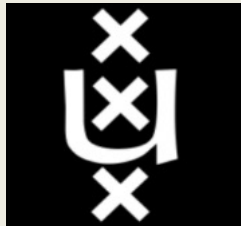


# CP-odd moments in (chiral) effective field theory

Jordy de Vries

University of Amsterdam, Nikhef



Measurement of a  
nonzero EDM

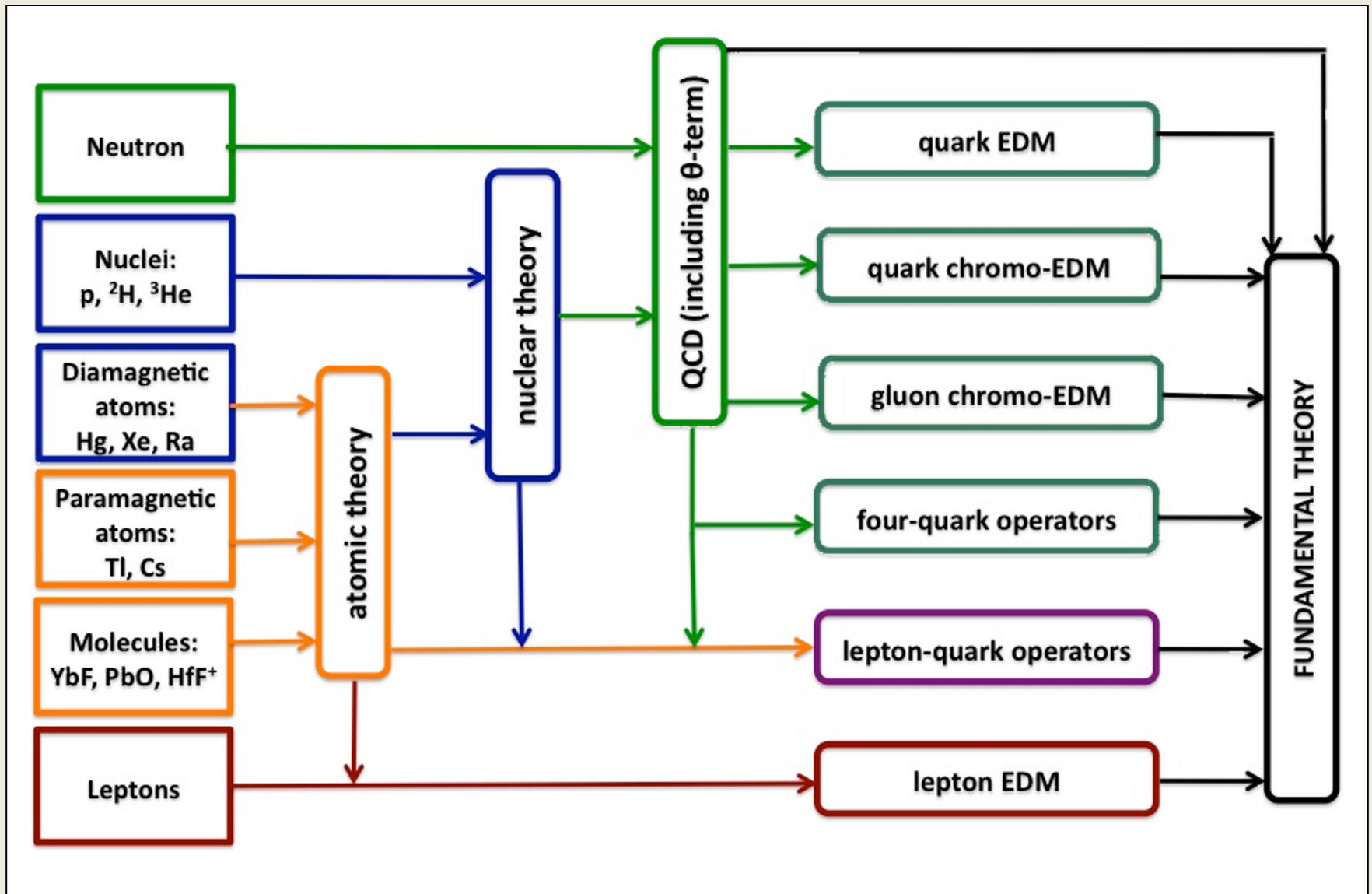
?

Standard Model:  
 $\theta$ -term

BSM sources of  
CP-violation  
SUSY, Left-Right, 2HDM,...

For the foreseeable future: EDMs are  
**‘background-free’** searches for new physics

# The EDM metromap



# CP-odd effective interactions

- EFTs are very appropriate for low-energy measurements

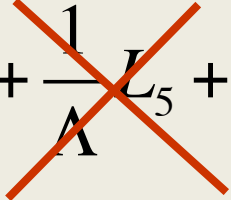
1) Degrees of freedom: Full SM field content

Buchmuller & Wyler '86

2) Symmetries: Lorentz, **SU(3)xSU(2)xU(1)**

Gratzkowski et al '10

Many others

$$L_{new} = L_{SM} + \frac{1}{\Lambda} L_5 + \frac{1}{\Lambda^2} L_6 + \dots$$


- Effects at low energy (E) suppressed by powers of (E/Λ)

# CP-odd effective interactions

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Dekens & JdV, '13

Cirigliano et al '15,'16'17

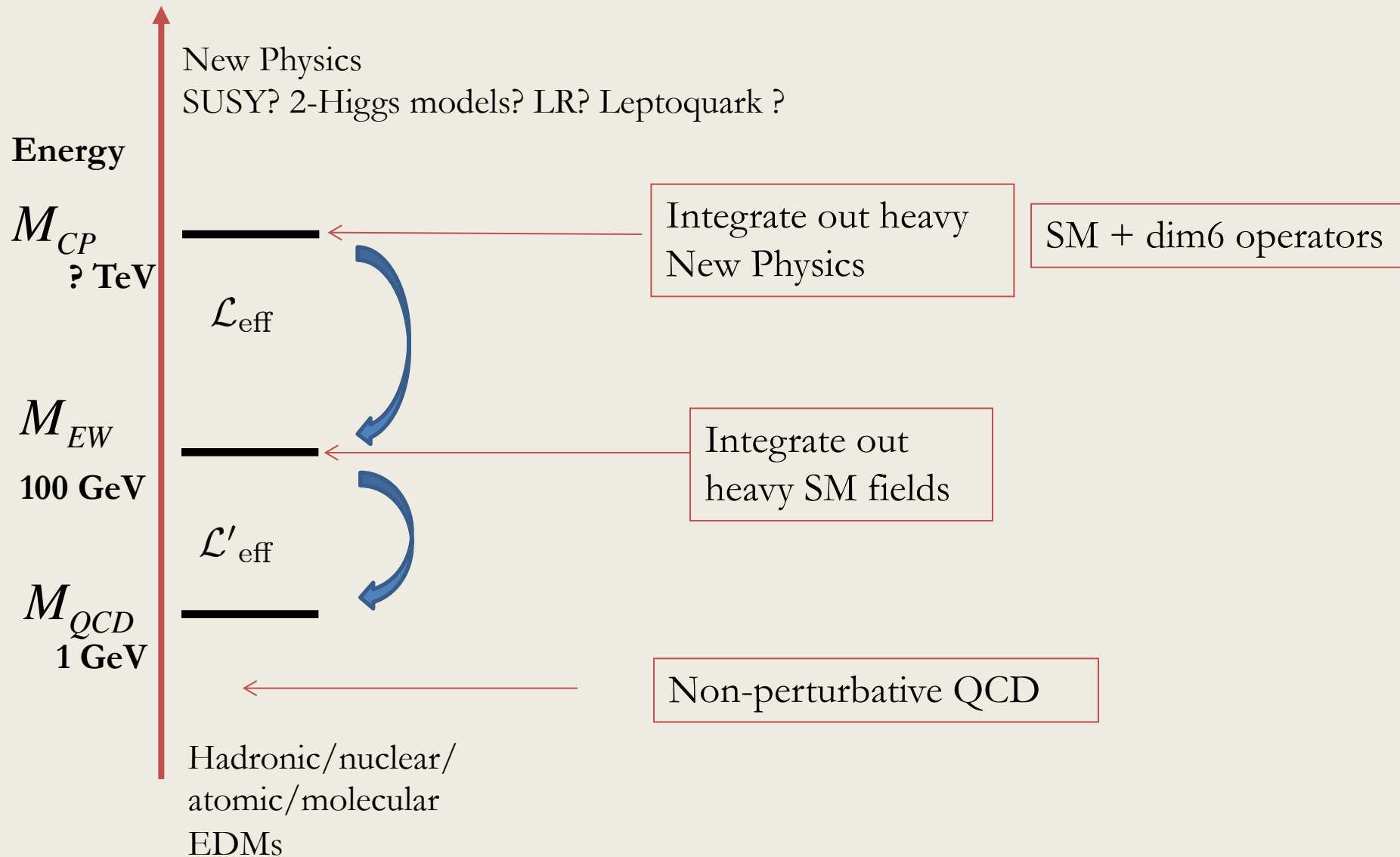
- Focus on **CP-odd operators at dimension-six**

- Run down → Integrate out H,W,Z,t → Run down → Obtain low-energy form of CP-odd interactions

- **Can be easily matched to specific BSM models**

# Running through the scales

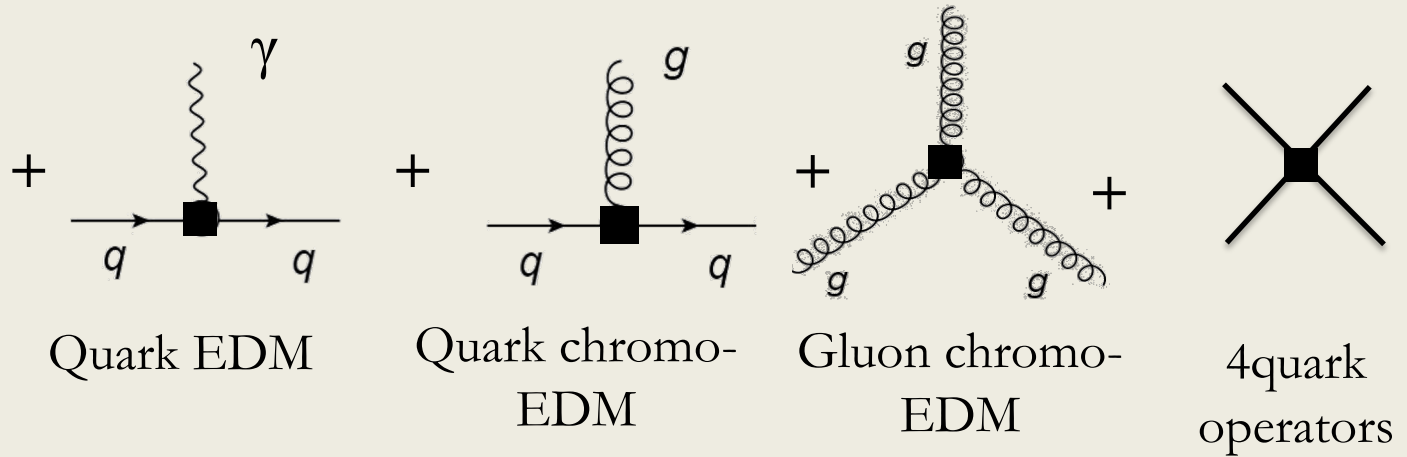
See Vincenzo's talk



# When the dust settles.....

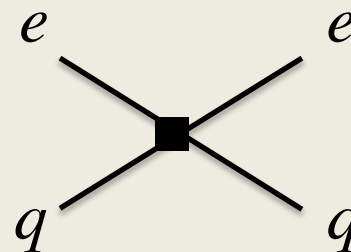
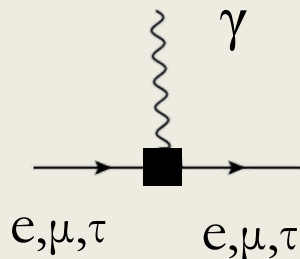
Few GeV

