizer}(\tau\sigma)$
$\tau(x_4) = x_{25}$	$X_{14} \subset X_{10} \cup X_{15}$	$x_5, x_6, x_{15}, x_{24}, x_{26}, X_1, X_5, X_{15}, X_{19}, X_{26} \in \text{Stabilizer}(\tau)$
$\tau(x_8) = x_{17}$	$X_{17} \subset X_3$	$x_5, x_{24}, X_{11}, X_{12}, X_{15}, X_{18}, X_{19}, X_{25} \in \text{Stabilizer}(\tau\rho)$
$\rho(X_2) = X_6$	$X_{23} \subset X_{10} \cup X_{18}$	$X_7, X_{20}, X_{23} \in \text{Stabilizer}(\rho)$

$$\frac{x + 4x^3 - 8x^4 + 9x^5 - 8x^6 + 4x^7}{1 - 2x + x^2 + x^4 - 2x^5 + x^6}$$