QCD  
( $\theta$ -term)



Different beyond-the-SM models predict different **dominant** operator(s)

EFT p.o.v: just look at these low-energy structures



# Intermediate summary I

- Parametrized BSM CP violation in terms of **dim6** operators
  - Several operators at low energy:  $\theta$ , (C)EDMs, Weinberg, Four-fermion
  - **Important:** different BSM models  $\rightarrow$  different EFT operators
1. **Standard Model:** only  **$\theta$**  for now (CKM too small)



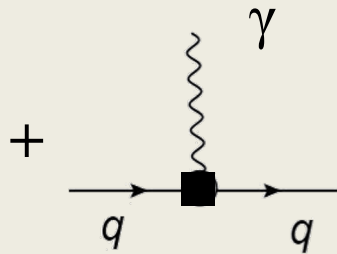
# Intermediate summary I

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  - **Important:** different BSM models  $\rightarrow$  different EFT operators
1. **Standard Model:** only **theta** for now (CKM too small)
  2. **2-Higgs doublet model:** **quark+electron EDM, CEDMs, Weinberg** (exact hierarchy depends on detail of models)
  3. **Split SUSY:** only **electron + quark EDMs** (ratio fixed)
  4. **Left-right symmetric:** **Four-quark LR operators**, small (C)EDMs
  5. **Leptoquarks:** Semi-leptonic four-fermion and four-quark (tree-level)

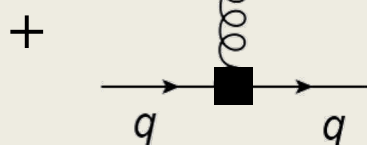
# When the dust settles.....

Few GeV

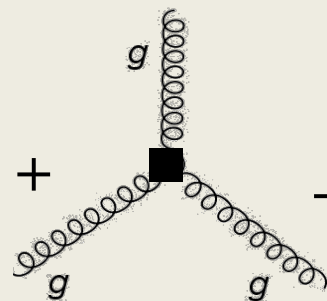
QCD  
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Quark EDM

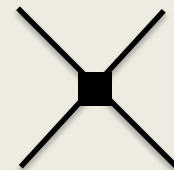


Quark chromo-EDM



Gluon chromo-EDM

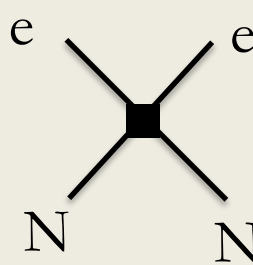
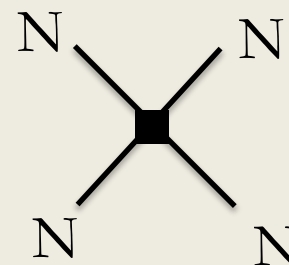
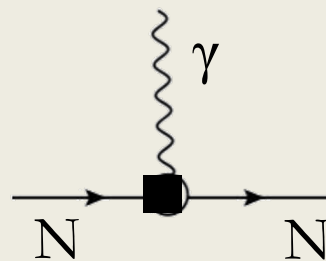
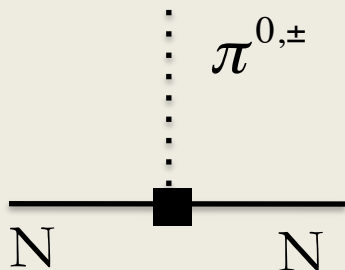
+



4-fermion operators

'Hadronization'

100 MeV



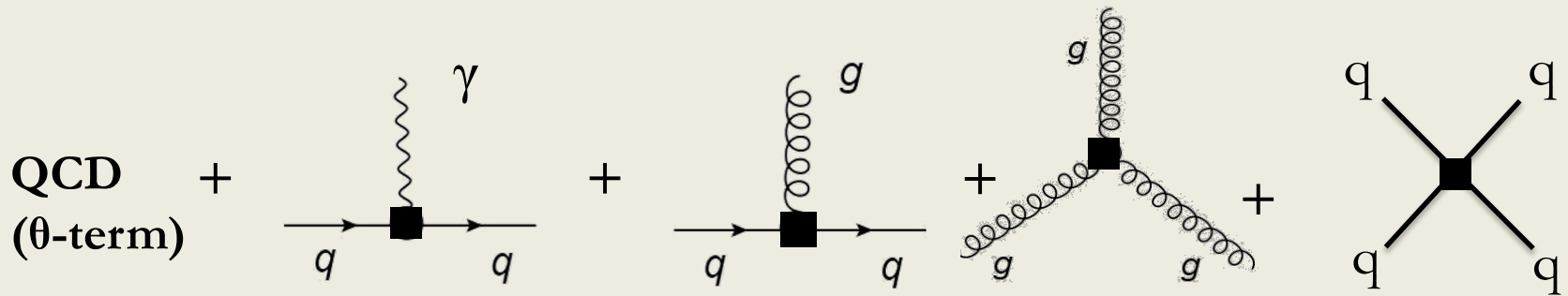
# CP violation in chiral EFT

- Use the symmetries of QCD to obtain **chiral Lagrangian**

$$L_{QCD} \rightarrow L_{chiPT} = L_{\pi\pi} + L_{\pi N} + L_{NN} + \dots$$

- Quark masses = 0  $\rightarrow$   $SU(2)_L \times SU(2)_R$  symmetry
  - Spontaneously broken to  $SU(2)$ -isospin (pions = Goldstone)
- ChPT has systematic expansion in  $Q/\Lambda_\chi \sim m_\pi/\Lambda_\chi$   $\Lambda_\chi \cong 1 \text{ GeV}$ 
  - **Form of interactions fixed by symmetries**
  - Each interactions comes with an unknown constant (LEC)
- **Extended to include CP violation** Mereghetti et al' 10, JdV et al '12, Bsaisou et al '14

# ChiPT with CP violation



- They all break CP....
- But transform **differently** under chiral/isospin symmetry

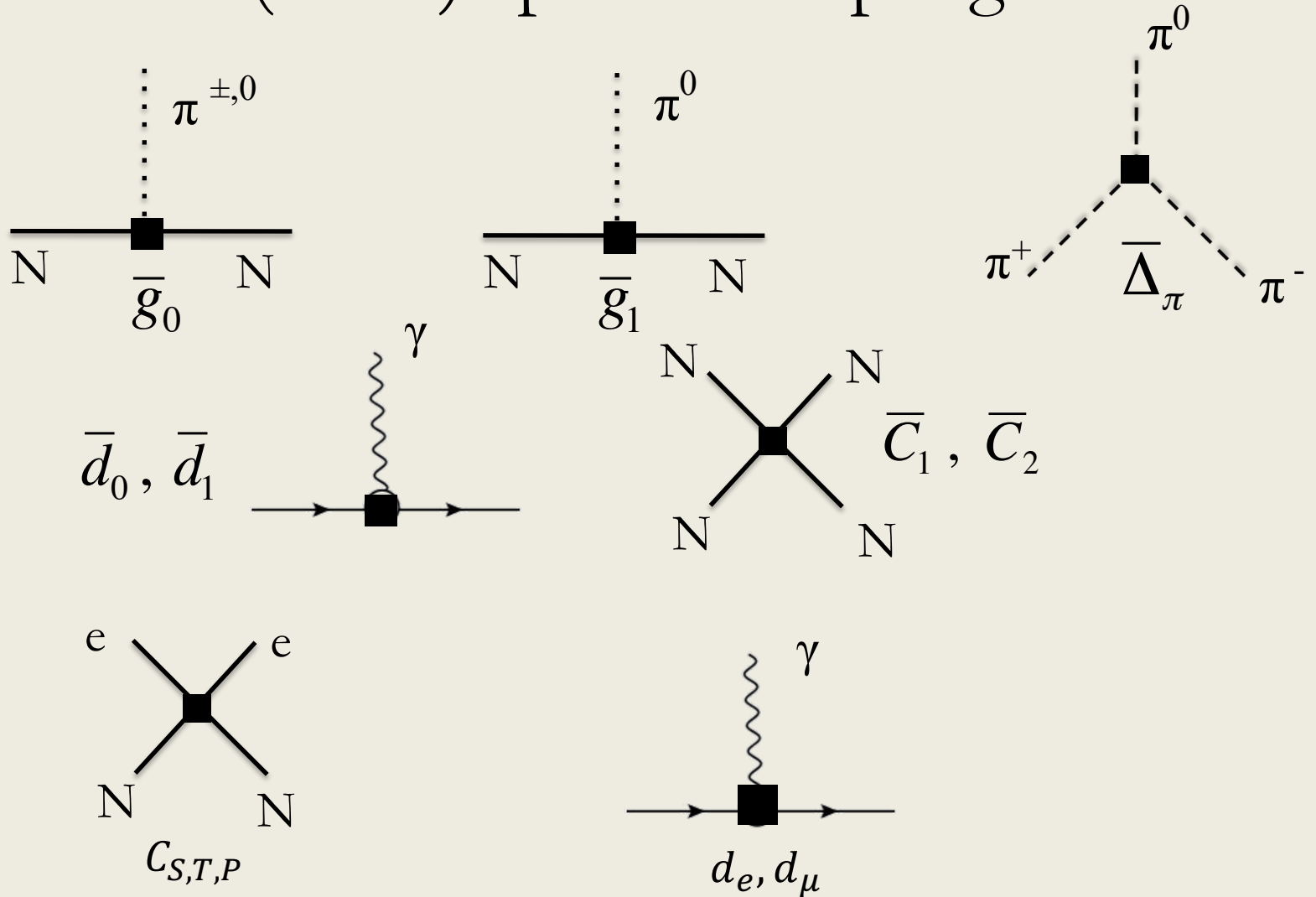


**Different** CP-odd chiral Lagrangians



**Different** hierarchy of CP-odd moments

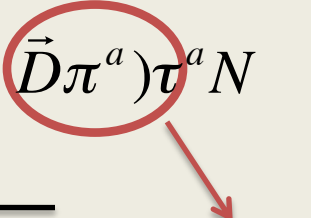
# Hadronic + (semi-)leptonic couplings



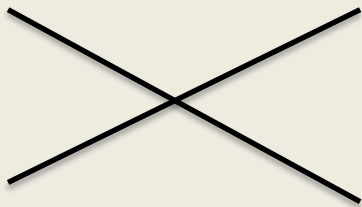
- Two more for Magnetic Quadrupole Moments (nucleon-pion-photon)
- Semi-leptonic also relevant for hadronic CP-odd sources (*Flambaum et al '19*)

# Hierarchy of CPV nuclear forces

CP-even

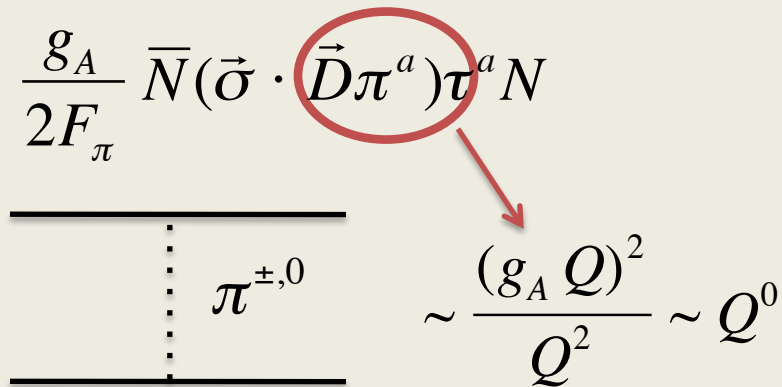
$$\frac{g_A}{2F_\pi} \bar{N} (\vec{\sigma} \cdot \vec{D}\pi^a) \tau^a N$$

$$\sim \frac{(g_A Q)^2}{Q^2} \sim Q^0$$

$\bar{N}N \bar{N}N$


$$\sim Q^0$$

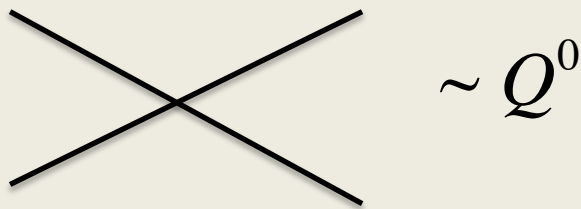
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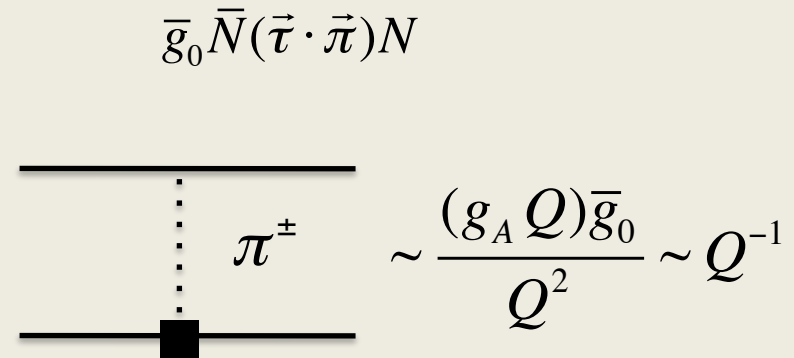
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$\bar{N}N \bar{N}N$



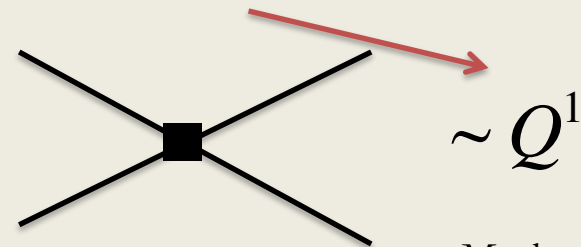
$$\sim Q^0$$

CP-odd

$$\bar{g}_0 \bar{N} (\vec{\tau} \cdot \vec{\pi}) N$$


$$\sim \frac{(g_A Q) \bar{g}_0}{Q^2} \sim Q^{-1}$$

$(\bar{N}N) \partial^i (\bar{N} \sigma^i N)$



$$\sim Q^1$$

Maekawa et al '11

- In general: short-range CPV appear at next-to-next-to-leading order
- **Unless symmetries forbid pion-nucleon interactions !**

# The benchmark: QCD theta term

- Let's see what interactions occur from the theta term

Crewther et al' 79  
Baluni '79

$$\mathcal{L}_{\text{QCD}} = \mathcal{L}_{\text{kin}} - \bar{m}\bar{q}q - \varepsilon\bar{m}\bar{q}\tau^3q + m_\star\bar{\theta}\bar{q}i\gamma^5q$$

$$m_\star = \frac{m_u m_d}{m_u + m_d}$$

$$\varepsilon = \frac{m_u - m_d}{m_u + m_d}$$




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$$\mathcal{L}'_{\chi} = \mathcal{L}_{\chi} - \frac{m_{\pi}^2}{2}\pi^2 - \boxed{\delta m_N \bar{N}\tau^3 N} + \bar{g}_0 \bar{N}\tau \cdot \pi N$$

**Strong proton-neutron  
mass splitting**

# Theta and chiral perturbation theory

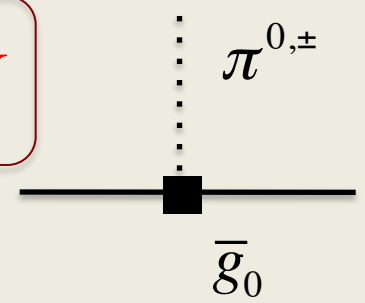
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**CP-odd pion-nucleon vertex**



# Theta and chiral perturbation theory

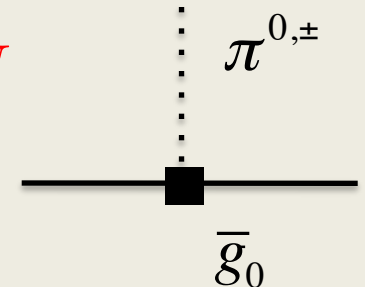
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Crewther et al' 79  
Baluni '79

Linked via  $\text{SU}_A(2)$  rotation

$$\mathcal{L}'_{\chi} = \mathcal{L}_{\chi} - \frac{m_{\pi}^2}{2}\pi^2 - \delta m_N \bar{N}\tau^3N + \bar{g}_0 \bar{N}\tau \cdot \pi N$$



**Nucleon mass splitting**  
(strong part, no EM!)

**CP-odd pion-nucleon interaction**

$$g_0 = \delta m_N \frac{1 - \varepsilon^2}{2\varepsilon} \bar{\theta} = (15.5 \pm 2.5) \cdot 10^{-3} \bar{\theta}$$

Use **lattice** for mass splitting

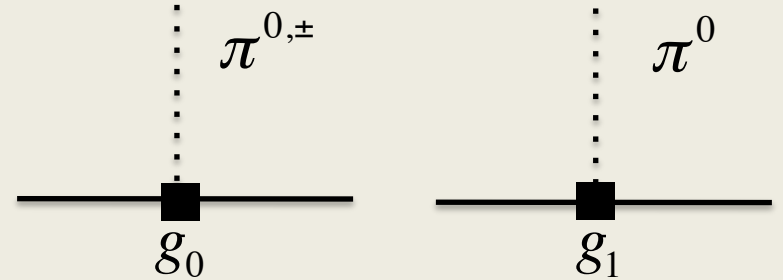
Walker-Loud '14, Borsanyi '14

JdV et al '15

# Back to pion-nucleon couplings

- 2 CP-odd structures

$$L = g_0 \bar{N} \boldsymbol{\pi} \cdot \boldsymbol{\tau} N + g_1 \bar{N} \pi^0 N$$



- Four-quark left-right operator breaks isospin !

$$L = i\Xi(\bar{u}_R \gamma_\mu d_R)(\bar{u}_L \gamma_\mu d_L) + \text{h.c.}$$

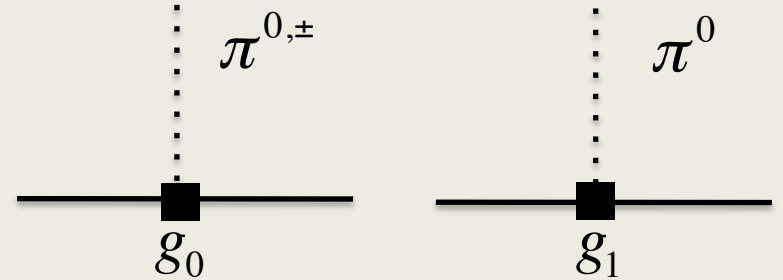
- ChPT gives ratio of couplings

$$\frac{\bar{g}_1}{\bar{g}_0} = \frac{8c_1 m_\pi^2}{(m_n - m_p)^{\text{strong}}} = -(68 \pm 25)$$

# Back to pion-nucleon couplings

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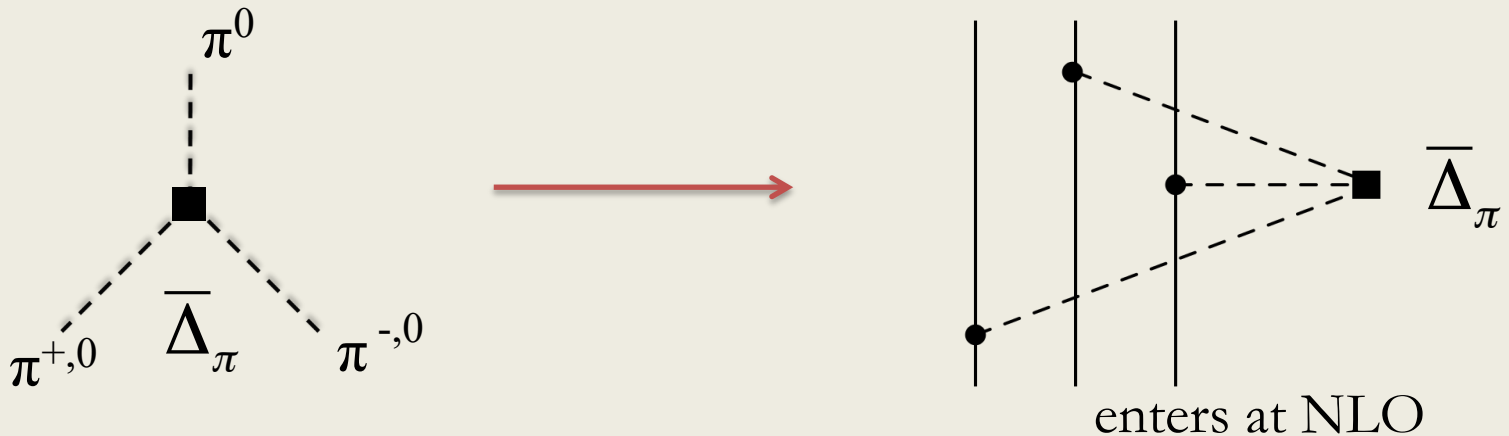


- Four-quark left-right operator breaks isospin !

$$L = i\Xi(\bar{u}_R \gamma_\mu d_R)(\bar{u}_L \gamma_\mu d_L) + \text{h.c.}$$

- Unique CPV pion-pion-pion interaction

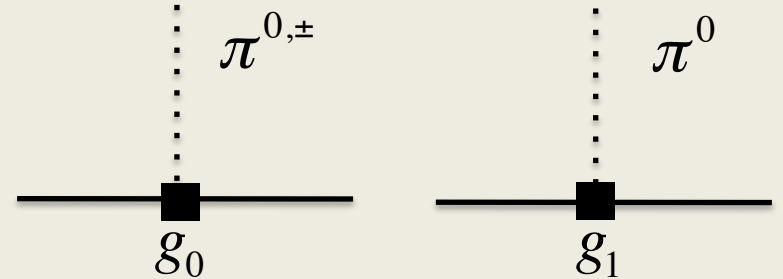
JdV et al '12, Viviani et al '19



# Back to pion-nucleon couplings

- 2 CP-odd structures

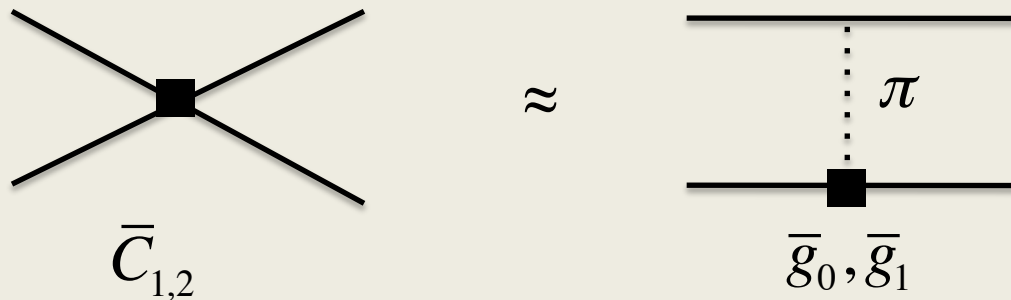
$$L = g_0 \bar{N} \boldsymbol{\pi} \cdot \boldsymbol{\tau} N + g_1 \bar{N} \pi^0 N$$



- Finally: CPV operators that are chiral invariant: e.g. Weinberg operator

$$L = C_w f^{abc} \varepsilon^{\mu\nu\alpha\beta} G_{\alpha\beta}^a G_{\mu\lambda}^b G_\nu^{c\lambda}$$

- CPV pion-nucleon operators forbidden at LO  $\rightarrow \frac{m_\pi^2}{\Lambda_\chi^2}$

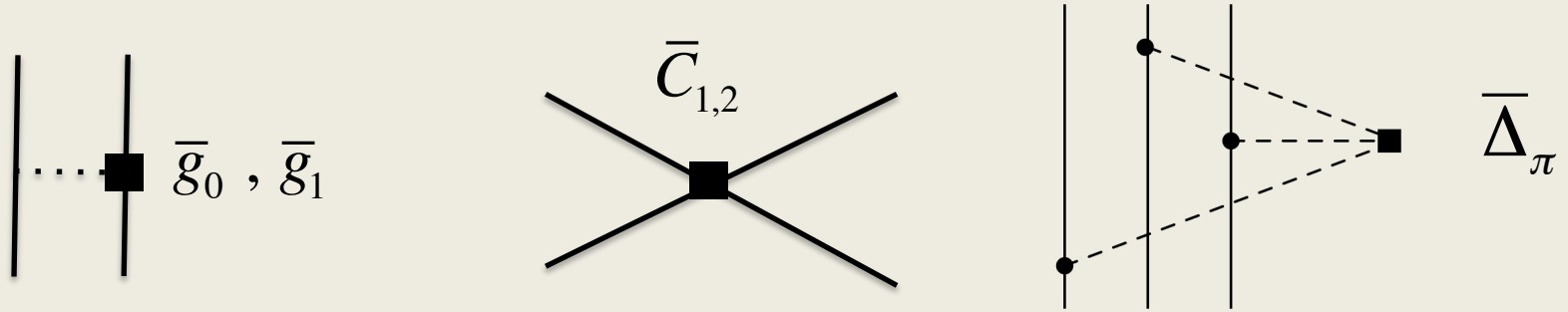


- Short-range are important but **only for 2 out of 5 S-P transitions**

$${}^3S_1 \leftrightarrow {}^1P_1 \quad {}^1S_0 \leftrightarrow {}^3P_0 \quad (np = nn = pp)$$

# The CPV NN +NNN potential

For all dim4 + dim6 sources, NN + NNN CPV potential is subset of



- Different models of new physics ‘pick’ different couplings

**Theta**

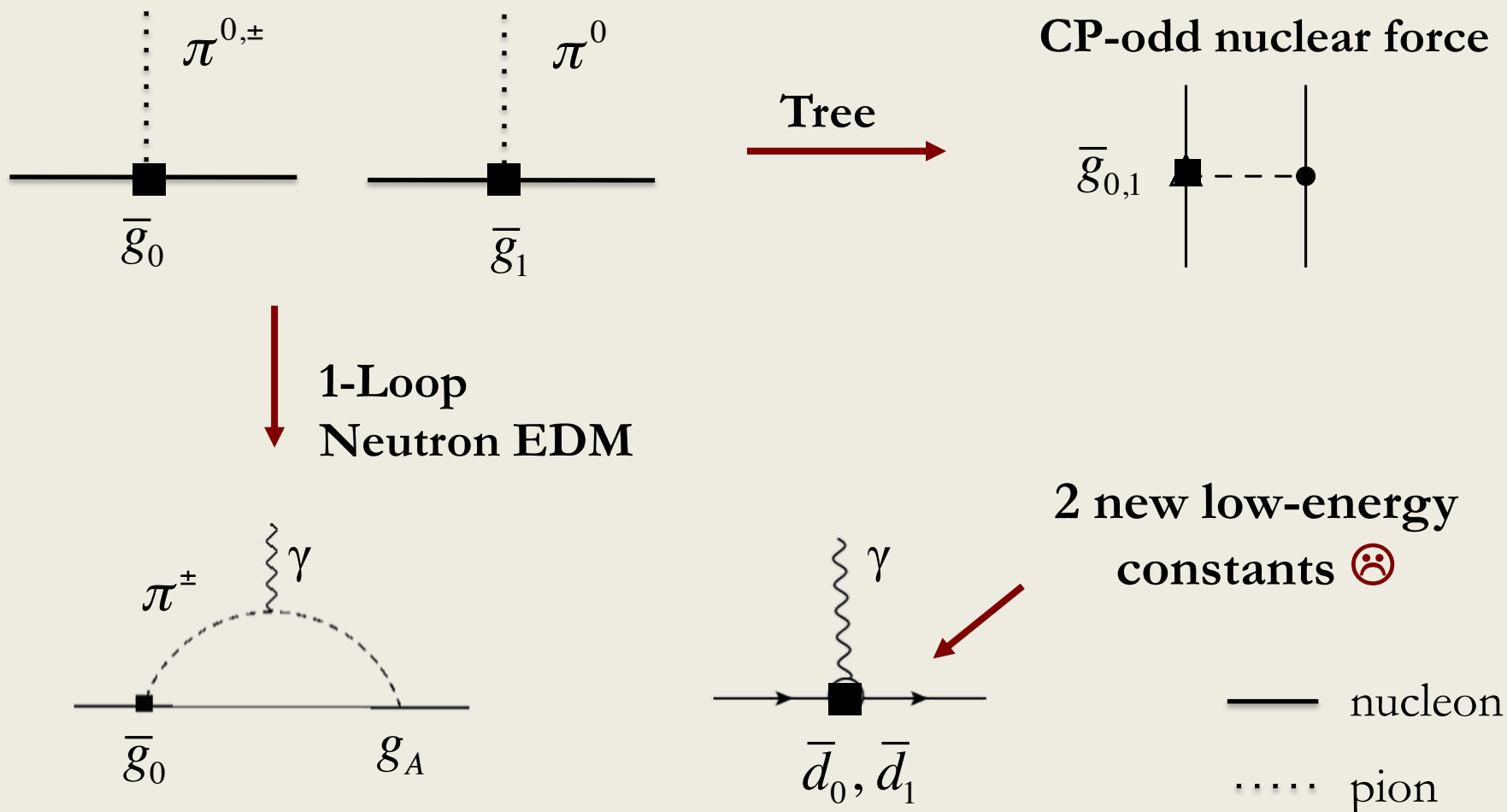
**2HDM**

**mLRSM**

	Theta term	Quark CEDMs	FQLR	Quark EDM and Weinberg
$\frac{ \bar{g}_1 }{ \bar{g}_0 }$	-0.2	$\approx 1$	+50	<b>Both couplings are suppressed !</b>

# We cannot measure the CPV force directly

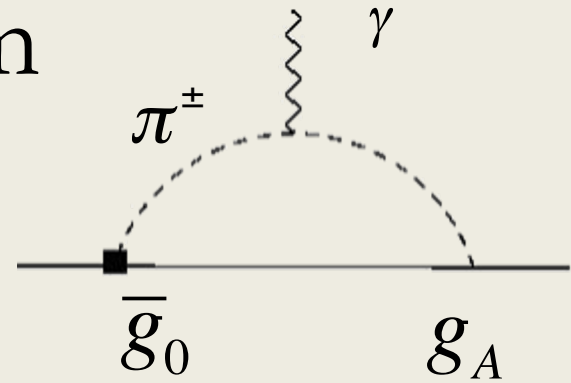
- Lowest-order interactions: **CPV pion-nucleon couplings (2x)**





# The strong CP problem

## Nucleon EDM



$$d_n = \bar{d}_0(\mu) - \bar{d}_1(\mu) - \frac{eg_A \bar{g}_0}{4\pi^2 F_\pi} \left( \ln \frac{m_\pi^2}{\mu^2} - \frac{\pi m_\pi}{2 m_N} \right)$$

Crewther '79 Borasoy '02  
Guo et al, '10 '12 '14,  
JdV et al '10 '11

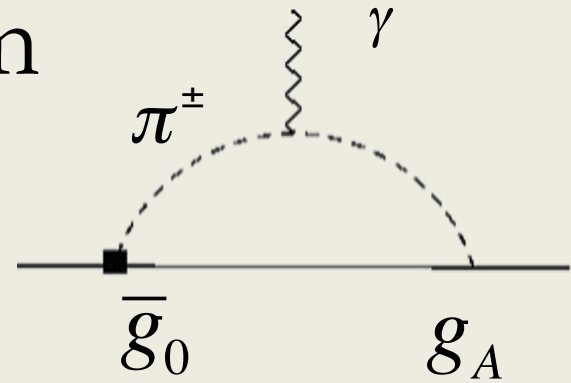
$$\mu = m_N$$

$$\bar{g}_0 = -(15.5 \pm 2.5) \cdot 10^{-3} \bar{\theta} \longrightarrow d_n \simeq -2.5 \cdot 10^{-16} \bar{\theta} e \text{ cm}$$

- Experimental constraint:  $\longrightarrow \bar{\theta} < 10^{-10}$

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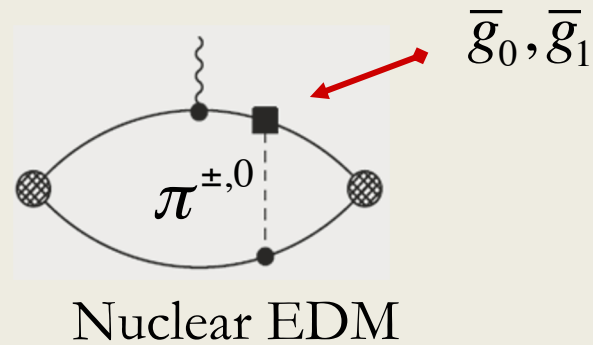
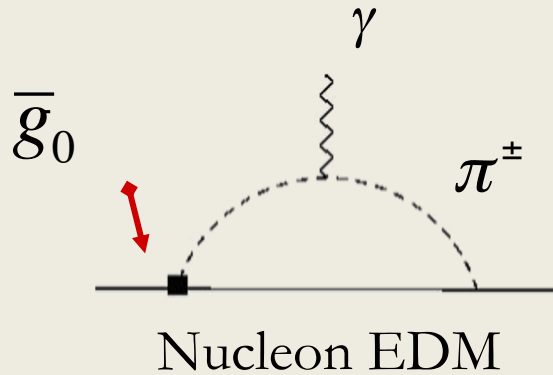
• Experimental constraint:  $\longrightarrow \bar{\theta} < 10^{-10}$

**A proper assessment requires a non-perturbative calculation !**

Lattice QCD (Shindler et al '19)  $d_n = -(1.52 \pm 0.7) \cdot 10^{-16} e \bar{\theta} \text{ cm}$

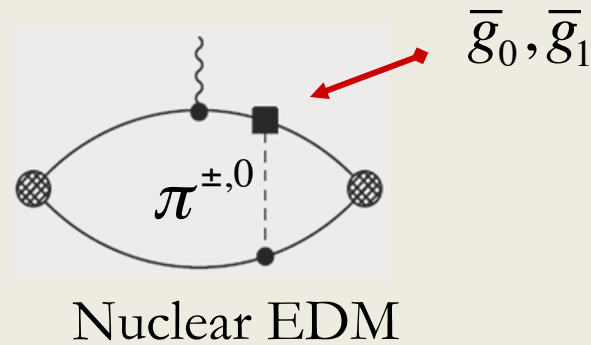
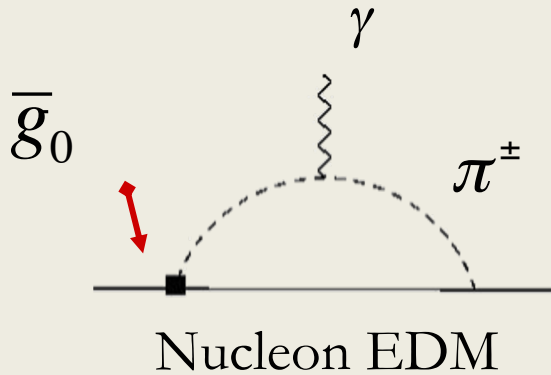
Not confirmed by other groups (e.g. LANL '21)

# The CPV NN force and nuclear EDMs



- Tree-level: **no loop** suppression
- Orthogonal to nucleon EDMs, sensitive to different CPV structures

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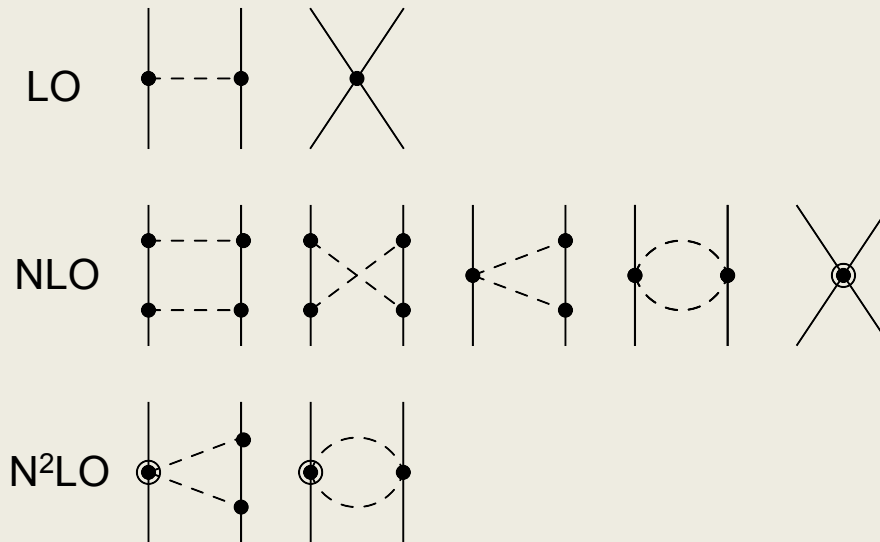
$$d_A = \langle \Psi_A \parallel \vec{J}_{\cancel{CP}} \parallel \Psi_A \rangle + 2 \langle \Psi_A \parallel \vec{J}_{CP} \parallel \tilde{\Psi}_A \rangle$$

$$(E - H_{PT}) |\Psi_A\rangle = 0 \quad (E - H_{PT}) |\tilde{\Psi}_A\rangle = V_{\cancel{CP}} |\Psi_A\rangle$$

- Solve Schrodinger eq. with CP-even NN potential
- **Perturb with CPV nuclear force we derived before**

# Getting the wave functions

- Idea: obtain the nucleon-nucleon potential in chiral expansion



Weinberg  
Van Kolck et al,  
Epelbaum et al,  
Machleidt et al,  
And many more...

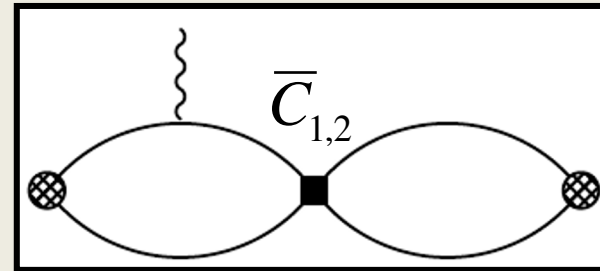
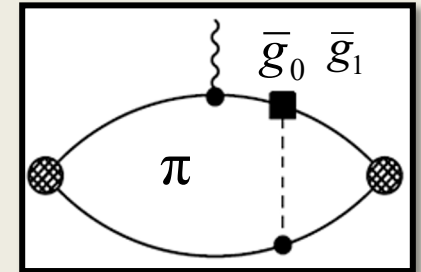
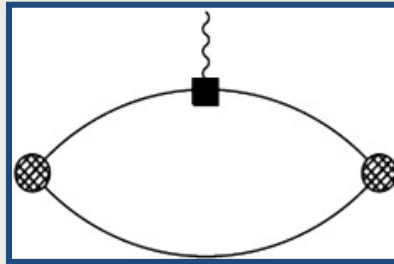
- Potential nowadays known up to N<sup>4</sup>LO → LECs fitted to pi-N and NN data
- Calculate wave functions by solving Schrodinger equation

# EDM of the deuteron



- Example: the simplest nucleus  ${}^2\text{H}$
- Target of storage ring measurement and interesting theoretical laboratory

- Three contributions (NLO)
  1. Sum of nucleon EDMs
  2. CP-odd pion exchange
  3. CP-odd NN interactions
  4. No three-body force obviously

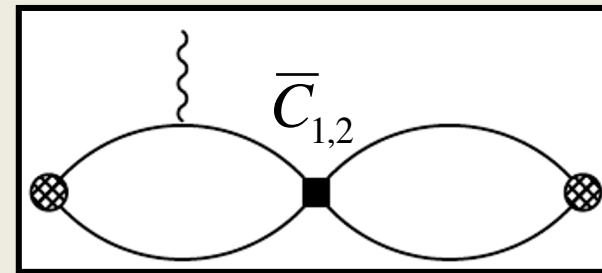
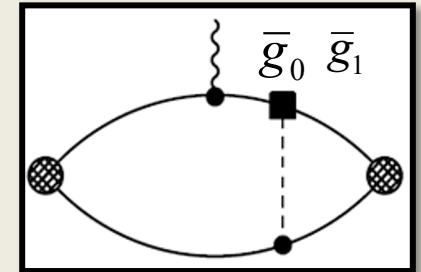
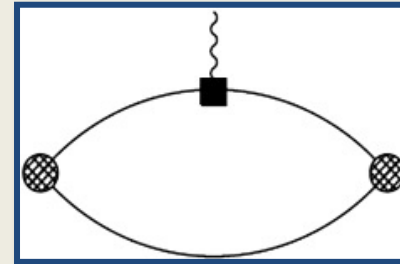


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- **Deuteron is a special case**

$${}^3S_1 \xrightarrow{\bar{g}_0, \bar{C}_{1,2}} {}^1P_1 \xrightarrow{\gamma} \cancel{{}^3S_1}$$

$${}^3S_1 \xrightarrow{\bar{g}_1} {}^3P_1 \xrightarrow{\gamma} {}^3S_1$$

# The chiral filter

## Chiral filter



- Deuteron EDM results

$$d_D = 0.9(d_n + d_p) + \left[ (0.18 \pm 0.02) \bar{g}_1 + (0.0028 \pm 0.0003) \bar{g}_0 \right] e \text{ fm}$$

- Error estimate from cut-off variations + higher-order terms

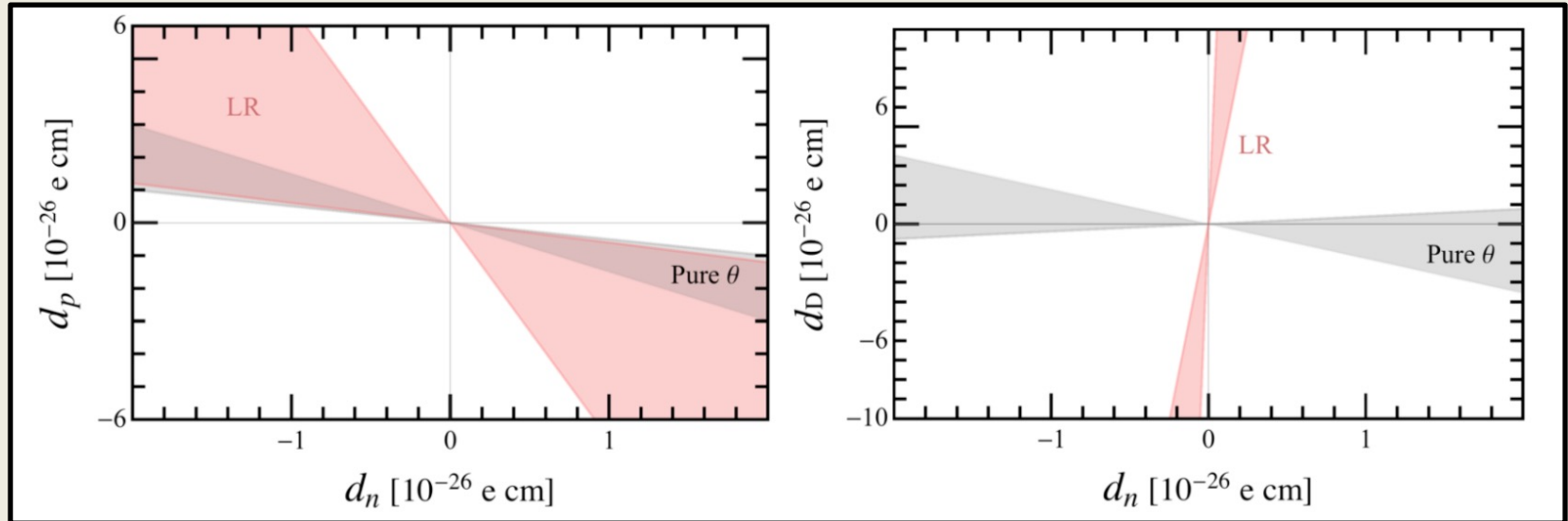
	Theta term	Quark CEDMs	Four-quark operator	Quark EDM and Weinberg
$\left  \frac{d_D - d_n - d_p}{d_n} \right $	$0.5 \pm 0.2$	$5 \pm 3$	$20 \pm 10$	$\cong 0$

- Ratio suffers from hadronic (not nuclear!) uncertainties (**need lattice**)
- EDM ratio hint towards **underlying CP-odd operator!**



# Unraveling sources with 2 EDMs

- Compare EDM ratios for theta term and left-right symmetric model



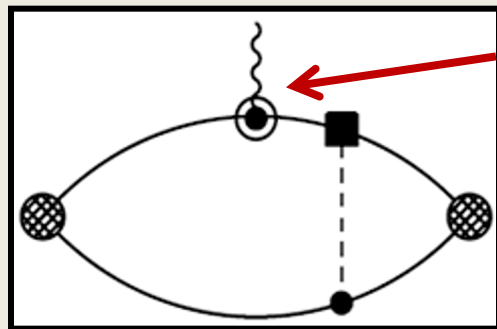
- **Nuclear EDMs complementary to nucleon EDMs**
- Deuteron is just a placeholder: other nuclear systems are similar
- **If we can control nuclear matrix elements !**

# The magnetic quadrupole moment

- A spin 1 particle has a **Magnetic Quadrupole Moment**

$$H = \frac{\overline{M}_d}{4} \varepsilon^{*i} \varepsilon^j \nabla^i B^j$$

- There is **no** one-body contribution



*nucleon magnetic moment*

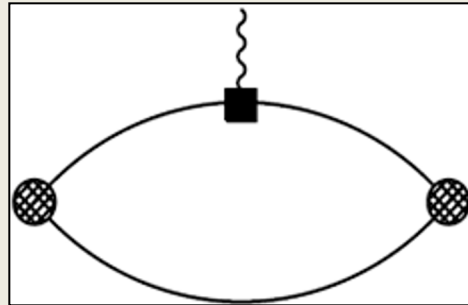
Sensitive to **both**  $\overline{g}_0$  and  $\overline{g}_1$  exchange

For chromo-EDM

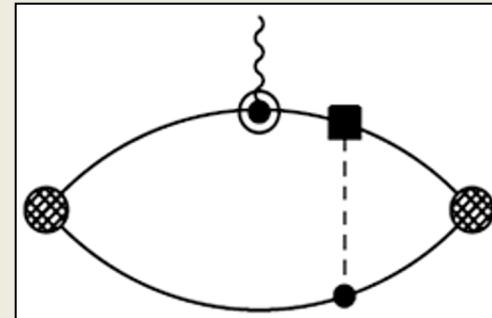
$$\frac{\overline{M}_d}{d_d} m_d = 1.6 (\mu_p - \mu_n) + 2.2 \frac{\overline{g}_0}{\overline{g}_1} (\mu_p + \mu_n)$$

# The magnetic quadrupole moment

deuteron EDM



deuteron MQM



For theta:

Liu et al, PLB '12

$$\frac{\bar{M}_d}{d_d} m_d = 0.22 (\mu_p + \mu_n) \left| \frac{\bar{g}_0}{F_\pi d_0} \right| e \text{ fm} \propto 20 (\mu_p + \mu_n)$$

- Higher moments like **MQMs can provide additional input**
- Deuteron MQM is **not** a realistic target
- But nuclear MQMs important in atoms and molecules

# EDMs of the tri-nucleon system

Stetcu et al '08  
JdV et al '11  
Song et al '13  
Bsaisou et al '14  
Froese et al '21

- Let's look at a bit bigger system
- More contributions than deuteron:
  1. Nucleon EDMs
  2. Both  $g_0$  and  $g_1$  pion exchange

$$d_{3He} = 0.9 d_n - 0.05 d_p + [(0.14 \pm 0.04) \bar{g}_1 + (0.10 \pm 0.03) \bar{g}_0] e fm + \dots$$

  
**comparable**

- Error estimate from cut-off variations + higher-order terms

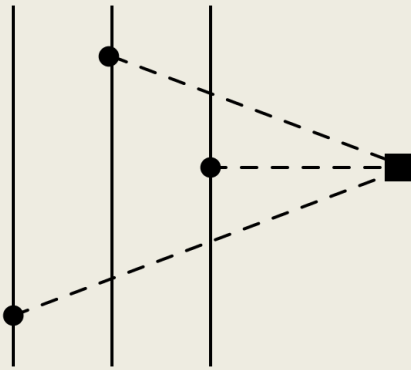
**Other light nuclei up to  $^{19}\text{F}$  in NCSM (see talk by Petr Navratil)**

# EDMs of the tri-nucleon system

Stetcu et al '08  
JdV et al '11  
Song et al '13  
Bsaisou et al '14

- ${}^3\text{He}$  can be put in a ring as well ( ${}^3\text{H}$  too but radioactive...)
- More contributions than deuteron:
  1. Nucleon EDMs
  2. Both  $g_0$  and  $g_1$  pion exchange

$$d_{{}^3\text{He}} = 0.9 d_n - 0.05 d_p + \left[ (0.14 \pm 0.04) \bar{g}_1 + (0.10 \pm 0.03) \bar{g}_0 \right] e \text{ fm} + \dots \\ - (0.2 \pm 0.02) \Delta e \text{ fm}$$



- Found to give small contributions (smaller than expectations) Bsaisou et al '14
- Viviani + Gnech '19 reinvestigated this and found a larger contribution (30% for mLRSM)
- **No calculations include this for heavier nuclei**

# Cut-off dependence

Plot from Bsaisou et al JHEP '14

$$\frac{m_1^2 \bar{C}_1}{4\pi r} e^{-m_1 r} \rightarrow \bar{C}_1 \delta^{(3)}(\vec{r})$$



Av18



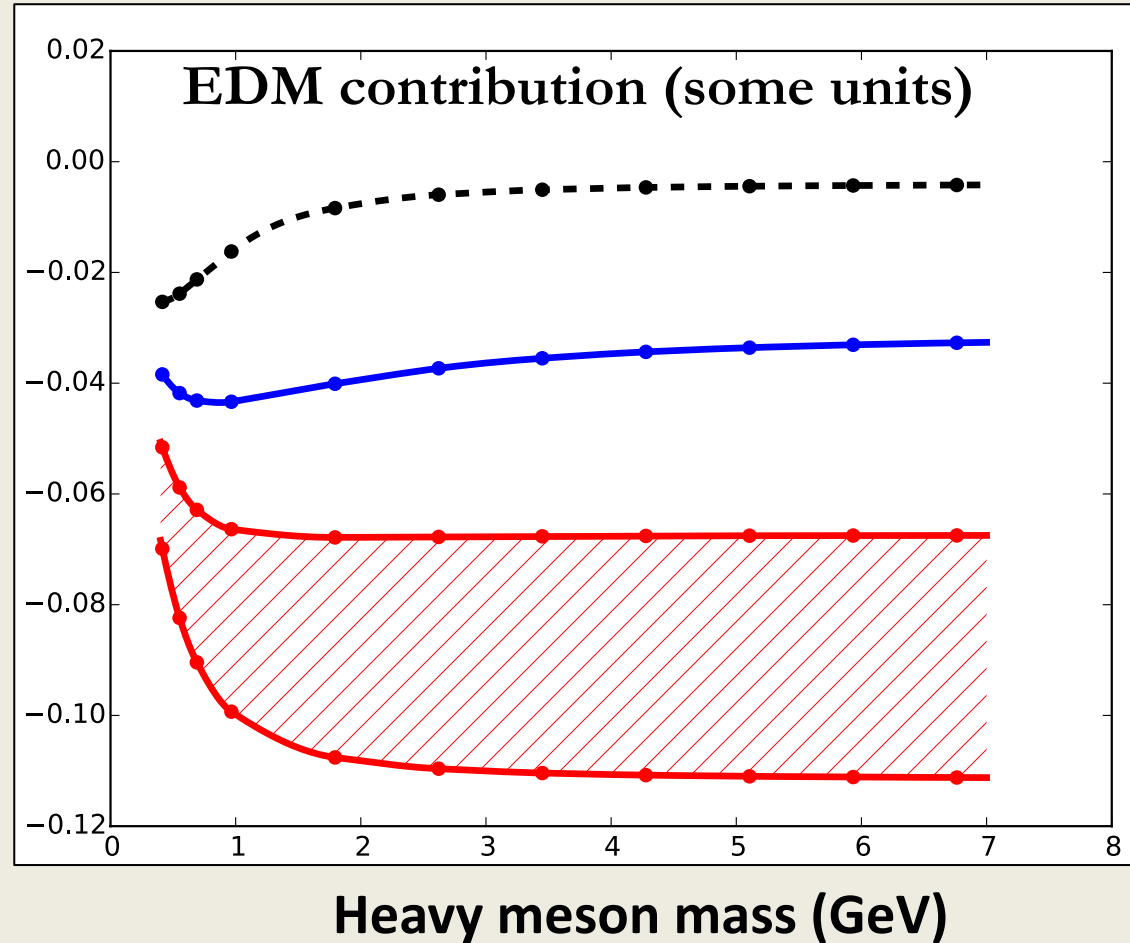
CD-Bonn



Chiral EFT



Cut-off  
variation



- Quite a large spread ....
- Leading CP-odd force in certain models (e.g. through Weinberg operator)
- **How to understand this?**

# Cut-off dependence

Plot from Bsaisou et al JHEP '14

$$\frac{m_1^2 \bar{C}_1}{4\pi r} e^{-m_1 r} \rightarrow \bar{C}_1 \delta^{(3)}(\vec{r})$$

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Av18

—————

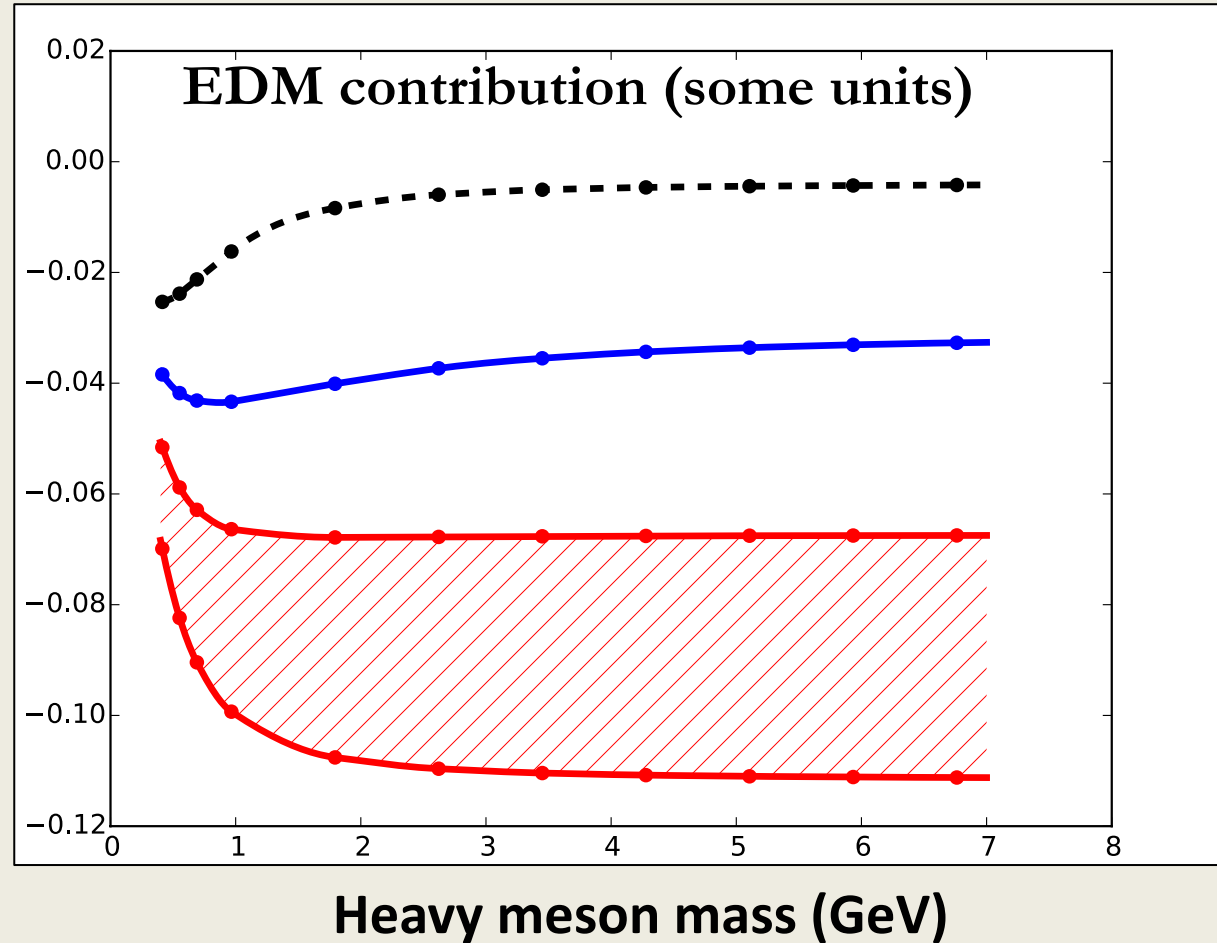
CD-Bonn

—————

Chiral EFT

▨

Cut-off  
variation



- For a given regulator  $\Lambda$  : fit  $\bar{C}_1(\Lambda)$  to data. Requires nonzero EDMs...
- **Better:** calculate  $S \leftrightarrow P$  transitions on lattice  $\rightarrow$  fit  $\bar{C}_1(\Lambda)$

# Onwards to heavy systems

Graner et al, '16

**Strongest bound** on atomic EDM:  $d_{199\text{Hg}} < 8.7 \cdot 10^{-30} e \text{ cm}$

New measurements expected: Ra , Xe, ....

**Schiff Theorem: EDM of nucleus is screened by electron cloud if:**

1. Non-relativistic kinematics
2. Point particles
3. Electrostatic interactions

Schiff, '63

See talk by Victor Flambaum



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2. Point particles
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Schiff, '63

Screening incomplete: nuclear finite size (Schiff moment **S**)

**Typical suppression:**  $\frac{d_{Atom}}{d_{nucleus}} \propto 10Z^2 \left( \frac{R_N}{R_A} \right)^2 \approx 10^{-3}$

- **Atomic** part well under control

$$d_{199\text{Hg}} = (2.8 \pm 0.6) \cdot 10^{-4} S_{\text{Hg}} \text{ e fm}^2$$

Dzuba et al, '02, '09

Sing et al, '15

Jung, Fleig '18

# EFT and many-body problems

- Need to calculate Schiff Moment (or MQM) of Hg, Ra, Xe....
- **Issue:** does chiral power counting hold? Do pions dominate?
- Say we assume so:

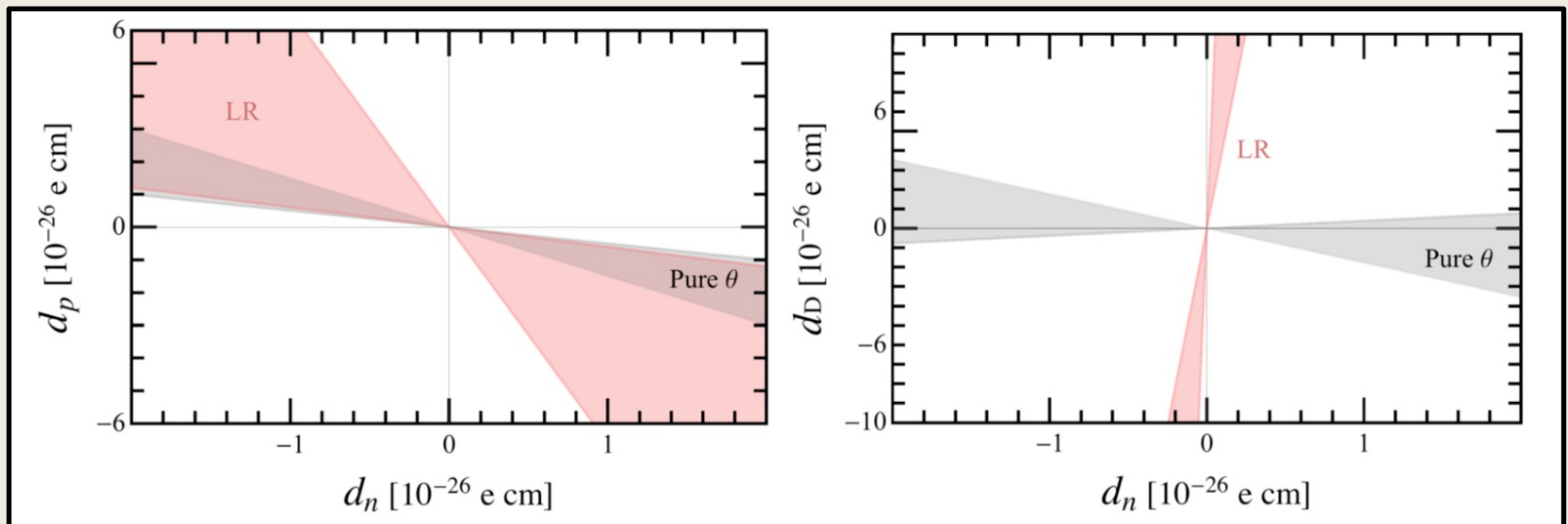
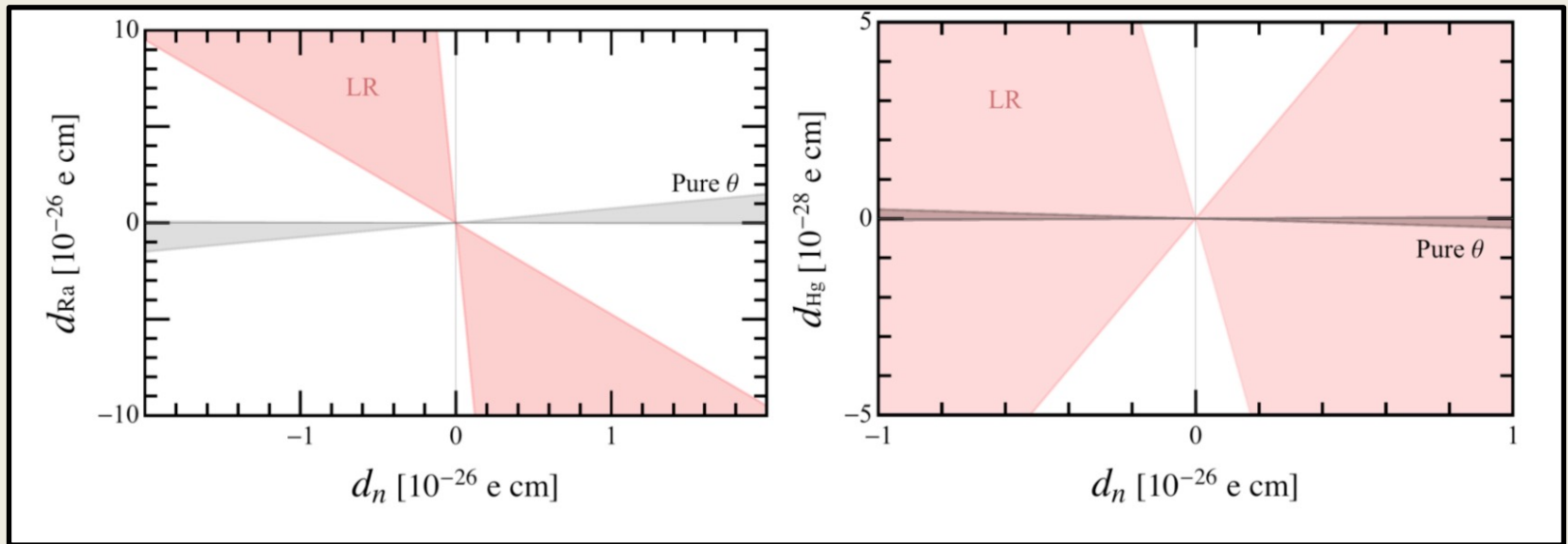
$$S = (a_0 \bar{g}_0 + a_1 \bar{g}_1) e fm^3$$

	$a_0$ range	$a_1$ range
$^{199}\text{Hg}$	$0.3 \pm 0.4$	$0.45 \pm 0.7$
$^{225}\text{Ra}$	$2.5 \pm 7.5$	$65 \pm 40$

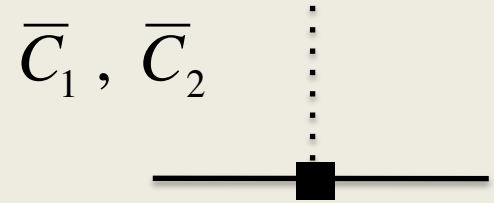
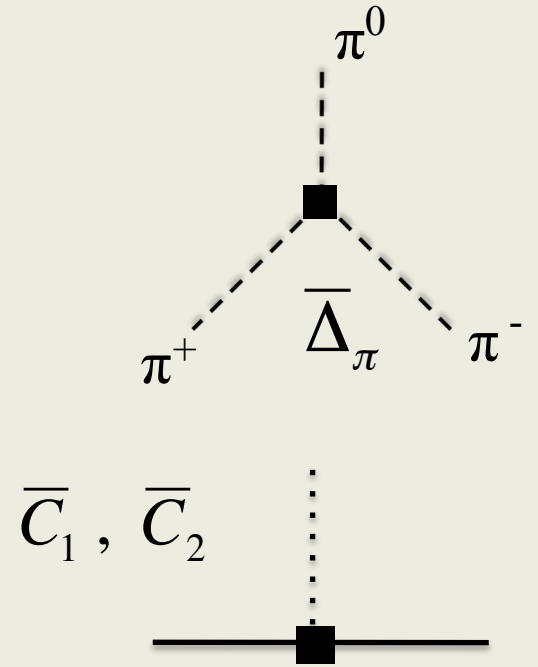
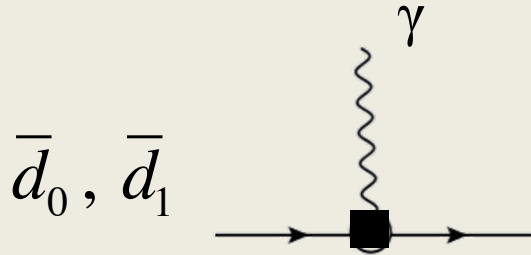
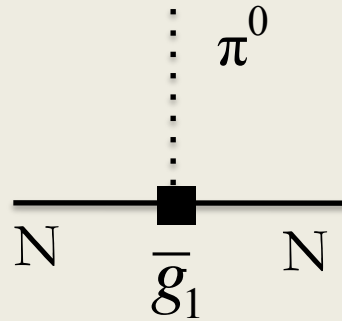
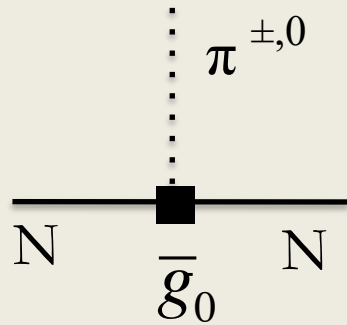
Flambaum, de Jesus, Engel, Dobaczewski,....

- Uncertainties make interpretation more difficult
- **Great challenge: connect EFT approach to heavier nuclei**

# EDM ratios: theta term versus left-right symmetric model



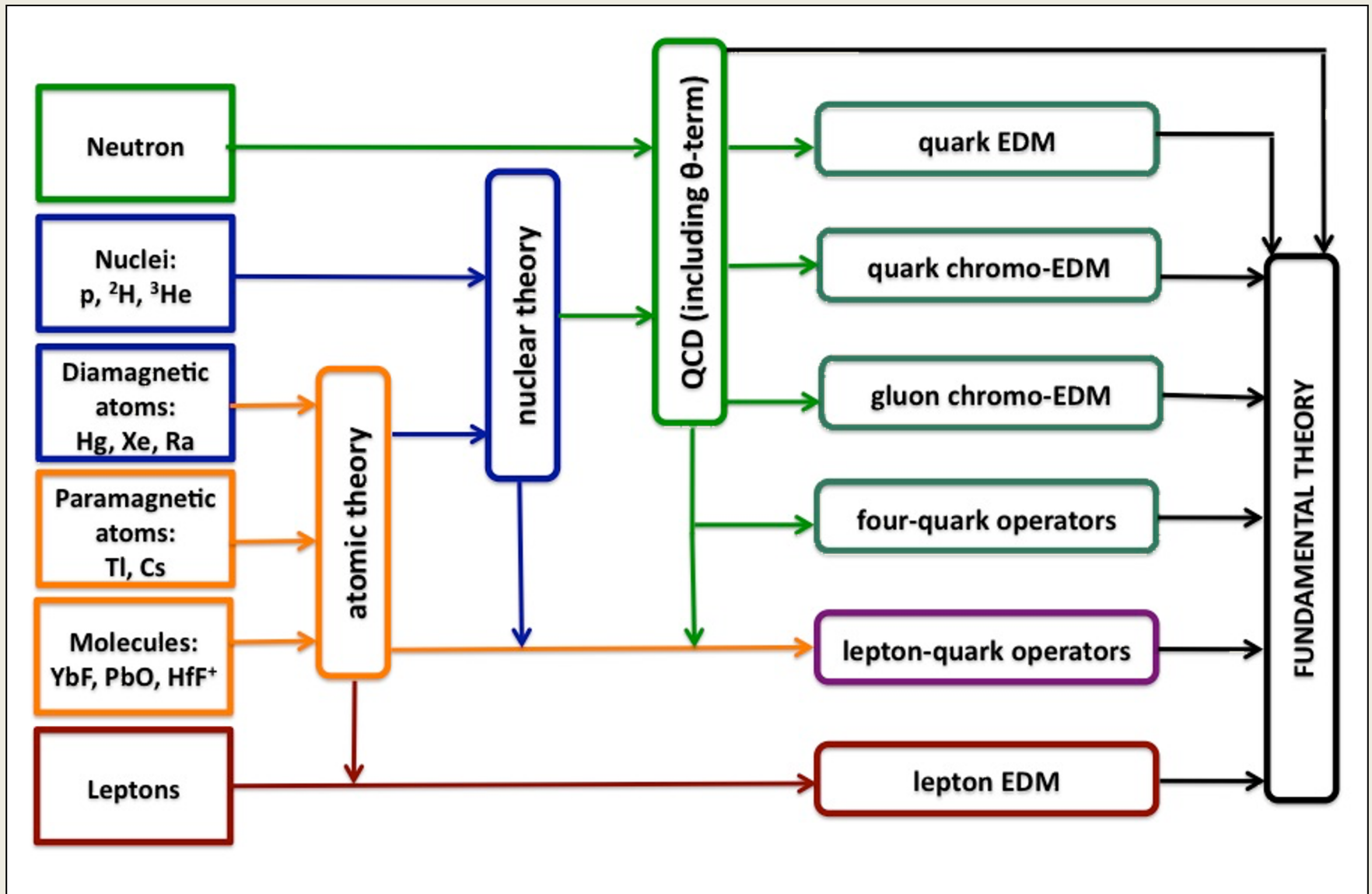
# Recap



- 2 pion-nucleon (no  $g_2$  !)
- 1 pion-pion-pion
- 2 nucleon-nucleon
- 2 nucleon-photon (EDM)

- Each hadronic/nuclear CPV observables probes a linear combination
- Compare EDMs and MQMs in a single framework
- Link to particle physics exists

# The EDM metromap



# Conclusion/Summary/Outlook

## **EDMs**

- ✓ Very powerful search for BSM physics (probe the highest scales)
- ✓ Heroic experimental effort and great outlook
- ✓ Theory needed to interpret measurements and constraints

## **EFT framework**

- ✓ Framework exists for CP-violation (EDMs) from 1<sup>st</sup> principles
- ✓ Keep track of **symmetries** (gauge/CP/chiral) from multi-Tev to atomic scales

## **The chiral filter**

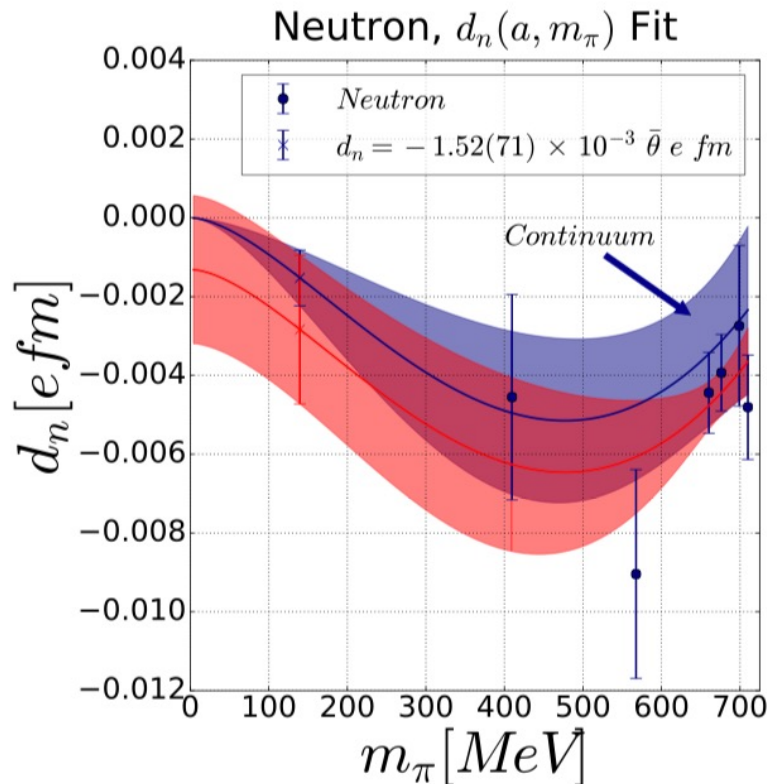
- ✓ Chiral symmetry determines form of hadronic interactions
- ✓ Different models  $\rightarrow$  different dim6  $\rightarrow$  different EDM hierarchy
  
- ✓ **Need theory improvement to fully exploit the experimental program**

# An attempt

Dragos, JdV, Shindler, Luu, Yousif '19

- Calculation with 'Gradient Flow' at 3 pions masses and 3 lattice spacings
- Improved signal-to-noise by restricted sum of topological charge
- Pion masses are large ... nevertheless try a chiral fit ...

$$d_{n,p} = C_1 m_\pi^2 + C_2 m_\pi^2 \log m_\pi^2 + C_3 a^2$$



	$C_1 [\bar{\theta} e fm^3]$	$C_2 [\bar{\theta} e fm^3]$	$C_3 \left[ \frac{\bar{\theta} e fm}{fm^2} \right]$
proton	$-3.6(5.3) \times 10^{-4}$	$-6.8(6.6) \times 10^{-4}$	0.20(31)
neutron	$3.1(3.2) \times 10^{-4}$	$8.8(4.4) \times 10^{-4}$	-0.16(23)

- $C_2$  is related to  $g_0$

$$\bar{g}_0 = -\frac{8\pi^2 f_\pi C_2 m_\pi^2}{g_A e} = -12.8(6.2) \cdot 10^{-3} \bar{\theta}$$

- Agrees with prediction from ChPT

$$\bar{g}_0 = -15.5(2.5) \cdot 10^{-3} \bar{\theta}$$

- EDMs nonzero only a 2 sigma

$$d_n = -(1.52 \pm 0.7) \cdot 10^{-3} e \bar{\theta} fm$$